## TITLE: Determination of retinal surface area

## Running title: Retinal surface area

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#### Abstract

Previous attempts at determining retinal surface area and surface area of the whole eye have been derived from mathematical calculations based upon retinal photographs, schematic eyes and from retinal biopsies of donor eyes. 3-D ocular magnetic resonance imaging (MRI) allows a more direct measurement, it can be used to image the eye in vivo, and there is no risk of tissue shrinkage. The primary purpose of this study is to compare, using T2-weighted 3-D MRI, retinal surface areas for superior-temporal (ST), inferior-temporal (IT), superior-nasal (SN) and inferior-nasal (IN) retinal quadrants. An ancillary aim is to examine whether inter-quadrant variations in area are concordant with reported inter-quadrant patterns of susceptibility to retinal breaks associated with posterior vitreous detachment (PVD).

Seventy-three adult participants presenting without retinal pathology (mean age $26.25 \pm 6.06$ years) were scanned using a Siemens 3-Tesla MRI scanner to provide T2-weighted MR images that demarcate fluid-filled internal structures for the whole eye and provide high-contrast delineation of the vitreous-retina interface. Integrated MRI software generated total internal ocular surface area (TSA). The second nodal point was used to demarcate the origin of the peripheral retina in order to calculate total retinal surface area (RSA) and quadrant retinal surface areas (QRSA) for ST, IT, SN, and IN quadrants. Mean Spherical Error (MSE) was $-2.50 \pm 4.03 \mathrm{D}$ and mean axial length (AL) $24.51 \pm 1.57 \mathrm{~mm}$. Mean TSA and RSA for the RE were $2058 \pm 189 \mathrm{~mm}^{2}$ and $1363 \pm 160 \mathrm{~mm}^{2}$, respectively. Repeated measures ANOVA for QRSA data indicated a significant difference withinquadrants $(\mathrm{p}<0.01)$ which, contrasted with ST $\left(365 \pm 43 \mathrm{~mm}^{2}\right)$, was significant for IT $\left(340 \pm 40 \mathrm{~mm}^{2}\right.$ $\mathrm{p}<0.01)$, $\mathrm{SN}\left(337 \pm 40 \mathrm{~mm}^{2} \mathrm{p}<0.01\right)$ and $\mathrm{IN}\left(321 \pm 39 \mathrm{~mm}^{2} \mathrm{p}<0.01\right)$ quadrants. For all quadrants QRSA was significantly correlated with $A L(p<0.01)$ and exhibited equivalent increases in retinal area/mm increase in AL. Although the differences between QRSAs are relatively small, there was evidence of concordance with reported inter-quadrant patterns of susceptibility to retinal breaks associated with PVD. The data allow AL to be converted to QRSAs, which will assist further work on inter-quadrant structural variation.


Keywords: Ocular Biometry, Ocular Shape, Myopia, Retinal surface area, Human ocular anatomy

## Introduction

Earlier attempts at determining retinal surface area and surface area of the whole eye have been derived from mathematical calculations based upon retinal photographs (Lempert, 2008; Croft et al. 2014), schematic eyes (Taylor and Jennings, 1971) and from retinal biopsies of donor eyes (Robb 1982; Panda-Jonas et al. 1994) (see Table 1). MRI possesses several advantages over previous methods used to quantify retinal surface area: unlike donor eye dissection, MRI is carried out in vivo, hence there is no risk of tissue shrinkage; additionally, MRI allows a more direct measurement and does not rely upon approximate schematic eye models. We have reported previously on the use of T2-weighted 3-dimensional (3-D) MRI to measure in vivo ocular volume and shape of the posterior vitreous chamber (Nagra et al. 2014; Gilmartin et al. 2013). As the technique is based on high-contrast delineation of the vitreo-retinal interface it can also be used to determine internal surface area of the retina.

