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VAPOUR LIQUID EQUILIBRIUM - PRACTICAL AND
THEORETICAL STUDIES.

A thesis submitted in partial fulfillment
of the requirements for the degree of
Doctor of Philosophy.

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VAPOUR LIQUID EQUILIBRIUM - PRACTICAL AND THEORETICAL
STUDIES.

MICHAEL GIBSON-ROBINSON DOCTORATE OF PHILOSOPHY 1977

SUMMARY

Vapour liquid equilibrium data have been obtained at a constant pressure of 760 mm Hg. for the binary systems ethyl acetate-n-butanol, n-butanol-n-butyl acetate using a modified Cathala flow still. The liquid and vapour samples were analysed by both gas liquid chromatography and refractive index measurements.

The data has been shown to be thermodynamically consistent by the methods of Ulrichson and Stevenson, Samuels and Van Ness and Byer and has been fitted to several of the better known activity coefficient equations such as the Wilson and NRTL. It has been demonstrated that the level of random error inherent in the analytical procedures can have a significant effect on the correlation parameters obtained during data reduction.

The Cathala still has been shown to be as good as conventional stills for the acquisition of equilibrium data.

An attempt has been made to model the behaviour of systems containing acetic acid as one component. The procedure involved was to compute correction factors in the manner of Marek for the association of the acid to dimers. Use was made of a concentration dependent equilibrium constant which was related to overall activity coefficients obtained from an equation such as the Wilson or NRTL. Data reduction by the Barker method using these equations corrected for association resulted in a marked improvement. This method was applied to approximately 27 systems containing acetic acid, the majority of which were found to be consistent by the test of Van Ness and Byer. Extension to the prediction of tie lines in the partially miscible system acetic acid-water-toluene yielded no discernable improvements compared with using the uncorrected NRTL equation.

The subject matter in this thesis forms the basis of two papers accepted for publication in Chemical Engineering Science and the Transactions of the Institute of Chemical Engineers.

THERMODYNAMIC CONSISTENCY ACETIC ACID ASSOCIATION.

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INTRODUCTION.

The determination of the vapour phase composition that exists in equilibrium with a liquid phase is of fundamental importance in chemical engineering. The continuing improvements in design techniques for equipment such as distillation columns and absorption towers, place an increasing emphasis on the accuracy with which the vapour phase composition can be calculated. Although work in this field has been in progress for many years it is still not possible to predict vapour liquid equilibrium data from pure component properties alone. There have been some advances in prediction of activity coefficients at infinite dilution from the contributions of structural groups such as the approach of Derr and Deal (D5) but in general, if accurate data is required recourse must be made to experimental techniques. However a considerable degree of experimental skill is required and furthermore complete determination of data across the ranges of pressure, temperature and composition of interest is a time consuming process. These factors have led to the numerous attempts to design equilibrium stills whereby vapour liquid equilibrium data may be obtained rapidly and accurately but by

reference to published data it is evident that each type of still can be the source of various errors which need not have the same importance in all systems to be investigated.

Some of the sources of error in vapour liquid equilibrium data cannot be detected experimentally and classical thermodynamics is used to assist in detecting such errors. This is accomplished by applying the Gibbs-Duhem relationship in one of its forms to the data, and such an application is commonly called a consistency test. Although the Gibbs-Duhem equation has been used in many different ways and for many different purposes, the limitations on its use in terms of what it can or cannot do appears to have been little discussed in the literature. Neither is there any apparent agreement on how best to use the Gibbs-Duhem equation to detect experimental errors.

The most common application of the Gibbs-Duhem equation is to data where all of the unknown variables are experimentally measured. Such data may be determined by a variety of methods, an example of which is the flow method or in particular the Cathala flow still. The principle of the flow still is that boiling liquid is brought into intimate contact with vapour

and allowed to come to equilibrium. The two phases are then separated and the temperature, pressure, vapour and liquid compositions are determined when the conditions in the still are no longer changing with time. The potential sources of error with this type of experimental procedure are well known and apply in general to other experimental procedures with only minor differences. These sources of error can be divided into two broadly different types :

1. Random measurement errors.

2. Systematic errors.

Both of these types of error are always present to some extent in experimental data. The random measurement errors such as those associated with uncertainties in the temperature, pressure and composition measurements can be estimated, and to some extent controlled while the experiment is in progress. The systematic errors, however, are a result of unknown errors associated with the experimental procedure or with the design of the experimental apparatus and cannot therefore be estimated before the data are taken. Systematic errors arise, for example, from the system under investigation

not achieving equilibrium or from entrainment of liquid in the vapour space by too rapid boiling. Such errors are effectively detected only by means of a consistency test.

Another possible source of error arises in applications of the Gibbs-Duhem equation. This equation contains, in addition to the vapour-liquid equilibrium variables, terms which depend on the heat of mixing or the volume change of mixing. Since these terms must be measured by separate experimental procedures and since such data are relatively scarce in the literature, they are often neglected in consistency tests. It is difficult to estimate the error incurred by neglecting the heat or volume change of mixing and thus a positive conclusion about the accuracy of the data may not be obtainable.

The fact that experimentally determined vapour-liquid equilibrium data will not precisely satisfy the Gibbs-Duhem equation has generally been recognised. However, no universally accepted criterion is available for declaring a set of data "accurately measured". One aim of this work is to identify a

procedure which will indicate, with some level of confidence, whether a set of vapour-liquid data exhibit no more error than that expected from random measurement errors.

The first step in selecting a procedure is to examine the existing published consistency tests for ease and accuracy of application. One of the most promising tests is due to Ulrichson and Stevenson (U1), derived from the local area test of Stevenson and Sater (S12) by applying the propagation of error equation. This yields a formula for the error bounds (or confidence region) which establishes the effect of random measurement error on the consistency test. In addition this test involves statistical techniques which indicate the probability of a given random distribution in the test results arising only from normally distributed random measurement errors. A set of data with known uncertainties in the measured variables may then be accepted as free from systematic errors if the probability is high, e.g., the chances are greater than 1 in 10 that only random measurement error exists. Conversely, further analysis may be required if the probability is low that only random measurement error exists. In this context the terms consistent or inconsistent have no meaning.

Data for which the consistency test results are non-random or random with a low probability of containing only measurement error, may be treated in several ways. Firstly the data may be rejected as being of unacceptably low accuracy or more probably the effect of neglected terms in the test equation would be investigated and new estimates of the uncertainty in the measured variables sought. However, a value judgement is still required to reach a final conclusion.

Should a set of vapour-liquid equilibrium data tested by this procedure be found to be free from systematic error then the level of random error associated with the data set may be used to determine the effect of this error on the end use for which the data were obtained. For example by applying the propagation of error formula, it is possible to develop confidence limits for the effect of random measurement error on calculated activity coefficients.

It will be shown later that in fact no single consistency test is adequate on its own to analyse a set of vapour-liquid equilibrium data since different tests are affected by systematic and random error

in different ways. In addition to the local area test, it will also be shown that the propagation of error formula in conjunction with the overall area test of Samuels is capable of detecting systematic error across the composition range which may be missed by the local area test. It was found to be best to use the above two tests together with the Van Ness test on the residuals obtained from a Barker type fit on the experimental data. This last test, though easier to interpret than some other tests, has the disadvantage of assuming a particular solution to the Gibbs-Duhem equation raising the additional possibility that failure to satisfy the test may be due to inadequacy of the liquid phase model. This last objection has been overcome by Christiansen and Fredenslund (C8) who used the method of orthogonal collocation to calculate equilibrium vapour compositions from P-T-X data for binary systems which they then compared with experimental values to obtain an indication of thermodynamic consistency.

These tests were utilised to analyse the performance and shortcomings of a Cathala flow still although the additional refinement of orthogonal collocation was not used.

The Cathala flow still was designed for the express purpose of determining vapour-liquid equilibrium data in reactive systems, and has been used extensively for this purpose. Mamers (M4) used a modified Cathala still to investigate vapour-liquid equilibrium in the acetic acid - acetic anhydride - water system while more recently, as part of a programme of work on distillation with chemical reaction, Davies, Jenkins and Jeffreys (D3) determined vapour-liquid equilibrium data for the quaternary system ethanol-n-butanol-ethyl acetate-n-butyl acetate and its constituent ternary and binary systems. They used the same modified Cathala still, even though no reaction took place in the absence of the catalyst, because as a flow still it enabled the data to be obtained rapidly, an important advantage in view of the large number of data points to be determined. A proposed extension of the above distillation work to a system of industrial importance made necessary the future determination of data for a strongly reactive mixture.

Despite the widespread use of the Cathala still, no detailed study of its performance appears to have been reported. Accordingly it was thought necessary to make measurements of vapour-liquid equilibria on a

number of typical non-reactive systems and to obtain enough data for the previously discussed statistically based thermodynamic consistency tests to be used. Hence the reliability of the still could be assessed before its use on the more difficult multicomponent system and its constituent binaries.

In the earlier work of Davies et al (D3) some discrepancies had been evident in three of the binary systems. As these three systems provided examples of near ideal, moderately non-ideal and azeotropic systems they were chosen as the test systems. The opportunity was taken to investigate at the same time the effect of analytical uncertainty on the reliability and consistency of the data. Thus for two of the systems, the vapour and liquid samples were analysed both by refractive index and by a rapid gas-liquid chromatographic method, to give two data sets with different levels of random measurement error. Application of statistical consistency tests should give results that reflected these different error levels. Further, any systematic deviations in the data ought to be detected. However, the results obtained will be seen to raise considerable doubts as to the general usefulness of consistency tests.

There are industrially important systems, however, for which the application of consistency tests indicate systematic error regardless by what method the data were obtained or how carefully the variables are measured. One such example is the system acetic acid-toluene for which data exist over a wide temperature and pressure range. The reasons for this anomaly are due to reactions of the components in the liquid and vapour phase. In particular solvation, the formation of complexes, and association to the dimer and possibly higher polymers, as in the case of acetic acid all cause apparent inconsistency.

Phase equilibria in systems showing association in one or more phases has been studied for a considerable time. The early work of Marek (M6) and the classical work of Prigogine and Defay (P10) are typical examples.

Although their work presented methods of dealing with association in both phases, it has been the practice of most workers to ignore liquid phase association and to use the activity coefficients to account for any non-idealities, but to correct the

vapour phase fugacity for association. This is probably because it is possible to make certain simplifying assumptions for the vapour phase which are not justified for the liquid phase. The assumptions allow a straightforward calculation of the necessary correction factors. In particular the association constant for dimerisation in the vapour phase is normally assumed to be independent of composition and to be equal to the value of the association constant for the pure associating substance. In the liquid phase however, spectroscopic measurements indicate that the association is a function of composition (P10). This taken with the fact that reasonable correlations have been obtained using corrections only for vapour phase association has led to the general failure to take liquid phase association into account.

As will be shown later development of a liquid phase model incorporating a concentration dependent equilibrium constant considerably improves the correlation and consistency of data for systems containing acetic acid.

A further use for these studies was in the development of a computer programme for the prediction of the

tie-lines and binodal curve for the system acetic acid-toluene-water. The need for this had arisen in connection with research in this department into the optimisation of a mixture-settler chain for the solvent extraction of acetic acid from water using toluene. The new approach will be shown to give little improvement over methods employing the NRTL and UNIQUAC equations alone.

2.0 The Theory of Vapour-Liquid Equilibrium.

In order to predict the composition of two phases in equilibrium it is necessary to provide precise criteria for the equilibrium state.

One useful criterion is given by the relationship :

$$\mu_i^A = \mu_i^B \quad (2.1)$$

where μ_i^P is the chemical potential of component i in phase P and is defined by :

$$\mu_i = \frac{\partial G}{\partial n_i} \quad T, P, n_j \text{ for } i \neq j \quad (2.2)$$

It can be described as the change in Gibbs free energy, G , of a phase when one mole of component i is added to it without changing the composition. The implications of equation 2.1 are that for each component i in each phase no driving force for mass transfer exists.

However if this criterion is to be of use it is necessary to relate the value of the chemical potential to the concentrations of component, i in each phase. This may be accomplished by making use of the exact relationships provided by thermodynamics.

2.1 Basic Thermodynamic relations.

For a closed system for which the only form of energy that changes is the internal energy, U , the first law of thermodynamic may be expressed as :

$$du = q - w \quad (2.3)$$

where q and w represent the heat added to and the work done by the system respectively. For a reversible

process doing expansion work only, eqn. (2.3) may be re-written as :

$$du = TdS - PdV \quad (2.4)$$

where T is the absolute temperature, S the entropy, P the pressure and V the volume. Two other important thermodynamic properties are the enthalpy, H and the free energy G defined as follows :

$$H = U + PV \quad (2.5)$$

$$\text{and} \quad G = H - TS \quad (2.6)$$

On differentiation we have :

$$dH = du + PdV + VdP \quad (2.7)$$

$$\text{and} \quad dG = dH - TdS - SdT \quad (2.8)$$

combining (2.7) and (2.8) with (2.4) in an appropriate fashion gives :

$$dH = TdS + VdP \quad (2.9)$$

$$\text{and} \quad dG = SdT + VdP \quad (2.10)$$

A further extremely important relationship is the Gibbs-Duhem relationship :

$$SdT - VdP + \sum n_i d\mu_i = 0 \quad (2.11)$$

For $dT = 0$ and $dP = 0$ this reduces to the restricted Gibbs-Duhem relationship :

$$\sum n_i \cdot d\mu_i = 0 \quad (2.12)$$

Two further relationships which enable the effects of temperature and pressure on phase equilibria to be established are given by :

$$\left. \frac{\partial (\mu_i/T)}{\partial T} \right|_{P, n_i, n_j} = \frac{-\bar{H}_i}{T^2} \quad (2.13)$$

$$\left. \frac{\partial \mu_i}{\partial P} \right|_{T, n_i, n_j} = \bar{V}_i \quad (2.14)$$

where \bar{H}_i and \bar{V}_i are respectively the partial molar enthalpy and partial molar volume of i in a mixture defined as :

$$\bar{V}_i = \left. \frac{\partial V}{\partial n_i} \right|_{T, P, n_j} \quad i \neq j \quad (2.15)$$

$$\bar{H}_i = \left. \frac{\partial H}{\partial n_i} \right|_{T, P, n_j} \quad i \neq j \quad (2.16)$$

2.2 The gas phase.

The gas phase whether considered as ideal or real or as a mixture of components ideal or real may be modelled in two different ways. Firstly an equation of state may be used such as the classical relation for an ideal gas :

$$PV = nRT \quad (2.17)$$

or for example the Van der Waals equation for real gases. These may be called direct models. Among other equations for real gases is the virial equation which will be considered later.

The second method, here designated as indirect models relates the chemical potential defined at the same temperature. For a single ideal gas this may be written :

$$\mu(P,T) = \mu^{\circ}(T) + RT \ln \frac{p}{p^{\circ}} \quad (2.18)$$

where p° is defined as 1 standard atmosphere $\equiv 1.01325 \times 10^5 \text{ Nm}^{-2}$.

For the real gas mixture case this becomes :

$$\mu_i(P, T) = \mu_i^0(T) + RT \ln \frac{f_i}{f_i^0} \quad (2.19)$$

with $\frac{f_i}{P_i} \rightarrow 1.0$ as $P_i \rightarrow 0$

f_i is the fugacity of component i in the real gas mixture. f_i^0 is the standard state fugacity of i , defined as being 1 standard atmosphere. $\mu_i(T)$ is now the standard state chemical potential of pure i at a pressure where $f_i = 1$. Equation (2.19) is conveniently rewritten as :

$$\mu_i = \mu_i^* + RT \ln f_i \quad (2.20)$$

$$\frac{f_i}{P_i} \rightarrow 1.0 \text{ as } P_i \rightarrow 0$$

2.3 The Liquid Phase.

An advantage of the indirect approach for the vapour phase is that conceptually similar models can

be set up for the ideal and non-ideal liquid cases. For an ideal solution the chemical potential is written as :

$$\mu_i = \mu_i^* + RT \ln x_i \quad (2.21)$$

where μ_i^* is a function of temperature and pressure only. For the non-ideal case the equation is modified by the introduction of the activity coefficient, V_i which may be a function of pressure, temperature and liquid compositions i.e. :

$$\mu_i = \mu_i^* + RT \ln x_i + RT \ln V_i \quad (2.22)$$

μ_i^* is chosen either so that V_i tends to 1.0 as x_i tends to 1.0 and is thus the Gibbs free energy per mole of pure i or such that $V_i \rightarrow 1.0$ as $x_i \rightarrow 0$, the so-called infinite dilution standard state.

In dealing with the general case of a non-ideal liquid mixture it has been found useful to define a property of the system known as the Gibbs excess function or property g^E :

$$\text{For a mixture } G(\text{mixture}) = \sum G_i n_i \quad (2.23)$$

or separating ideal from
non-ideal $G(\text{mixture.})$

$$= \sum_{\text{ideal}} G_i n_i + g^E \quad (2.24)$$

Dividing by the total number of moles in the mixture we have :

$$\frac{G(\text{mixture})}{\sum n_i} = \frac{\sum_i G_i x_i^{\text{ideal}}}{\sum n_i} + \frac{g^E}{\sum n_i} \quad (2.25)$$

where g^E is the excess free energy, which can be expressed as a polynomial containing empirically determined coefficients, relating g^E to composition. This holds for any other thermodynamic property.

From equations (2.23), (2.24) and (2.25) it is possible to express the excess Gibbs free energy g^E in terms of compositions and activity coefficients in the form :

$$g^E = RT \sum n_i \ln V_i \quad (2.26)$$

Furthermore the activity coefficients can be expressed in terms of g^E as :

$$\ln V_i = \frac{1}{RT} \left(\frac{\partial n T g^E}{\partial n_i} \right) \quad n_j \quad j \neq i \quad (2.27)$$

where $n^T = \sum n_i$.

To relate V_i to x_i requires a knowledge of g^E as a function of composition. There have been numerous attempts to achieve this which will be discussed in a later section.

2.4 The Equilibrium relationship.

Thus replacing the chemical potentials in equation (2.1) by the vapour and liquid phase models outlined previously the equilibrium relationship may be expressed as :

$$\mu_i^* + RT \ln V_i x_i = \mu_i^o + RT \ln f_i \quad (2.28)$$

(dropping all unnecessary labels, etc).

$$\text{or } V_i x_i \exp \left(\frac{\mu_i^* - \mu_i^o}{RT} \right) = f_i \quad (2.29)$$

A fugacity coefficient may be defined as :

$$\phi_i = f_i / P_i \quad (2.30)$$

where P_i is the partial pressure of i defined as :

$$P_i = y_i P \quad (2.31)$$

Therefore f_i may be replaced in equation (2.32) by :

$$\phi_i y_i P \quad (2.33)$$

and equation (2.29) becomes :

$$V_i x_i \exp \left(\frac{\mu_i^* - \mu_i^0}{RT} \right) = \phi_i y_i P \quad (2.34)$$

where $(\mu_i^* - \mu_i^0)$ is the difference in Gibbs function between the pure liquid i at P and T of the solution and the pure vapour i at the T of the solution and a fugacity of 1 atm.

To evaluate this quantity consider first the pure vapour i in equilibrium with the pure liquid i at the T of the solution and at a pressure P_{si} which is the saturated vapour pressure of i at T . Writing the equilibrium relationship for this as :

$$\mu_i^V = \mu_i^L \quad (2.35)$$

$$\begin{aligned} \text{or } \mu_i^* (T, P_{si}) + RT \ln V_i x_i \\ = \mu_i^0 + RT \ln f_{si} (P_{si}) \end{aligned} \quad (2.36)$$

Recalling that $V_i \rightarrow 1.0$ as $x_i \rightarrow 1.0$ gives :

$$\mu_i^* (T, P_{si}) = \mu_i^0 + RT \ln f_{si} (P_{si}) \quad (2.37)$$

and equation (2.36) thus becomes :

$$\begin{aligned} V_i x_i f_{si} (P_{si}) \exp \left(\frac{\mu_i^* (T, P) - \mu_i^* (T, P_{si})}{RT} \right) \\ = \phi_i \cdot y_i P \end{aligned} \quad (2.38)$$

To evaluate $\mu_i^* (T, P) - \mu_i^* (T, P_{si})$ the thermodynamic relation :

$$\left(\frac{\partial \mu_i^*}{\partial P} \right)_T = V_i^L \quad (2.39)$$

gives $\mu_1^* (T, P) - \mu_1^* (T, P_{si})$

$$x = \int_{P_{si}}^P V_1 L dP.$$

Substituting into equation (2.38) and replacing f_{si} (P_{si}) by ϕ_{si} (P_{si}) yields :

$$V_1 x_1 \phi_{si} (P_{si}) P_{si} \exp \left[\frac{1}{RT} \int_{P_{si}}^P V_1 L dP \right] = \phi_1 (p_1) y_1 P \quad (2.40)$$

where the subscripts denote the pressure at which the ϕ_1 's are calculated.

Equation (2.40) may be simplified if certain assumptions are made. For example if the vapour phase is assumed to be ideal in all respects then $\phi_1 = \phi_{si} = 1$ and the exponential term may be neglected and equation (2.40) may be written :

$$V_1 x_1 P_{si} = y_1 P \quad (2.41)$$

Further if the liquid solution is assumed to be ideal then $V_1 = 1.0$ and (2.41) reduces to Raoult's Law:

$$x_1 P_{si} = y_1 P \quad (2.42)$$

The various quantities may be evaluated as shown in chapter 3, but the use of the equilibrium relationship to predict multicomponent vapour liquid equilibrium often requires an expression for the relationship between the activity coefficient and liquid composition.

2.5 Gas phase models

As has been stated before, models of the real gas are of direct and indirect types. The direct models consist of an equation of state, often a modified version of the ideal gas law, while the indirect model replaces the pressure of the gas by a 'dummy property', the fugacity.

There have been many hundreds of equations of state produced since Van der Waals' modification of the ideal gas law. However no one equation of state is adequate to represent PVT data over the wide range of conditions which may be encountered but all the equations that have been used are based upon either the Van der Waals or the virial equation.

In 1873 Van der Waals proposed two modifications to the ideal gas law to allow for attractive and repulsive forces between the molecules in a gas. Thus he replaced V by $(V-b)$ where b is a constant allowing for the volume of the molecules, and increased the pressure term by an 'internal pressure' allowing for the attractive forces between molecules. This he suggested was proportional to the square of the density. The equation of state then becomes :

$$\left(P + \frac{n^2 a}{V^2} \right) (V-nb) = nRT \quad (2.43)$$

As might be expected this equation is good only at regions where the real gas is nearly ideal. For the regions where the real gas behaves as a dense fluid the equation becomes inadequate due to the assumption of a hard sphere model for the molecules. The equation however forms the basis of many other equations some of which are discussed later.

The virial equation however was initially proposed to fit PVT data empirically, but it has since been shown that it has a firm basis in statistical mechanics. This has shown exact relationships between the virial coefficients and the intermolecular potential describing

the forces between molecules. The equation is given by :

$$Z = \frac{PV}{RT} = 1 + \frac{B}{V} + \frac{C}{V^2} + \frac{D}{V^3} + \dots \quad (2.44)$$

where B, C and D are respectively the second, third and fourth virial coefficients and Z the compressibility factor. They are functions of temperature and composition, but not of pressure. Although considerable data are available on second virial coefficients, relatively little is known about the third and virtually nothing about fourth and higher virial coefficients so that a truncated form is normally used. This means that for practical purposes use of the virial equation is limited to the pressure range for which the equation, truncated after the third term provides an acceptable approximation. This generally means a pressure limit corresponding to a density nearly equal to the critical density.

An alternative form of the virial equation presents the expansion of Z as a power series in P.

$$Z = 1 + B^1P + C^1P^2 + D^1P^3 + \dots \quad (2.45)$$

Equation (2.45) is widely used in its truncated form :

$$Z = 1 + \frac{BP}{RT} \quad (2.46)$$

This form is a sufficiently good approximation at low pressures to have many useful engineering applications.

To obtain the parameters in the Van der Waals equation the equation must be fit to PVT data. The virial coefficients however can be deduced from several different correlations, all of the corresponding states types. One of the most useful of these is that of Pitzer and Curl (P4) which will be further discussed in Appendix A1.

The most successful development of the Van der Waals equation using only two adjustable constants is the equation of Redlich and Kwong (R9) given by :

$$P = \frac{RT}{V-b} - \frac{a}{T^{1/2}V(V+b)} \quad (2.47)$$

where a and b are constants related to the critical temperature, T_c and critical pressure P_c by :

$$a = \Omega \frac{aR^2T_c^{2.5}}{P_c} \quad \text{and} \quad b = \Omega \frac{bRT_c}{P_c} \quad (2.48)$$

where Ω_a and Ω_b are proportionality constants. This equation and modifications of it are quite powerful and can be used at pressures higher than those applicable to equation (2.44).

A large number of equations have forms which can be shown to be related to that of the virial equation. An example is the Benedict-Webb-Rubin (B6), (B7), (B8) equation which represents satisfactorily volumetric properties of non polar gases and liquids to densities about 1.8 times the critical. However use of this equation requires extensive experimental data to determine the constants and the main use of these types of equation is in the fitting and smoothing of experimental PVT data. For prediction purposes equations of the Redlich-Kwong type are of more use.

2.6 Liquid phase models.

There have been numerous models produced to relate the excess Gibbs free energy, g^E , to liquid phase composition but there have been two main lines of approach. Since

$$g^E = h^E - TS^E \quad (2.49)$$

the first approach is that of the theory of "regular solutions" in which it is assumed that $S^E = 0$ and the non ideality is entirely due to the excess enthalpy h^E . If however it is assumed that it is the entropy of mixing that is non-ideal so that $h^E = 0$ then the liquid mixture is regarded as "athermal".

Considering the theory of regular solutions, the most general expression has been derived by Wohl (W7) who expanded g^E as a power series as follows :

$$\frac{g^E}{2.303RT \sum q_i x_i} = \sum_{ij} Z_i Z_j a_{ij} + \sum_{ijk} Z_i Z_j Z_k a_{ijk} + \dots \quad (2.50)$$

If particular assumptions are made about the quantities q_i , Z_i then various well known expressions such as the Scatchard and Hamer (S7) Van Laar (V1) and Margules (M7) equations are obtained. For instance for a binary mixture, setting $q_1/q_2 = 1.0$ in the Wohl expansion and carrying out the differentiation indicated in equation (2.27), gives the 3 suffix Margules equations :

$$\ln V_1 = x_2^2 (A + 2x_1 (B-A)) \quad (2.51a)$$

$$\ln V_2 = x_1^2 (B + 2x_2 (A-B)) \quad (2.51b)$$

Similarly if $q_2/q_1 = A/B$ then the modified third order Van Laar equation of Carlson and Colburn (C2) is obtained i.e.

$$\ln V_1 = \left(\frac{A}{1 + \frac{A}{B} \frac{x_1}{x_2}} \right)^2 \quad \ln V_2 = \left(\frac{B}{1 + \frac{Bx_2}{Ax_1}} \right)^2 \quad (2.52)$$

These equations, and others based on the Wohl expansion are difficult to apply to multicomponent systems since the constants refer only to binary interactions between pairs of molecules.

If one of the equations is to be used in a ternary system then this requires the evaluation and use of a ternary constant which is difficult since ternary and higher ordered data are scarce. Another disadvantage is that these equations do not relate the activity coefficients to the effect of temperature or pressure so that the constants obtained during data reduction are functions of temperature and pressure. Although the effects of pressure are small on the liquid phase at conditions remote from the critical or at low pressures the same cannot be said of temperature effects and the above quantities are thus restricted in their applicability. However their simplicity and the fact they have been found to apply to quite a variety of

mixtures has led to considerable usage. Further the constants can be estimated from a single pair of infinite dilution activity coefficients.

Another approach based on regular solution theory overcomes the disadvantage of higher order constants in multicomponent mixtures. This requires only one constant per component known as the Hildebrand solubility parameter (H_{10}). This parameter is related to the energy required to take a model from the ideal gas state to the liquid state. The equation is written :

$$\ln V_i = \frac{V_i (\delta_i - \bar{\delta})^2}{RT} \quad (2.53)$$

where δ_i is the solubility parameter given by $\sqrt{\Delta E_i/V_i}$ and E_i is the energy required to vaporise one mole of i to infinite volume and $\bar{\delta}$ is the volume average solubility parameter for the liquid mixture and is given by $\bar{\delta} = \sum z_i \delta_i$ where $z_i = V_i x_i / \sum x_i V_i$. This assumes no volume change in mixing. Apart from the multicomponent advantage and the fact that the parameter may be deduced from pure component properties, this model has no advantage over the other methods based on the same assumptions such as the Van Laar equations, and only

holds at all well for non polar compounds of similar size.

Other equations which have been used based on the same ideas have been reported by Black (B10) who presented a modified version of the Van Laar equations and Abbott and Van Ness (A1) who describe the use of four- and five- suffix Margules equations.

A further method of representing g^E as a function of composition has been proposed by Redlich and Kister (R5) and consists of a series expansion in compositions and does not depend on assumptions as to whether the solution is regular or athermal and is therefore very general and as such widely used. The expansion is :

$$g^E = x_1 x_2 (A + B (x_1 - x_2) + C(x_1 - x_2)^2 + D(x_1 - x_2)^3 + \dots) \quad (2.54)$$

The constants A, B, C and D are all temperature dependent and determined from experimental data and the expression can be shown to be equivalent to the Margules equations.

Klaus and Van Ness (K7) have pointed out that g^E

as a function of composition is well represented by orthogonal functions.

If the following equations for γ_1 and γ_2 i.e.

$$\ln \gamma_1 = \frac{g^E}{RT} + x_2 \left(\frac{d(g^E/RT)}{dx_1} \right) - \frac{x_2}{RT} \left(v \left(\frac{dP}{dx_1} \right) - \sum_{i=1}^2 x_i V_i^0 \left(\frac{dP_i^0}{dx_1} \right) + \frac{x_2 h^E}{RT^2} \left(\frac{dT}{dx_1} \right) \right) \quad (2.55)$$

$$\text{and } \ln \gamma_2 = \frac{g^E}{RT} - x_1 \left(\frac{d(g^E/RT)}{dx_1} \right) + \frac{x_1}{RT} \left(v \left(\frac{dP}{dx_1} \right) - \sum_{i=1}^2 x_i V_i^0 \left(\frac{dP_i^0}{dx_1} \right) - \frac{h^E x_1}{RT^2} \left(\frac{dT}{dx_1} \right) \right) \quad (2.56)$$

are substituted into the equilibrium relationship :

$$P = \frac{x_1 V_1 f_1^0}{\phi_1} + \frac{x_2 V_2 f_2^0}{\phi_2} \quad (2.57)$$

then a differential equation in g^E results.

Christiansen and Fredenslund (C8) have used the method of orthogonal collocation to solve this

differential equation. The unknown function is approximated by an orthogonal polynomial and values of g^E are determined by successive approximations at selected points, these points being the zeroes of a Jacobi polynomial. The collocation abscissas were chosen to be the roots of Legendre polynomials. This method has given good results for high pressure vapour liquid equilibria.

As an alternative to the preceding models is the approach which assumes that the excess enthalpy of mixing, h^E , is zero. The original athermal solution model is due to Flory (F2), (F3) and Huggins (H20) and (H21) who proposed the following expression to deal with polymer solutions :

$$g^E = \sum x_i \ln \frac{z_i}{x_i} \quad \text{where } z_i = \frac{x_i V_i}{\sum_i x_i V_i} \quad (2.58)$$

which assumes that $v_i = \bar{V}_i$ which implies no volume change on mixing. They introduced the concept of local mole fraction, x_{12} which is related to overall mole fraction by :

$$\frac{x_{12}}{x_{11}} = \frac{x_2 \exp(-g_{12}/RT)}{x_1 \exp(-g_{11}/RT)} \quad (2.59)$$

where the terms $\exp(-g_{12}/RT)$ are Boltzmann factors and g_{11} and g_{12} are proportional to the 1-1 and 1-2 interaction energies. A similar relation holds for x_{21} . Wilson (W5) modified the expression z_1 to local volume fraction based on the same idea and substituted this into the Flory-Huggins expression for g^E . Differentiating this expression he produced the following model for the activity coefficients in a multicomponent mixture :

$$\ln \gamma_k = \ln \left(\sum_j x_j \Lambda_{kj} \right) + 1 - \sum_i \frac{x_i \Lambda_{ik}}{\sum_j x_j \Lambda_{ij}} \quad (2.60)$$

As can be seen only binary parameters are needed for multicomponent mixtures and the Wilson equation has been shown to be sufficient for a wide range of mixtures. There is one important exception and that is the mixtures which exhibit partial immiscibility, which makes it in this respect inferior to the Van Laar equation.

Wilson (W5) tried to overcome this by the introduction of a third parameter, c . However, unless the binary constants c_{ij} are the same for all binary c_{ij} pairs the equations cannot be generalised to multicomponent mixtures. Another advantage of the Wilson parameters defined by :

$$\Lambda_{12} = \frac{v_2}{v_1} \exp \left(- \frac{(\lambda_{12} - \lambda_{11})}{RT} \right) \quad (2.61a)$$

$$\text{and } \Lambda_{21} = \frac{v_1}{v_2} \exp \left(- \frac{(\lambda_{21} - \lambda_{22})}{RT} \right) \quad (2.61b)$$

where $(\lambda_{12} - \lambda_{11})$ and $(\lambda_{21} - \lambda_{22})$ are the adjustable parameters, is that they have been shown to be only weakly temperature dependent (02), (C14) and can thus be extrapolated across a wider temperature range than equations such as the Margules.