Although 3-D MRI has been used previously to determine surface area in Singaporean-Chinese newborn and young children's eyes it has been restricted to total ocular surface area (TSA) (Lim et al. 2013; Lim et al 2011). In addition to determining TSA we use T2-weighted 3-D MRI to compare total retinal surface area (RSA) and retinal surface areas separately for superior-temporal (ST), inferior-temporal (IT), superior-nasal (SN) and inferior-nasal (IN) retinal quadrants. (QRSA). Although adults without presenting pathology are used in the present study (and with the presumption that there is a correlation between RSA and propensity to retinal anomalies) the ability to measure separately RSA for different retinal quadrants is an opportunity to examine two recent studies on eyes with rhegmatogenous retinal detachment (RRD). In their observational singlecentre case series, Shunmugam et al. (2014) analysed 844 patients with a mean age of $62 \pm 11$ years. Retinal breaks occurred most frequently in the ST quadrant (582 eyes; 69\%); the superonasal and inferotemporal quadrants were involved in 341 (40\%) and 274 (32\%) eyes, respectively; the IN quadrant was involved the least frequently (144 eyes; 17\%). Of the 328 eyes with only 1 break, it was most likely to be in the ST quadrant (182 eyes; 55\%) and least likely to be in the IN quadrant (19 eyes; 6\%). It was observed that quadrant breaks subsequent to an initial ST
break would follow the sequence of SN, IT, and then IN. Further, the proportion of breaks that were detached was highest for the ST quadrant (92\%) and lowest for the IN quadrant (60\%) a feature that was linked to the proposal that posterior vitreous detachment (PVD) follows a sequential process starting in the ST quadrant and progressing inferiorly or, alternatively, to be the result of gravitational force.

Similar findings were reported by Mitry et al. (2011), who found the percentage of RRD cases associated with PVD and related tractional tears was $86.3 \%$ and distributed as follows: $56 \%$ in the ST quadrant; $25.7 \%$ in the SN quadrant; $13.2 \%$ in the IT quadrant; $5.0 \%$ in the IN quadrant.

The primary purpose of the study is to use T2-weighted 3-D MRI to compare retinal surface areas TSA, RSA and QRSAs in adult eyes for a wide range of longitudinal axial lengths and hence refractive error. An ancillary aim is to examine whether inter-quadrant variations in area are concordant with reported inter-quadrant patterns of susceptibility to retinal breaks associated with posterior vitreous detachment (PVD).

## METHODS

The study was approved by the Aston University Ethics Committee; all aspects of the investigation were carried out in accordance with the tenets of the Declaration of Helsinki. Informed consent was obtained from all individual participants included in the study.

## Participants

Seventy-three adult participants, presenting without retinal pathology, were mainly recruited from a university student and staff population (females $n=47$, males $n=26$ ). Participant age ranged from 18 to 40 years (mean $26 \pm 6$ ) and participants were predominantly of white European ( $n=56 \%$ ) and South Asian ( $\mathrm{n}=38 \%$ ) ethnicity. Right eye data are presented.

## Refractive Error and Axial Length

Objective measurements of refractive error were obtained under cycloplegia (one drop, in each eye, of tropicamide ophthalmic solution $0.5 \%$, Minims® Bausch and Lomb, Surrey U.K) using the Shin Nippon SRW-5000 open-view binocular infrared autorefractor (Ryusyo Industrial Co. Ltd, Osaka, Japan). Five measurements of refractive error were taken from each eye, averaged, and expressed as mean spherical error (MSE, D). The Zeiss IOLMaster (Carl Zeiss Meditec, Germany) was used to measure both axial length (AL) and anterior chamber depth (ACD). The instrument's measurement principles for AL are based on partial coherence interferometry (PCI), and based on an optical section to determine ACD from the anterior cornea to the anterior crystalline lens. AL ( mm ) was expressed as the mean of five measurements and a single capture automatically generated mean ACD (mm) based on five measurements.

## Acquisition of MR images and surface areas

The protocol, verification, and repeatability statistics for the MRI technique employed in this study have been previously reported, including the method used to locate the visual axis (Nagra et al. 2014; Gilmartin et al. 2013; Singh et al. 2006); the technique has been applied previously to the measurement of internal ocular volume and ocular shape (Nagra et al. 2014; Gilmartin et al. 2013). In summary, participants underwent scanning using a Siemens Trio 3-Tesla whole-body MRI scanner using an 8 -channel Phased-Array head-coil (Nagra et al. 2014; Gilmartin et al. 2013; Singh et al. 2006). A T2-weighted scan was used to demarcate fluid-based intraocular structures for each eye and thus provide high-contrast delineation of the internal surface of the eye including the vitreous-retina interface. The scan used a Half-Fourier Acquired Single-shot Turbo spin Echo (HASTE) sequence with parameters that provided isotropic voxel dimensions of $1 \times 1 \times 1 \mathrm{~mm}$. The scan time for each participant was 5 minutes 40 seconds, during which participants were asked to fixate steadily, with minimal blinking where possible, a distant fixation light viewed through a mirror mounted on the head-coil. Cycloplegia was not induced for the MRI scans.

Voxels were labelled using a 3-D flood-filling algorithm and automatically shaded. Axial, sagittal and coronal slices (between 22 and 29 slices per plane depending on globe dimensions) were then inspected and edited manually (by author MN) to rectify errors in automatic shading.

A shrink-wrapping process followed the shading procedure whereby a model of a sphere is first constructed using a mesh of 32768 triangular polygons of equal area distributed uniformly across its surface and the vertices of each polygon shrunk towards the geometric centre of the eye in an iterative fashion until each vertex intersects a shaded voxel. The process alters the position of the vertices of each polygon that results in the redistribution and resizing of polygons across an initial internal representation of the eye globe.

The corrugated shell generated is then smoothed, using local averaging of the vertex positions, to produce an internal interface. The surface model is defined by a standardised $x-y-z 3-D$ coordinate system for each of the 32768 triangular polygons.

Total internal surface area of the globe (TSA) was provided by customised freeware software mri3dX and compared with the surface area of an equivalent sphere based on participants' longitudinal axial lengths using the standard formula for surface area (i.e. area $=4 \pi r^{2}$ where $r=P C I$ axial length/2, see Table 3 and Figure 2) (see references Singh et al. 2006, Gilmartin et al. 2013, Nagra et al. 2014 for additional detail).

The mri3dx software (Gilmartin et al. 2013; Singh et al. 2006) also provided, separately for each quadrant, areas of spherical segments that were contiguous with $1 \%$ linear increments along the visual axis. The location of the second nodal point (NP2) was assigned to the intersection of the posterior pole of the crystalline lens with the visual axis such that the line passing through NP2 and orthogonal to the axis demarcates approximately the origin of the peripheral retina. The approximate location of NP2 was determined from measurement of the ACD and an assumed average lens thickness of 3.75 mm based on 3D MRI lens data from a similar participant group (Sheppard et al. 2011). Total retinal surface area and retinal surface area for each quadrant (QRSAs: ST, SN, IT, IN) was then determined by the successive summation of each $1 \%$ increment of surface area from a point corresponding to NP2 to a point 95\% along the visual axis (Gilmartin et al. 2013). Consistent with our previous report (Gilmartin et al. 2013), retinal areas were not sampled for the posterior $5 \%$ of longitudinal axial length owing to motion artefacts as the value of x (the height of the spherical sector from the visual axis) approached an asymptote as the maximum value
of $y$ (distance along the visual axis) was approached). With reference to a sphere of diameter equal to the mean $A L$ of the group ( 24.51 mm ) the spherical cap forming the posterior $5 \%$ region represented only $4.55 \%$ of total internal eye area $\left[\left(93.60 / 2057.65^{* 100}\right) \mathrm{mm}^{2}\right]$.

## Statistical Analyses

Statistical analyses were conducted using IBM SPSS Statistics 21 (IBM UK Ltd Portsmouth, UK). The level of statistical significance was taken as $5 \%$. A repeated measures ANOVA was used to test differences between the four quadrants and planned contrasts were used to test, against quadrant ST, differences in mean retinal area for quadrants IT, SN and IN.

## RESULTS

Paired Student's t-test showed no significant inter-eye differences for Mean Spherical Error (MSE) $(p=0.12)$ or axial length $(p=0.88)$; right eye data only are presented. As anticipated a more myopic MSE was correlated with a longer $\mathrm{PCI} \mathrm{AL}(\mathrm{p}<0.01, \mathrm{r}=0.88)$.