In an attempt to overcome these deficiencies Renon and Prausnitz (R12) have combined this approach with Scott's two-liquid theory to give the NRTL equation, which gives for the activity coefficient for a component, i :

$$\ln \gamma_i = \sum_j \frac{\tau_{ji} G_{ji} x_j}{\sum_i G_{ij} x_i} + \sum_{j=1}^m \frac{x_j G_{ij}}{\sum_{i=1}^m G_{ij} x_i} \quad (2.62a)$$

$$\left[\tau_{ij} = \frac{\sum_{r=1}^m x_r \tau_{rj} G_{rj}}{\sum_{i=1}^m G_{ij} x_i} \right]$$

$$\text{where } \tau_{ij} = \frac{g_{ij} - g_{ii}}{RT} \quad (2.62b)$$

$$\text{and } G_{ij} = \exp(-\alpha_{ij}) \quad (2.62c)$$

$(g_{ij}-g_{ii})$ are adjustable parameters, 2 per binary while α is a third parameter chosen according to mixture type from rules presented by Renon and Prausnitz or fitted as a third parameter to experimental data. This equation is not restricted in application to miscible systems only. However the parameters are highly temperature dependent and for successful extrapolation usually require additional parameters of the form (A6).

$$g_{21} - g_{11} = c_1 + D_1 (T-273.15) \quad (2.63a)$$

$$g_{12} - g_{22} = c_2 + D_2 (T-273.15) \quad (2.63b)$$

$$\alpha_{12} = \alpha_{21} = \alpha^0 + \alpha^T (T-273.15) \quad (2.63c)$$

in which a linear relation with temperature is assumed. However in this form the NRTL equation has been used successfully to correlate excess enthalpy as well as excess free energy data.

A drawback arises however in that selection of a value for α is not entirely straightforward. Once again only binary parameters are required for multicomponent prediction or correlation.

A nine parameter NRTL equation has also been successfully used (N1) in which a quadratic temperature

dependence of the parameters is assumed.

Bruin and Prausnitz (B18) modified the NRTL equation by introducing local volume fractions in place of local mole fractions. They found however that this offered no significant improvement except for aqueous systems or systems where the molar volumes of the components differed strongly. By introducing a physically reasonable approximation they were able to reduce the number of adjustable parameters from two to one. Compared with two parameter equations there is a certain loss of accuracy in fitting, but in many cases this is small. Mixtures with strong association and solution effects such as alcohols-alkanes, alcohols-carbon tetra-chloride and alcohols-chloroform are notable exceptions. However while the fit is not as good as that obtained with the original 2 parameter NRTL equation, it is still superior to the Van Laar equation with two adjustable parameters.

However the problem of choosing a value for Δ still remains. Marina and Tassios (M8) (M9) eliminated the ambiguity by replacing Δ by -1. They called it the local effective mole fraction (LEMF) equation. The LEMF and NRTL equations yielded the same accuracy in

correlating binary activity coefficients for 55 systems and, in predicting ternary vapour liquid equilibria from binary data was at least as good as the NRTL with the value of α set according to the rules of Renon and Prausnitz. For prediction of ternary liquid-liquid equilibrium for systems containing one partially miscible binary, the LEMF equation gives better results than the NRTL equation (M9).

Tassios (T7) has also proposed a modification to the Wilson equation to make it a single parameter expression. This involved using the molar-energy of vapourization to characterize the like pair interactions λ_{ii} leaving λ_{ij} as the sole adjustable parameter for the binary pair.

Other examples of two parameter equations based on the local composition concept are the Orye equation (O3), which was derived by introducing local volume fractions in the entropic and enthalpic parts of the Flory-Huggins equation and the enthalpic Wilson equation developed by Bruin based on a quasi-lattice model of a multicomponent solution developed by Guggenheim. These two equations are applicable to systems showing limited miscibility and have a built in temperature dependence of the

activity coefficients. Although these two equations are superior to the Van Laar equation and to the Wilson equation in systems near to phase separation or showing phase separation, they are not as good as the Wilson model in normal circumstances.

Palmer and Smith (P2) presented a new local composition equation based on the two-liquid theory of Scott. They used entropic weighting function in their equation but Nagata (N3) has shown that it is inferior to the Wilson equation in vapour-liquid equilibrium data reduction for completely miscible systems.

McCann (M12) extended the approach of Bruin based on Guggenheim's quasi-lattice model to derive a three parameter equation using the same two adjustable parameters as the Wilson equation plus a further parameter K . By setting $K=0$ the Wilson equation results and $K=1$ gives the Orye equation. The enthalpic Wilson equation can also be deduced from it. This equation is applicable to systems showing partial miscibility although it appears to offer no significant advantage over the Wilson and NRTL equations. By considering the results obtained during data reduction McCann suggests that

a value of $K=0.1$ be assigned and used it during all his subsequent work.

Abrams and Prausnitz (A2), generalized Guggenheim's quasi-chemical analysis through introduction of the local area fraction as the primary concentration variable. The effects of molecular size and shape are introduced through fixed parameters determined from tables in Bondi (B13). The resulting universal quasi-chemical (UNIQUAC) equation contains no more than two adjustable parameters per binary and it is applicable to a wide range of mixtures. Extension to multi-component mixtures requires no higher parameters. In experimental vapour-liquid equilibrium data reduction for 220 binary systems the goodness of fit is about the same for the UNIQUAC equation, the NRTL equation and the Wilson equation. Further when binary parameters alone are used to predict ternary vapour-liquid equilibria, all three equations are essentially similar in prediction accuracy. While the UNIQUAC equation provides no major improvement over the Wilson equation for vapour-liquid equilibria in completely miscible systems it can also represent liquid-liquid equilibrium for multicomponent mixtures.

Binary systems in which solvation or association

effects are present are usually difficult to represent with the previously discussed models. There have been a variety of special models proposed to deal with these effects such as that of Wiehe and Bagley (W4) and Kretschmer-Wiebe (K10). Most of these approaches have been developed to correlate data for systems containing alcohols but a different treatment originating with Marek and Standart (M6) is further developed in chapter 5 to deal with association in solutions containing acetic acid.

3. The Determination and Calculation of Vapour Liquid Equilibrium data.

3.1 INTRODUCTION.

Since the early work of Zawidski (21) on positive and negative deviations from Raoults Law, there have been numerous attempts to develop experimental techniques that will yield thermodynamically consistent vapour-liquid equilibrium data. The magnitude of the task may be judged from the variety of types of apparatus that have been described in the literature and at present no still has been constructed that is capable of yielding completely consistent data for all types of systems which may need to be determined.

There have been a number of different methods proposed whereby equilibrium data may be determined and these can be broadly classified into the following groups :

1. Differential distillation methods.
2. Circulation methods.
3. Flow methods.
4. Static methods.
5. Other methods.
6. Total pressure methods.

Early work on these approaches has been extensively reviewed by Hala et al (H2) while Jenkins (J4) in 1963 critically surveyed techniques within these groups at that period. In consequence only a brief discussion of the principles and associated problems of each method will be attempted in relation to early work in this field and instead detailed consideration will be confined to the advances of the last few years.

3.2 Distillation method.

As the name implies this method involves merely placing a large charge in a boiling flask and removing liquid and vapour samples at equilibrium and determining their composition. Though the oldest and simplest of methods there are a large number of possible sources of serious error, not the least of which is the fact that removing the liquid and vapour samples alters the composition. This is partly overcome by using a large charge which can be a disadvantage in itself.

There are few techniques based on this approach nowadays although Ramalho et al (R4) have proposed a similar technique in which a simple distillation is performed with the continuous determination of the vapour or liquid composition, the other composition being deduced from the material balance.

3.3 Circulation methods.

These methods are the most widely used and there has been a wide variety of designs embodying the principles of this method. They are best used for low and medium pressure work, for at higher pressures, control of the system becomes a problem since liquid becomes entrained in the recirculating vapour and flash evaporation of the condensate, as it returns to the reboiler, occurs. This is because as the pressure rises the vapour phase pressure approaches the partial pressure and the enthalpy of vapourization is reduced.

The common principle of operation is as follows. Vapour from a boiling mixture passes to a condenser where it is totally condensed and returned through a condensate receiver and a non-return device (usually a weir or a cock) to the boiling vessel. It has been shown by Hala (H2) and Erdos (E3) that when steady state has been reached the system is at equilibrium, providing superheating and partial condensation do not occur.

The types of circulation still that have been constructed fall into two classes.

1. Stills with vapour phase circulation only.
2. Stills with circulation of both liquid and vapour phases.

The first equilibrium still which functioned satisfactorily was constructed by Othmer (04). The original design contained a number of weaknesses and there have been a number of modifications by Othmer himself (06) (07) and others (B20). These types are still commonly used and, for reduced pressures a Jones (J9) (A4) or modified Jones still (T8) gives reliable results even down to 0.5 mm Hg. They are also useful if the constituent components of the system under investigation differ greatly in density, conventional circulation stills often giving poor results under these conditions.

The main advantage of these stills is the excellent mixing and intimate contact of vapour bubbles with the surrounding liquid in the equilibrium chamber. However, these are counterbalanced by difficulty in measuring the boiling temperature and maintaining adiabatic operation of the equilibrium chamber. Furthermore uneven heating of the equilibrium chamber may produce vertical temperature gradients.

The need to improve temperature measurements has led to the proposal of a number of stills incorporating both liquid and vapour circulation. The main feature of these versions such as proposed by Gillespie (G5) and his subsequent modifications (B17) (F1) (M15) is the incorporation of a Cottrell pump which permits very precise temperature measurement. The mixing and vapour-liquid contact characteristics are however, not as satisfactory as stills with vapour phase recirculation only and partial condensation of the vapour may occur particularly in the region of the thermocouple. Other stills based on this principle have been proposed by Otsuki and Williams (O9) and Dvořák and Boublik (D10). The majority of these types of stills require a charge of the order of $250-750 \text{ cm}^3$ though there are versions (E2) that require as little as 30 cm^3 .

The most advanced circulation still is probably that of Raal, Code and Best (R1). The layout of the still is illustrated in fig. 1 and attempts to combine the good mixing characteristics of the vapour phase only circulation stills with a novel adaptation of the Cottrell pump. Liquid is heated in the lower portion of B by the main heater and vapour bubbles are formed in such a way that the small annular space between A and B acts as a Cottrell pump, propelling a mixture of

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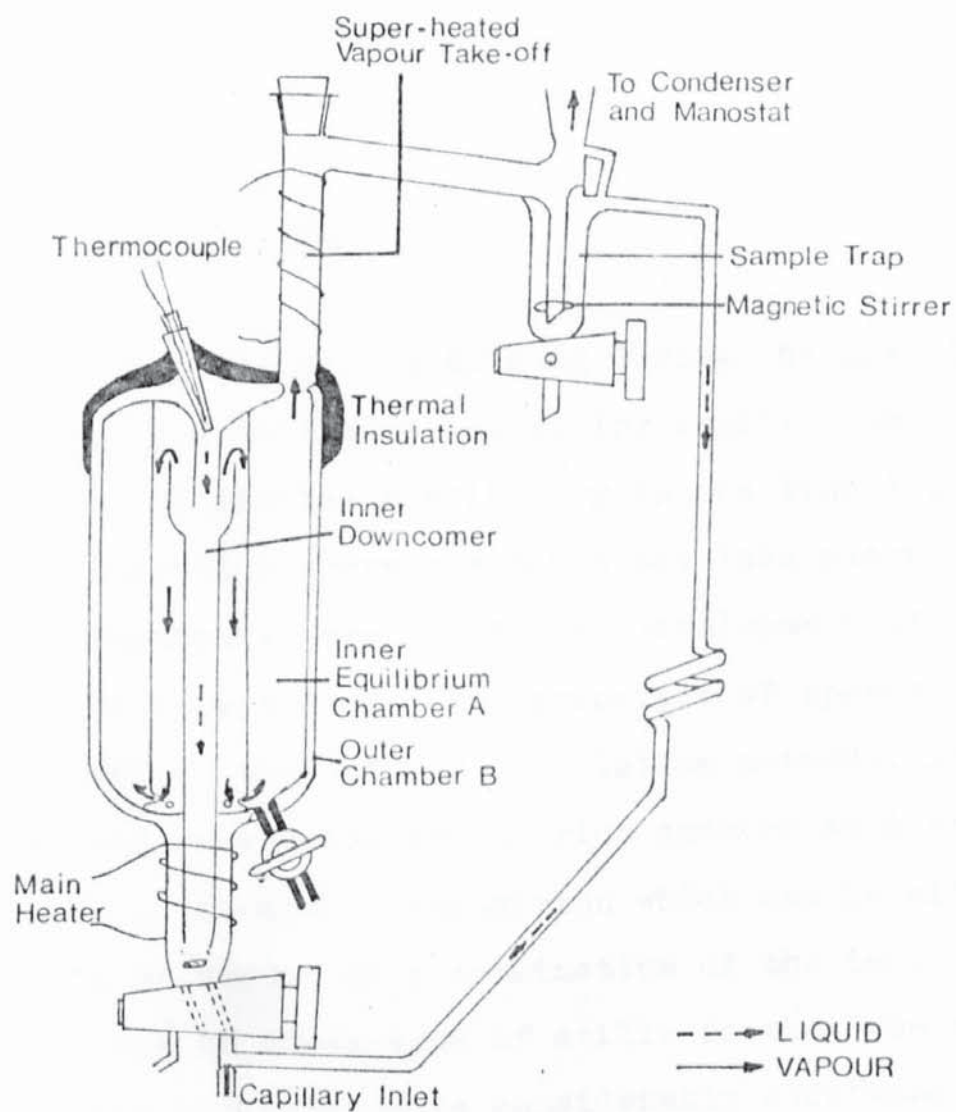


Figure 1

Equilibrium Still of Raal, Code & Best

vapour and liquid onto the jacketed thermocouple while maintaining the inner chamber at the temperature of the boiling liquid.

3.4 Flow methods.

The difficulties arising during the use of circulation stills for measuring equilibrium data in systems of limited miscibility in the liquid phase, and in systems where reactions may take place between the components have led to the development of the dynamic flow method. The principle of operation, in contrast to that of the circulation methods, is that the feed enters the equilibrium chamber as a steady stream of constant composition which can be either liquid or vapour or a combination of the two. A major advantage of these type of stills is that the time taken to reach equilibrium is considerably shortened but good results depend to a very large extent on the proper functioning and control of the feed equipment for the superheated vapour and preheated liquid.

The first modern still employing this method was due to Colburn (C12). The feed consisted entirely of vapour of given composition prepared by mixing the vapours of the individual pure constituents which are vapourised in separate boiling vessels. In contrast the flow still proposed by Cathala (C3) (C4) employed

two separate feeds. One is the superheated vapour, the second is preheated liquid. The superheated vapour is fed from below to the mixing chamber which contains two sintered glass discs to promote good mixing between the two phases. The preheated liquid feed enters between the two plates and the combined vapour/liquid mixture passes up into the equilibrium chamber where it impinges on to a thermometer well. The suitability of this still for reactive and heat sensitive mixtures arises from the low residence time in the reboiler. Mamers (M4) modified the original still for his work on the acetic acid-acetic anhydride-water system, Davies, Jenkins and Jeffreys (D3) also used this version for their work on the quaternary system ethanol-n-butanol-n-butyl acetate-ethyl acetate.

Vilim, Hala, Pick and Fried (V7) have described a simpler still based on the same principle. In their version the feed is partially vapourised in a heated tube and the liquid vapour mixture impinges on to a thermometer well. The vapour and liquid are then separated, condensed, cooled and analysed.

Though flow stills have the disadvantage of requiring large amounts of feed the rapidity with which data may be acquired makes their use attractive even for non-reactive systems.

3.5 Static methods.

In this method the solution is charged into a closed and evacuated vessel, which is placed into a constant temperature bath. The vessel with its contents is agitated until equilibrium between the phases is reached. The pressure is measured and samples of the liquid and vapour phases withdrawn and analysed. Although simple in principle the method is often quite difficult in practice, requiring careful degassing of the components. Also removing the gas sample for analysis can cause great difficulties. Gas chromatography is normally used since the vapour phase sample must be kept small.

Wichterle and Hala (W3) have developed a method based on this principle using small quantities and having a very small vapour sample which although rapid in operation does not yield results of comparable accuracy to the classical methods. Wichterle and Boublikova (W2) later produced a rapid technique suitable for the direct measurement of the dependence of partial pressures on concentration. This was achieved by not waiting for equilibrium to be reached between the two phases since the ratio of concentrations of the two components in the gaseous phase is invariant with time.

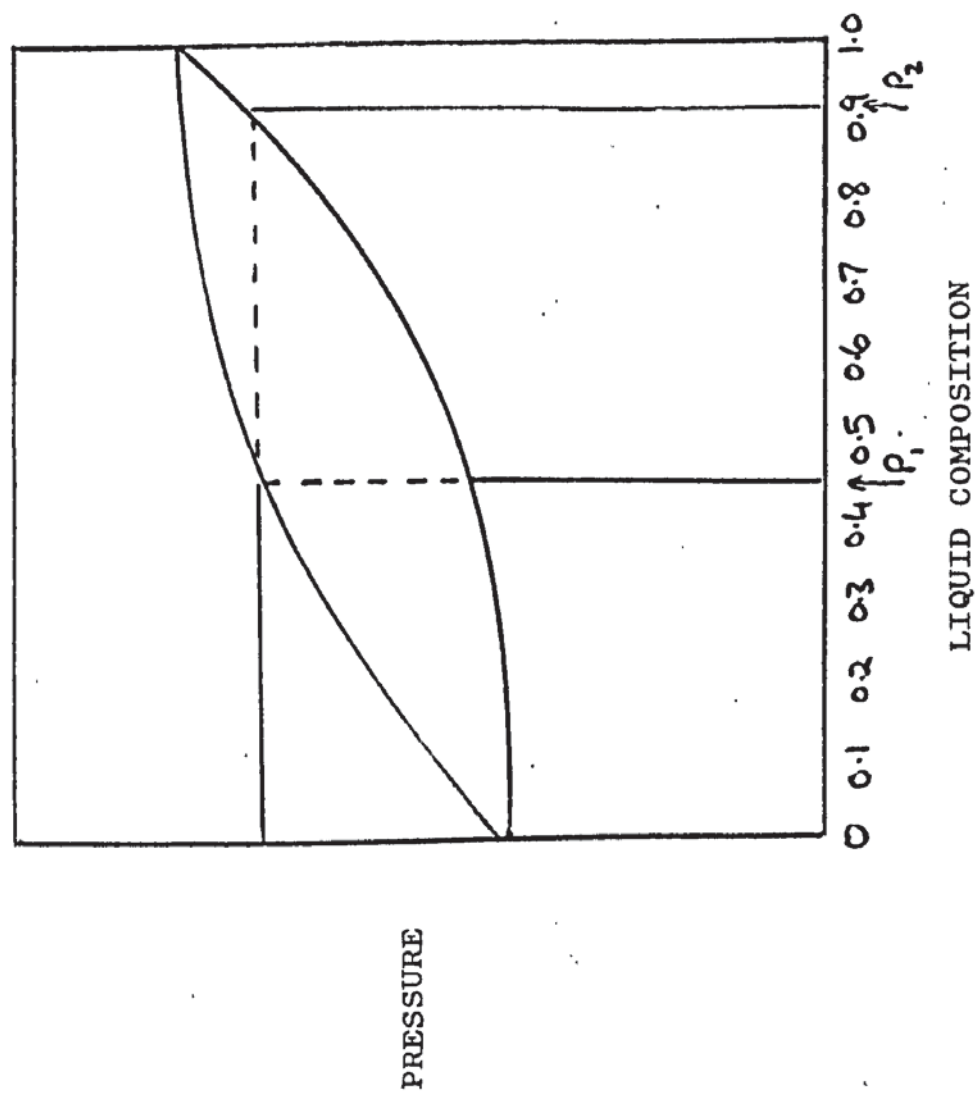
This implies that the rates of vaporisation of components (which do not differ sizeably) are approximately equal, a fact which has been verified experimentally. Difficulties arise with this method however, especially in eradicating condensation in the sampling circuit which is at the same temperature as the equilibrium cell.

Maffido and Vidal (M2) have improved this technique by reducing the risk of condensation, as long as the equilibrium temperature at which equilibrium is achieved is lower than the ambient temperature.

3.6 Other methods.

The dew point and bubble point technique is an indirect static method. The dew point is the condition whereat a small amount of liquid is in equilibrium with the vapour while at the bubble point an infinitely small amount of vapour is in equilibrium with the liquid. If the dew point and bubble point curves can be constructed as shown in fig. 2 then lines drawn at constant pressure P will cut them and the intersections will give the composition of liquid and vapour in equilibrium at P .

FIG. 2 DEW POINT AND BUBBLE POINT CURVES



Kojima et al (K8) designed a novel apparatus in which however, it was necessary to analyse the sample. It was also difficult to measure the dew point at the precise composition desired and the bubble points needed determination by separate methods.

Ebulliometers to measure isobaric bubble points have been proposed by several workers (M7) (C13) (S19) but dew points must be determined separately.

To enable measurement of isobaric dew and bubble points Kato, Konishi and Hirata (K2) initially proposed a flow type apparatus. This has proved difficult to operate at the accurate composition desired and this led them to design the new apparatus shown in fig 3. The principal components are a dew point still, D, a bubble point still, B, and a feeder F. The vapour from D does not return to that still but enters after condensation. The internal construction of both stills is almost similar to that of the flow type of ebulliometer. The boiling vapour-liquid mixture rises through the Cottrell lift and flushes to the thermometer well and the liquid flows from B to D through the connecting capillary tube C. The procedure of operation is as follows. A prepared solution is charged from

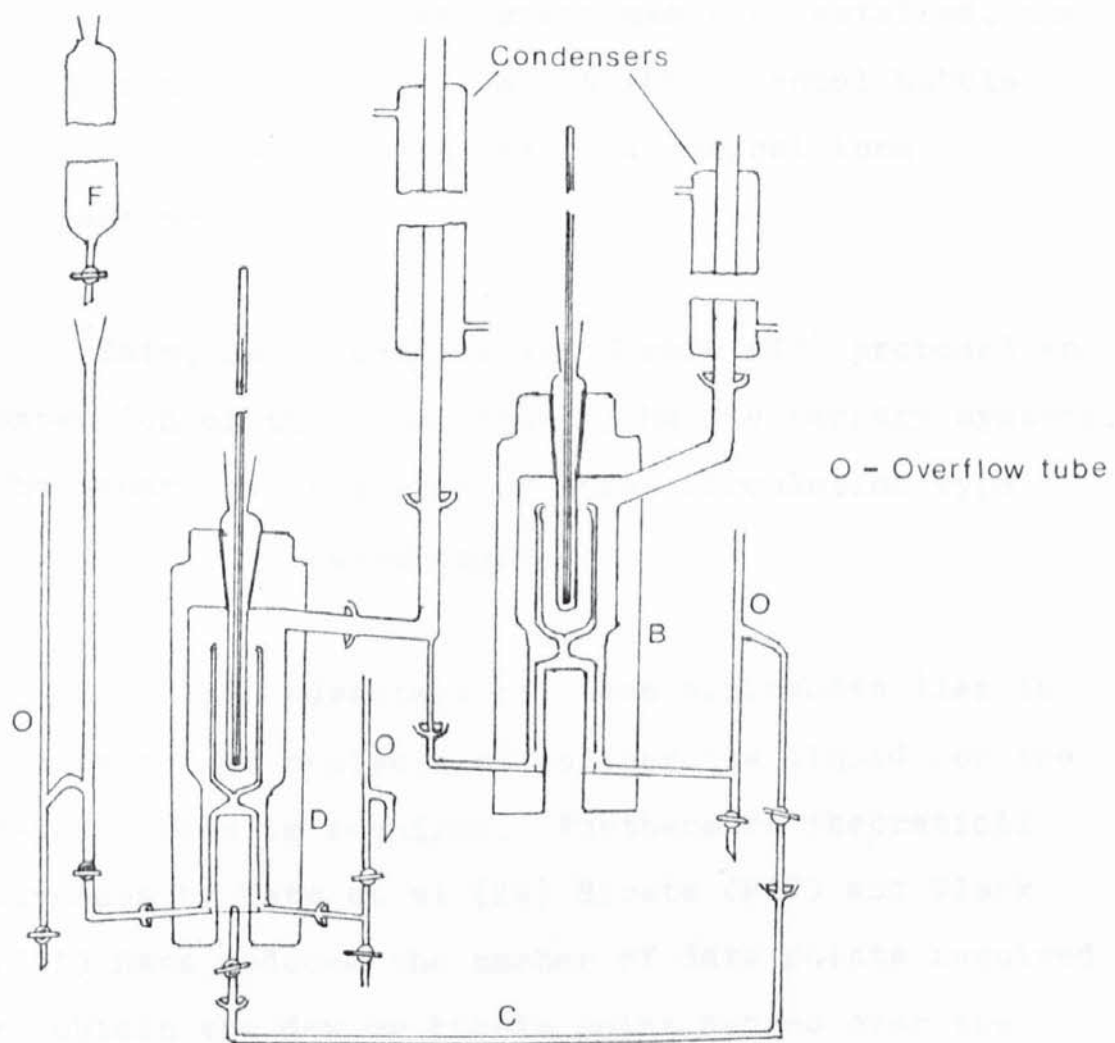


Figure 3
Apparatus of Kato, Konishi & Hirata

feeder F, and the liquid is boiled in the dew point still D, and the bubble point still, B. It can be shown that, when steady state has been attained, the temperature in stills B and D should equal bubble point and dew point at the feed compositions respectively.

Kato, Sato, Konishi and Hirata (K3) proposed an extension of this technique to handle ternary systems. The apparatus consisted of three circulation type stills for the measurements.

The main advantage of these approaches lies in the fact that analysis of neither the liquid nor the vapour phase is required. Furthermore theoretical advances by Kato et al (K4) Hirata (H12) and Clark (C11) have reduced the number of data points required to obtain the dew or bubble point curves over the whole composition range to four.

An approach useful at very low concentrations of one component has been described by Dalager (D1). This method is based on the use of radioactive traces as the component in low concentration is added partly in an isotopic form. He used a modified Thornton (T10) equilibrium still and determined data for the

systems methanol-water and ethanol-water.

3.7 Total pressure methods.

The disadvantage of the earlier methods described has led to the increasing popularity of total pressure techniques. These normally involve the direct determination in a static cell of the temperature, total pressure and composition of the liquid phase, while the vapour phase is determined by calculation. Mackay and Salvador (M1) have made a comparison of the accuracy of vapour-liquid equilibrium data obtained from vapour compositions, measured directly and computed from vapour pressure data. They assumed standard errors in x , y , P and T measurements and compared the inaccuracies with the computed y method.

They concluded that in general computed vapour compositions are more accurate than measured ones except in azeotropic regions.

Methods for computing vapour compositions will be discussed later but experimentally two forms of apparatus have been used. One is a static method using

a form of isoteniscope while the other is a circulation still technique using an ebulliometer.

In the first case Holtzlander and Riggle (H17) and Rose and Williams (R15) both used a modified form of the Smith-Menzies isoteniscope. The liquid phase compositions were determined by chemical analysis. Ljunglin and Van Ness (L12) employed a glass cell which was almost completely filled with liquid. The pressure was measured by means of a miniature transducer which allowed the cell to be light and portable. The liquid composition was determined by successive weighings. The composition of the liquid was not significantly affected by vapourisation as the vapour phase was small. In this way analysis of the phases was avoided.

Hermesen and Prausnitz (H8) used the apparatus shown in fig. 4. This consisted of two identical isoteniscope assemblies each consisting of a metallic vapour pressure cell, sampling bulb and null manometer. The composition of the liquid phase was determined by withdrawing samples with a hypodermic syringe and analysing by refractive index measurement. This method has also been employed by Jose, Phillipe and Clechet (J10) who modified the equipment to enable the temperature to be controlled to within 0.001°C and improved the degassing procedure.

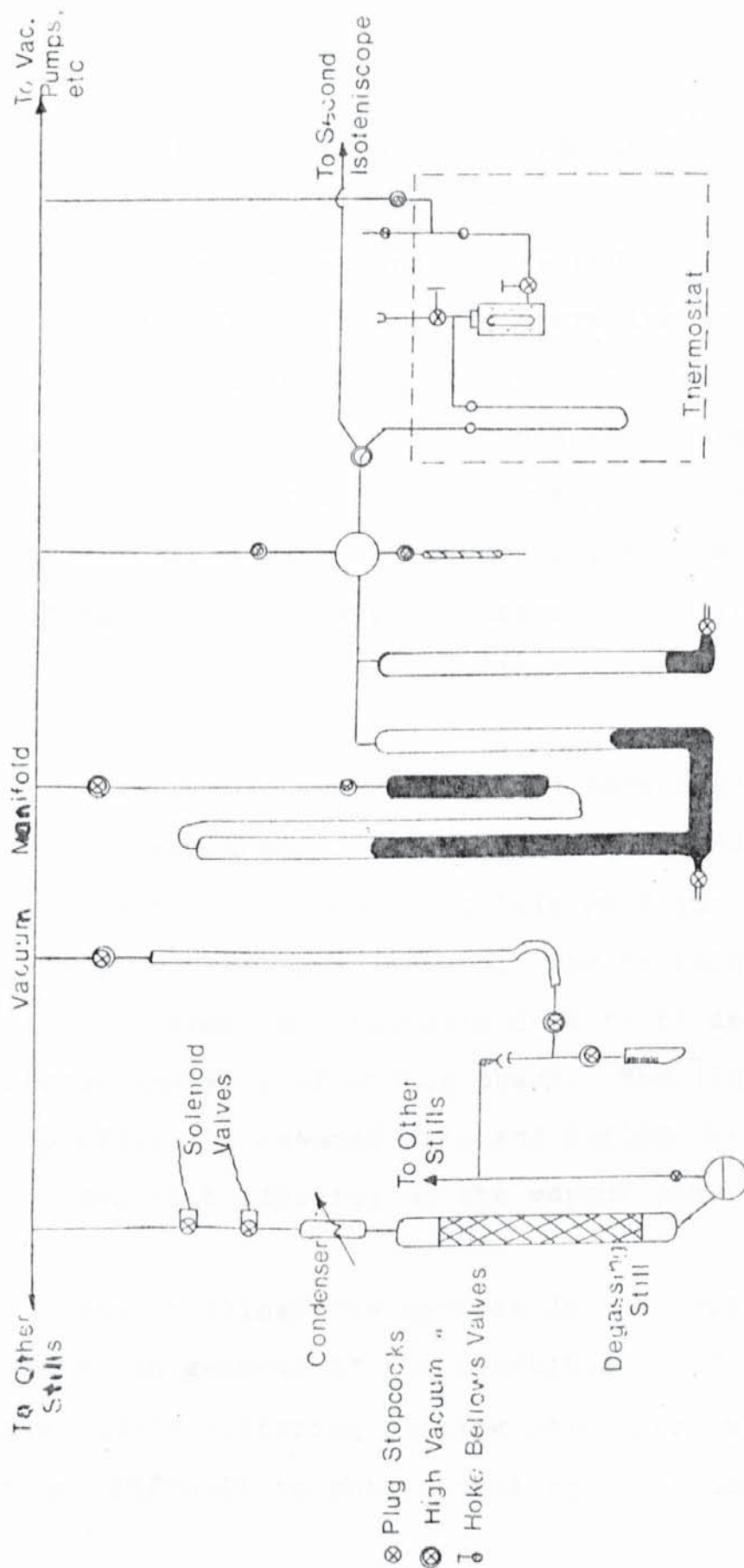


Figure 4
Total Pressure Apparatus of Herrisen & Prausnitz

The ebulliometric method was initially developed by Swietoslawski (S18). Versions of this method have been used by Redlich and Kister (R7) and Prengle and Palm (P9). The principle of operation is effectively that of the circulating still where the condensed vapour is returned to the liquid phase and where the main concern is the precise measurement of the boiling point of the liquid. The vapour pressure is measured by comparison with a pure component boiling at the same temperature in an identical unit.

Jakubrowsky and Norman (J1) have described a total pressure still based on the modified Swietoslawski ebulliometer of Prengle and Palm with the condensate hold-up reduced to a minimum. The technique enables both isothermal and isobaric data to be determined without analysis of either phase. The liquid composition is assumed constant during operation together with ideality of the vapour phase.

The ebulliometric methods do not produce reliable results in general if the constituents of the mixture have widely differing boiling points, probably because it is difficult to obtain real equilibrium.

Gibbs and Van Ness (G4) have described a novel

apparatus based on the principles of the static method. The layout of the apparatus is shown in fig. 5. Liquid solutions of known composition are prepared in a test cell by volumetric metering of degassed liquids from accurate piston injectors. The test cell is immersed in a constant temperature bath and the pressure in the cell determined by a Bourdon gauge when equilibrium has been reached. Using this apparatus it is possible to obtain isothermal data over the whole composition range in one day. The vapour phase composition is deduced from solution of the coexistence equation as described by Van Ness (V5).