Mean group data for MSE, AL, TSA and QRSAs are shown in Table 2. A one-way ANOVA, with gender as the between-subject factor, showed female participants to have a significantly more myopic mean MSE ( $p=0.006$ ), but there were no significant differences between males and females in TSA, QRSAs or AL (all $p>0.05$ ).

## Total Internal Surface Area (TSA)

Mean TSA was $2058 \pm 189 \mathrm{~mm}^{2}$. Scatter plots indicated an increase in TSA as refractive error increased towards myopia (Figure 1 A), and with increasing axial length (Figure 1 B ).

To compare TSA generated by MRI with the TSA for an equivalent sphere, based solely on a measure of $A L$, the surface area of a sphere was calculated for each participant using the standard formula for surface area $=4 \pi r^{2}$, where $r=P \mathrm{PCl}$ axial length/2. Scatter plots of the two surface area estimates against axial length (Figure 2 and Table 3) demonstrated an underestimation of TSA using the sphere formula of $289 \mathrm{~mm}^{2}$ for axial lengths of 22 mm and an overestimation of $34 \mathrm{~mm}^{2}$ for axial lengths of 28 mm with parity at approximately 27.50 mm .

## Surface area of the retina

## Total Retinal Surface Area (RSA)

Mean total RSA (i.e. all quadrants combined) was $1363 \pm 160 \mathrm{~mm}^{2}$ and showed significant correlations with $\mathrm{PCI} \operatorname{AL}(\mathrm{p}<0.01, \mathrm{r}=0.85)$ and $\mathrm{MSE}(\mathrm{p}<0.01, \mathrm{r}=-0.75)$ (see Figure $1 \mathrm{C} \mathrm{\& D}$ ).

## Quadrant Retinal Surface Areas (QRSAs)

QRSAs were largest for the ST quadrant and smallest for the IN quadrant. A repeated measures ANOVA for QRSA data indicated significant differences within- quadrants ( $p<0.01$ ). Planned contrasts against the ST quadrant ( $365 \pm 43 \mathrm{~mm}^{2}$ ) were all significant: IT ( $340 \pm 40 \mathrm{~mm}^{2} \mathrm{p}<0.01$ ), SN ( $337 \pm 40 \mathrm{~mm}^{2} \mathrm{p}<0.01$ ) and $\mathrm{IN}\left(321 \pm 39 \mathrm{~mm}^{2} \mathrm{p}<0.01\right.$ )

## DISCUSSION

We believe this to be the first study to measure in vivo, using MRI, total internal surface area (TSA), retinal surface area (RSA) and quadrant retinal surface areas (QRSAs) in human adult eyes (see Table 1).

As anticipated, we observe significant positive correlations between greater surface area, longer axial length, and increase in myopic refractive error (Figures $1 \& 3$ ). The data indicate that, similar to our findings on total ocular volume (Nagra et al. 2014), accurate estimates of TSA cannot be made from the application of a spherical model based simply on longitudinal axial length, particularly with regard to shorter axial lengths (Figure 2 and Table 3). The second-order polynomial fits in Figure 3 allow longitudinal axial lengths to be converted to retinal surface areas for each respective quadrant. For example, ST retinal surface areas for an axial length of 23.65 mm (typical for an emmetropic eye) are $346 \mathrm{~mm}^{2}$, for $25 \mathrm{~mm} 375 \mathrm{~mm}^{2}$, for $26.5 \mathrm{~mm} 413 \mathrm{~mm}^{2}$ and for 28 mm $455 \mathrm{~mm}^{2}$. Relative to the emmetropic eye these values of axial length represent percentage increases of $8.38 \%, 19.36 \%$ and $31.50 \%$ respectively. Using the formula for retinal surface area (Fig 2), we find our data compare well with Taylor and Jennings' prediction based on schematic eyes (see Table 1); a difference in area of $35 \mathrm{~mm}^{2}$ for an axial length of 22.12 mm .