Jenkins and Smith (S11) (J11) have developed a similar method. An equilibrium cell of approximately 100 mls capacity is constructed so that a known quantity of A is introduced into it with B being added in successive amounts. The cell is of known volume and the volume of the liquid phase is accurately measured after each addition. The cell is immersed in a constant temperature water bath controlled to 0.001°C , the temperature measurements being made by a platinum resistance thermometer. After allowing the cell to come to equilibrium the pressure is measured and the addition of components continued. High precision pressure

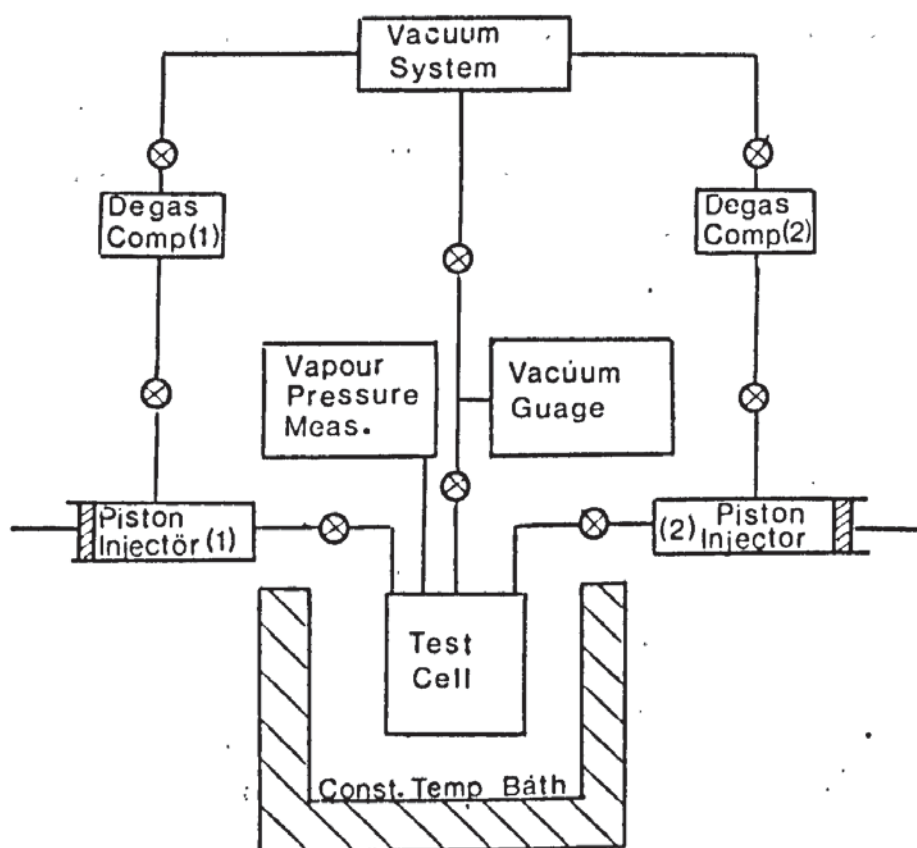


Figure 5
Schematic Diagram of Equipment of Gibbs & Van Ness

measurement and control are required. This has led to the construction of two alternative rigs. The main method achieves the required pressure measurement and control by means of a metallic diaphragm whose position is detected by a transducer. The diaphragm is positioned across the top of the equilibrium cell giving a definite volume to the cell. The diaphragm and transducer are used as null detectors, a high precision bourdon gauge measuring an equalising pressure supplied to the top of the diaphragm. The voltage output from the transducer, zero at rest is used to drive a pressure control system. The layout of this system is shown in fig. 6.

The second approach is illustrated in fig. 7. The equilibrium cell, A, and water burette are arranged to function as a U-tube manometer. A reference bulb, C, containing pure water at the same temperature as the equilibrium cell is connected to the burette in order that the pressure above the burette water is accurately known. The cell pressure is this vapour pressure plus the head difference reflected by the two levels in the burette and cell. The connection between the cell and burette is a fine capillary tube, preventing back mixing or diffusion of the cell mixture into the burette.

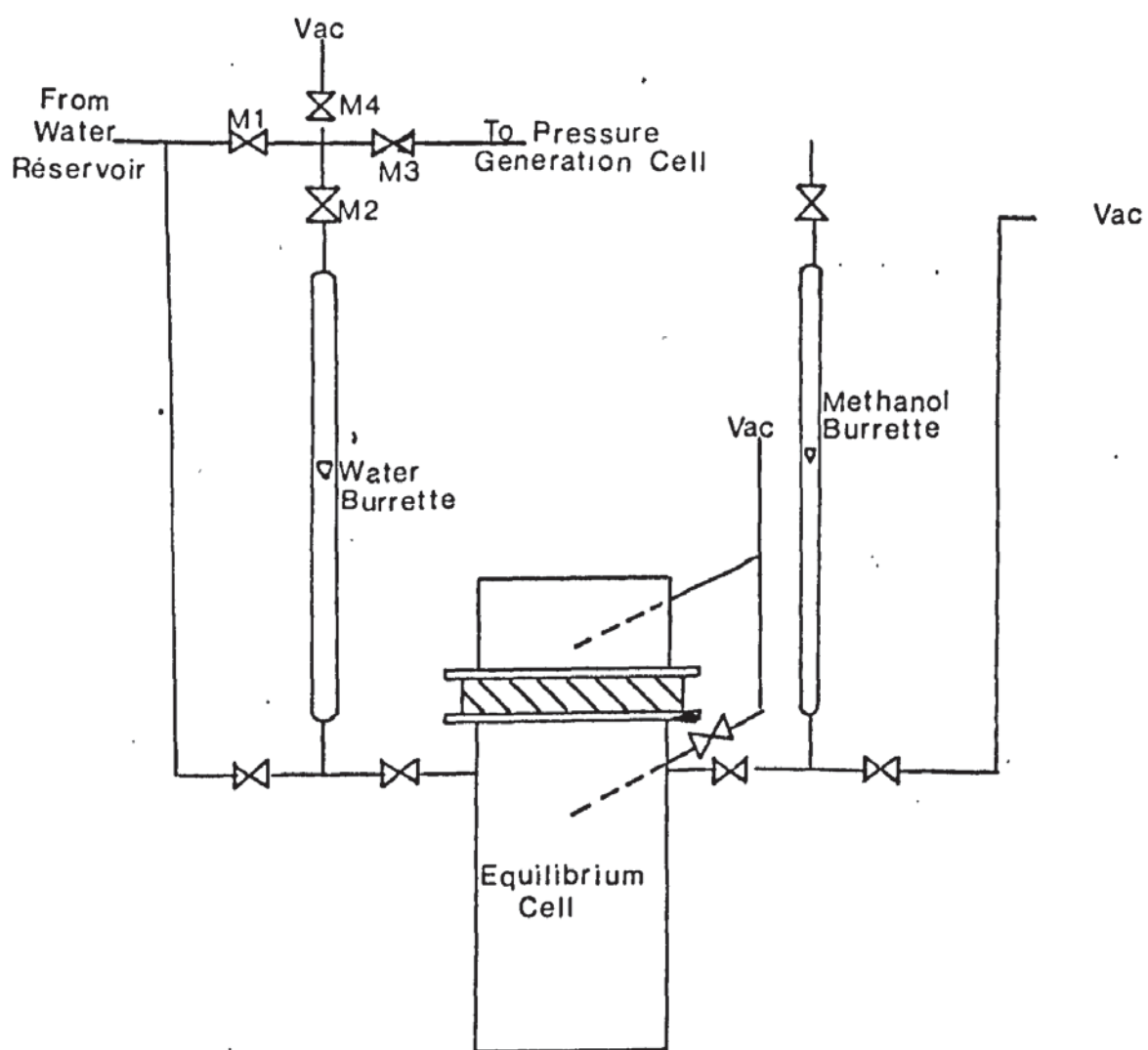


Figure 6

TOTAL PRESSURE APPARATUS OF JENKINS AND SMITH

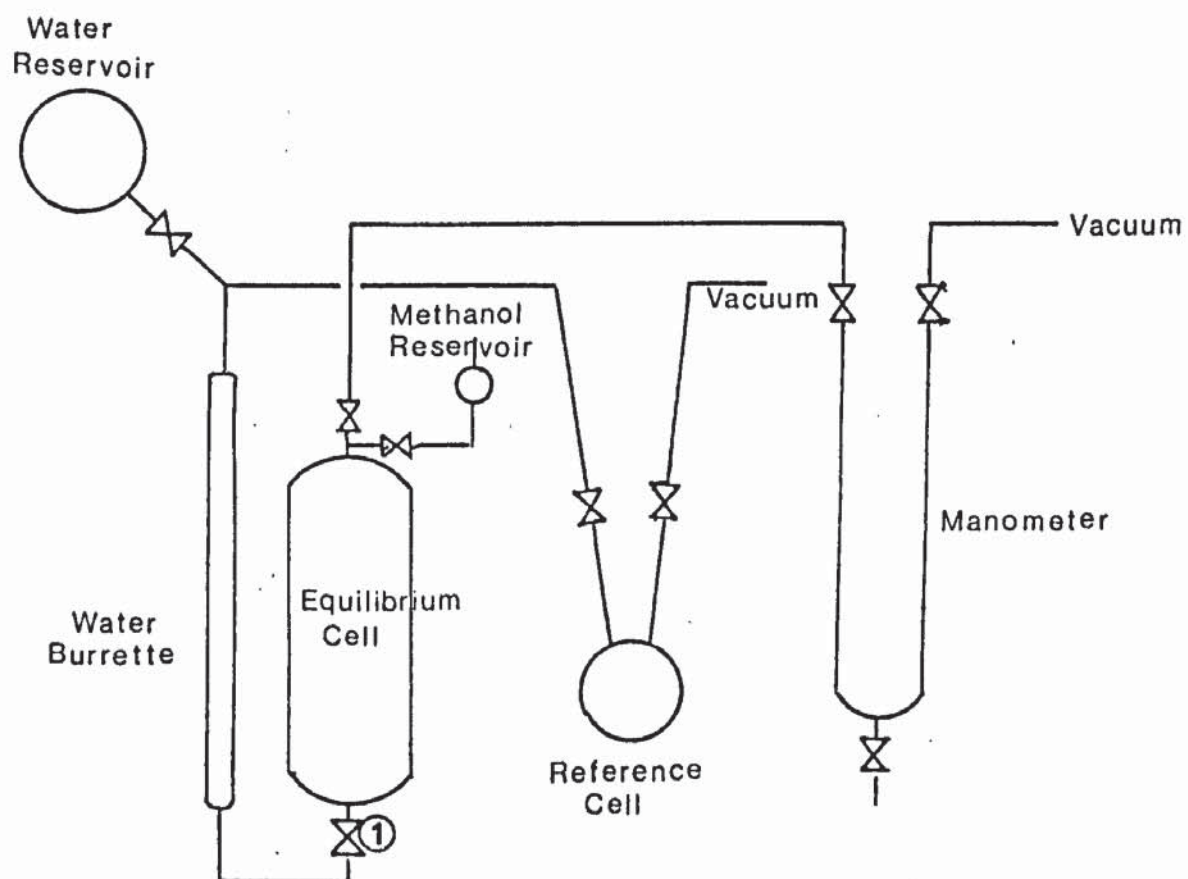


Figure 7
SIMPLE APPARATUS OF JENKINS AND SMITH

A disadvantage of this approach is that the composition of the more volatile component is limited to a very small value and to a limited range. This is because the cell mixture pressure must be less than the small pressure head developed by the burette water otherwise a reverse flow will occur between the cell and burette. A further drawback is that the more volatile component must always be charged to the cell first.

Janaszewski, Oracz and Warycha (J3) have described a total pressure apparatus based on the static method and capable of operating over the range of 25° - 50° to an accuracy of 0.003°C . The vapour pressure range is from 10 torr to 600 torr with a precision of 0.2% while the size of the required sample is 2.5 ml. Equilibrium is established by agitation. The equilibrium cell is connected to a mercury manometer. The sample is degassed by connecting the apparatus to a vacuum line through a system of porous plugs. The sample is repeatedly degassed and the pressure read. The pressure corresponding to the sample composition is obtained by extrapolating the series of pressure readings.

Olbroniski (Ol) has described the use of absorption to measure compositions in conjunction with

the ebulliometric method of Swietoslawski. It is claimed that this enables the composition of the coexisting phases to be rapidly determined and the approach to equilibrium to be monitored.

There have been a number of approaches proposed in the literature for computing compositions from liquid phase compositions, temperature and pressure measurements. They fall into two categories.

Firstly, the direct method involves calculation of vapour compositions by integration of the coexistence equation. This is a first order differential equation derived from the Gibbs-Duhem relationship which relates the composition of the liquid and vapour phases at equilibrium. Another approach is by the stepwise integration procedure of Ho, Boshko and Lu (H14) which is not suitable for systems containing an azeotrope. A detailed review of direct methods has been given by Hala et al (H2).

Recently Nagata and Ohta (N2) reported a procedure using Forsyth orthogonal polynomials to correlate the total pressure data in terms of the liquid phase composition. An accurate fit for the highly non-ideal

system ethanol-chloroform was obtained. The polynomials however are extremely sensitive to any experimental error which limits the utility of the method for obtaining vapour compositions.

Other methods include the spline-fit technique of Klaus and Van Ness (K6) in which successive cubic equations are fitted to pairs of data points across the composition range subject to constraints that avoid extraneous points of inflection caused by unevenness in the pressure-composition curve, due to random error. Vapour compositions are then calculated directly.

Christianson and Fredenslund (C8) have described a similar method using orthogonal polynomials in their work with high pressure vapour-liquid equilibria.

The alternative approach is known as the indirect method and involves firstly the calculation by some appropriate means of the liquid phase activity coefficients and subsequent calculation of vapour compositions. These methods normally assume a solution to the Gibbs-Duhem equation and involve the adjustment of parameters until the pressure-liquid composition behaviour is reproduced as nearly as possible. These

methods avoid numerical integration but the accuracy is dependent upon the analytical form used to express the relationship between the activity coefficient and composition of the liquid phase.

Early indirect procedures such as those of Levy (L3), Carlson and Colburn (C2), Christian (C7), Redlich, Kister and Turnquist (R8), and Prengle and Palm (P9) have been reviewed by Hala et al (H2).

The most commonly used indirect method is due to Barker (B3) who starts from the assumption that the excess free energy can be represented as a polynomial function of composition.

$$\begin{aligned}
 G^E &= x_1 \mu_1^E + x_2 \mu_2^E \\
 &= RT x_1 x_2 (A + B (x_1 - x_2) + C (x_1 - x_2)^2 + \dots)
 \end{aligned}
 \tag{3.1}$$

This is equivalent to assuming that the Margules equations relate the activity coefficients to composition. The constants A, B and C are adjusted until the total pressure vs composition relationship is reproduced. Having obtained this fit the vapour phase can be calculated directly if ideality is assumed. If not,

an iterative procedure must be adopted in which as the new vapour phase composition is calculated it is used to calculate corrections for non-ideality and the cycle repeated. Convergence is rapid with this method.

Diaz Pena (D7) has shown that methods using a function similar to Barkers for G^E do not, in general hold for complex systems involving dipole moments and hydrogen bonding and has suggested that an equation of the form originally proposed by Van Ness

$$G^E = \frac{x_1 x_2}{\sum_{j=1} B_j (x_1 - x_2)^{j-1}} \quad (3.2)$$

should be used.

The necessity of assuming a functional form for the excess free energy has been overcome by Tao(T1.) Tao's indirect procedure involves calculation of the activity coefficients by integration of an equation resembling the coexistence equation. The procedure although indirect retains the rigour associated with the direct method. A disadvantage of his approach is that it applies only to binary systems.

Mixon, Gumowski and Carpenter (M20) proposed a technique retaining the same degree of rigour as Tao's but able to be generalised to ternary and higher order systems. This involved expressing an equation for the solution vapour pressure in terms of the excess free energy and its composition derivatives. The expression is inverted to give the g^E function that reproduces the observed vapour pressure behaviour and activity coefficients are then deduced from the excess free energy function.

Christiansen and Fredenslund (C8) used a numerical method for solving differential equations, the orthogonal collocation method, to calculate the value of the excess Gibbs free energy at chosen values of liquid composition. From these values, the equilibrium vapour mole fractions corresponding to each experimental liquid mole fraction are calculated. They applied this technique to high pressure systems.

Ramahlo and Delmas (R3) (R2) reported an indirect method employing the 2 constant Redlich-Kister expansion and an iterative procedure to obtain the constants. Although their method was shown to be superior to that of Prengle and Palm convergence was

not always obtained and the results sometimes physically meaningless. This may be because of the limitations of the two constant Redlich-Kister expansions. Minh and Ruel (M19) suggested its replacement with an expression involving three constants but it is doubtful whether this gave any real improvement.

Davidson and Smith (D2) have presented a method which does require a thermodynamically consistent polynomial. This may be of advantage in highly non-ideal systems.

Ba Tai, Ramahlo and Kaliaguine (B1) describe a technique incorporating the Wilson equation for predicting isothermal data for binary and ternary systems and for heats of mixing for ternary systems from binary data. This approach was reasonably successful and did not require that the energy parameters be independent of temperature.

Jambon and Clechet (J2) have compared the indirect and direct methods and demonstrated the superior fit accorded by the direct method. They have shown the difficulties that can arise from using an unsuitable

activity coefficient relationship. This last fact has inhibited the use of the Barker method although it is a comparatively simple approach. Although there have been many models that have been proposed none seem to be clearly better than the others.

Orye and Prausnitz (O2) Sabylin and Aristovich (S1) and Holmes and Van Winkle (H16) compared the Wilson and Van Laar equations and showed the Wilson equation to be superior to the Van Laar equation for many binary and multicomponent mixtures. Neretnieks (N4) also showed the Wilson equation to be superior to the modified Van Laar equation.

Renon and Prausnitz compared the NRTL, Wilson and Heil equations for 12 ternary systems. For moderately non ideal systems all equations gave similar results. They also extended the comparison of the NRTL equation to the 4 suffix Margules equation and were able to demonstrate the superiority of the NRTL equation in this case. Hudson and Van Winkle (H19) tested the Wilson equation on one quinary, three quarterternary and 20 ternary systems. Although good results were obtained comparisons were not made with other equations.

Mertl (M18) also showed the NRTL equation to be

superior to the 4 suffix Margules equation for 41 ternary and 144 binary systems.

Larson and Tassios (L1) compared the 3 and 4 suffix Margules equations, the Wilson equation and 2 and 3 parameter NRTL equations. They found the 3 and 4 suffix Margules equations appeared to give equal results. The NRTL equation describes non ideal systems better than the Margules, but it is somewhat inferior to the Wilson equation. However for nearly ideal systems the NRTL equation is not as good as the Margules equation. Furthermore they suggested that the best form of the NRTL equation was the two constant version.

Nagata (N1) has predicted data for a large number of systems and concluded that the Wilson model shows better overall performance than the other equations.

McCann (M12) has tested the Wilson, NRTL, Orye, Enthalpic Wilson and modified Orye equation on a wide range of systems. Unfortunately different equations appeared best for each of the various types of systems involved so that no clear cut recommendation for a particular model emerged from his work.

Abrams and Prausnitz (A2) have shown the UNIQUAC

equation to be comparable to the NRTL equation and the Wilson equation for vapour equilibrium work.

Because of the large variety of types of system that may be encountered during work on vapour liquid equilibrium and the fact that, as has been shown no single model can adequately represent the various types, the Barker method has not been exploited as a general method for the reduction of P-x data in spite of its attractions. Van Ness and Abbot (A1) have shown however that the five suffix Margules equation and a modified Margules equation can in fact handle a very wide range of systems overcoming the previously discussed disadvantage of the Barker method.

Many of these models have been incorporated in a computer programme JF4LSQMKKA which reduces binary vapour-liquid equilibrium data by the Barker method.

Another advantage of the Barker method is that it does not use vapour compositions allowing consistency testing to be carried out on the experimental data as described in the next chapter.

4. THERMODYNAMIC CONSISTENCY.

The classic method of determining vapour-liquid equilibrium data has been to measure the temperature and the pressure of the system and the compositions of the co-existing liquid and vapour phases. The fact that this represents an over-determination of equilibrium has long been recognised and that hence the redundancy in the data set may be utilised to test the internal consistency of the data. However difficulties of interpretation of the test results has led to the proposal of a large number and variety of types of test in the literature each with particular advantages.

All tests however depend on utilising the Gibbs-Duhem relationship in some way or another. This is normally stated as :

$$\sum_{i=1}^N n_i d\mu_i = V dP - S dT \quad (4.1)$$

An expanded form of this equation for the liquid phase as used by Ljunglin and Van Ness (80) is :

$$\sum_{i=1}^N x_i d \ln f_i + ((H-H^*)/RT^2) dT - (V/RT) dp = 0. \quad (4.2)$$

from which they deduced the general co-existence equation for binary systems, viz :

$$AdP + BdT = (y_1 - x_1) d \ln (V_{1v}/V_{2v}) + ((y_1 - x_1)/y_1 y_2) dy_1 \quad (4.3a)$$

$$\text{where } A = (\Delta V_v + x_1 Y_{1v} + x_2 Y_{2v} - V_1)/RT \quad (4.3b)$$

$$B = -(\Delta H_v + x_1 H_{1v} + x_2 H_{2v} - H_1)/RT^2 \quad (4.3c)$$

so called because it relates the liquid and vapour phases that co-exist at equilibrium.

These equations are the basis for the consistency tests considered. There has been another equation proposed by Tao (T5) (T6) (T4) and by Lee and Edmister (L2) involving fugacities and phase enthalpy differences. However uncertainties in calculating derivatives required in this equation renders this test of doubtful value and it is not considered further.

The tests so far proposed may be divided into four

types as follows :

- a) Area tests.
- b) Slope tests.
- c) Statistical tests.
- d) Barker type tests.

These will now be considered in more detail.

4.1 Area Tests.

These tests appear to be the most popular and widely used in the literature. They are based on an integral form of the Gibbs-Duhem relationship and Herrington (H6) and Redlich and Kister (R5) have independently presented one in the form :

$$\int_0^1 \ln \frac{V_1}{V_2} dx_1 = 0 \quad (4.4)$$

Its application depends on the fact that the curve of $\ln V_1/V_2$ vs x_1 crosses the $\ln V_1/V_2 = 0$ line and for perfectly consistent data the areas above and below this line should be equal. The

deviation from equality is then used as a measure of consistency. The obvious disadvantage of this method is that errors in $\ln V_1/V_2$ above and below the line tend to cancel out. Bonne (B14), Van Ness (V3) and Techo (T9) have criticised this test on the grounds that data are required over the whole range of composition for implementation, compensating errors are not detected and that for binary data temperature and pressure cannot be held constant while varying composition. Herfington (H7) has considered the latter problem and has developed criteria for deciding whether the data are consistent or not without the need for evaluating the heat of mixing term. The area test has been the subject of further discussion. In particular Broughton and Brearly (B15) assumed that the product $RT \ln V_i$ was independent of temperature and that the heat of mixing term could be neglected by integrating this product for isobaric data but Van Ness (V3) among others has disputed this. Black (B10) and Black, Derr and Papadopoulos (B11) in a discussion of liquid phase models and consistency tests have demonstrated that the area test is insensitive to errors in total pressure measurement and temperature. This is because in the ratios of the activity coefficients V_1/V_2 the total pressure cancels out and temperature

errors appear as a ratio through vapour pressures. Because of this Byer and Van Ness (B21) have pointed out that the test will be sensitive to scatter in the x-y data but will show nothing about the internal consistency of such data. Black (B10) has proposed that a smooth plot of $\sqrt{\ln V_1}$ vs $\sqrt{\ln V_2}$ would indicate accurate temperature and pressure measurements with the simultaneous satisfaction of the area test showing consistency.

Further developments of the area test used small integration intervals and are essentially point by point comparisons. They have been applied to both binary and multicomponent systems. For the latter the Gibbs-Duhem equation may be restated as :

$$\sum_{i=1}^N x_i d \ln V_i + (\Delta H_m / RT^2) dT - (\Delta V_m / RT) dP = 0 \quad (4.5)$$

which in turn may be integrated by parts to give :

$$Q(b) - Q(a) - \sum_{i=1}^N \int_a^b \ln V_i dx_i + \int_{T_b}^{T_a} (\Delta H / RT^2) dT - \int_{P_b}^{P_a} (\Delta V / RT) dP = 0 \quad (4.6)$$

However to evaluate the integrals in this equation some path has to be chosen. Herington (H5) (H7) used integration along a path where the ratio of two mole fractions was a constant. He assumed in this case that the heat and volume of mixing terms were negligible. This assumption was also made by Krishnamurty and Rao (K11) who proposed integration with one mole fraction constant. Li and Lu (L4) chose to use short linear paths such that T and P were approximately constant while Prausnitz and Snider (P8) described a general method for multicomponent systems involving holding x_i/x_1 constant for $i = 2, 3 \dots N-1$. Mc Dermott and Ellis (M13) modified the method of Li and Lu by using the trapezoidal rule to compare points by pairs. All these methods however suffer from the defect that no criteria have been presented for relating the deviation of eqn. (4.6) from zero to the quality of the data. This is a serious omission since even if data contains only random error the value of equation (4.6) is unlikely to be zero. Another approach is to rearrange the area test as shown in equation (4.7) :

$$\ln V_2 = - \int_{\ln V_1a}^{\ln V_1b} \left(\frac{x_1}{x_2} \right) d \ln V_1 \quad (4.7)$$

This can be used as a consistency test if the $\ln V_2$ data are known. Unfortunately the error in $\ln V_1$ data at low concentrations of x_1 is carried through the whole composition range and cannot be used to give a true point by point comparison at each of the $\ln V_2$ data points.

Tao (T2) (T3) has considered the problem of propagation of error from low x_1 and has proposed using a combination of a slope test, to be discussed in the next section and an integral test. An important feature of his proposals is the inclusion of an analysis of the effect of random experimental error. Tao defined the quantities Q and Z as follows :

$$Q = \sum x_i \ln V_i \quad (4.8)$$

$$Z = A(x_1) + B(x_1) + \sum K_i \ln V_i \quad (4.9)$$

$$\text{where } A(x_1) = - \left(\frac{\Delta H}{RT^2} \right) \frac{dT}{dx_1} \quad \text{and } B(x_1) = \left(\frac{\Delta V}{RT} \right) \frac{dP}{dx_1}$$

and K_i is the finite difference approximation to the slope :

$$\text{i.e. } K_i = \frac{dx_i}{dx_1} = \frac{(x_{ia} - x_{ib})}{(x_{1a} - x_{1b})} \quad (4.10)$$

Since Z and Q can be calculated from experimental data and are related as :

$$Z = \frac{dQ}{dx_1} \text{ and } Q(x_{1b}) - Q(x_{1a}) = \int_{x_{1a}}^{x_{1b}} Z dx_1 \quad (4.11)$$

it is possible to obtain two sets of Z and Q values. The difference in the two sets then constitutes the consistency test. Tao then defined error bounds in the form :

$$\frac{E(V_1)}{V_1} \quad \frac{E(P)}{P} \quad \frac{E(T)}{P_{s1}} \quad \frac{dp_{s1}}{dT} \quad \frac{1}{y_1} \quad \frac{1}{x_1} E(x_1) \quad (4.12a)$$

$$E(Q) = \sum (x_1 \frac{E(V_1)}{V_1} - E(x) \ln V_1) \quad (4.12b)$$

$$E(Z) = \sum K_1 \frac{E(V_1)}{V_1} \quad (4.12c)$$

where for example $\pm E(Z)$ represents the maximum error in Z . Provided the Q and Z differences fall within the error bounds defined by (4.12a, b) and (4.12c) the data can be considered consistent.

Stevenson and Sater (S12) have suggested the direct application of equation (4.6) but proposed that it should be set equal to a function $f(x_1)$ instead of zero. The deviation of $f(x_1)$ should then give an indication of the inaccuracy of the data. They pointed out the advantage of a point by point test in that it can reveal local inconsistency and demonstrated that summing the $f(x_1)$ values from $x_1 = 0$ resulted in much of the sensitivity to local inconsistency being lost.

Chang and Lu (C6) combined Tao and Stevenson and Sater's techniques in developing maximum error bounds for a local area test. They defined an expression similar to that of Stevenson and Sater and generated error bounds D from the total derivative of d defined below, using $\pm E(x)$, $\pm E(P)$ and $E(T)$ to replace dx_1 , dy_1 , dP and dT each of which represent the maximum measurement errors in each of the variables x , y , P and T .

$$d = \sum_1^N (x_{1a} + x_{1b}) (\ln (K_{1b}/K_{1a}) - \ln (\phi_{1a} P_a / \phi_{1b} P_b) - \int_{P_a}^{P_b} (V_{1l}/RT) dP - \int_{T_a}^{T_b} ((h_{1v} - \bar{H}_{1l})/RT^2) dT \quad (4.13)$$

where: $K_i = y_i/x_i$
 ϕ_i = fugacity coefficient of
 component i.
 V_{il} = partial molar liquid volume
 of component i.
 h_{iv} = ideal gas enthalpy of
 component i in vapour state.
 \bar{H}_{il} = partial molar liquid enthalpy
 of component i in the soln.

The test then consists of testing the data in pairs by comparing d with the absolute value of D . If it is larger then the experimental point used in calculating d is considered inconsistent. A disadvantage of this procedure is that errors in x and y are not considered separately. The use of maximum measurement errors may also obscure small systematic errors and prevent application of the statistical criteria to be discussed later.

Further discussions of the integral test have been presented by Herfington (H6), Deshpande and Lu (D6) and Lu and Jones (L10).

Samuels (S3) has examined the overall area test to determine whether the results of this test may be used

to provide a quantitative estimate of the level of error in the set of activity coefficients under investigation. He defined the area defect, Δ , as

$$\Delta = - \int_{x_1 = 0}^{x_1 = 1} \left(\ln \frac{V_1}{V_2} - \frac{\Delta H_m}{RT^2} \frac{dT}{dx_1} + \frac{\Delta V_m}{RT} \frac{dP}{dx_1} \right) dx_1 \quad (4.14)$$

and has shown that if the activity coefficients ratio V_1/V_2 is multiplied by $1 + \Delta$ then the overall area test can be satisfied exactly. In this way an indication of the average error in the ratio of the activity coefficients can be obtained by examination of the value of Δ although individual errors in the activity coefficients cannot be determined. He has demonstrated using this method that two sets of data which when tested by other criteria appear to be of widely differing accuracy are in fact closely comparable. He goes on to suggest that a decision as to whether the data are consistent within the limits defined by the experimental uncertainties in the measured coefficients or not can be made by considering the scatter in the curve of :

$$\left(\ln \frac{V_1}{V_2} - \frac{(\Delta H_m)}{RT_2} \frac{(dT)}{dx_1} \right) \text{ vs } x_1 \quad (4.15)$$

If the scatter is greater than the value of Δ obtained previously then the data can be accepted as consistent.

In conclusion Redlich, Kister and Turnquist (R8) showed that the overall area test could not distinguish between two sets of data taken by different experimenters even though the data differed significantly, because of the compensating effect noted earlier.

4.2 Slope Tests.

Slope tests in the various forms that have been proposed constitute a much stricter examination for thermodynamic consistency than area tests. As an illustration Prausnitz (P7) has pointed out that if the data set satisfies the slope test at every point then it will also satisfy the area test but the converse is not true.

Early applications of the slope test (B5) utilised the Duhem-Margules in the form :

$$x_1 \frac{d \ln p_1}{dx_1} = x_2 \frac{d \ln p_2}{dx_2} \quad (4.16)$$

This assumes ΔH and ΔV to be zero and the vapour phase to be an ideal gas. Redlich and Kister (R6) replaced this by :

$$x_1 \frac{d \ln V_1}{dx_1} + x_2 \frac{d \ln V_2}{dx_2} = 0 \quad (4.17)$$

which removes the ideal vapour phase assumption. The

procedure involved is to plot the logs of the activity coefficients, obtained experimentally against x_1 and estimate the slopes graphically. The difficulties inherent in such measurements have precluded the widespread use of these equations but they do provide conditions by which grossly inaccurate data may be identified and these have been summarised by Herrington (H7) and Lu (L11) among others.

A similar approach has been discussed by Van Ness (V4), Van Ness and Mrazek (V2) and Prausnitz (P7) which involves plotting Q defined as :

$$Q = \Delta G^E/RT = \sum_{i=1}^N x_i \ln V_i \quad (4.18)$$

against x_1 as abscissa. To obtain the value of $\ln V_1$ at a point a tangent is drawn which is extrapolated to intersect with the ordinate at $x_1 = 1$ at which the required value can be read off. Success of this method is dependent on the curvature of Q against x_1 and the lengths of extrapolation required for small and large x_1 . Van Ness and Mrazek (V2) have used a plot of Q/x_1x_2 against x_1 . The advantage of this is that the curvature is usually less and the length of extrapolation is shorter. Van Ness has pointed out, however, that

random errors must be small to establish a smooth curve and that it is only a positive test in that if the experimental and derived values do not agree then the data can only be rejected as inconsistent.

Techo (T9) has devised a slope test for binary isothermal data with negligible volume of mixing, by writing the excess chemical potential in terms of virial coefficients, B_{11} :

$$\text{i.e. } RT \ln V_1 = RT \ln (Py_1/p_1x_1) + (B_{11} - V_1) (P - p_1) + B_{12}Py_2^2 \quad (4.19)$$

with a similar expression for component 2 where V_i are the liquid molar volumes. Partial differentiation and substitution into equation (4.19) gives :

$$\frac{RT}{P} - (B_{11} - V_1)x_1 + (B_{22} - V_2)x_2 + B_{12} (y_2^2x_1 - y_1^2x_2) \frac{dP}{dy_1} + RT ((x_1 - y_1)/y_1y_2) + 2B_{12}P (y_1 - x_1) = 0 \quad (4.20)$$

All the terms in equation (4.20) are experimentally determined except the derivative dP/dy_1 , and the virial coefficients. The virial coefficients may be evaluated in a number of ways while in order to calculate the

derivative, Techo used orthogonal polynomials to represent $P = P(x)$ and $y = y(x)$. The order of these polynomials is determined by the requirements that the deviation from the null value in equation (4.20) should be a minimum. The test for consistency is then simply an examination of the deviation from zero. Because P and y are fixed at values of $x = 0$ and 1 the consistency of the data may be checked as near the endpoints as desired which is a significant advantage over slope tests which use the activity coefficients directly. A serious disadvantage of this approach is the possible occurrence of extraneous inflection points that occur with higher order polynomials with resulting false indications of consistency or inconsistency. Techo also proposed a maximum limit for accurately measured data in terms of the sums of squares of the deviations obtained from equation (4.20).

The limiting slopes of the P , T , y and V curves with respect to liquid composition have also been the subject of discussion in several papers (G3) (H18) (V5) as regards the correlation, prediction and testing of vapour-liquid equilibrium data.