That sphericity is a feature of the myopic eye was reported in the studies on ocular volume (Nagra et al. 2014) and ocular shape (Gilmartin et al. 2013) and is again clearly evident from Figure 2: TSA approaches that generated by an equivalent sphere as axial length, and hence myopic error, increases. With reference to our data on mean quadrant retinal surface areas (QRSAs), relative to the ST quadrant there was general concordance between the sequence of percentage ratios found (ST:1.0; SN:0.92; IT: 0.93; IN:0.88; Table 2) and the sequence of retinal breaks (expressed as percentage ratios for prevalence) reported by Shunmugam et al. (2014) (ST:1.0; SN:0.58; IT: 0.46; $\mathrm{IN}: 0.25$ ) and Mitry et al. (2011) (ST:1.0; $\mathrm{SN}: 0.46 ; \mathrm{IT}: 0.24 ; \mathrm{IN}: 0.09$ ) although the level of differentiation between quadrants was substantially less. Nevertheless mean retinal surface area of the ST quadrant was significantly greater than that of the IN quadrant by $12 \%$, a difference which may, at least in part, contribute to additional biomechanical stress on retinal tissue in the ST quadrant and a hence a propensity to retinal breaks.

Of interest is that the relative difference between ST and IN quadrants is independent of axial length (Figure 3) and hence brings into question whether susceptibility to retinal breaks is determined by the inter-quadrant differentials of retinal surface area rather than the absolute levels of surface area . Neither Shunmugam et al. (2014) nor Mitry et al. (2011) carried out a detailed analysis of their data with reference to axial length and the literature on the correlation between axial length and retinal breaks is equivocal (Shunmugam et al. 2014; Mitry et al. 2011; Ogawa and Tanaka 1987; Pierro et al. 1992; Cheng et al. 2013).

Declaration of interest: The authors report no conflicts of interest. The authors alone are responsible for the content and writing of the paper

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## TABLES

Table 1 Comparison of surface area data reported by previous studies

| Study | Sample | Methods | Findings | Comments |
| :---: | :---: | :---: | :---: | :---: |
| Taylor and Jennings (1971) | N/A | Mathematical modelling based on schematic eyes | RSA and quadrant retinal surface areas for an emmetropic eye, with an axial length of 22.12 mm , were estimated to be <br> RSA $1133.8 \mathrm{~mm}^{2}$ <br> IN $289.8 \mathrm{~mm}^{2}$ <br> SN $286.8 \mathrm{~mm}^{2}$ <br> IT $280.4 \mathrm{~mm}^{2}$ <br> ST $276.8 \mathrm{~mm}^{2}$ | Calculations based on fixed values of axial length, corneal size, and the distance from ora serrata to limbus for each quadrant |
| Robb et al 1982 | Children ( $\mathrm{n}=33$ ) <br> Aged 6 months gestation to 6 years | Donor eye dissection | RSA: <br> Range <br> $300 \mathrm{~mm}^{2}$ to $907 \mathrm{~mm}^{2}$ | Systemic conditions, which caused death, may have also impaired development of the eye (e.g. foetal anoxia) |
| Panda-Jonas et al 1994 | Children and adults ( $\mathrm{n}=46$ ) <br> Aged 2-90 years <br> (mean age 50.7 <br> $\pm 20.4$ years) | Donor eye dissection | Mean RSA mean $\pm$ sd: $1204 \pm 184 \mathrm{~mm}^{2}$ <br> Range $681-1636 \mathrm{~mm}^{2}$ | While there is a risk of tissue shrinkage, this was factored into the estimates of surface area. |
| Lim et al 2011 | Children (n=67) <br> Aged 6 years <br> (mean age, <br> $77.9 \pm 3.9$ <br> months) <br> Participants were of Chinese ethnicity | In vivo 3-dimensional MRI | $\begin{aligned} & \hline \text { Mean TSA: } \\ & 1757.05 \pm \\ & 109.58 \mathrm{~mm}^{2} \end{aligned}$ | 3-Tesla scans. Did not investigate quadrant surface area |
| Lim et al 2013 | Children $(\mathrm{n}=173)$ <br> Aged 5-17 days <br> Participants were of Chinese, <br> Malay, and <br> Indian ethnicity | In vivo 3-dimensional MRI | Mean TSA $\pm$ sd: $898 \pm 70 \mathrm{~mm}^{2}$ <br> Range $677-1217 \mathrm{~mm}^{2}$ | 1.5-Tesla scans. Did not investigate quadrant surface area |
| This study | Young-adults, aged 18-40 years. | In vivo 3-dimensional MRI | Mean TSA $\pm$ sd: $2058 \pm 189 \mathrm{~mm}^{2}$ <br> Range | 3-Tesla scans. Quadrant surface areas also reported |