In conclusion although slope tests provide extremely rigorous tests for thermodynamic consistency practical difficulties in calculating the quantities involved render them of limited value.

4.3 Statistical Tests.

It is possible to distinguish between two types of error associated with experimental measurements. Firstly there is random error owing to small fluctuations in operating equipment and to analytical procedures. Secondly there is systematic error due to equipment malfunction such as faulty pressure measuring equipment. Random error is impossible to eliminate entirely but can usually be accounted for by statistical averaging techniques. Systematic error however cannot be so treated and unless it is small must cause the data set obtained experimentally to be rejected. It is the aim of thermodynamic consistency tests to detect systematic error, but as noted in connection with slope tests random error may render this impossible if it is of the same order as the systematic error. In other words data may be rejected as inconsistent because the random error gives large deviations in the consistency test. It is an important feature of the tests to be described in this section that an attempt has been made to define error bounds due to random error alone and to analyse whether the deviations found in consistency test results are due to any significant systematic error.

As described earlier both Tao (T3) and Chang and Ln (C6) have attempted to define error bounds but these are difficult to interpret.

Ulrichson and Stevenson (U1) have developed a consistency test based on the local area test of Stevenson and Sater (S12) and have described an error analysis to be used in conjunction with it. The local area test may be written as :

$$f(x) = \sum_{i=1}^N \int_a^b x_i d \ln V_i + \int_a^b (\Delta H/RT^2) dT - \int_a^b (\Delta V/RT) dP \quad (4.21)$$

To evaluate the integral between two points a and b requires a numerical integration technique. Since most integration formulae require several points, each one equally spaced, which is difficult to obtain with experimental data, they used the trapezoidal rule. Equation (4.21) may be rewritten :

$$f(a,b) = \sum_{i=1}^N \frac{1}{2} (x_{ia} + x_{ib}) \ln (V_{ib}/V_{ia}) + \int_a^b (\Delta H/RT^2) dT - \int_a^b (\Delta V/RT) \quad (4.22)$$

The use of the trapezoidal rule may lead to significant error for systems in which the activity coefficients are highly unsymmetrical unless a large number of data points are obtained with corresponding small intervals $a-b$. If this is not so Ulrichson and Stevenson have derived a correction which may be applied to equation (4.22). They have applied the propagation of error formula i.e. :

$$\text{if } \phi = f(z_1, z_2, z_3) \quad (4.23)$$

$$\text{then } S_{\phi}^2 = \sum \left(\frac{\partial \phi}{\partial z_i} \right)^2 S_{z_i}^2 \quad (4.24)$$

where S_{ϕ}^2 is the variance of the dependent variable ϕ and $S_{z_i}^2$ are the variances of the independent variables z_i to the equation (4.22) to estimate the variance S_f of a series of $f(a,b)$ values in terms of the variances of the experimentally measured values (S_x, S_y, S_p, S_T). For a binary application of equation (4.24) to equation (4.22) results in :

$$S_f^2 = K_x^2 S_x^2 + K_y^2 S_y^2 + K_p^2 S_p^2 + K_T^2 S_T^2 \quad (4.25)$$

where the K 's are a function of composition, temperature and pressure defined as follows :

Thus if the variances of the composition, pressure and temperature measurements are known or can be estimated, the variance of the series of $f(a,b)$ values obtained from the consistency test can be calculated. From this variance, confidence limits may be established for a plot of $f(a,b)$ against x_1 .

For example if there is no systematic error in the measured data set to which the test is being applied 68.3% of the $f(a,b)$ values will be smaller in absolute value than the standard deviation of S_f and should be randomly distributed about zero provided the data set is very large and that the distribution of $f(a,b)$ can be described as normal. If the number of data points approaches infinity then exactly half the $f(a,b)$ values should be positive and the other half negative. When a finite number of data points is taken, this is equivalent to taking a finite sample of values from an infinite population. The probability of obtaining a given fraction of these points within a specified confidence limit can be calculated from the binomial expansion. If the percentage of those $f(a,b)$ values which lie within a given confidence limit is denoted by p_f the variance of p_f may be calculated from :

$$s_{pf}^2 = q(100-q)/N \quad (4.27)$$

where $q = 50$ for the 50% confidence region and 68.3 for the 68.3% confidence region. Thus 95% confidence limits for pf are given by $\pm 2s_{pf}$ or :

$$pf = q \pm 2\sqrt{q(100-q)/N} \quad (4.28)$$

This may be interpreted as meaning that if there is only random error present there is less than a 1 in 20 chance of selecting a sample of N data points for which pf , calculated from the ratio of $f(a,b)$ values lying within a given confidence limit, q , to the total, is less than $q-2s_{pf}$ or greater than $q + 2s_{pf}$. If the values of pf calculated from the data set lie outside these limits then three possibilities exist. Firstly this may be the 1 in 20 data set, secondly the variances of the experimentally measured variables are incorrectly estimated, or, that in addition to random error the data set contains systematic error. An inspection of a plot of $f(a,b)$ against x_i will aid in distinguishing between the last two possibilities. If systematic errors are present then provided these are of a sufficient order of magnitude compared with the random error, they will be revealed by non-random trends in the $f(a,b)$ values. If there is only random error

present they should be evenly distributed about zero. If there are a sufficient number of $f(a,b)$ values (of the order of 25 or 30) it is possible to apply the chi-square test i.e. :

$$\chi^2 = 4 (N_+ - N/2)^2 / N \quad (4.29)$$

where N_+ is the number of positive values of $f(a,b)$. The probability is less than 1 in 20 of obtaining a chi-square greater than 3.84 so for any values larger than that the possibilities of systematic error should be investigated. If the estimated variances are incorrect then the $f(a,b)$ values should appear randomly scattered but lie significantly outside the confidence limits. The estimates must then be increased until the correct proportion of $f(a,b)$ values lies within a given confidence limit. If it is suspected that the data set constitutes the 1 in 20 case then the investigator has little option but to determine more data points.

The variances of the experimentally measured variables may be used to establish confidence limits for the activity coefficients. Recalling that, for the ideal vapour phase case :

$$V_i = \frac{y_i P}{x_i P_{si}} \quad (2.41)$$

and applying the propagation of error formula (4.24) to (2.41) gives :

$$\frac{s_{Vi}^2}{Vi^2} = \frac{s_{xi}^2}{xi^2} + \frac{s_{yi}^2}{yi^2} + \frac{s_p^2}{p^2} + \left(\frac{d \ln P_{si}}{dT} \right)^2 s_T^2 \quad (4.28)$$

The results in the preceding sections however all require a normal distribution of $f(a,b)$ values. The quantity $f(a,b)$ is calculated however from products, ratios and logarithms of the variables containing random error i.e. x , y , P and T . To check this assumption Ulrichson and Stevenson simulated V.L.E. data and added normally distributed random error to the variables. This was repeated 200 times. If the $f(a,b)$ values were normally distributed 68.3% of them would lie within $\pm S_f$ with a variance given by equation (4.25). Their results indicated that the distribution of $f(a,b)$ is sufficiently near normal for the test procedure to be applied. They used the 3 suffix Margules equation to generate the simulated activity coefficients but repeating the procedure with the Wilson equation gives similar results. Using simulated data Ulrichson and Stevenson were also able to examine the effects of random measurement error in

the various variables on the overall results obtained for the consistency test. They were able to demonstrate that the effect of random error on x is significantly less than the effect of error in other variables so that if the measuring techniques for x and y have equal uncertainties the consistency test will be significantly affected only by the uncertainty in y for x values between 0.1 and 0.9. Also it was shown that if the system under investigation contains an azeotrope the consistency test is unaffected by errors in y so that very accurate data may be indicated near the azeotrope when in fact the opposite may be the case. The errors in pressure and temperature appear approximately linear across the composition range and affect the consistency test only if they are quite large. Finally they showed that the consistency test does not necessarily reflect the uncertainty in the activity coefficient. As an example they showed that it is possible to obtain very small values for $f(a,b)$ but the confidence limits obtained for the activity coefficient from equation (4.28) may be very large.

As an extension of the preceding procedure Samuels, Ulrichson and Stevenson (S4) have applied the approach

to the overall area test. They have shown that it is possible to obtain the total area defect by summing the values of $f(a,b)$ found from the local area test. Furthermore it is possible to define an expression for the variance of the overall area test by summing the variances of the $f(a,b)$ values, S_f . The advantage of this procedure is that it is possible to detect small systematic errors which may not be picked up by the local area test. However, the local area test is superior in assessing the contribution of individual points to the area defect, and in cases where a few particular points contribute a large fraction of the total area defect it is better suited to assist in deciding whether those points can be ignored. They conclude that a combination of the two is the most valuable procedure.

Renon (R10) has noted that the true value of each measured variable is unknown. Only the mean value of the variable is known with at most the standard deviation obtained from reproducibility tests. The random errors present in each measurement generate random error in the residuals formed by the difference between the measured and calculated variable. The principle of maximum likelihood maximises the

probability of the residuals of the measured quantities being equal to the experimental error.

Renon makes the following assumptions :

- 1) Errors in each measured quantity are independent in different experiments.
- 2) The statistical distribution of the error in each variable is normal.

This maximum probability occurs when the parameters in the datafit minimize the quadratic form, S given by :

$$S = \sum_{i=1}^N \bar{r}_i^t \frac{1}{\text{VAR}}^{-1} \begin{pmatrix} \bar{r}_i \end{pmatrix} \bar{r}_i \quad (4.29)$$

where $\text{VAR}(\bar{r}_i)$ is the variance-covariance matrix of residuals vector \bar{r}_i . The diagonal terms of this matrix equal the error variance $\sigma^2(r_i)$ in residual r_i which is the mean value of the quantity $(\delta r_i)^2$ when a large number of measurements are made for the same experiment i.

As noted by Noton (N7) the best method of solution

is by Gauss-Newton iteration because linearization of S which leads to solving:

$$\overline{A} \quad \overline{\Delta C} = \overline{B} \quad (4.30)$$

directly gives the Variance-Covariance matrix of optimal parameters $\text{VAR}(C)$. The estimation of the matrix is given by the inversion of A in the last iteration steps :

$$\text{VAR} \quad \overline{(C)} = \overline{A}^{-1} \quad (4.31)$$

The eigenvectors of the matrix give the linear by independent combination of the parameters while the corresponding eigen-values are the variances of these combinations.

The predicted value of each variable is obtained by minimizing d^2 defined by :

$$d^2 = \sum_{i=1}^4 \frac{(z_i^{\text{exp}} - z_i)^2}{v^2(z_i)} \quad (4.32)$$

where $v^2(z_i)$ is proportional to the variance $V^2(z_i)$ of the experimental variable z_i . Lagrangian multipliers are used to account for the constraints imposed by

the equilibrium conditions. The consistency test consists of plotting $Z_i^{\text{exp}} - Z_i^{\text{calc}}$ against x_i for each variable. If systematic error is present then non-random trends will emerge from the plots. If random error only is present then the points will be evenly distributed about the zero axis but if the standard deviations are very different from the assumed σ 's then the assumed experimental errors were incorrect. A disadvantage of this approach is that non-random trends may be caused by an inadequate model rather than any deficiencies in the data.

4.4 Barker type tests.

Van Ness, Byer and Gibbs (B21) have outlined a similar test to that of Renon. After reviewing methods of data reduction and demonstrating that only 3 out of the 4 experimentally measured variables x , y , P and T are needed by any particular method, they proposed that the fourth may be used in a consistency test.

The procedure is to reduce the data by some method

and to calculate values of the redundant variable. A residual is formed by taking the difference between the calculated and experimental values of the variable and this is plotted against liquid composition. Inconsistency is then indicated by non-random trends in the plot. If the data is perfectly consistent and contains random error only then the residuals will be scattered randomly about the $\Delta = 0$ axis.

In the same paper they also analyse the effect of random measurement error on the calculated thermodynamic functions and have derived expressions for confidence limits for the various forms of functions used in the data reduction procedure such as $g/x_1 x_2$ or $\ln V_1/V_2$, after the manner of Ulrichson and Stevenson (U1).

Although as discussed in the previous chapter Van Ness used numerical methods such as the spline fit procedure in his early work Abbott and Van Ness (A1) have applied Barker's method to reduction of P-x-T data and utilised γ in the consistency test. As described earlier they used various forms of the Margules equation to provide analytical expressions for G^E as a function of composition and a minimization

technique was used to fit the calculated pressure to the experimental pressure by adjusting the parameters in the representation equation. A value of y was then calculated and compared with the experimental value as mentioned previously and the residual plotted against x . Non-random trends indicate inconsistency but the possibility also arises that they may also be due to the inability of the representation equation to model the system adequately. However Abbott and Van Ness (A1) have shown that this drawback may be overcome by using an equation with a sufficient number of parameters and demonstrated its effectiveness for the highly non-ideal system, n -pentanol- n -hexane. An additional plot required with the residuals plot is a plot of the residuals of the variables being minimized, (P in the case of a Barker fit) against x to show that the data has been fit to within the limits of experimental error. Van Ness (B21) claims that this test constitutes the purest and most meaningful of all the possible comparison tests available.

Christiansen and Fredenslund (C8) in their work on high pressure vapour liquid equilibrium used a similar approach. They used orthogonal collocation to solve for G^E and hence obtained the activity coefficients.

They went on to calculate vapour compositions and used the difference between y_{calc} and y_{exptl} as a consistency test, using the criterion of Christianson (C9).

If $|y(\text{calc}) - y(\text{exptl})| \leq \Delta x_1 + \Delta y_1$ where Δx_1 and Δy_1 are the experimental uncertainties in the liquid and vapour compositions, then the data is consistent. If not, either the data is inconsistent or the methods of calculating fugacities, molar volumes or enthalpies are erroneous.

Conclusion.

From the preceding discussion it appears that the most suitable form of consistency test for analysing the performance of the Cathala still as a method of data acquisition would be a conjunction of the Ulrichson and Stevenson test (U1) and the Samuels, Ulrichson and Stevenson (S4) test. For assessing improvements in the model of systems containing acetic acid a Barker fit with the analysis of the residuals was adopted. The last technique was also employed in the analysis of the Cathala still data. Accordingly the first two tests

were programmed as programme JF4ERRAN details of which are given in Appendix A1. Also the analysis of residuals test was incorporated in the data fitting programme JF4LSQMKA to be used in conjunction with the various models incorporated therein.

Application of the local area test requires heat and volume of mixing data. Since the experimental work was carried out at low pressures it was assumed that the volume of mixing term may be neglected. This is a common assumption in the literature but the same does not unfortunately apply to the heat of mixing terms. For the systems under consideration there does not appear to be any data in the literature. However, Orye (03) has shown that the Wilson equation may be used to give a reasonable if rough estimation of the heat of mixing for non-associated solutions. Further details are given in Appendix A1.

5. Vapour Liquid Equilibrium with Association in Both Phases.

5.1 Introduction.

There have been a considerable number of papers reporting experimental determination of systems containing acetic acid as the associating component. The work of Carli et al (C1), Liszi (L7) (L8) (L9), Meehan and Murphy (M17) and Chueh (C10) are typical.

However application of standard consistency tests to the data has led to apparent inconsistency due to the phenomenon of association in both liquid and vapour phases. The early work of Marek (M6) and the classical work of Prigogine and Defay (P10) have presented methods of dealing with association in both phases, but it has been the practice of most workers to ignore liquid phase association and to use the activity coefficients to account for any non-idealities, and to correct only the vapour phase fugacity for association. This is probably because it is possible to make certain simplifying assumptions for the vapour phase which are not justified for the liquid

phase. These assumptions allow a straightforward calculation of the necessary correction factors. In particular the association constant for dimerisation in the vapour phase is normally assumed to be independent of composition and to be equal to the value of the association constant for the pure associating substance. In the liquid phase, however, spectroscopic measurements indicate that the association is a function of composition (P10). This taken with the fact that reasonable correlations have been obtained using corrections only for vapour phase association, has led to the general failure to attempt to take liquid phase association into account.

An exception to this has been the work of Garner, Ellis and Pearce (G1) who used variable molecular weights to correlate data for acetic acid -benzene, acetic acid-water and other systems. Bourne (B14) and Herxington have also adopted this approach. They found for some systems this procedure gave satisfactory results but not for others. Their approach however was based on the assumption that the degree of association was independent of the concentration of acetic acid in the binary mixture. Liszi (L8) working with the acetic acid-carbon tetrachloride system used

dielectric measurements to establish the relative concentrations of acetic acid monomer, dimer and carbon tetrachloride in an isothermal mixture of varying nominal concentrations of acetic acid at 20°C. From this he deduced an expression relating the law of mass action equilibrium constant, k , to the nominal concentration of carbon tetrachloride in the solution. He then utilised this expression to predict vapour composition and the total pressure of the acetic acid-carbon tetrachloride system at 20°C. Comparison with experiment yielded excellent results. Extension to systems containing acetic acid and benzene, heptane and toluene (L9) however was not so successful indicating that the association of acetic acid is influenced by the nature of the non-reacting component and that correlations obtained from one system cannot generally be extended to other systems. Barton and Hsu (B4) in their work on the solubility of non-polar gases in carboxylic acids presented an expression for the variation of the equilibrium constant with composition based on the quasi lattice theory of Sarolea-Mathot (S5). This involves the calculation of interaction energies between the monomer, dimer and gas molecules. They also indicated how these energies may be estimated and successfully predicted the

solubility of 29 gases in acetic, proprionic and other members of the homologous series.

5.2 Modes of Association.

Although association is known to take place in both the liquid and vapour phase in solutions containing the lower members of the fatty acid family, there is some disagreement as to the degree of polymerisation (T12) (N6) (J6). It has been generally accepted that the reaction $2 A \rightleftharpoons A_2$ takes place but Ritter and Simons (R13) postulate in addition the formation of a tetramer. For the equilibrium constants of the polymerization reactions they give the following expressions for the vapour phase :

$$\ln K_d = \ln \frac{P_t}{P_m^2} = -23.98925 + \frac{7285.38}{T} \quad (5.1a)$$

$$\ln K_t = \ln \frac{P_t}{P_m^4} = -54.07022 + \frac{13548.41}{T} \quad (5.1b)$$

with the units of K_d in $(\text{mm Hg})^{-1}$ and $(\text{mm Hg})^{-3}$ respectively. Chueh (C10) and Potter et al (P5) on

the other hand consider that only the dimer and the trimer are formed. The equilibrium constants reported by Potter are given by :

$$\log K_{2A} = \log \frac{P_d}{P_m^2} = -10.322 + \frac{3083}{T} \quad (5.2a)$$

$$\log K_{3A} = \log \frac{P_{trim}}{P_m^3} = -18.984 + \frac{5080}{T} \quad (5.2b)$$

and are also applicable to the vapour phase only. For the liquid phase Freedman (F7) has determined values of the monomer - dimer association constant using an ultrasonic absorption technique on pure acetic acid at various temperatures and Barton and Hsu (B4) correlated his results by the following relationship for the equilibrium constant :

$$\ln K_o = \frac{3131}{T} - 6.5197 \quad (5.3)$$

where T in all the preceding equations is in °K. Marek (M6) on the other hand has ignored the formation of higher polymers and has assumed that dimerisation is the only reaction taking place in both phases.

5.3 Correlation of data from systems containing acetic acid

The normal procedure for a binary data set is to utilise the one of the usual integrated forms of the Gibbs-Duhem equation such as the Wilson equation (W5), NRTL in various forms (R12) and the UNIQUAC equation (A2) to correlate the variation of the activity coefficient with composition as outlined in chapter 2. This approach does not give satisfactory results for systems containing acetic acid and it has been found necessary to multiply the vapour phase fugacity coefficient by a correction factor to allow for vapour phase association. This procedure usually allows the previous equations to be used as above but since the effect of the dimerisation is to make the liquid phase behaviour appear unduly complex none of these equations may be capable of modelling this behaviour exactly. An alternative approach is to model the dimerisation in some explicit way and a number of different approaches may be adopted. Either the effect of concentration of acetic acid in the binary mixture is known by other measurements such as spectroscopic or dielectric methods and so

can be taken directly into account, as was done on a limited scale by Liszi (L68), or a more general model can be set up which relates the dimerisation (or association) equilibrium constant in the binary mixture to that of the pure associating substance (here acetic acid). This represents an extension of the work of Marek and Standart (M6).

The difficulty in correcting for association in the liquid phase is that it cannot be assumed that the equilibrium constant for the dimerisation in pure acetic acid is the same in the binary mixture or that it is independent of concentration of acetic acid. As was noted previously this assumption is justified in the vapour phase rendering calculation of the necessary vapour phase corrections a simple matter.

5.4 Calculation of correction factors

Marek and Standart (M6) and Prigogine and Defay (P10) among others have both presented relationships for the correction factors to be applied to the overall concentrations and activity coefficients.

In the treatment of Marek and Standart, the liquid-phase association is handled by considering the 'Law of Mass Action' constant, $K = \epsilon_2 / \epsilon_1$ where ϵ_1 and ϵ_2 are the 'true' mole fractions of the monomer and dimer of acetic acid in the liquid phase. Prigogine and Defay's treatment is based on the concept of an ideal associated liquid and has been modified for non-ideality other than that due to association by Francesconi and Trevisoi (F5) in the development of a consistency test.

While Marek and Standart noted that the thermodynamic equilibrium constant K^T was defined as:

$$K^T = \frac{\gamma_2}{\gamma_1^2} \cdot \frac{\epsilon_2}{\epsilon_1^2} \quad (5.4)$$

they made no use of this in their treatment of the liquid phase behaviour, and in the way K varied with concentration. In this work their approach is extended by utilising the fact that since K^T is defined in terms of the standard states of the reacting components, it must be independent of concentration. However, before introducing this concept explicitly into the analysis, the necessary relationships between the differing activity coefficients of the various species will be developed.

Marek and Standart presented the following modified equilibrium relationship in systems of associating components. For the associating component A (acetic acid).

$$P Y_A Z_A \phi_A = P_{AO} X_A \delta_A \gamma_A \quad (5.5)$$

Where Y_A and X_A are nominal vapour and liquid mole fractions, P_{AO} is the vapour pressure of the overall mixture of monomers and dimers, P is the total pressure, γ_A is the nominal activity coefficient and Z_A and δ_A are vapour and liquid phase correction factors defined by :

$$Z_A = \frac{1 + \sqrt{1 + 4 K_A P_{AO}}}{1 + \sqrt{4 K P Y_A (2 - Y_A)}} \quad (5.6)$$

Where K_A - association constant at pressure P_{AO}
in acetic acid vapour.

K - association constant at pressure P
in acetic acid vapour.

$$\text{and } \delta_A = \frac{1 + \sqrt{1 + 4 R_A}}{1 + \sqrt{1 + 4 R X_A (2 - X_A)}} \quad (5.7)$$

R_A - association constant in pure acetic
acid liquid.

R - association constant in liquid mixture.

ϕ_A is the overall fugacity coefficient defined by

$$\phi_A = \phi_1 / \phi_{1A} \quad (5.8)$$

ϕ_1 - fugacity coefficient for the monomer in the mixture vapour.

ϕ_{1A} - fugacity coefficient for the monomer pure acetic acid vapour.

ALSO

$$V_A = \frac{V_1}{V_{1A}} \quad (5.9)$$

Where V_1 and V_{1A} are similarly defined.

For the non associating component B Marek and Standart have

$$P_{Y_B} \phi_B z_B = P_{B0} x_B \delta_B v_B \quad (5.10)$$

Where the symbols have a similar meaning except that the correction factors Z_B and δ_B are defined as follows:

$$Z_B = \frac{2 [1 - Y_A + \sqrt{1 + 4KPY_A (2 - Y_A)}]}{(2 - Y_A) [1 + \sqrt{1 + 4KPY_A (2 - Y_A)}]} \quad (5.11)$$

$$\text{and } \delta_B = \frac{2 [1 - x_A + \sqrt{1 + 4Kx_A (2 - x_A)}]}{(2 - x_A) [1 + \sqrt{1 + 4Kx_A (2 - x_A)}]} \quad (5.12)$$

Provided the values for the association constants in the pure associating substances are known the application of correction factors is straightforward. As stated previously for the vapour phase, K is assumed to be independent of composition so that $K = K_A$, obtained from equation (5.2) and Z_A and Z_B can be evaluated directly. For the liquid phase this assumption is not justified so that many workers have set

$$\delta_A = \delta_B = 1$$

and correlated data correcting for vapour phase association only.

In this work an attempt is made to overcome this problem as follows. It is first of all necessary to establish a relationship between the activity coefficient of the dimer in the mixture V_2 to the overall activity coefficient V_A obtained from one of the activity coefficient models used during the data fit. The procedure of Marek and Standart is extended by utilising the following expressions.

$$K_A = \frac{n_{2A}}{p_{AO} n_{1A}^2} \quad \text{where } n_{1A} + n_{2A} = 1 \quad (5.13)$$

$$K_A = \frac{\varepsilon_{2A}}{\varepsilon_{1A}^2} \quad \text{where } \varepsilon_{1A} + \varepsilon_{2A} = 1 \quad (5.14)$$

(Where n_{1A} and n_{2A} are the true mole fractions of monomer and dimer in the vapour phase of pure acetic acid and ε_{1A} and ε_{2A} those for the liquid phase), and, giving the equilibrium relationship for the pure acetic acid dimer in terms of nominal mole fractions of acetic acid :

$$p_{Y_A} z_A^{-1} \phi_A^{-1} = p_{AO} x_A \delta_A^{-1} V_A^{-1} \quad (5.15)$$

Where $\phi_A^1 = \phi_2 / \phi_{2A}$ and $v_A^1 = v_2 / v_{2A}$

and

$$Z_A^1 = Y_A \frac{\left[(4KP + 1/Y_A - 2KPY_A) - \sqrt{1/Y_A^2 + \frac{8KP - 4KP}{Y_A}} \right] K_A P_{AO}}{(KPY_A^2 + 4KP - 4KPY_A) (2K_A P_{AO} + 1 - \sqrt{4K_A P_{AO} + 1})} \quad (5.16)$$

$$\delta_A^1 = X_A \frac{\left[(4K + 1/X_A - 2KX_A) - \sqrt{1/X_A^2 + 8K/X_A - 4K} \right] (K_A)}{(K_A^2 + 4 - 4K_A) (2K_A + 1 - \sqrt{4K_A + 1})} \quad (5.17)$$

The detailed derivation of these equations is given in Appendix A2.

It is necessary to relate v_A^1 to v_A .

Dividing (5.15) by (5.5) gives :

$$\frac{P_{YA} Z_A^1 \phi_A^1}{P_{YA} Z_A \phi_A} = \frac{P_{AO} X_A \delta_A^1 v_A^1}{P_{AO} X_A \delta_A^1 v_A} \quad (5.18)$$

$$\text{OR } \gamma_A^1 = \frac{z_A^1}{z_A} \frac{\phi_A^1}{\phi_A} \frac{\delta_A}{\delta_A^1} \gamma_A \quad (5.19)$$

Since $\gamma_A^1 = \gamma_2 / \gamma_{2A}$ this may be written :

$$\gamma_2 = \frac{z_A^1}{z_A} \frac{\phi_A^1}{\phi_A} \frac{\delta_A}{\delta_A^1} \gamma_A \gamma_{2A} \quad (5.20)$$

$$\gamma_1 = \gamma_A \gamma_{1A} \quad (5.21)$$

For the vapour phase it has been customary, as was pointed out above, to assume that K , the association constant in the mixture is equal to that for the pure vapour. For the liquid phase, this is not as valid an assumption. The liquid phase association constant for the pure component was defined above as $K_A = \epsilon_{2A} / \epsilon_{1A}^2$. As already noted this, however, is not the thermodynamic equilibrium constant for the association which is given by

$$K^T = \frac{\gamma_{2A} \epsilon_{2A}}{\gamma_{1A}^2 \epsilon_{1A}} \quad (5.22)$$

$$\text{OR } k_A^T = \frac{v_{2A}}{v_{1A}^2} k_A \quad (5.23)$$

Now the equilibrium mole fractions in the mixture are given by :

$$k^T = \frac{v_2}{v_1^2} \frac{\xi_2}{\xi_1^2} \quad (5.24)$$

$$\text{OR } = \frac{v_2}{v_1^2} k \quad (5.25)$$

Since $k^T = k_A^T$ then

$$\frac{v_2}{v_1^2} k = \frac{v_{2A}}{v_{1A}^2} k_A \quad (5.26)$$

Thus (5.26) may be rewritten as :

$$k = \frac{v_1^2}{v_2} \frac{v_{2A}}{v_{1A}^2} k_A \quad (5.27)$$

Substituting the previously derived expressions for V_1 and V_2 gives :

$$k = \frac{V_{2A}}{V_{1A}^2} k_A \frac{\frac{V_A^2}{Z_A^1} \frac{V_{1A}^2}{\phi_A^1} \frac{1}{\delta_A}}{\frac{V_A}{Z_A} \frac{V_{2A}}{\phi_A} \frac{1}{\delta_A^1}} \quad (5.28)$$

$$= \frac{V_{2A}}{V_{1A}^2} k_A \beta \frac{V_A^2}{V_A} \frac{V_{1A}^2}{V_{2A}} \quad (5.29)$$

$$\text{i.e. } k = k_A \cdot \beta \cdot V_A \quad (5.30)$$

where :

$$\beta = \frac{\frac{Z_A}{Z_A^1} \frac{\phi_A}{\phi_A^1} \frac{\delta_A^1}{\delta_A}}{\quad} \quad (5.31)$$

Hence in any calculation of the correction factors an iterative procedure can be adopted where initially k can be set equal to k_A , obtained from equation (5.3) the values of β and V_A can be calculated, a new k obtained and the calculation repeated. This may be organised in a number of ways depending on the overall computation being carried out.

5.5 Thermodynamic consistency in systems involving Dimerisation.

As mentioned in chapter 4, the wide range of proposed thermodynamic consistency tests in the literature share as their starting point, the Gibbs-Duhem equation, which in one form may be expressed as :

$$\sum_i x_i \, d \ln V_i = \frac{\overline{V}_m}{RT} dP + \frac{\overline{H}_m}{RT^2} dT \quad (5.32)$$

As previously described this equation has been employed for the consistency testing of vapour-liquid equilibrium data in a number of different ways, such as area tests, (H6), local area tests (S12) slope tests (V2) and Barker fit tests (B21).

Consistency tests have been applied to systems in which dimerisation occurs (largely mixtures containing acetic acid) by Meehan and Murphy (M17), Francesconi and Trevissoi (F5) and Francesconi and Cojutti (F4).

The procedure adopted in this work is effectively the simultaneous correlation and thermodynamic consistency testing of experimental data for various systems with a number of alternative models of the liquid phase, by use of the Barker method (B3) as outlined in chapter 3. It will be recalled that in the Barker method, an integrated form of the Gibbs-Duhem equation is used to relate the activity coefficients to the mole fractions in a binary mixture. The parameters in the integrated equation are adjusted by a least-squares fitting-through-optimisation procedure until a minimum error between experimental and calculated total pressures or y values is obtained. Byer and Van Ness (B21) and others (V6), (C8) have pointed out that a good indication of the consistency of the data can be obtained if the difference between the calculated and experimental values of the variable not used in the data fit is examined for each data point. This is a rigorous test, being more severe than the forms of the area test used by Meehan and Murphy (M17) in their acetic acid toluene data and by Francesconi and Cojutti (F4) on the data of Zawidski (Z1). Meehan and Murphy imply that they concluded that their data were consistent, while Francesconi and Cojutti concluded that the data of Zawidski were consistent.

As with all consistency tests, the final conclusion depends on a value judgement. The experimental y values are the data most likely to contain the largest error, and so these are excluded from the data-fit and used for the consistency test. Should an appreciable random or systematic deviation occur between the (y^{calc}) and (y^{exp}) values, then there are three possibilities as discussed in chapter 4.

1. The data set is completely unreliable and must be discarded.
2. The y values only are in error and the remaining data are acceptable.
3. If the Barker method has been used then the liquid phase model used may not be capable of adequately representing the liquid phase behaviour.

As one of the objectives of this work is to compare the various models for the liquid phase, the Barker method was used to fit the data by each of the models in turn. A plot of the deviations in y^{calc} and y^{exp} against composition for each of the models simultaneously provides a consistency test and also enables the performances of the models to be compared.

5.6 Extension to multicomponent V.L.E. and L/L equilibrium.

The calculation of multicomponent vapour-liquid equilibrium in systems containing acetic acid is straightforward. Each additional component requires an extra correction factor for the vapour phase and an extra factor for the liquid phase. The factors are identically equal to Z_B and δ_B in the binary case. The correction factors for the acetic acid are dependent only on the nominal mole fractions of acetic acid in the multicomponent mixture. Thus if one of the activity coefficient models is used in one of the computational procedures due to Prausnitz et al (P6) such as programme BUBLT the pure component parameter K_A and K_A may be obtained from equations (5.3) and (5.2) and the equilibrium constant k calculated from equation (5.30).

An extra iteration loop will be required for either the liquid or vapour correction factors depending on whether it is the liquid or vapour composition that is being calculated. Further details are being given in Appendix A1.

Liquid-liquid equilibrium calculations are also reasonably straightforward. It has been shown (N8) for an n component mixture that if two liquid phases exist then the following relationship holds

$$(\gamma_i x_i)^I = (\gamma_i x_i)^{II} \quad i = 1, \dots, n \quad (5.34)$$

For a system containing acetic acid and two other components such as water and toluene, the above equations may be written

$$(\epsilon_1 \gamma_1)^I = (\epsilon_1 \gamma_1)^{II} - \text{monomer} \quad (5.35a)$$

$$(\epsilon_2 \gamma_2)^I = (\epsilon_2 \gamma_2)^{II} - \text{dimer} \quad (5.35b)$$

$$(\epsilon_W \gamma_W)^I = (\epsilon_W \gamma_W)^{II} - \text{water} \quad (5.35c)$$

$$(\epsilon_T \gamma_T)^I = (\epsilon_T \gamma_T)^{II} - \text{toluene} \quad (5.35d)$$

As in the case of binary vapour-liquid equilibrium ϵ_1 , ϵ_2 , ϵ_W and ϵ_T , can be replaced by an expression involving the nominal mole fraction of acetic acid. These expressions are presented in Appendix 1.

'Equations (5.35) a, b, c, d can thus be rewritten as follows :

$$(\chi_A \delta_A \nu_A)^I = (\chi_A \delta_A \nu_A)^{II} - \text{monomer} \quad (5.36a)$$

$$(\chi_A \delta_A^1 \nu_A^1)^I = (\chi_A \delta_A^1 \nu_A^1)^{II} - \text{dimer} \quad (5.36b)$$

$$(\chi_W \delta_W \nu_W)^I = (\chi_W \delta_W \nu_W)^{II} - \text{water} \quad (5.36c)$$

$$(\chi_T \delta_T \nu_T)^I = (\chi_T \delta_T \nu_T)^{II} - \text{toluene} \quad (5.36d)$$

$$\text{Where } \delta_A = \left[\frac{\sqrt{1 + 4K} (2 - \chi_A) - 1}{2 (2 - \chi_A) K \chi_A} \right] \quad (5.37)$$

$$\delta_A^1 = \left[\frac{4K + 1/\chi_A - 2K\chi_A - \sqrt{1/\chi_A^2 + 8K/\chi_A - 4K}}{2 (K\chi_A^2 + 4K - 4K\chi_A)} \right] \quad (5.38)$$

$$\delta_T = \delta_W = \left[\frac{1 + 4K (2 - \chi_A) - \sqrt{1 + 4K\chi_A (2 - \chi_A)}}{2K (2 - \chi_A)^2} \right] \quad (5.39)$$

and $\nu_A = \nu_1$, $\nu_A^1 = \nu_2$. These relationships apply to both phases.

5.7 Systems under investigation

The previously derived relationships were applied to many binary systems containing acetic acid. In all cases the saturated vapour pressures were calculated from the extended Antoine equation.

$$\ln P = C_1 + \frac{C_2 + C_4T + C_5T^2}{C_3+T} + C_6 \ln T \quad (5.45)$$

with P in atmospheres and T the absolute temperature K. The constants were obtained by a least squares fit on vapour pressure data as described in Appendix A1. Van Ness (B21) has pointed out the importance of accurate vapour pressures in the correlation of vapour-liquid equilibrium data.

1. The Acetic acid - toluene binary

There is available a considerable range of data for this system. The oldest is that of Zawidski (Z1) at 69.94°C and 80.05°C. Markuzin and Pavlova (M10) obtained isothermal data at 30°C and Meehan (M16) obtained such data at 50°C and 70°C. Volpicelli and Zizza (V8) obtained isobaric data at 50mm Hg, while Haughton (H3) worked at 760mm Hg.

All these obtained complete sets of χ -Y-P-T data so that consistency tests can be applied to them. Liszi (L8) obtained data at 20°C but did not report the total pressure, hence his data is not of use in this work. This system was chosen initially since toluene is a non-polar, non associating compound and should not present too complex liquid phase behaviour.

2. The Acetic acid-water system.

This is an extremely important system both industrially and theoretically, and an enormous amount of data has been reported. Mostly it is isobaric data at 760 mm Hg (S8) (B16) (R14) (12) and (G2). However Othmer (08) reported data over a range of pressures from 20 mm Hg to 2053 mm Hg, while Arich and Tagliavani (A5) reported isothermal data at 70°C, 80°C and 90°C. The behaviour of this system is considerably more complex than that of acetic acid - toluene. This is because the structure of water is extremely complicated with extensive hydrogen bonding and its behaviour and physical properties have been the subject of an extensive monograph (F6) as well as other work.

There is experimental evidence that it exists as a hemihydrate (H9) and so should provide a more severe test for the new approach. Another system investigated is the system acetic acid - dimethylacetamide (C1) which has so far defied attempts to model using equations such as the Wilson or NRTL equations, probably on account of hydrogen bonding and other specific interactions in the liquid phase.

A complete list of systems investigated is given in Appendix A3.

The ternary liquid-liquid equilibrium system acetic acid - toluene - water has been reported by Woodman (W6), Salem (S2) and Pitt (P3) at a range of temperatures between 20°C and 80°C. The tie lines and two phase envelope were calculated using the program described in Appendix A1, both using the new approach and the NRTL and UNIQUAC equations. Parameters for the toluene water system were calculated from mutual solubilities by means of the programme, JF4LSQSOL described in Appendix A1.

6.0 Experimental Work.

Introduction.

In order to assess the performance of the Cathala flow still using the consistency tests discussed in chapter 4, it was necessary to obtain experimental data on a number of systems each of which provided examples of a different type of behaviour.

Three of the systems investigated by Davies (D4) had shown some discrepancies and as these three systems provided examples of near ideal, moderately non-ideal and azeotropic behaviour they were chosen as the test systems. The opportunity was taken to investigate at the same time the effect of analytical uncertainty on the reliability and consistency of the data. Thus for two of the systems, two different analytical procedures were used to give two data sets with different levels of measurement error.

The apparatus used was based on the still used by Mamers (M4) and modified by Davies (D4) and the rapid time taken to reach equilibrium with it facilitated the determination of the large number of data points needed to make statistical comparisons.

The equipment is described in more detail in this chapter.

6.1 Description of the Cathala Still

6.1.1. The General Layout

The general layout of the equipment is illustrated in plate 1 and in fig 8. The purified components were stored in four 5 litre aspirators mounted overhead to obtain a good pressure head. The liquid stream flowed down through feed control valves (1) and was metered by Fisher & Porter flowraters (2) situated in the lines. After passing through the flowraters the liquid streams were mixed and fed into a liquid preheater (3), fig.14 of 250 watt nominal heat input. The liquid feed was heated to just below its boiling point, the temperature being measured by a Chromel-Alumel thermocouple situated just prior to the exit from the preheater. The liquid stream then passed onto the lower of two sieve plates in the mixing chamber (4) where it encountered the superheated vapour.

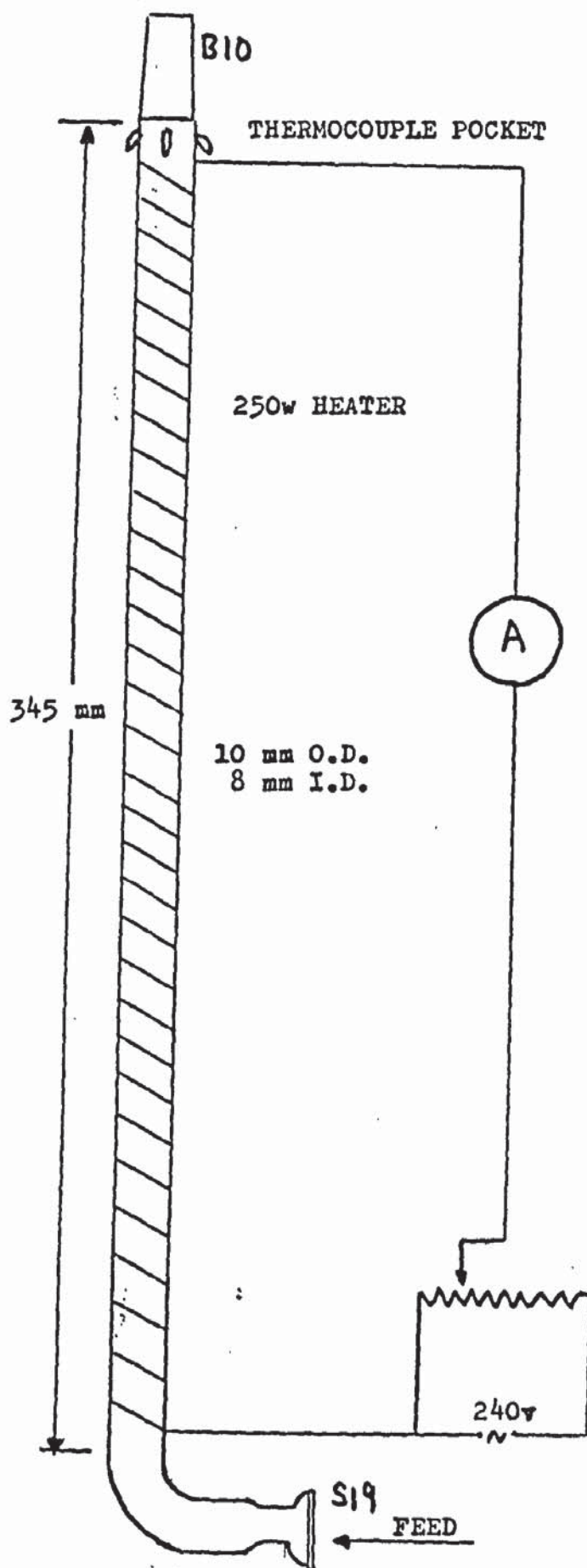


FIG. 14
LIQUID PREHEATER

NOT TO SCALE

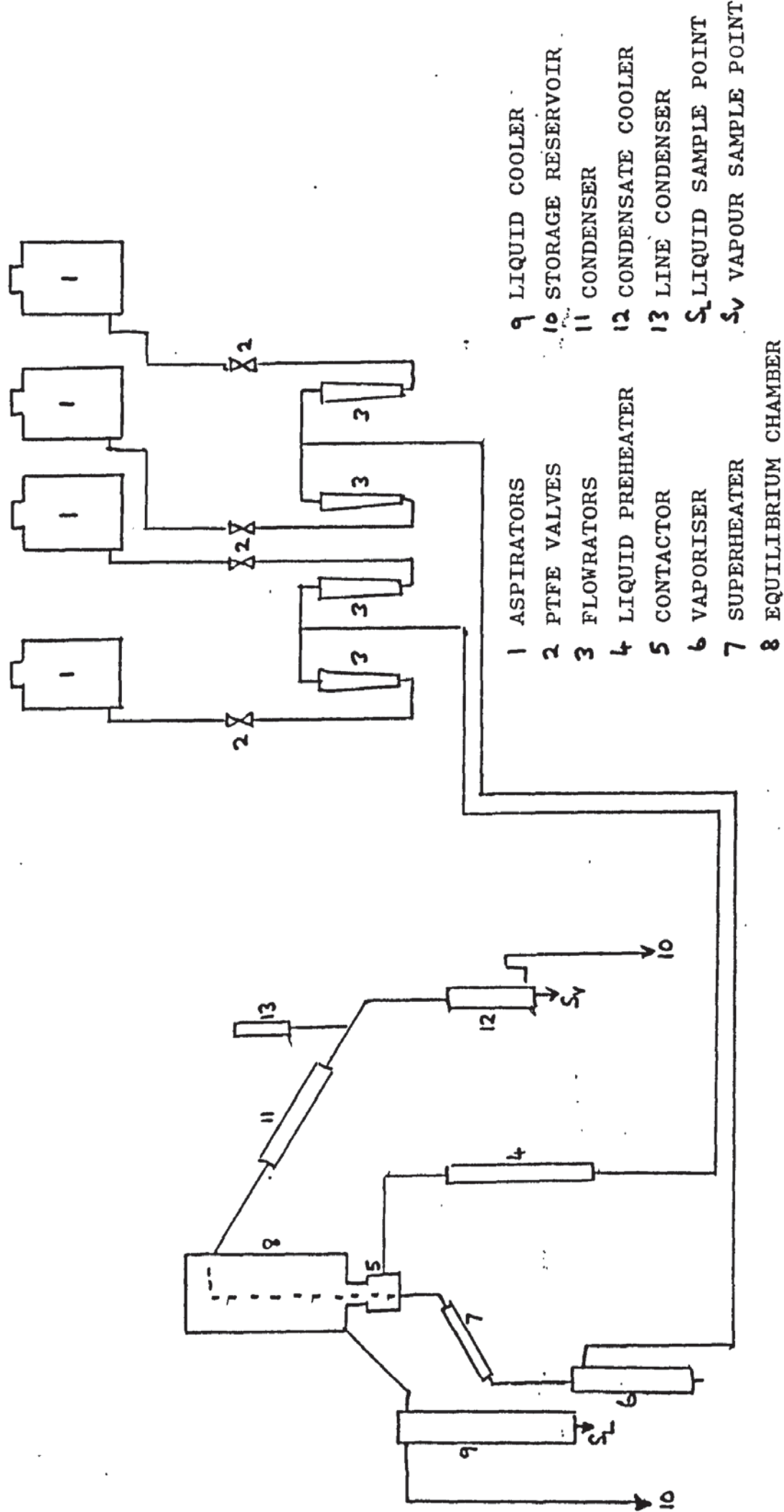
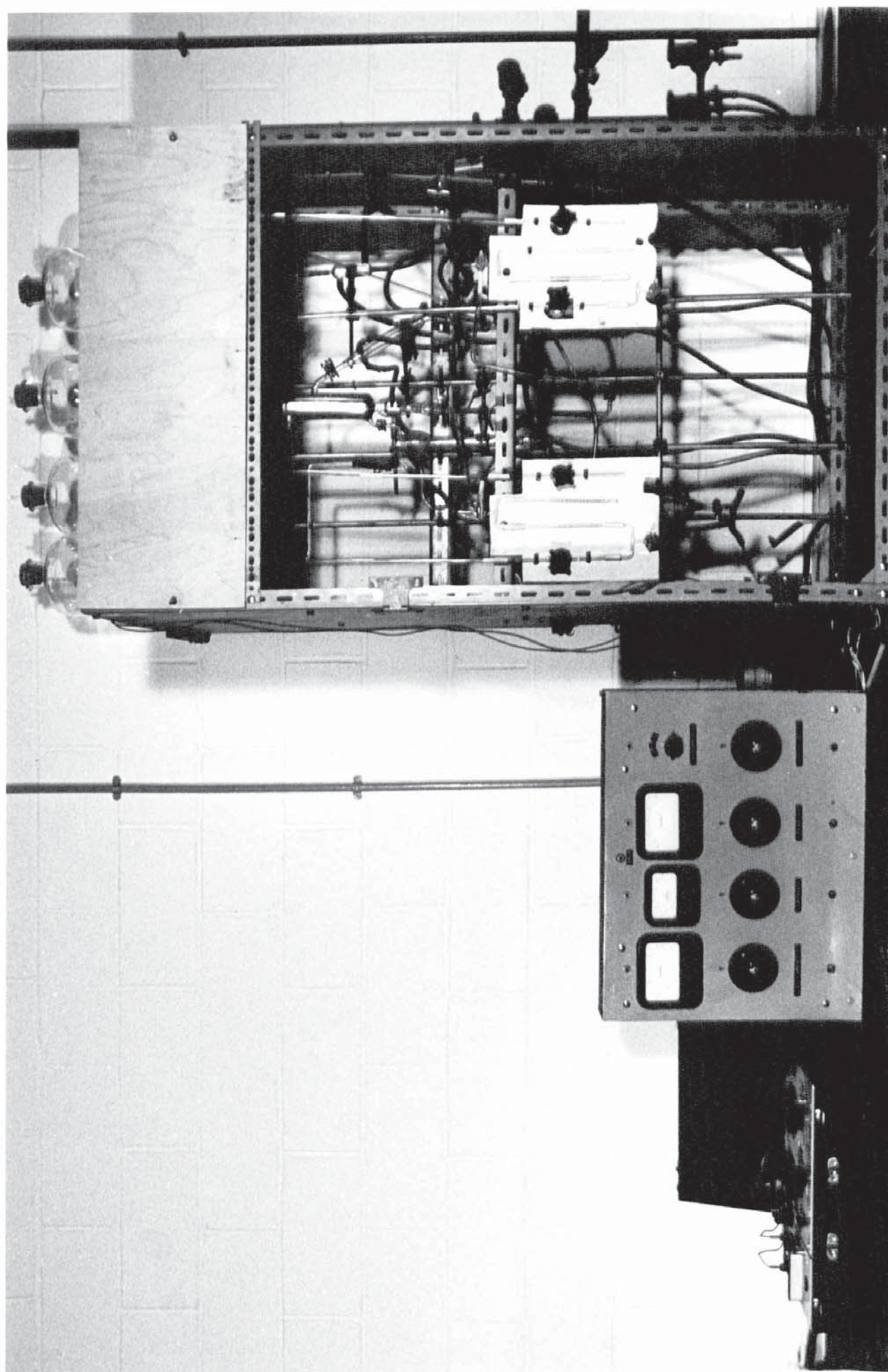


FIG. 8 APPARATUS LAYOUT

PLATE 1

CATHALA STILL APPARATUS



The liquid feed to the vapour (5) from the storage aspirators was controlled and metered in the same manner as the liquid feed to the preheater, and entered into the top of a vertically mounted dropwise film vaporiser, containing stainless steel Oldershaw packing. The heat input to the vaporiser was controllable up to 500 watts and the temperature of the saturated vapour leaving was measured by means of a Chromel-Alumel thermocouple inside a well, which protruded into the exit vapour stream. The vapour then passed into a 100 watt superheater (6), inclined at 15 degrees to the horizontal, to assist drainage as shown in fig 9. The superheater was adjusted to raise the vapour temperature by 10° , the outlet temperature of the vapour being monitored by another Chromel-Alumel thermocouple situated just before the equilibrium chamber.

The superheated vapour was then fed into the base of the mixing chamber and bubbled through the preheated liquid feed. The vapour-liquid mixture then passed up into the equilibrium chamber (7), where equilibrium was approached by passing the mixture up through a vigreux tube at the top which it impinged upon a thermocouple well containing a Chromel-Alumel thermocouple.

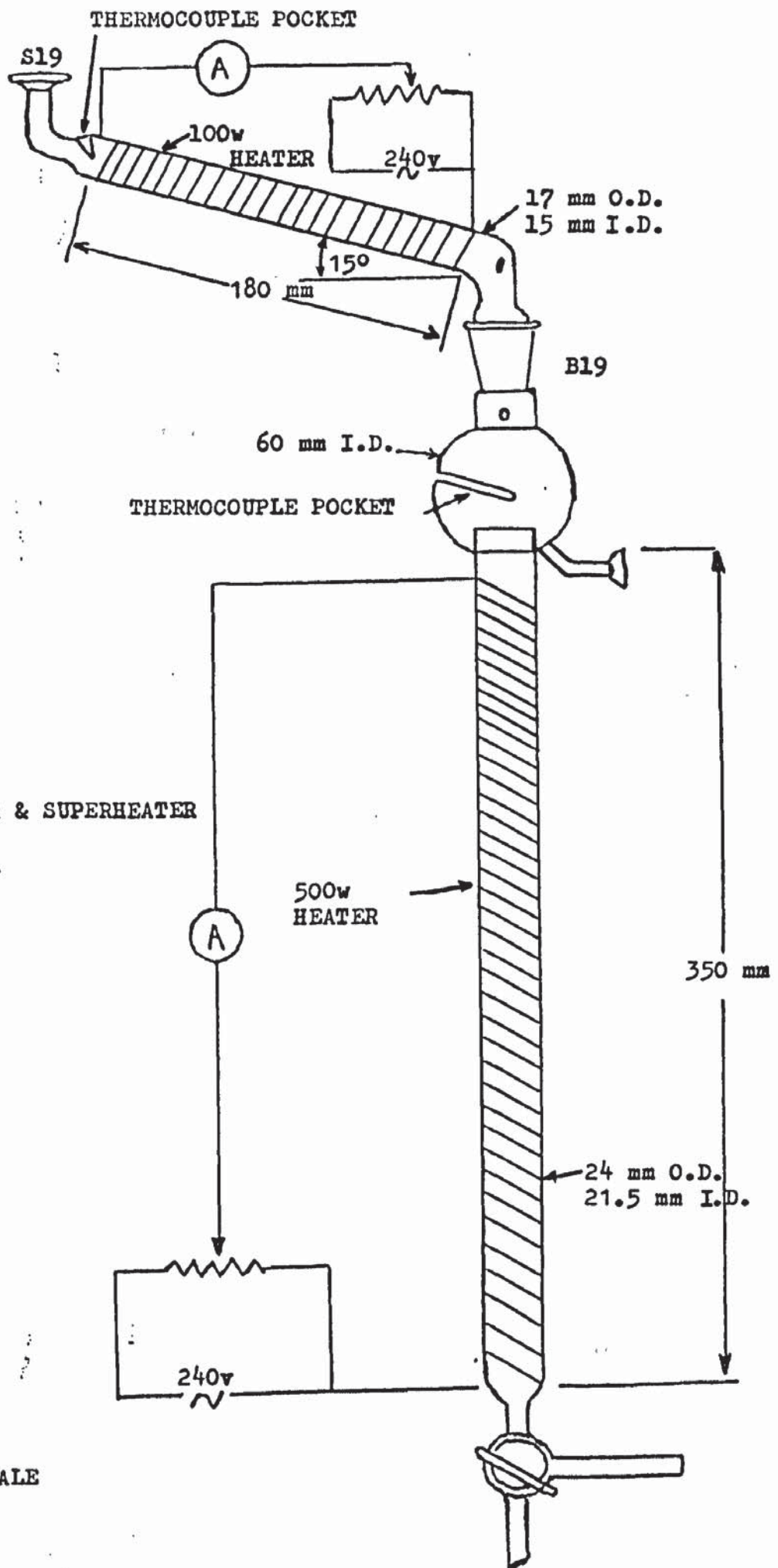


FIG. 9
VAPORISER & SUPERHEATER

NOT TO SCALE

The equilibrium mixture was separated in the de-entrainer section of the still (see fig 10) which was contained within a thermal shield.

The whole of the equilibrium chamber was surrounded by a silvered-evacuated jacket which together with the mixing chamber was well lagged.

The equilibrium liquid phase, separated out in the de-entrainer, flowed into the liquid cooler (8), and thence to a storage reservoir. Samples were removed from the small tap situated at the bottom of the cooler. The equilibrium vapour phase after separation from the liquid, passed out of the still to a condenser (9) and then to a condensate cooler (10), a tap at the base of which provided a sample of the condensed vapour. The remainder flowed to the storage reservoir. The entire rig was capable of operating under pressure or vacuum conditions. Pressure lines were connected to the vapour condenser through a line condenser (11), to the exit from the liquid cooler and to the product storage lines. Pressure control was effected by an Edwards Pressure controller model V.P.C.1., working against the pressure in a surge tank, in conjunction with a water manometer. The entire rig was shielded from draughts by being placed in a plywood cabinet.

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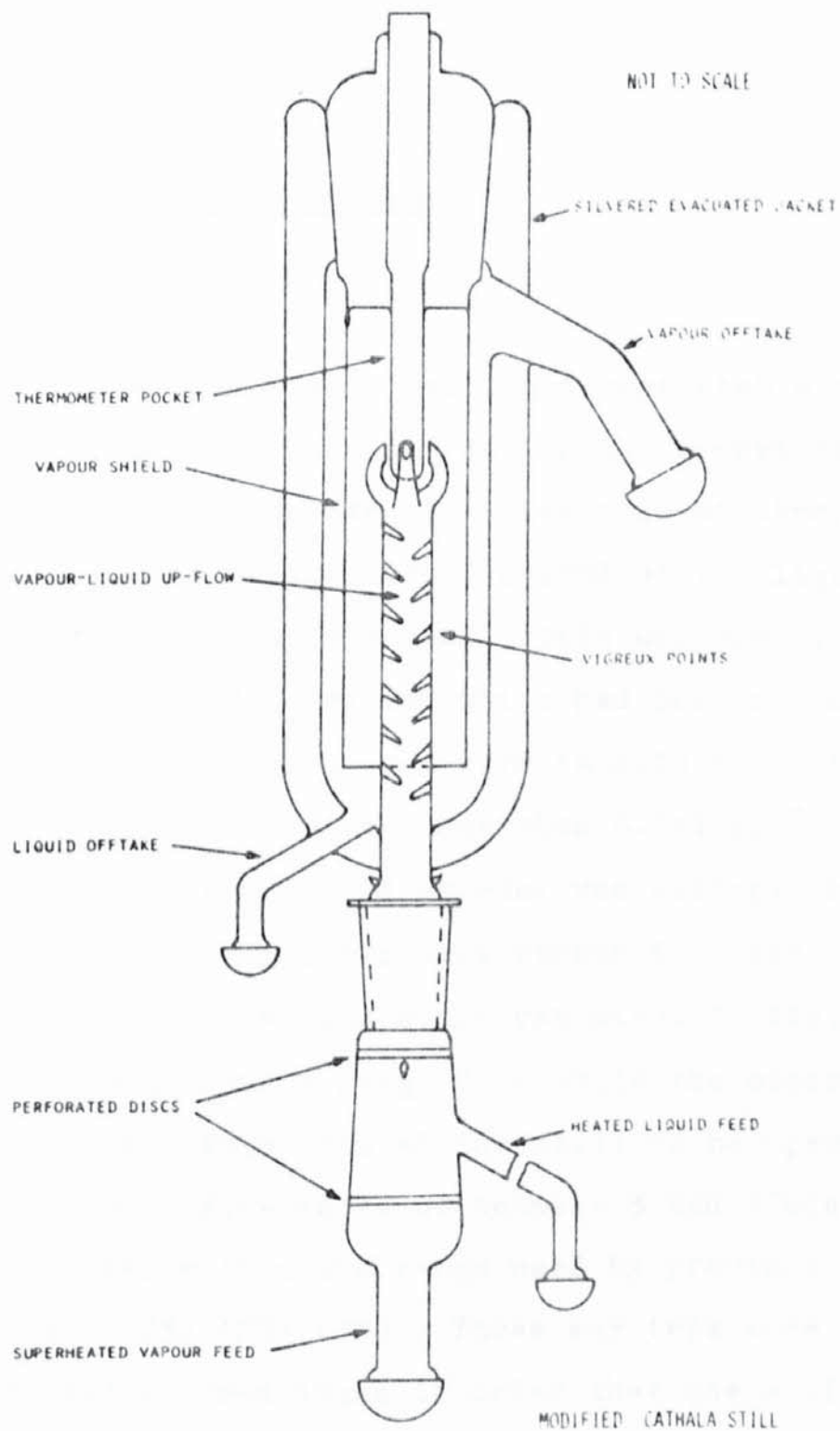


Fig. 10 - Diagrammatic cross section of Modified Cathala Still

6.1.2. The feed system

It was extremely important that stable flow conditions be maintained during the operation of the still for periods of at least 20 minutes, and for this reason close control of the liquid feed flowrates is required. This was achieved by using P.T.F.E. valves which had both a coarse and fine adjustment, and were capable of controlling the flow rates down to less than 0.5 ml min^{-1} . Metering of the liquid streams was accomplished by four $1/16$ " diameter bore Fisher & Porter flowraters containing stainless steel floats, two of which had a range 0-10 while the others were 0-16. This enabled the still to be operated with liquid flow rates of between 3 and 12 mls min^{-1} which lies within the range used by previous workers (C3) (M5) (C5). Three way taps were situated in feed lines in order that the equipment could be drained or vented.

To avoid contamination of the feed components, all connections were of P.T.F.E. tubing or ball and socket glass joints.

6.1.3 The liquid preheater

This consisted of a 35cm long straight glass tube of internal diameter 0.8cm. The heat input was provided by a coil of resistance wire wrapped around the tube, capable of a maximum output of 250 watts. The thermocouple was situated in a well protruding into the liquid flow at the top of the tube.

6.1.4 The Vaporiser and Superheater

The construction of the vaporiser and superheater are illustrated in fig 9. The vaporiser consisted of a tube 35cm long and 1.7cm diameter, wrapped around with resistance wire calculated to give a maximum heat output of 500 watts. A drain tap at the base of the tube gave an outlet by which excess feed could be drained to the storage reservoir in cases where only partial vaporisation occurred. At the top of the tube was situated a glass bulb containing the feed entrance pipe together with a weir to ensure an even distribution of the feed liquid.

The wall of the bulb contained the thermocouple well, whilst the whole of the tube was fitted with stainless steel Oldershaw packing to increase the available heat transfer area.

The superheater was connected to the top of the vaporiser by a B19 ground glass joint and consisted of a 18cm long tube of 1.7cm diameter inclined at 15° to the horizontal to facilitate drainage. The heat input was again a resistance coil of maximum output 100 watts.

All the heaters were connected to 'Variac' variable transformers situated in a control panel to the left of the main apparatus.

Davis (D4) has calculated the holdups in the vaporiser and liquid preheater to be between 2 and 3 minutes for flowrates of between 8 and 12ml min^{-1} which is approximately one third of the residence time for Cathala's second still, whilst the residence time in the superheater was calculated to be of the order of a few seconds only.

6.1.5. The Equilibrium Still

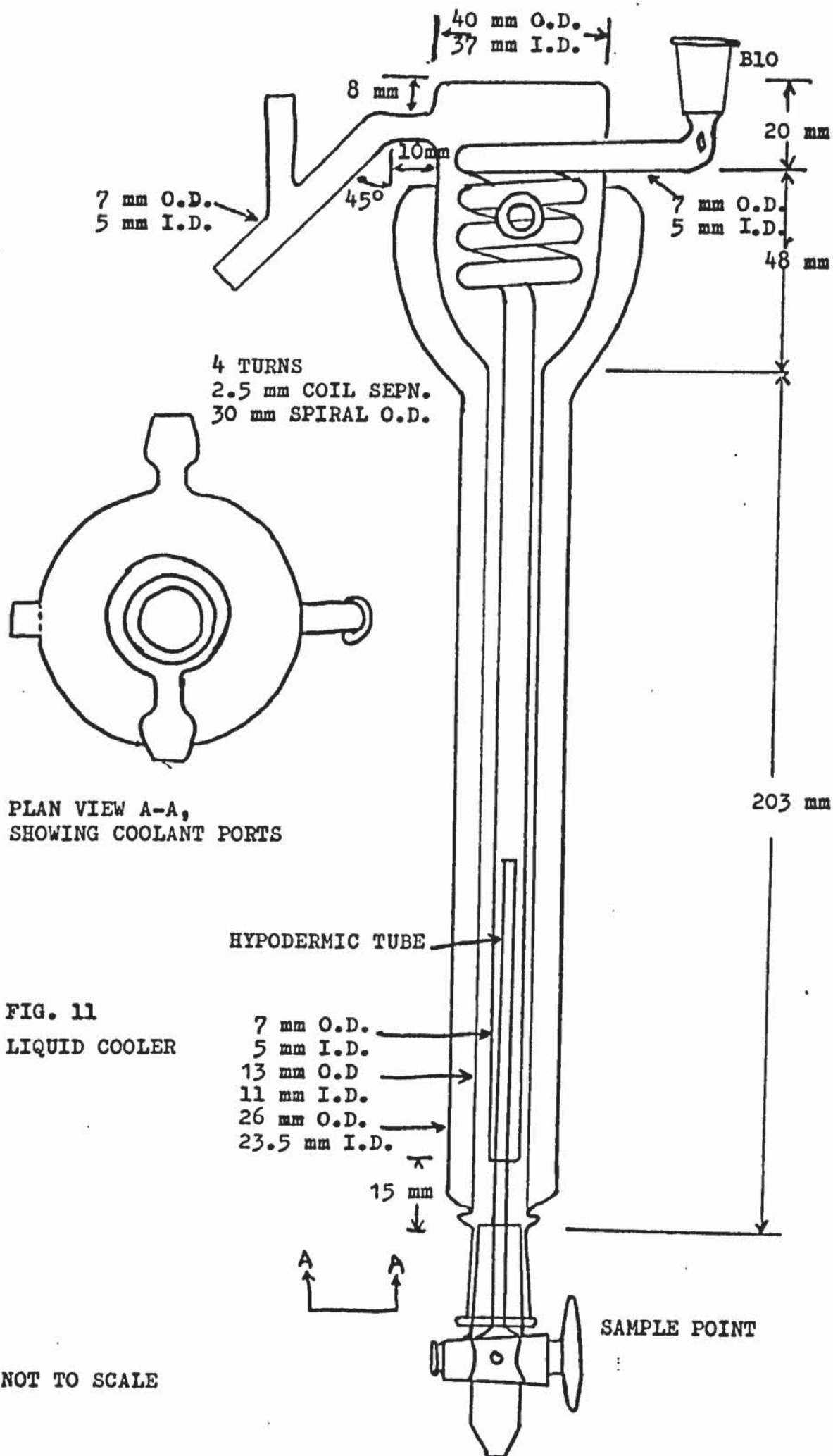
The lower part of the equilibrium still consisted of a detachable mixing chamber containing the two parallel sieve plates of 1.6cm and 2.4cm diameter, each plate containing 52 0.05cm diameter holes. The superheated vapour entered through the base of the contactor and bubbled through the preheated liquid, which entered between the two sieve plates. The mixture of vapour and liquid flowed up through the vigreux column shown in fig 10 before passing out through the four discharge port holes onto the thermocouple well situated so that it just fitted into the discharge head of the vigreux column. The vigreux column was surrounded by a thermal shield of 2.6cm diameter which reached nearly to the bottom of the equilibrium chamber. The vapour offtake line was situated at the top of the equilibrium chamber and inclined at 60° to the horizontal to assist drainage of any precondensate into the vapour product receiver system, whilst the liquid exit line ran from the base of the chamber as shown in the figure.

By adjusting the back pressure on the liquid overflow line, it was possible to maintain the equilibrium liquid level at the base of the equilibrium chamber thus preventing any escape of vapour along the line. The whole equilibrium chamber was enclosed within a silvered evacuated jacket to eliminate as far as possible any partial condensation of the equilibrium vapour. Originally the still was surrounded by a 150 watt resistance heater, but this was dispensed with since it was felt that this would set up thermal stresses which may have contributed to a fracture which appeared in an earlier still. Instead the equipment was thoroughly lagged and completely enclosed in a cabinet to avoid draughts. Subsequent operating experience indicated that these precautions were sufficient.