|  | Ethnicity <br> predominantly <br> White European <br> $(n=56 \%)$ and <br> South Asian <br> $(n=38 \%)$ |  | $1504-2716 \mathrm{~mm}^{2}$ |  |
| :--- | :--- | :--- | :--- | :--- |
|  |  |  |  |  |
|  |  | $1363 \pm 160 \mathrm{~mm}^{2}$ |  |  |
|  |  | Range |  |  |

Table 2 Mean (RE) group data for MSE, AL, TSA, and mean QRSA $\pm 1$ standard deviation.

| Mean MSE (D) | $-2.50 \pm 4.03$ <br> (range -10.56 to +9.50 ) |
| :--- | :---: |
| Mean PCI axial length (mm) | $24.51 \pm 1.57$ <br> (range 20.32-28.12) |
| Mean TSA (mm ${ }^{2}$ ) | $2058 \pm 189$ <br> (range 1504 to 2716) |
| QRSAs $\left(\mathrm{mm}^{2}\right):$ |  |
| Superior-temporal | $365 \pm 43$ |
| Inferior-temporal | $340 \pm 40$ |
| Superior-nasal | $337 \pm 40$ |
| Inferior-nasal | $321 \pm 39$ |

Table 3 Differences between the internal MRI surface area and surface area for an equivalent sphere.

| PCI axial <br> length $(\mathbf{m m})$ | Sphere TSA <br> $\left(\mathbf{m m}^{2}\right)$ | MRI TSA <br> $\left(\mathbf{m m}^{2}\right)$ | Difference <br> $($ MRI-Sphere $)$ <br> $\left(\mathbf{m m}^{2}\right)$ | Percentage <br> difference |
| :---: | :---: | :---: | :---: | :---: |
| $\mathbf{2 2}$ | 1520 | 1809 | 289 | $15.98 \%$ |
| $\mathbf{2 3}$ | 1661 | 1903 | 242 | $12.72 \%$ |
| $\mathbf{2 4}$ | 1809 | 2001 | 192 | $9.60 \%$ |
| $\mathbf{2 5}$ | 1963 | 2102 | 139 | $6.61 \%$ |
| $\mathbf{2 6}$ | 2123 | 2207 | 84 | $3.81 \%$ |
| $\mathbf{2 7}$ | 2289 | 2316 | 27 | $1.17 \%$ |
| $\mathbf{2 7 . 5 0}$ | 2375 | 2371 | -3 | $-0.17 \%$ |
| $\mathbf{2 8}$ | 2462 | 2428 | -34 | $-1.40 \%$ |

## TITLES AND LEGENDS TO FIGURES:

Figure 1 A) Correlation between MSE and Total Surface Area (TSA) B) Correlation between PCI Axial Length and Total Surface Area (TSA). C) Correlation between MSE and total retinal surface area (RSA). D) Correlation between PCI Axial Length and total retinal surface area (RSA). Data for REs.

Figure 2 MRI total internal surface area (TSA) and equivalent sphere surface area (r=PCI AL/2) both plotted as a function of PCl axial length. Data for REs.

Figure 3 Quadrant retinal surface area (QRSA) for the whole group plotted as a function of (A) PCI axial length and (B) MSE. Data for REs.


Figure 1 A) Correlation between MSE and Total Surface Area (TSA) B) Correlation between PCI Axial Length and Total Surface Area (TSA). C) Correlation between MSE and total retinal surface area (RSA). D) Correlation between PCI Axial Length and total retinal surface area (RSA). Data for REs.


Figure 2 MRI total internal surface area (TSA) and equivalent sphere surface area ( $r=P C I A L / 2$ ) both plotted as a function of PCI axial length. Data for REs.

$$
228 \times 126 \mathrm{~mm}(300 \times 300 \mathrm{DPI})
$$



Figure 3 Quadrant retinal surface area (QRSA) for the whole group plotted as a function of (A) PCI axial length and (B) MSE. Data for REs.