6.1.6 The liquid cooler and vapour condenser/ cooler system

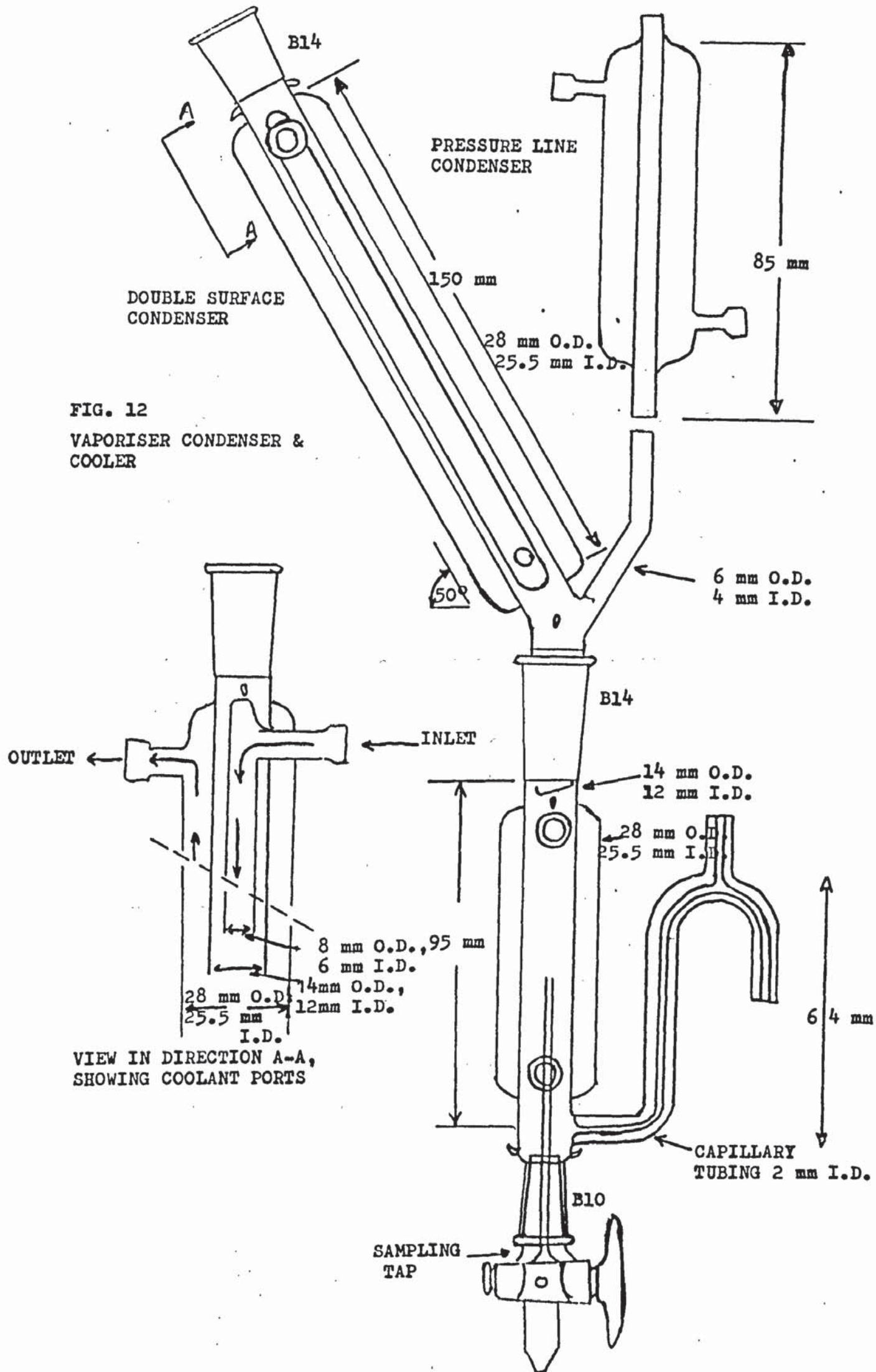
An outline of the liquid cooler is shown in fig 11. The liquid flowed from the base of the still through a spiral coil connected to a 44cm long downcomer tube. From the exit at the base of the cooler the liquid passed up over the outside surfaces of the coil and tube, and thence through the outlet port situated at the top of the cooler, opposite the inlet port and at the higher level. Cooling was by means of water circulating in the outer jacket whilst the area available for heat transfer was approximately 30cm^2 .

Sampling of the liquid phase was achieved by opening the top at the base of the cooler which was connected to a capillary tube which extended approximately two thirds of the way up the downcomer. This arrangement avoided any backmixing at the base of the cooler and minimised the liquid hold up.



The vapour passed to a water cooled double surface condenser inclined at 60° to the horizontal. The heat transfer area was calculated to be 95cm^2 . A condensate cooler was attached to the base of the condenser which also acted as a product sampling reservoir as shown in fig 12. The height of the liquid in the cooler was controlled by a capillary outlet weir and samples were taken from a tap at the base of the cooler connected to a capillary tube which extended approximately to one half of the liquid level. The base of the condenser was connected to the pressure control system through a small line condenser, which prevented any vapour leakage.

The overflow lines from the liquid cooler, the condensate cooler and the vaporiser drain point were all connected and fed into a 10 litre product storage reservoir which was vented to the pressure controller system.



6.1.7 Pressure Control and Temperature measurement.

Since it was desired to operate the still at a constant pressure of 760mm of mercury during the experimental programme it was necessary to provide a means of adjusting the pressure on the occasions when the barometer gave readings other than 760.

If it was necessary to reduce the pressure, a water ejector capable of pulling a vacuum of nearly 20cm of mercury was connected to the 15 litre surge tank or conversely an air bleed was applied when the atmospheric pressure was less than 760mm. The surge tank pressure was controlled by an Edwards pressure controller model V.P.C.1, and the changes monitored by a water manometer. Control was possible to less than 0.1mm of mercury.

The equilibrium boiling temperature was measured by means of a Chromel-Alumel thermocouple

situated in an oil filled pocket in the top of the equilibrium chamber.

The cold junction was immersed in crushed ice contained in a Dewar flask and the output voltage measured by a Pye potentiometer. The thermocouple was capable of measurement to within 0.02°K which was found to be adequate. The thermocouple was calibrated against a factory supplied thermocouple of known voltage/temperature characteristics.

Both thermocouples were placed in a small oil bath containing a resistance heater and the readings of the potentiometer noted at various temperatures. A similar procedure was followed with the three other thermocouples used to monitor the temperature in the various parts of the equipment. These had a common cold junction of crushed ice contained in another Dewar flask and the outputs were fed via a multipoint switch to the Pye potentiometer which was used to measure the temperature.

6.2 Determination of V.L.E. data

6.2.1. The preparation of the materials

The starting materials used were 'Analar' Ethyl Acetate, Butyl Acetate and n-Butanol. Twenty five litres of each component were first distilled in a fifty plate, one inch diameter Oldershaw column at a high reflux ratio until a product was obtained whose refractive index and boiling point were in close agreement with literature values (see Appendix A6). In addition the purity of each component was checked by injection into a chromatograph using stainless steel columns packed with 10% W/W polyethylene glycol (PEG 400) on 100-120 mesh celite support. The absence of any peaks at a very low attenuation, other than the one due to the required component was taken as confirmation of purity.

6.2.2. The methods of analysis

In previous work with the Cathala still, Davis (D4) used a Gas-Liquid Chromatograph with a Flame Ionization Detector as the method of analysis. In order to determine whether the anomalous results obtained for two of the systems investigated could be due to errors in the analysis it was decided to use the same equipment and to also analyse the samples by their refractive index.

6.2.3. Analysis by Refractive index

The samples were analysed using a high accuracy Abbe' refractometer with Sodium D light capable of reading to five figures. Temperature control was by means of water circulating from an external water bath whose temperature was kept constant with a temperature controller. Refractive index/composition plots at 25°C were prepared for the systems Ethyl Acetate-n-Butanol, n-Butyl Acetate-n-Butanol, Ethyl Acetate-n-Butyl Acetate and are listed in Appendix A6.

6.2.4 Analysis by Gas Liquid Chromatography

In his work, Davies (D4) employed an internal standardisation technique using iso-octane (2,2,4 trimethylpentane) as a reference compound. Since this was found to give satisfactory results, it was decided that the same method would be used.

The equipment is shown in fig 13. Argon was used as the carrier gas, and was passed through two 0.25 inch I.D. stainless steel columns five feet long, packed with 10% w/w polyethylene glycol (PEG 400) on 100-120 mesh celite support contained in a constant temperature oven, controlled by a temperature programming unit. A hydrogen/air flame was burnt in each detector head. The carrier gas flowrate was set to 40ml min⁻¹ as was that of the hydrogen. The air flowrate was set at 500ml min⁻¹ giving an air : hydrogen ratio of 15:1 necessary to minimise condensation in the detectors. Control of the flowrates was by means of pressure gauge regulators attached to the gas cylinders and by flow restrictors situated on top of the oven.

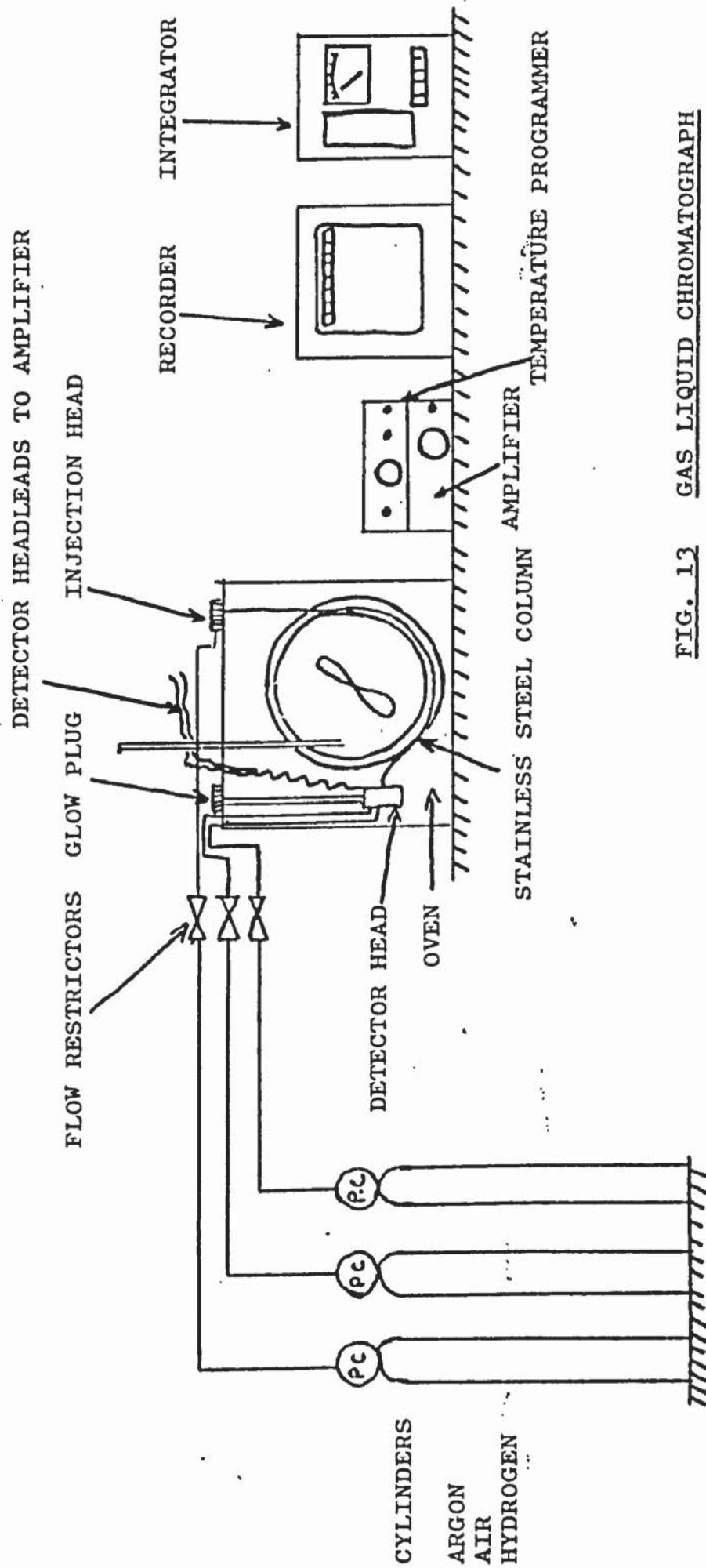


FIG. 13 GAS LIQUID CHROMATOGRAPH

It was also found that improved control could be obtained by placing needle valves in the gas feed lines. The hydrogen, air and argon pressure regulations were calibrated for flow rate against gauge pressure over a range 0-700ml min⁻¹ for air and 0-200ml min⁻¹ for argon and hydrogen using a bubble flowmeter. To prevent base-line drift and recorder-pen fluctuations, it was thought necessary to use high purity air, white spot hydrogen and commercial-grade argon.

The concentrations of the components were measured by means of a Flame Ionisation Detector, the output from which was fed to a Kent recorder and a Kent Chromolog Integrator.

Prior to use it was necessary to calibrate the chromatograph and to evaluate the response factors of the compounds to be used with respect to iso-octane.

To evaluate the response factors, a sample was made up of 10gms of the compound and 1.67gms of iso-octane. A 0.1 μ L sample was injected into the chromatograph and the resulting peak areas recorded.

This was repeated ten times and average values of the peak areas taken. By setting the response factors of the reference compound to unity the response factor of the compound may be calculated. This was repeated for all compounds.

Having obtained the response factors of all the compounds, it was then possible to calibrate the chromatograph. Binary samples of the components ethyl acetate, butyl acetate and butyl alcohol were made up weighing in total 10 gms each. 1.67 gms. of iso-octane was added to each sample and 0.1 μ L of the resulting mixture injected into the chromatograph. This was repeated ten times for each of the samples and average values of the peak areas recorded. For each component the quantity $f_x A_x / \sum f_A$ was calculated. Where :

- f_x - response factor of component x .
- A_x - peak area of component x .
- $\sum f_A$ - sum of peak area times response factors for all components in the sample.

From these results a calibration curve of $f_x A_x / \sum f_A$ against weight % present in the sample could be constructed.

However it was found that the factor $f_{x_A} / \sum f_A$ was directly equal to the weight fraction of the component in the sample. This was also observed by Davies and other workers. The worst error in making this assumption was found to be $\pm 2.0\%$ at extreme concentrations, whilst the smallest was found to be of the order of $\pm 0.2\%$.

To analyse a sample the gas flow rates were set at the specified values and the temperature of the oven controlled at 100°C . The attenuation switch was set at 50×10^3 which was the same as that used during the calibrations and which gave on-scale peaks over the entire concentration ranges. 3mls of the sample were taken and added to 0.42 gms. of iso-octane in a sample bottle. The mixture was shaken and 0.1 μL was injected in the chromatograph using a 0-1.0 μL syringe. The peak areas were noted from the integrator and the procedure repeated to ensure reproducibility. The time taken to analyse a sample was a maximum of seven minutes.

The response factors were periodically re-evaluated as these change gradually with time.

6.3 Operation of the Still.

After ensuring that the overhead reservoirs contained sufficient liquid, the liquid feed lines were cleared of any entrapped air bubbles. Crushed ice was placed in the thermocouple cold junction flasks and the thermocouple potentiometer switched on and allowed to warm up for at least an hour prior to the commencement of the experimental run. The barometric pressure was noted and the pressure controller was adjusted to give an absolute pressure of 760 mm of mercury in the apparatus.

The feed was passed into the vaporiser and the heater input adjusted to give complete vaporisation. The vapour passed up through the superheater where the input was adjusted with the aid of the thermocouple to raise its temperature by 10 degrees. Superheated vapour was blown through the apparatus for 5-10 minutes to warm up the vigreux column and the de-entrainer surfaces. Preheated liquid feed heated to just below its boiling point was then introduced onto the lower of the two plates in the contactor.

When the temperature in the equilibrium chamber remained steady within $\pm 0.05^{\circ}\text{C}$ it was assumed that the system had reached equilibrium.

After 10 minutes of steady operation, samples of liquid and vapour condensate were taken for analysis and the equilibrium temperature noted.

After removal of the samples, the feed streams were altered in a manner such that whilst the overall flows to the vaporiser and liquid pre-heater remained approximately the same, their compositions were different. This procedure enabled adjustment of the heaters to be kept to a minimum. The system was then allowed to come to equilibrium again.

Flow rates of both liquid and vapour streams were maintained between 3 and 12ml min^{-1} which was the range used by Davies (D4), Marek (M5) and Cathala (C5).

6.4 Sources of error in the Cathala Still

Consideration of the structure of the Cathala still shows that there exists a number of features which may lead to thermodynamically inconsistent results. It was a primary aim of this work to show that these effects, although impossible to eliminate entirely, do not render the Cathala still unsuitable as a means of obtaining equilibrium data.

The first major possibility is that although the system reaches an apparently stationary state, this may not correspond to true equilibrium since the contact time is very small. In order to check the assumption of equilibrium, the still was operated with the vapour feed richer in the more volatile component and vice-versa. Provided equilibrium is attained in the still, the points obtained by both procedures should lie on the same curve. A second possibility is that liquid droplets may be entrained by the vapour. It was hoped that due to turbulence and the change in the direction of the vapour stream that the majority of the entrainment would be eliminated

due to coalescence on the thermal shield and the de-entrainer walls. To minimise errors due to partial condensation of the equilibrium vapour phase the whole of the equilibrium chamber was enclosed in a silvered evacuated jacket and the external surface of the entire still well lagged. The co-current passage of the vapour and liquid together with the mixing effect caused by the vigreux points would, it was hoped, eliminate any error due to the existence of concentration gradients in the boiling liquid. Errors in the sampling of the liquid phase due to backmixing were minimised by taking the sample from two thirds of the way up the downcomer tube and allowing the still to operate for more than 10 minutes at the steady state. Finally, however, carefully the heater inputs were adjusted it was impossible to eliminate entirely small fluctuations in the vapour and feed flowrates.

7. Discussion of Results.

7.1 Application of consistency tests to Cathala still data.

The experimental vapour liquid equilibrium data is given in tables - with the graphs of vapour composition against liquid phase composition shown in figs. 15-18. The data for the system ethyl acetate-n-butanol is in close agreement with that of Davies et al (D3) but shows considerable scatter. In the n-butanol-n-butyl acetate system an azeotrope was detected at a concentration of 72.6 mole % n-butanol, in contrast to the value reported by Brunjes and Furnas (B19) of 72.9 mole % and Sheinker and Persleni's (S9) value of 78.0 mole %. However the azeotropic boiling point was found to be 117.2°C at 760 mm Hg against the former's 116.5°C and the latter's 116.9°C. The azeotropic data was confirmed by direct measurement in the Oldershaw column. For ethyl acetate-n-butyl acetate, the only available data for comparison is that of Davies et al (D3). The slightly anomalous values they reported could be attributed to the use of the three term Antoine equation with slightly erroneous constants. Before correlating the data with

one of the previously discussed liquid phase models, consistency tests were carried out to check for the presence of systematic error. The tests used were Ulrichson and Stevenson's (U1) modification of the local area test of Stevenson and Sater (S12) and a version of the Herington test (H5) due to Samuels (S4). In addition the data was tested during the Barker fit of the data to the liquid phase model by the method suggested by Van Ness (B21) and others. Because the different data sets exhibit different levels of random error and also may deviate systematically from each other, this analysis should give some indication not only of the reliability of the Cathala flow still but also that of the consistency tests used.

Figures 17 and 18 are y - χ against X plots for the two systems ethyl acetate-*n*-butyl acetate and *n*-butanol-*n*-butyl acetate. Both the data based on refractive index analysis and those obtained by G.L.C. analysis are shown. The ethyl acetate-*n*-butyl acetate system plot shows that the refractive index data lie very well on the smooth curve. The G.L.C. results, as expected show a higher random error. Further, a curve drawn through them would not be identical with that drawn through the refractive index points. An examination of the same plot for

the azeotropic system n-butanol-n-butyl acetate, shows first that the differences $y-X$ are much smaller for this system and record that there is a higher level of random error in the refractive index data in this system. Since the two pure components have refractive indices that lie closely together this is to be expected. The azeotrope compositions are not the same for the two methods of analysis (refractive index 72.6%, G.L.C. 72.2%). Since the higher figure was confirmed by the separate tests in the Oldershaw column, this indicates the possibility of systematic deviations between the data sets. An inspection of the plot shows a marked deviation above the azeotrope and less well marked deviations elsewhere. One rogue G.L.C. point may also be noted.

Fig. 16 is a plot of y versus X for the azeotropic system n-butanol-n-butyl acetate. Here the refractive index data alone are plotted, with the limited of Brunjes and Furnas (B19) and Sheinker and Persleni (S9) included to enable a comparison between those data and the data of this work to be made. As already noted, the azeotrope composition and normal boiling temperature obtained from the vapour-liquid equilibrium experiments with

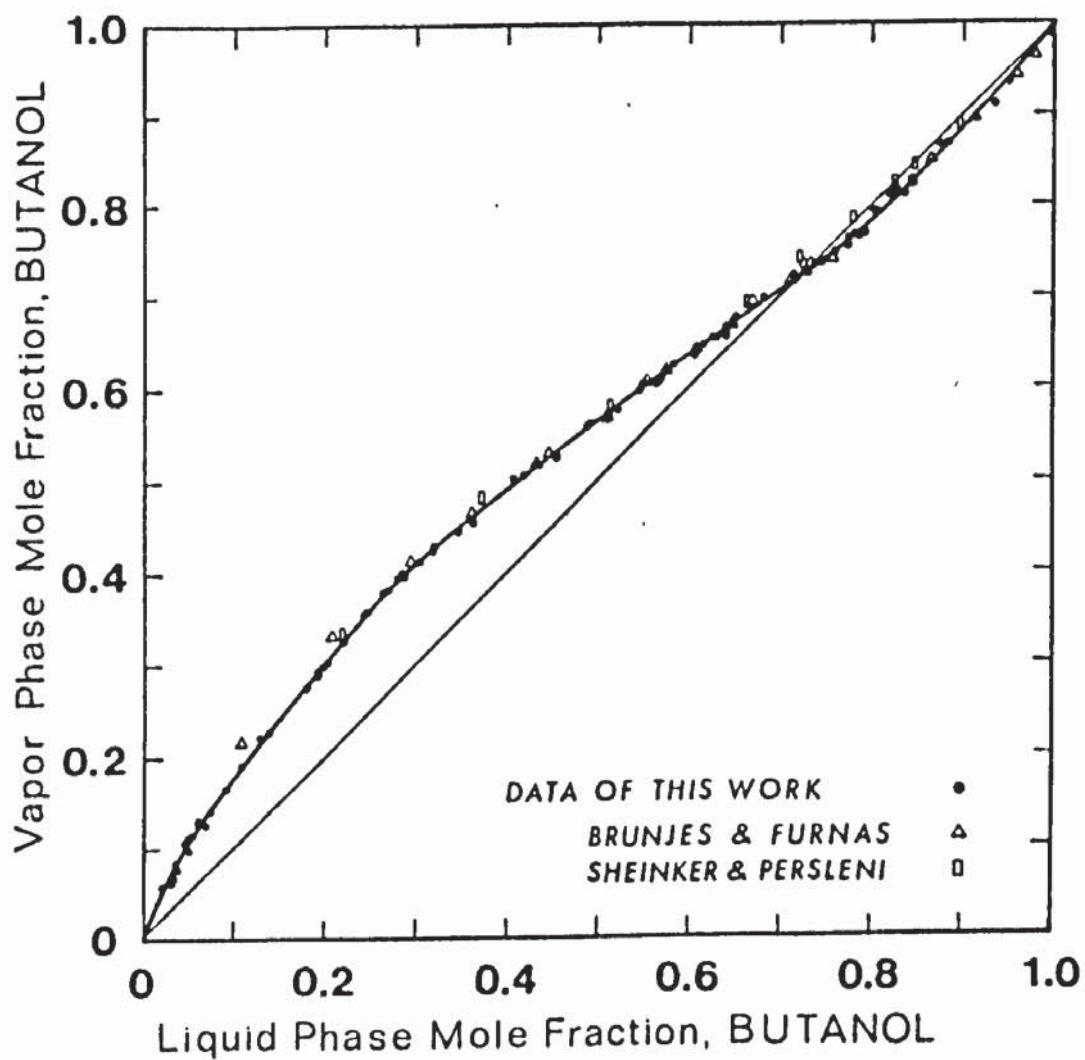


Fig. 15 - Plot of vapour phase mole fraction y against liquid phase mole fraction, x for the system n-butanol - n-butyl acetate

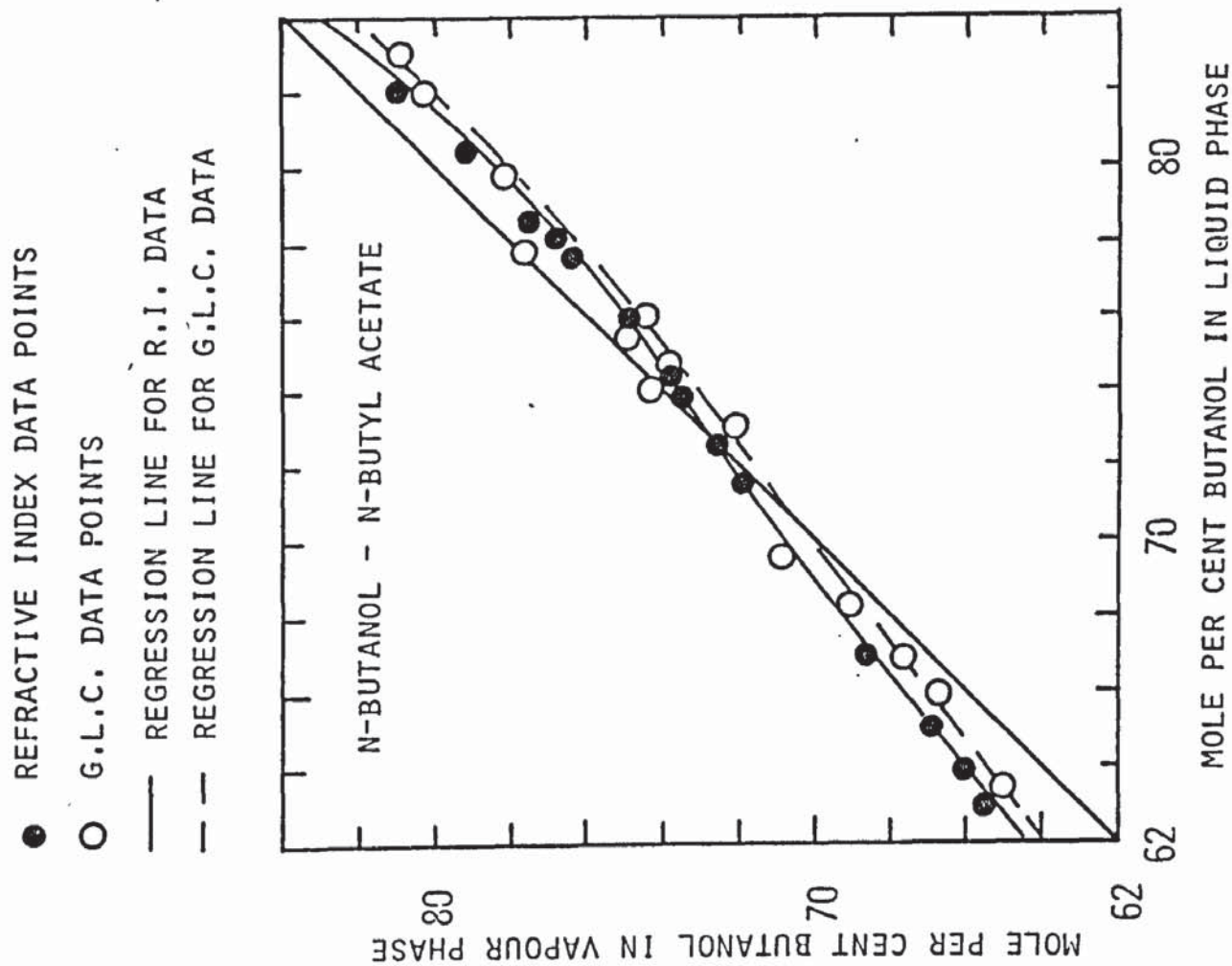
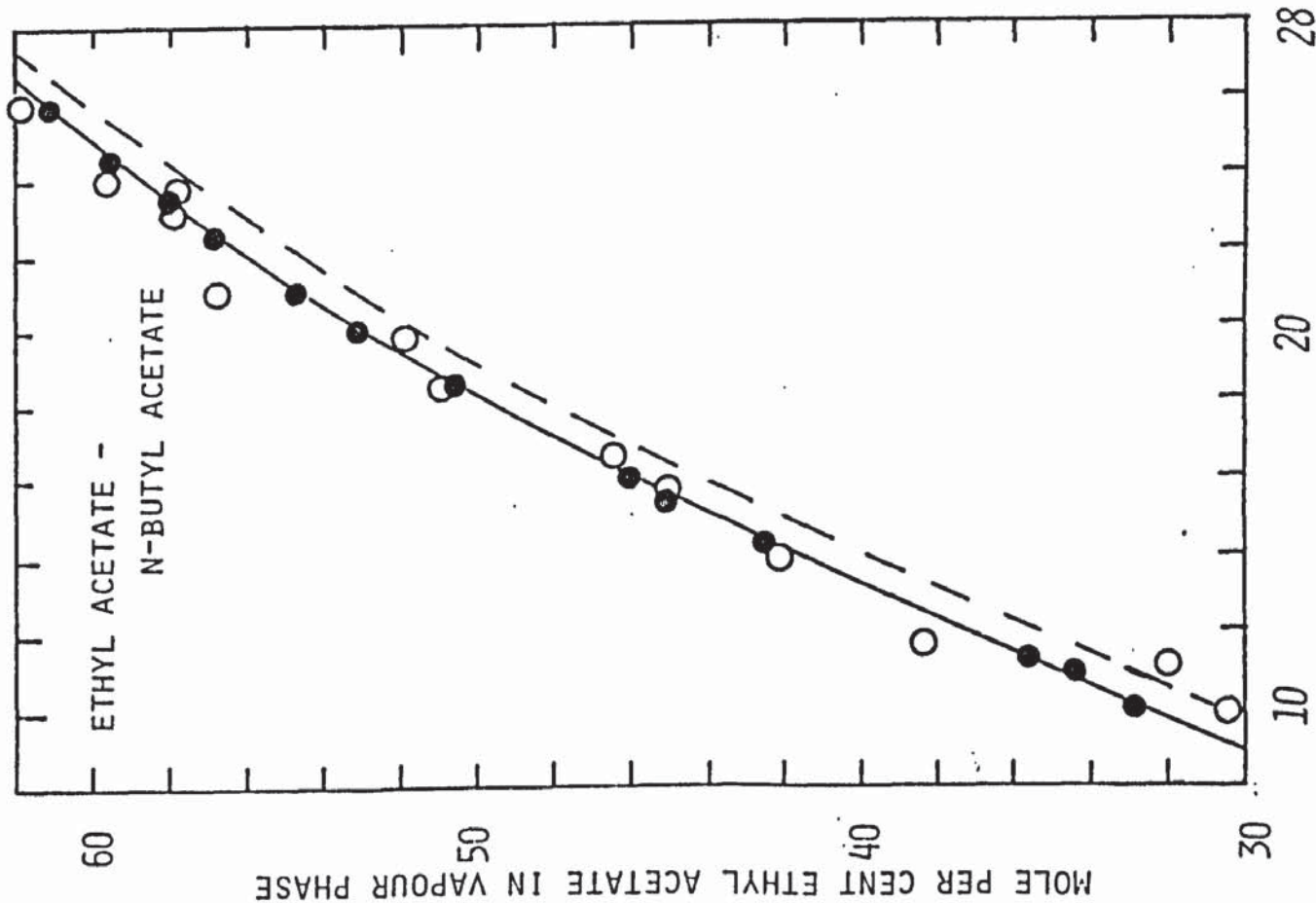


FIG. 16: PORTIONS OF X-Y DIAGRAMS FOR TWO SYSTEMS

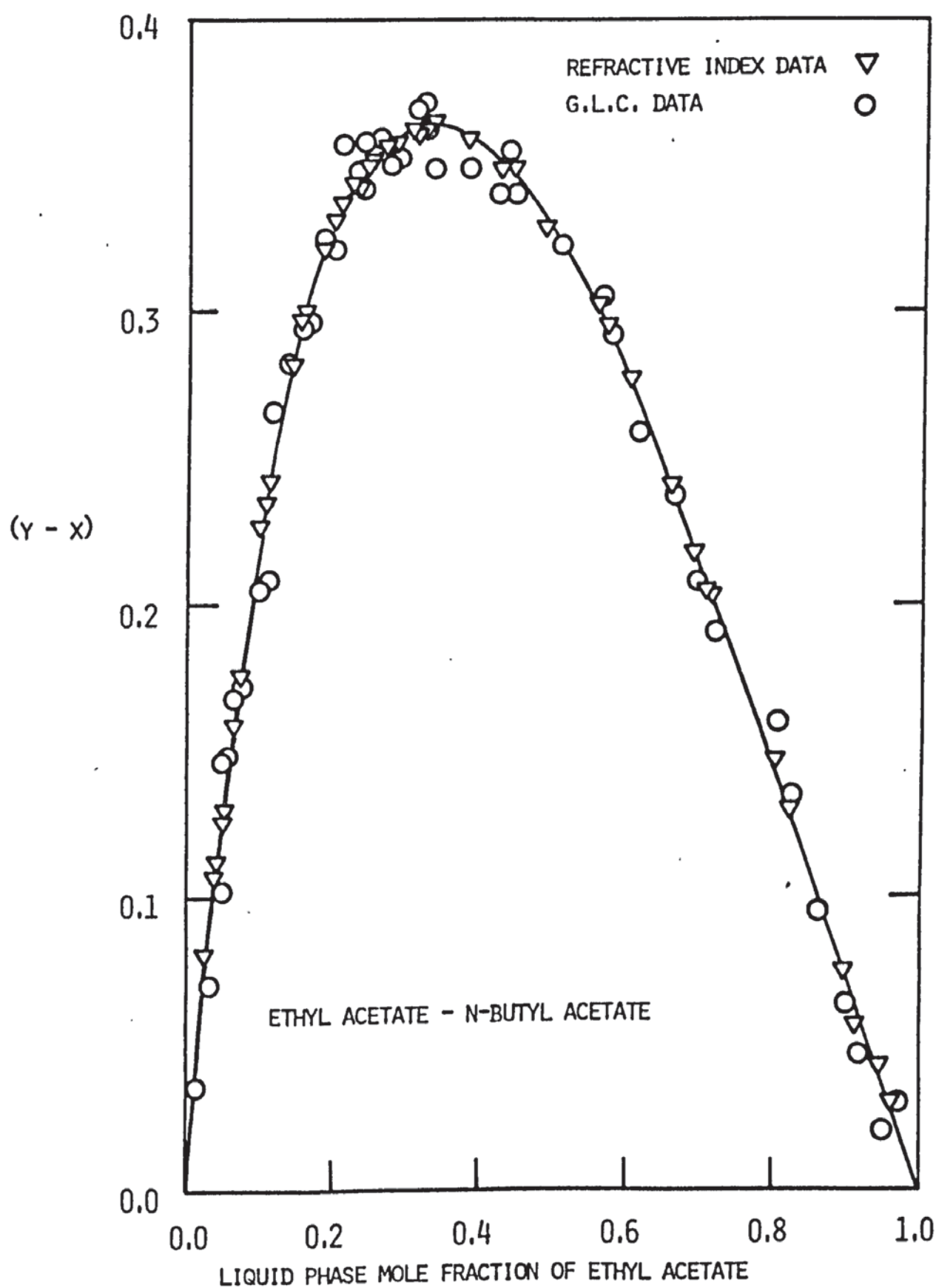


FIG. 17 (y-x) vs. x PLOT FOR ETHYL ACETATE - N-BUTYL ACETATE (SYSTEM 1)

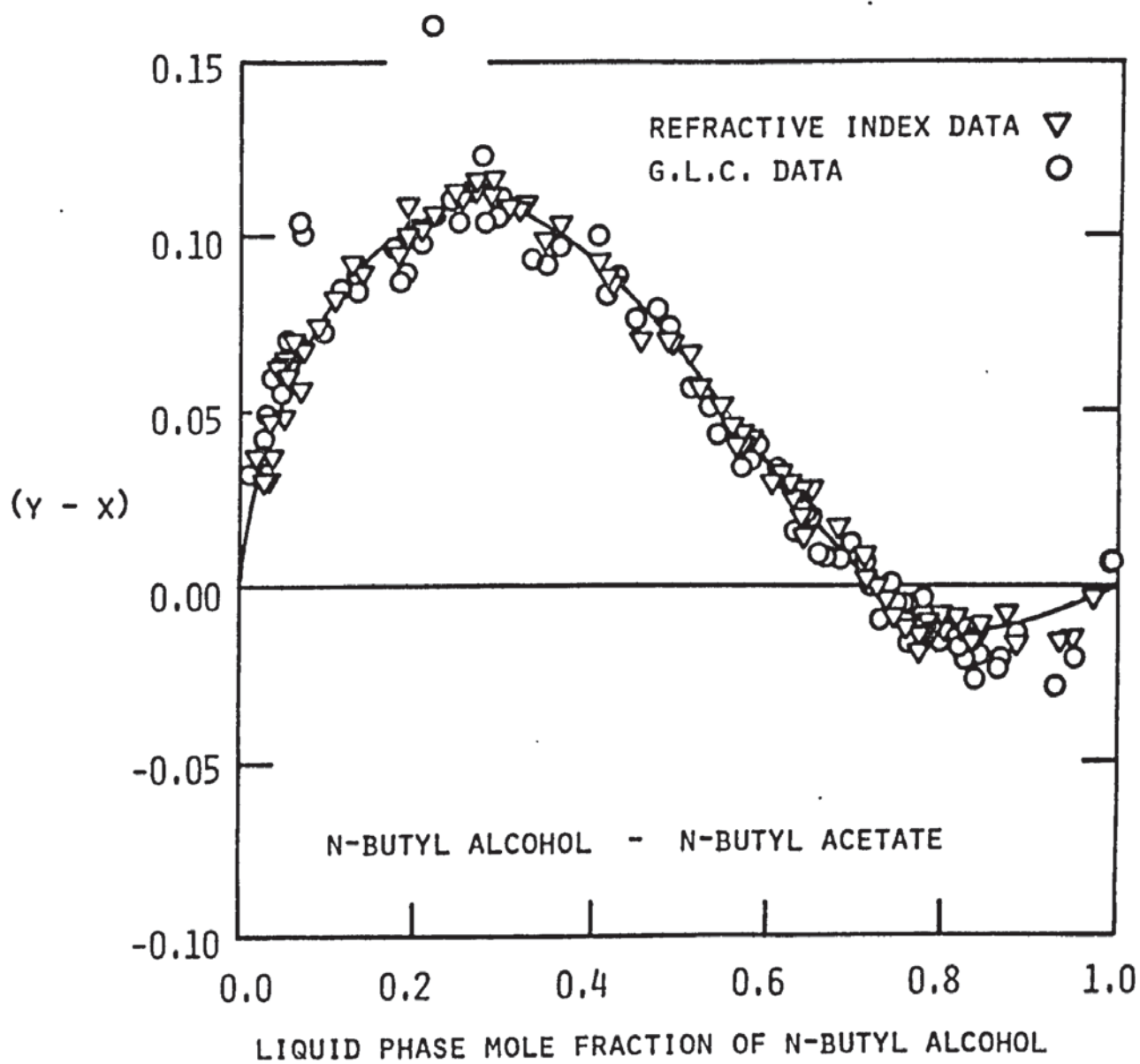


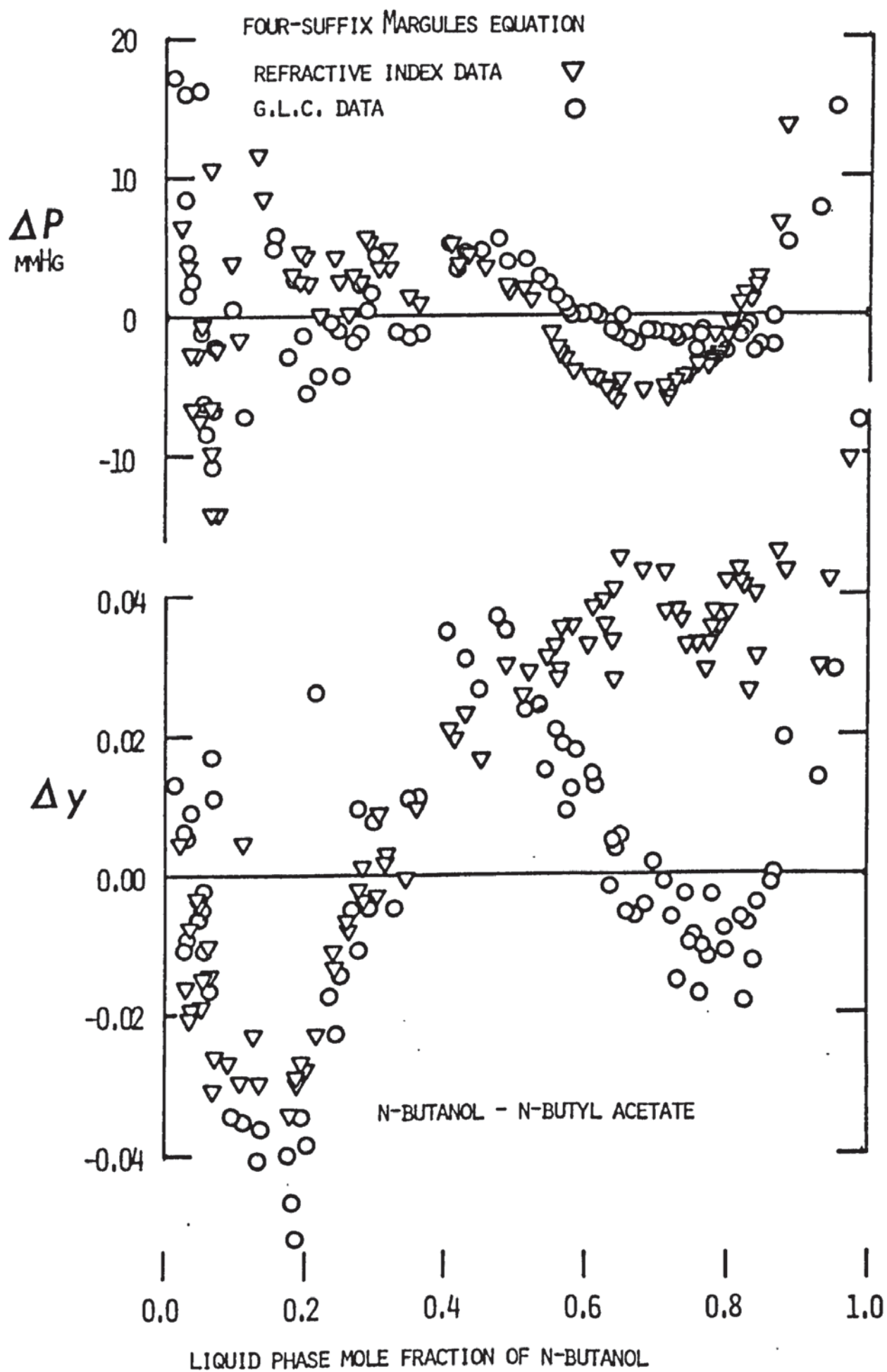
FIG. 18 $(y-x)$ vs. x PLOT FOR N-BUTANOL - N-BUTYL ACETATE (SYSTEM 2)

refractive index analysis are virtually identical with those obtained in the confirmation experiments on the 50 plate Oldershaw still. Comparison of the azeotrope conditions with those found by the other workers shows that in one case the boiling temperatures are close, but the composition is different from that obtained here and for the other the converse is true.

Application of the consistency tests should give results that reflect the different levels of random error for the various data sets. Essentially there exists in the data sets four different levels of random error, the level of error being least for the ethyl acetate-n-butyl acetate refractive index data ~~and greatest for the two sets of refractive index data~~, and greatest for the two sets of G.L.C. data.

The remaining figures are plots of the results of the consistency tests. In carrying out the first test (the F (a,b) test) the volume change on mixing term was neglected, and the enthalpy of mixing was calculated by the method of Orye (03) from the Wilson parameters obtained in the Barker fit (B3) of the data used for the third test.

FIG. 19 ΔP AND Δy PLOTS FOR N-BUTANOL - N-BUTYL ACETATE



All the three tests were implemented by computer programmes developed for this work. In these vapour phase behaviour is modelled by the methods presented by Prausnitz et al (P6). The Barker fits were carried out with seven activity coefficient equations - Wilson, two and three parameter NRTL, UNIQUAC and the three Margules equations discussed by Van Ness (A1). Marginally better fits were obtained with the four suffix Margules equation. The values obtained for correlation parameters are summarised in Table A71. It will be noted that the different levels of random error embodied in the respective analytical techniques have a marked effect on the values obtained for the correlation parameters. For the systems ethyl acetate-n-butanol and ethyl acetate-n-butyl acetate all the equations correlated the refractive index data almost equally well. This is probably because the ethyl acetate-butyl acetate system is nearly ideal and the ethyl acetate-n-butanol data are of poor quality. In these circumstances the more complex NRTL and UNIQUAC equations offer no advantage over the Margules equation. However for the n-butanol-n-butyl acetate system the 3 parameter NRTL equation was significantly better.

The data obtained by G.L.C. based analysis provided different conclusions. The ethyl acetate-

butyl acetate system was best fitted by the three parameter NRTL equation. This is possibly accounted for by the level of random error in the G.L.C. analysis giving the appearance of complex liquid phase behaviour. The n-butanol-n-butyl acetate system produces similar but not so pronounced trends.

The refractive index data was considerably better correlated than the G.L.C. data. This is confirmed by fig. 15 wherein portions of the V.L.E. curve for the ethyl acetate-butyl acetate and butanol-butyl acetate systems are reproduced showing the regression lines fitted to the G.L.C. and refractive index using the Wilson model. It can be seen that the G.L.C. regression line gives a deviation in calculated vapour composition from the experimental composition of approximately 1.5%. For the butanol-butyl acetate system the difference is not so large but the regression line predicts an azeotrope at a composition approximately 2% less than that obtained experimentally. It can be seen from Table A7.2 that for the systems containing butanol, correlating the data with α as an adjustable parameter produces values greater than the range 0.2 - 0.47 considered by Renon and Prausnitz (R11) to be physically significant. Taken with

evidence from the consistency tests to be discussed later, it was felt that these values could possibly be due to liquid phase association effects in n-butanol. The ethyl acetate-butyl acetate showed no such behaviour, the values of α being close to the value of 0.3 fixed in the 2 parameter equation.

The results of applying the $F(a,b)$ test to the system ethyl acetate-n-butyl acetate are shown in fig. 20. It can be seen immediately that the $F(a,b)$ values are randomly distributed about the zero line. On closer examination it can be seen that the accuracy of the pressure and temperature measurements is such that their standard deviation contribute very little to that in $F(a,b)$ which substantially depends on S_y . The analytical repeatability is 0.001 mole fraction, but it would not be reasonable to set $S_y = 0.001$ since this would make no allowance for random errors due to the remainder of the experimental procedure. Samuels et al (S4) used a value of 0.002 as typical of S_y obtained in work with recirculation stills. If this value is used here (which implies that the Cathala still + analytical technique combination of this work is equivalent to the typical recirculation still + analytical technique combinations of other workers), then the S_F band plotted is obtained. Only 9 data points lie outside this band, with 80% of the total of

FIG. 20a

RESULTS OF $F(a,b)$ TEST FOR ETHYL ACETATE - N-BUTYL ACETATE

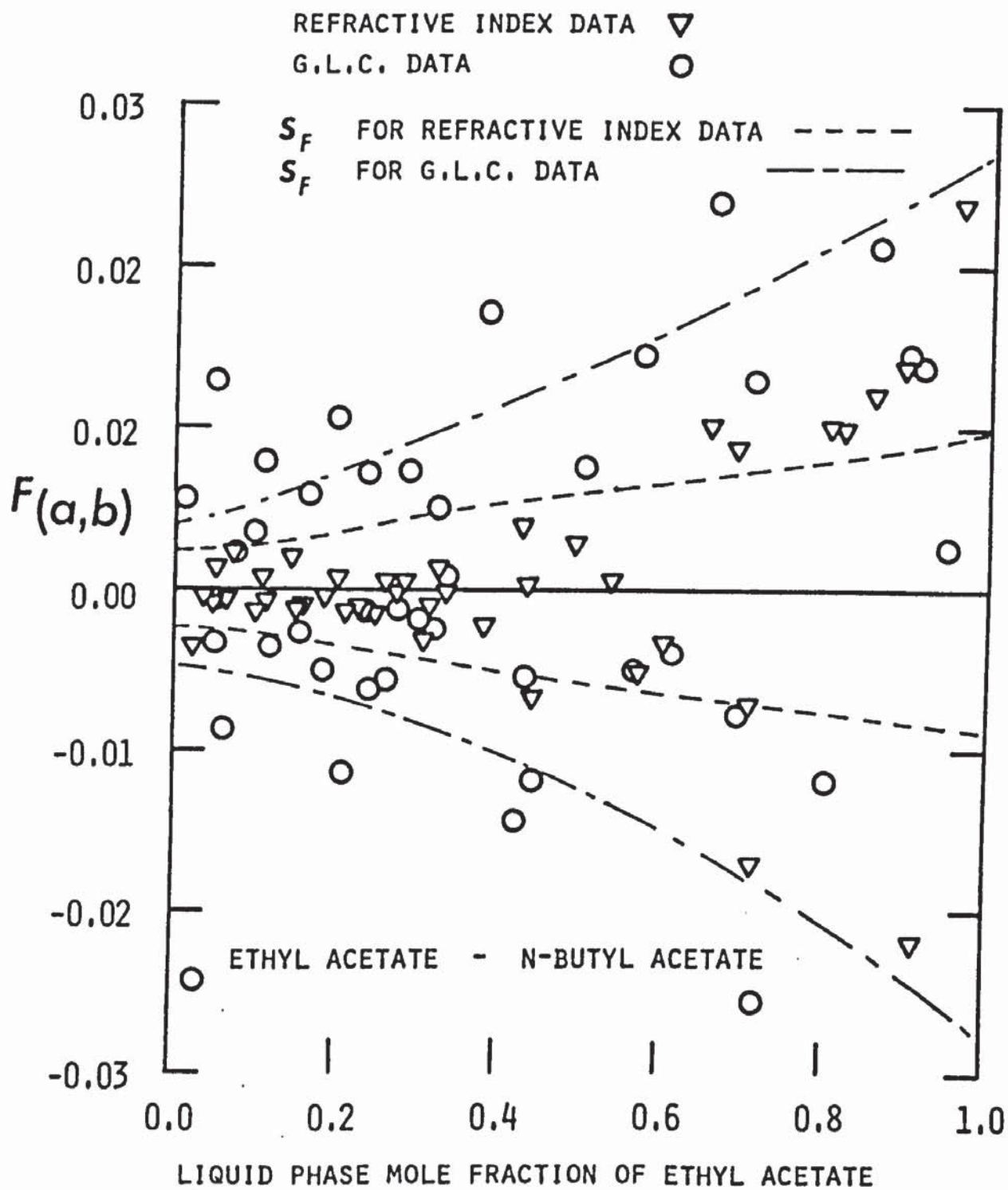
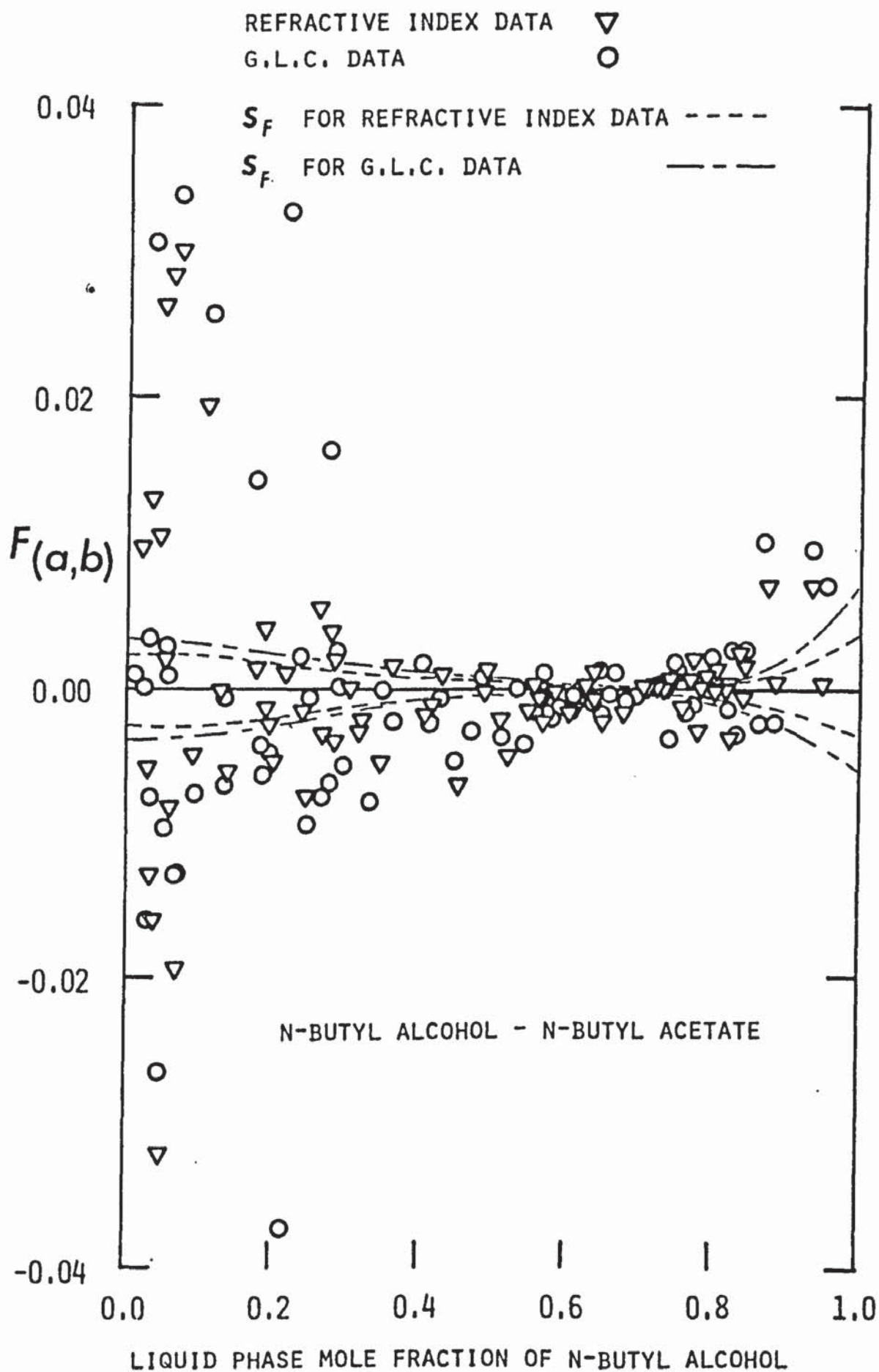


FIG. 20b

RESULTS OF $F(a,b)$ TEST FOR N-BUTANOL - N-BUTYL ACETATE

46 within it. Hence the $F(a,b)$ test may be said to be satisfied for the refractive index data. Those values which do lie outside the band do so at one end of the concentration range and a slight broadening of the band (equivalent to S_y of 0.003) would bring all but three points within the band. Since all the data points in the low ethyl acetate range lie inside the band (which is statistically highly improbable), S_y may well be as low as 0.001 in this area. In any event, it can be concluded that the performance of the Cathala still on this system is as good as that of any other equilibrium still. For the data obtained by G.L.C. analysis, the standard deviations must be set at a higher value, one of $S_y = 0.004$ gives the error band shown. Once again the data appear to meet the test. The two sets of data as shown in fig. 20, are in general agreement, with slight systematic divergences at the two extremes of the concentration range and in the middle of the range - but the divergence is at worst no greater than the uncertainty in y of ± 0.002 . It is not surprising, therefore, that the consistency test gives no indication of any such divergence. Comparison of the $F(a,b)$ plots of this work with those of Samuels et al (S4) shows that the spread of the $F(a,b)$ values is quite typical. (The lower $F(a,b)$ values of this work are due to adjacent data points being closer.) The $\sum_j F_j$ test is

clearly satisfied by the data, the random variations in $F(a,b)$ cancel out.

Similar conclusions may be drawn from the deviation plot test (B21). The goodness of fit on the pressure for both refractive index and G.L.C. data sets is similar to that shown by Abbott et al (A1) for the three binaries they considered, the fit on the vapour composition for the refractive index data is also comparable to theirs and shows no marked systematic deviation. The G.L.C. data pressure fit is almost as good as that for the refractive index data, but the overall higher level of random uncertainty in this data is reflected in the y-deviation plot. Here again no systematic deviation can be detected. Abbott (A1) et al concluded that while some degree of inconsistency existed in the data examined, the data was reasonably reliable. The same may therefore be said of the data of this work. The Cathala still can be assumed to give results comparable to those of other workers.

For the system n-butanol-n-butyl acetate the results of the $F(a,b)$ test shown in fig. 20 are less clear cut. Again, the values of $F(a,b)$ are randomly distributed above and below the zero line, for both

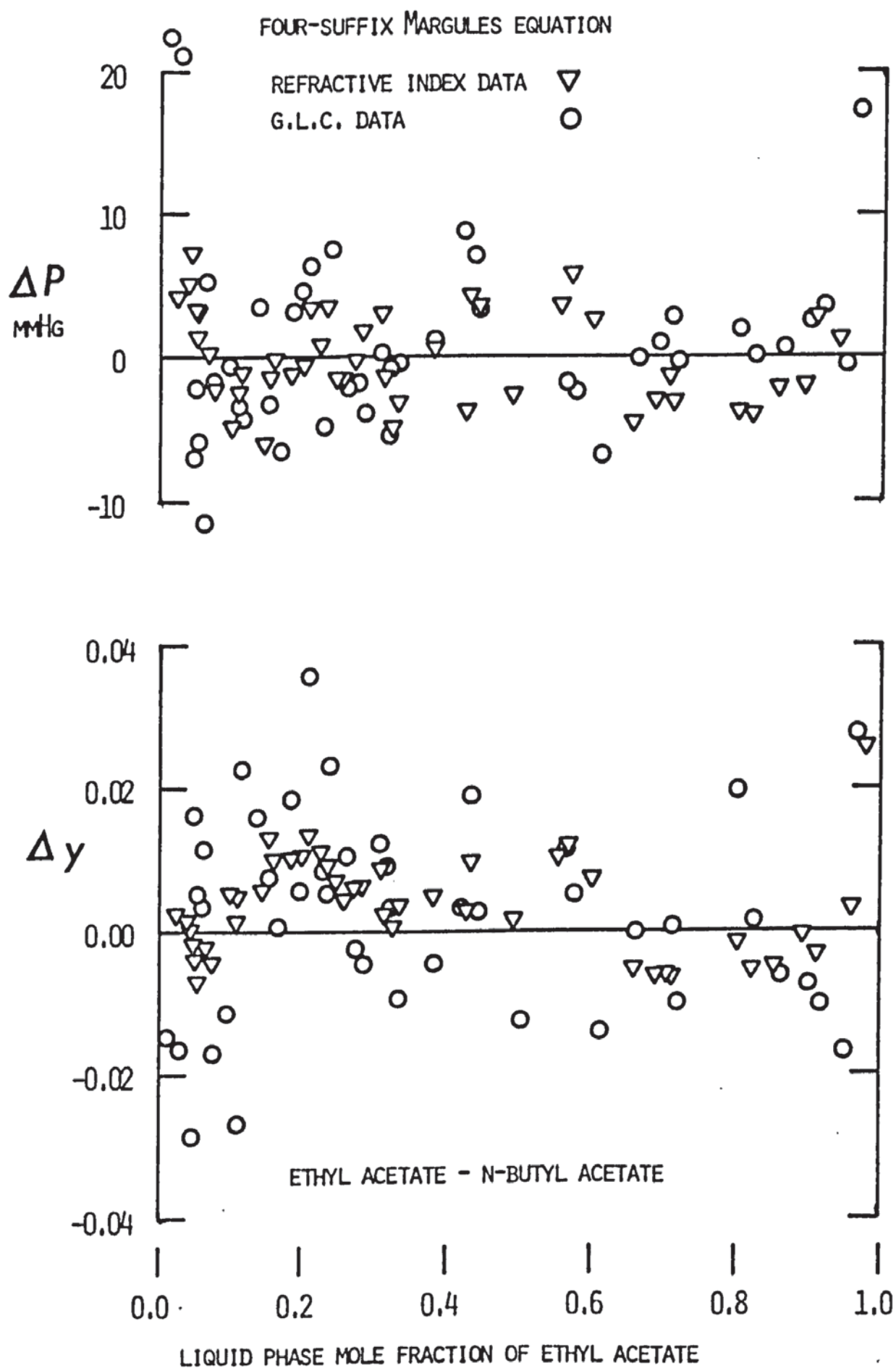


FIG. 21 ΔP AND Δy PLOTS FOR ETHYL ACETATE - N-BUTYL ACETATE

data sets. But the S_f band is much narrower, due to the lower relative volatility in this system, and to the fact that the distance between data points is so small. Only in the middle of the composition range can the $F(a,b)$ values be considered as at all lying in the expected 3 S_f band (corresponding to the 99% confidence band). The S_f values shown here were calculated with standard deviations in S_y of 0.003 for the refractive index data (reflecting the smaller refractive index difference of the two components), and of 0.004 for the G.L.C. data as before.

The data at the two extremes, then, exhibit a degree of thermodynamic inconsistency, but the source of this inconsistency appears to be random in nature. The $\sum_j F_j$ test is in fact satisfied by these data. As a check on the application of the $F(a,b)$, it was rerun with only 46 data points, spread throughout the range, without an attempt to select only the best data. This confirmed the results obtained with all the data. Fig. 21 sets out the deviations obtained from the Barker fit to the data sets for this system. The pressure fit shows a larger random variation at the lower end of the composition range than for the first system,

reflecting the greater uncertainty in the analysis and this parallels the results of the $F(a,b)$ test. But the scatter appears to be random. In the rest of the composition range random error is absent and the deviations follow a sinusoidal pattern. This same trend is evident throughout the y deviation plot for the refractive index data. This plot shows very marked deviations in the vapour composition.

Van Ness (V6) has demonstrated that an artificially introduced systematic error in the y values shows up clearly in the y deviation plot, and a similar systematic error in y , with an approximately linear dependence, say on $(y-x)$, would account for the deviation observed here. This would indicate some systematic malfunction for the still, such as incomplete separation of liquid and vapour. But since no such deviation is apparent for the other system, with y values even further removed from the x values, this seems an improbable explanation.

As will be discussed later a similar systematic deviation in the y values when fitting vapour liquid equilibrium data for the toluene-acetic acid system by the Barker method is apparent. There are known

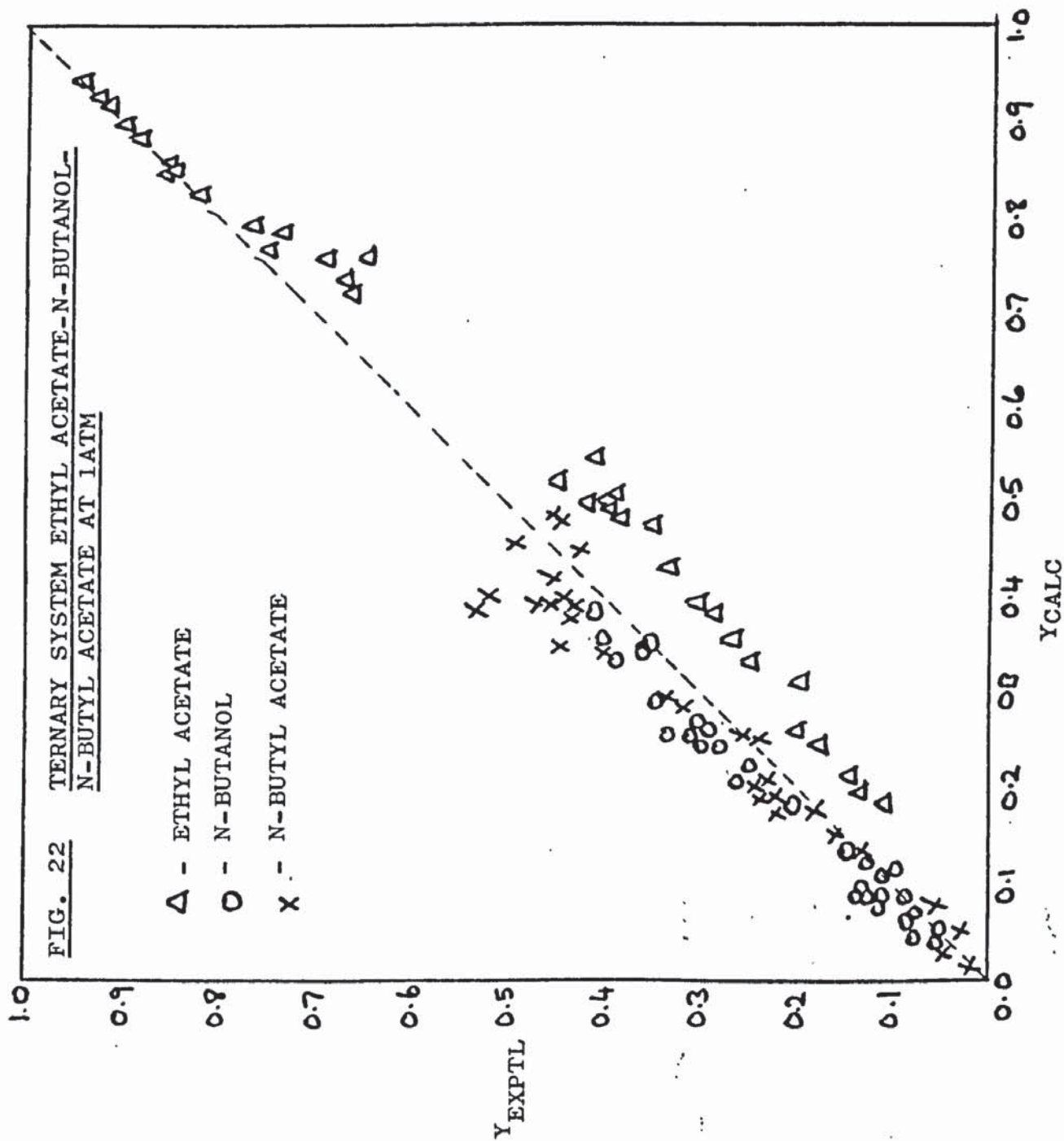
association effects in this system and it seems that a similar phenomenon is occurring in this system. There is considerable literature on association in alcohols (N5) (K10) (W4) but this point has not been pursued further.

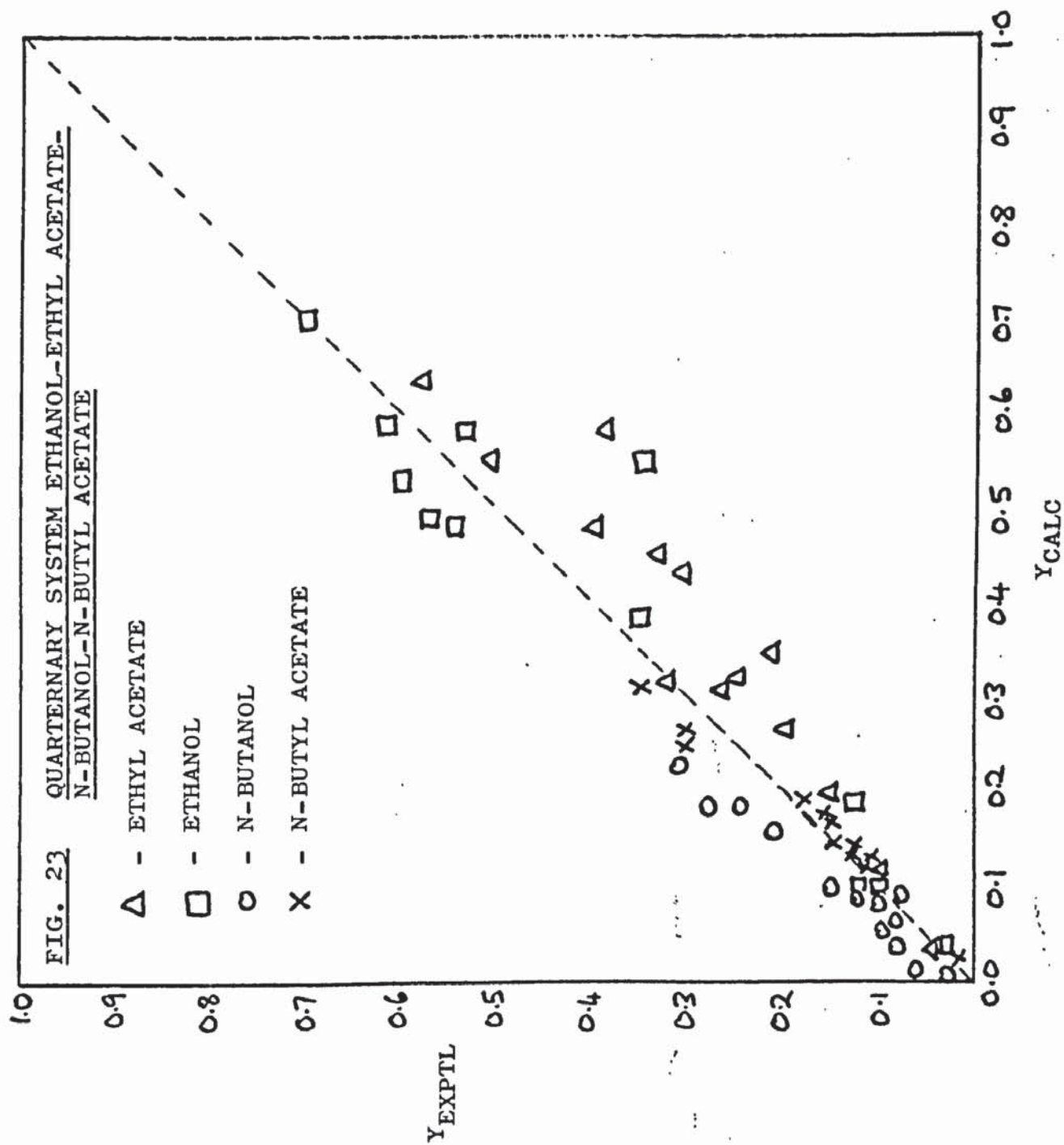
The G.L.C. data shows the same trend, but the effect is less pronounced and the y deviations follow a different and at first, more consistent, trend. The test, then, has distinguished between the two sets of data, but not in any really useful sense. In the absence of any experience of the application of this test to associating mixtures it might well have been deduced that the refractive index data was grossly inconsistent - a contention not supported by the F (a,b) test. The G.L.C. data would have appeared to be the more consistent over a great part of the composition range, a possibility not supported either by the direct evidence available from the $(y \times)$ plot or by that from the experiments confirming the azeotrope composition. The difference between the two data sets noticeable on the $(y - x)$ plot have not clearly shown up in either consistency test, but this may well be due to both sets having too high a degree of random error. If either set alone were available

the F (a, b) test would suggest that the data at the two extremes ought to be omitted from any subsequent fitting procedure. The y deviation or Barker fit test would give a more problematic conclusion. The G.L.C. set might well have been accepted as being of reasonable reliability, while the refractive index data could well have been judged to show a systematic error which in fact it does not have.

7.2 Examination of experimental multicomponent results.

Figs. 22 and 23 are plots of y (experimental) against y (calculated) for the ternary system ethyl acetate-n-butanol-n-butyl acetate and the quaternary system ethyl acetate-ethanol-n-butanol-n-butyl acetate. The experimental data was determined by Davies et al (D4) while the calculated data was predicted using the Wilson equation from the binary data of Davies and this work. It is evident that there is some disagreement indicating possibly that the experimental data is in error or that the Wilson equation does not represent the system adequately. In view of earlier comments as to the complex behaviour of n-butanol it is felt that it is probably the latter case.





7.3 Modelling of the system acetic acid - toluene.

Another system in which association is known to cause anomalies is the acetic acid-toluene system. A representative set of results in which various approaches to modelling this system are tested is presented in figs. 24 to 27. In the initial stages, the four liquid phase equations (Wilson, two and three parameter NRTL, UNIQUAC) were fitted to all the data available, without any liquid phase corrections for association. Figures 24 and 25 present the results of this stage. Fig. 24 shows the data of Zawidski at 69.94°C and of Meehan at 70°C. As mentioned above both sets of data have been tested for consistency by other methods, and are also the only duplicated sets. In this plot the fits obtained from all four equations are presented. It is immediately apparent that each equation performs equally well. The fit to total pressure is reasonably good since ± 0.5 kPa corresponds to about $\pm 1.6\%$ (the approximate $\pm 1.0\%$ error band is shown). The discrepancies observed in y are, on the other hand, quite substantial, and show little random error. Both the systematic variation of the ΔP and of the Δy suggests either that the data is

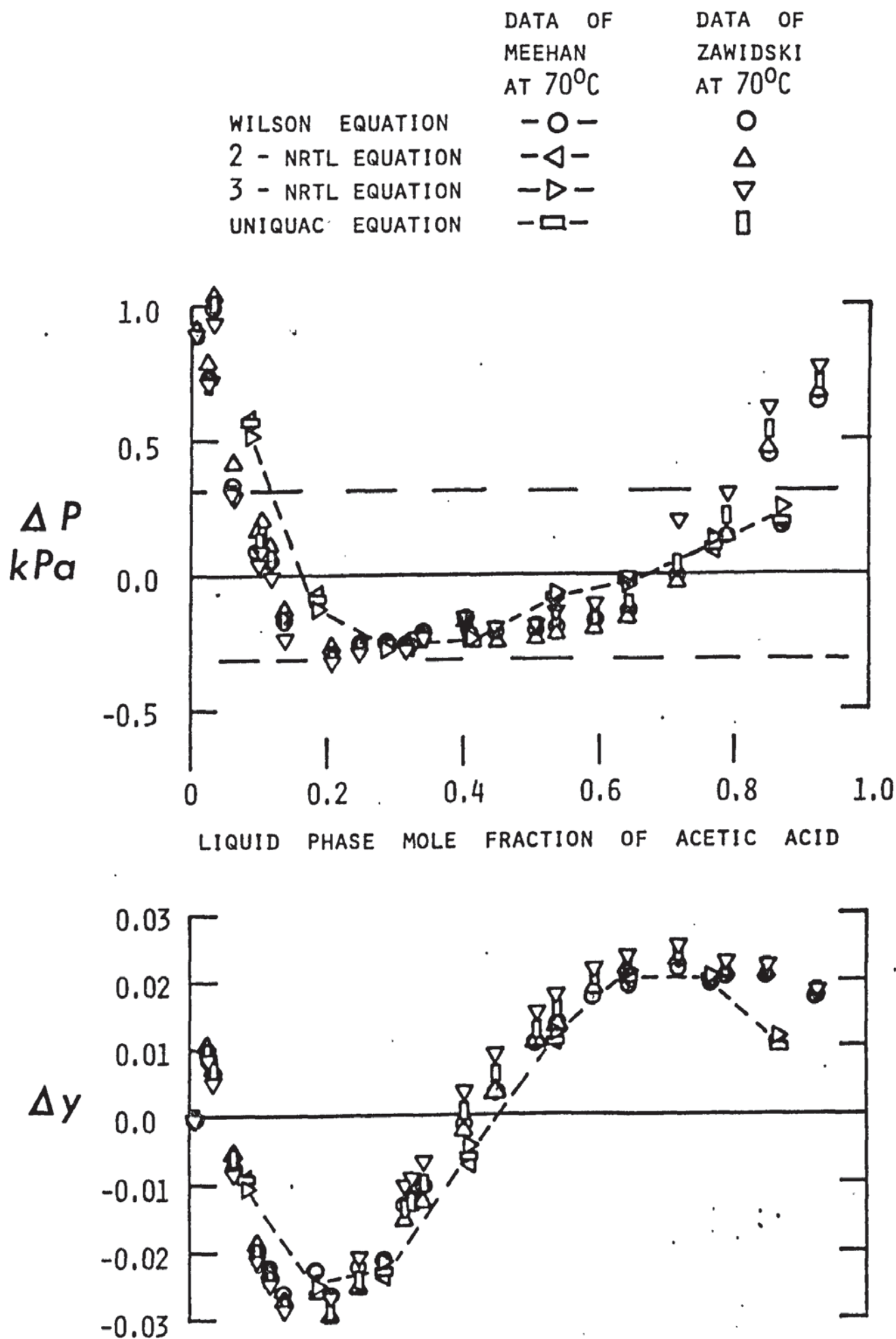


FIG. 24 PRESSURE AND VAPOUR COMPOSITION DEVIATION PLOTS FOR THE 70°C DATA OF MEEHAN AND ZAWIDSKI. VAPOUR PHASE CORRECTION ONLY. FOUR LIQUID PHASE MODELS.

DATA OF ZAWIDSKI AT 80°C Δ
 DATA OF MEEHAN AT 50°C \circ
 DATA OF MARKUZIN & PAVLOVA AT 30°C \square

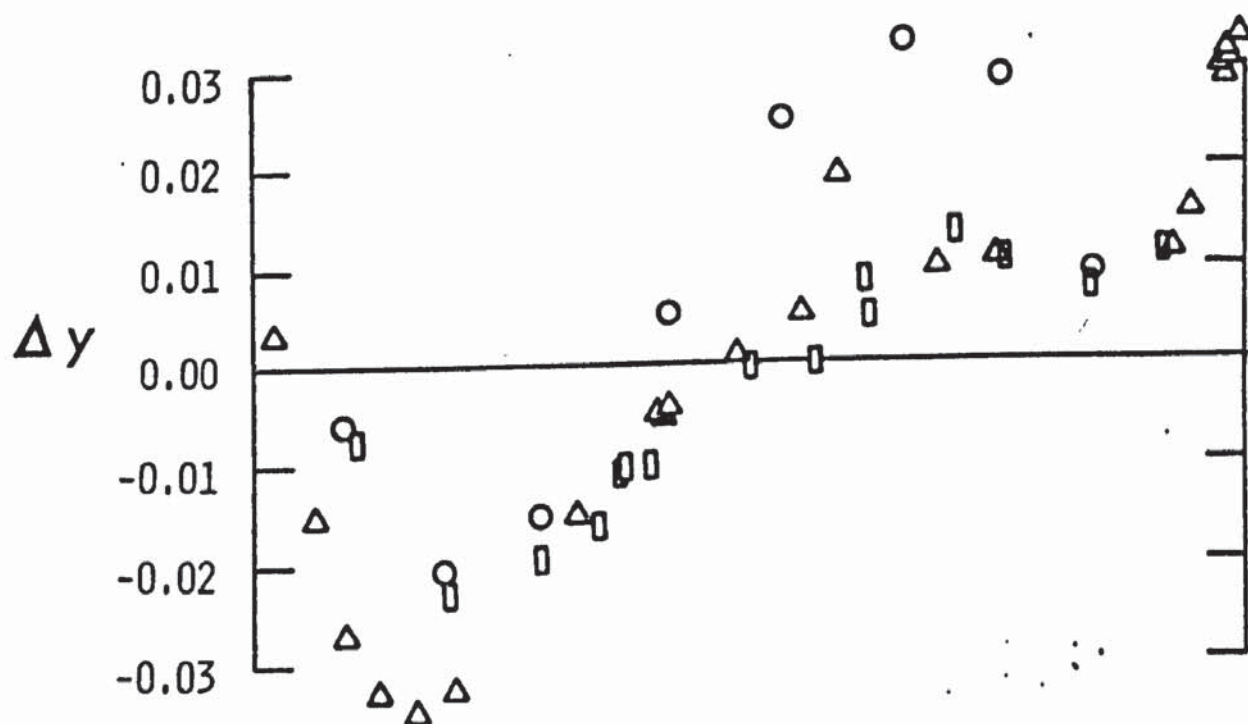
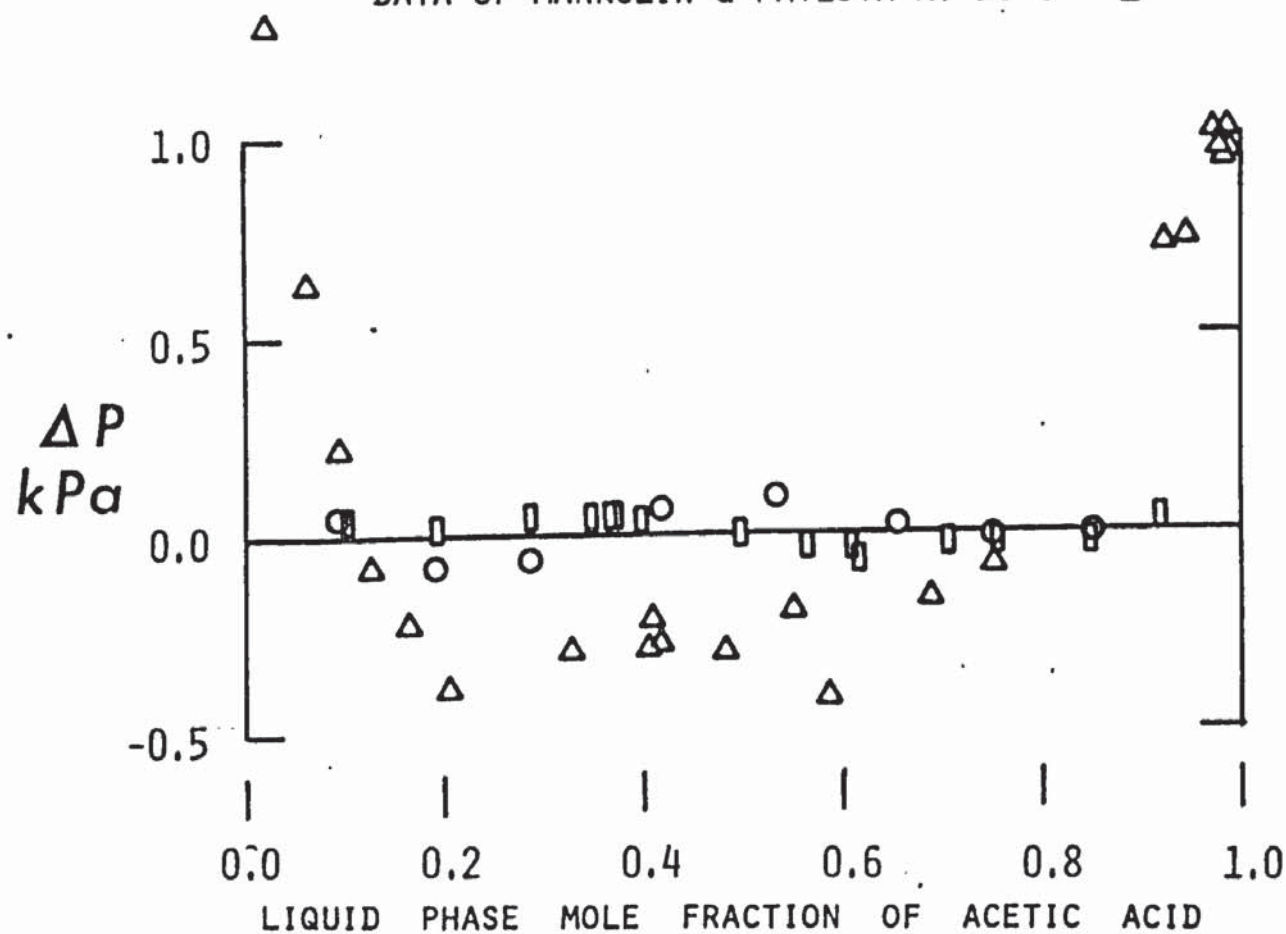


FIG. 25 DEVIATION PLOTS FOR THE DATA OF ZAWIDSKI (80°C), MEEHAN (50°C) AND MARZUKIN AND PAVLOVA (30°C). VAPOUR PHASE CORRECTION ONLY. THREE-PARAMETER NRTL EQUATION.

DATA OF MEEHAN AT 50°C

○ VAPOUR PHASE ASSOCIATION ONLY

△ VAPOUR PHASE ASSOCIATION AND
CONCENTRATION INDEPENDENT LIQUID
PHASE ASSOCIATION

▽ BOTH PHASE ASSOCIATION MODEL OF THIS WORK

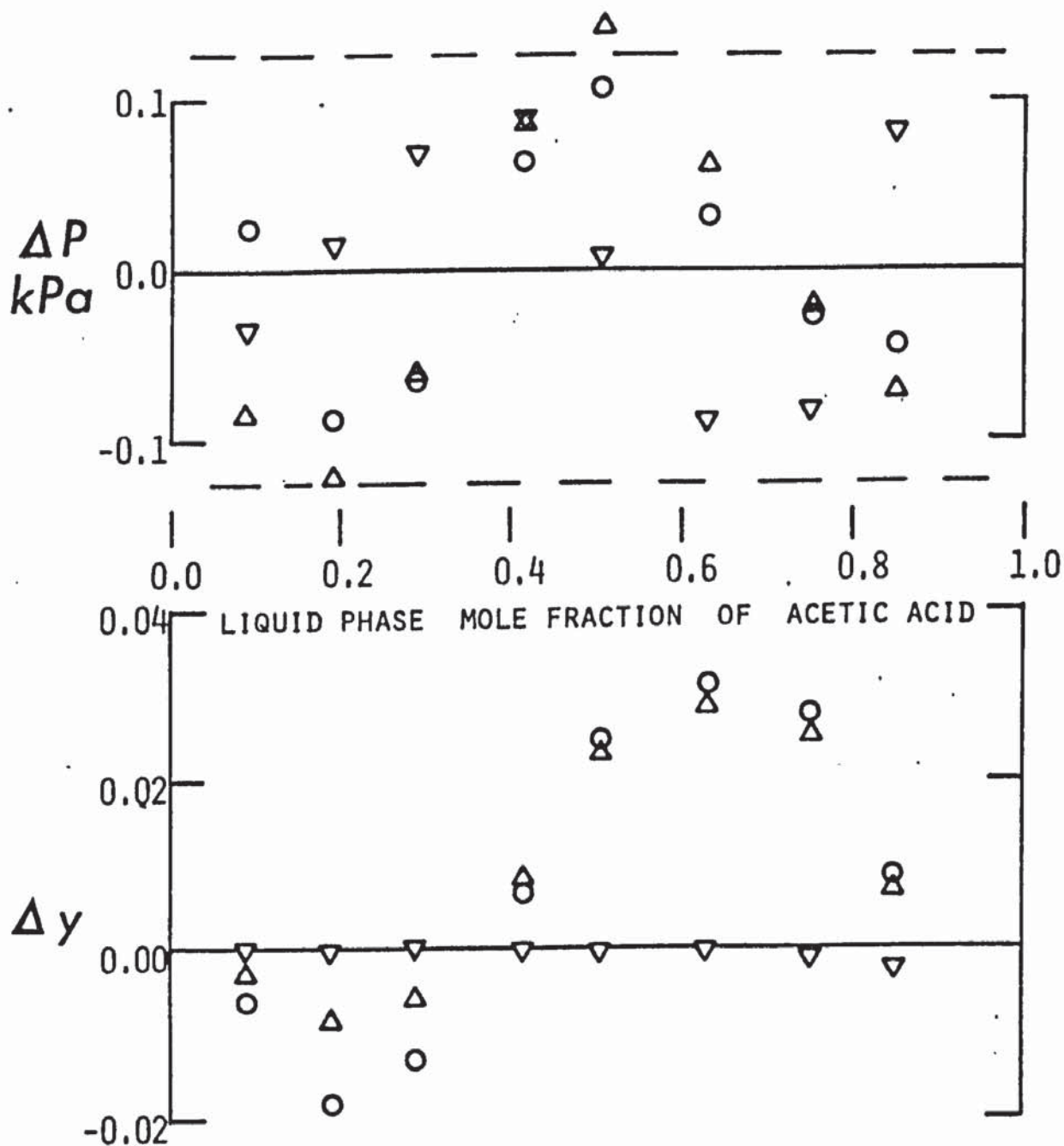


FIG. 26 DEVIATION PLOTS FOR THE DATA OF MEEHAN AT 50°C. COMPARISON OF MODELS WITH NO LIQUID PHASE CORRECTION, COMPOSITION INDEPENDENT ASSOCIATION CONSTANT, AND COMPOSITION DEPENDENT ASSOCIATION CONSTANT. WILSON EQUATION.

not consistent or that the model used in the Barker fit does not represent the liquid phase behaviour well enough. It should be noted that the data of Zawidzki and those of Meehan were gathered some 65 years apart, by different techniques. If systematic error were the cause of the discrepancies it would not be expected to give practically identical deviations in the results from two such diverse data sets. This strongly suggests that the liquid phase model without association is, indeed, inadequate. This conclusion is strengthened by fig. 25.

In fig. 25, the results of fitting all the remaining isothermal data by the three parameter NRTL equations are presented. The same systematic deviations in y occur over the whole temperature range, and are quite marked for the 50°C data of Meehan, where a good fit on the pressure is obtained. This strengthens the supposition that the models used for the fits are inadequate. When a similar fit was applied to the data of Haughton at 750 mm Hg, the pressure fit was only marginally acceptable, and the deviations in y did not show that same pattern. As Haughton indicated that some of his pressures were only approximate, the pressure data in his data-set may be more unreliable

than the y values and the data should be discarded. This does not mean that his χ - y values should be rejected but does mean that his data set as a whole cannot be tested for thermodynamic consistency and is not of use in this work.

The fit obtained for the data of Volpicelli and Zizza was extremely bad. But the only data given in their paper have been calculated from the actual data obtained, and a comparison of their χ - y plot for the toluene-acetic acid system with the tabulated values shows a marked difference. The activity coefficients produced in the fit bear no resemblance to those obtained by them. Hence while their original data may well be accurate, their published data appear to be erroneous. Accordingly their data were not used in this work.

The next figures (figs. 26 and 27) present the results of data fits using the three models - vapour phase association only, vapour phase plus constant liquid phase association, and vapour phase plus the concentration dependent k derived above. Fig. 26 gives the results from Meehan's data at 50°C using the Wilson equation.

DATA OF MARKUZIN & PAVLOVA AT 30°C

○ VAPOUR PHASE ASSOCIATION ONLY

△ VAPOUR PHASE ASSOCIATION AND
CONCENTRATION INDEPENDENT LIQUID
PHASE ASSOCIATION

▽ BOTH PHASE ASSOCIATION MODEL OF THIS WORK

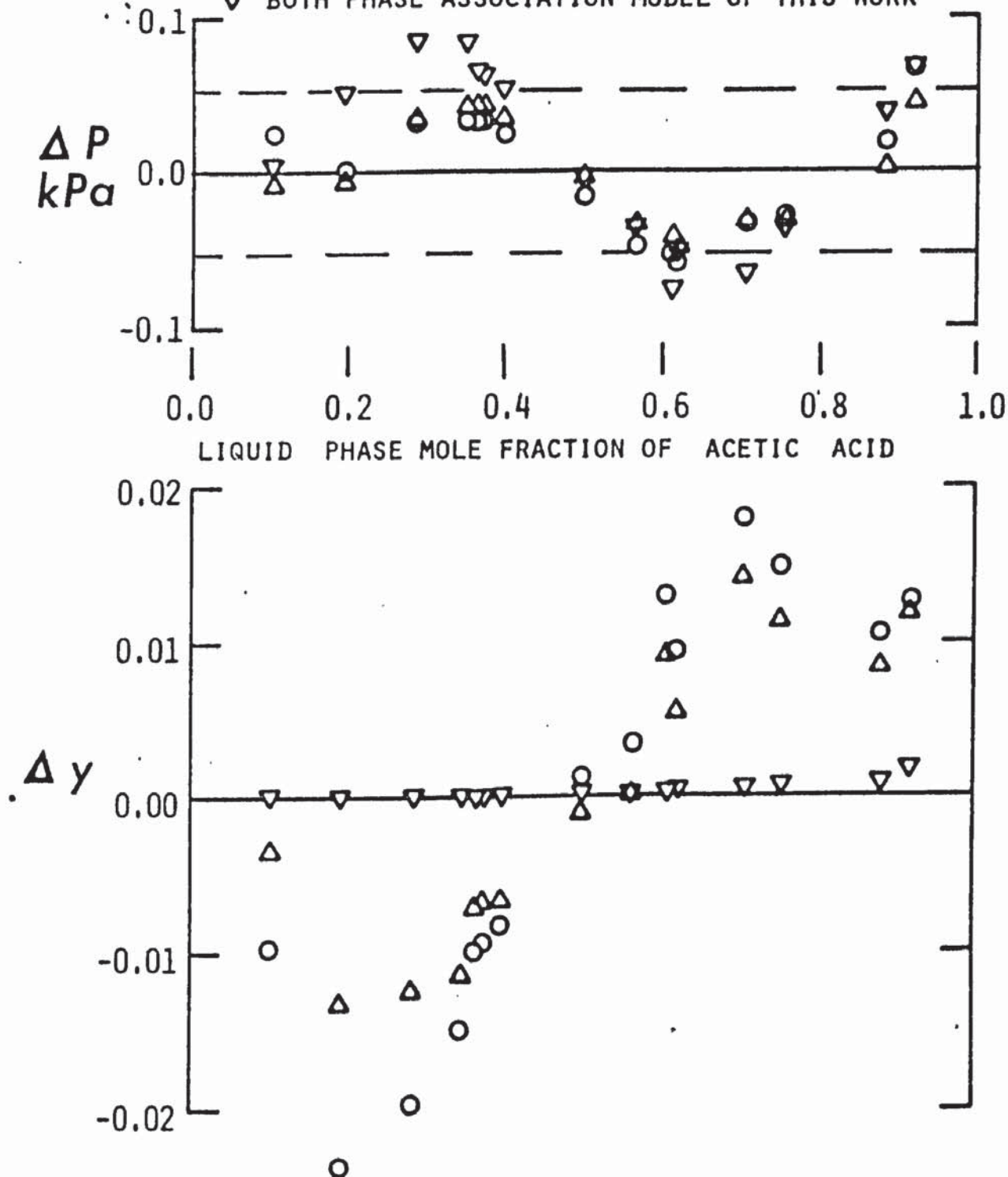
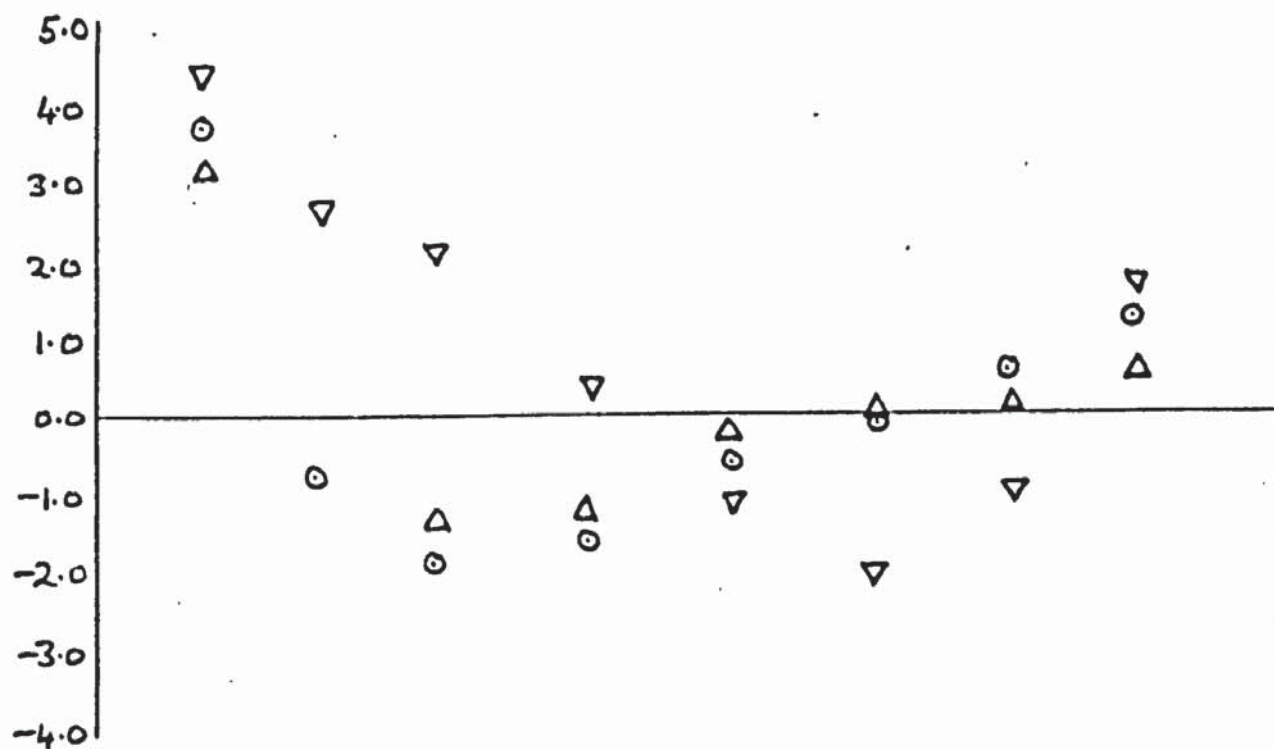
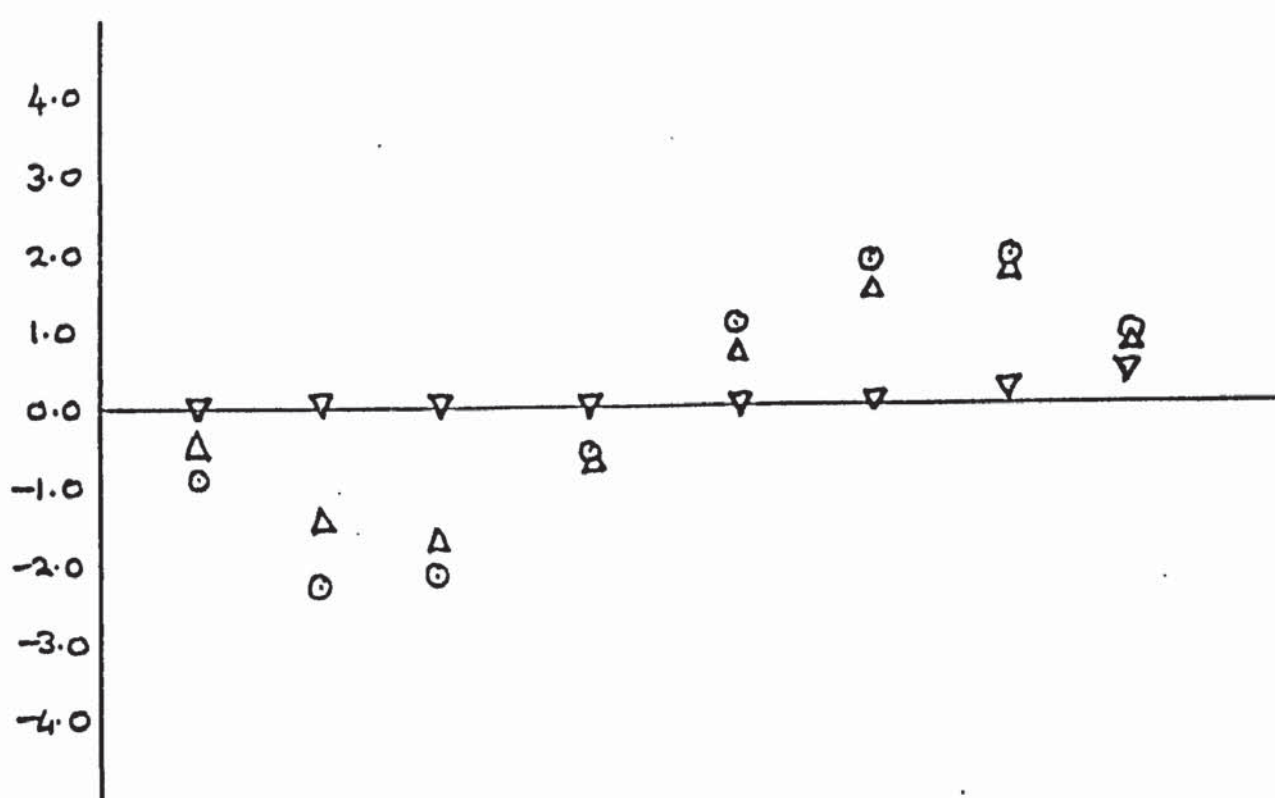


Fig. 27 Deviation plots for the data of Markuzin and Pavlova at 30°C.

Comparison of the three approaches to the liquid phase. Wilson equation.



Δ - P MM. HG



$\Delta Y \cdot 100$

0.0 0.1 0.2 0.3 0.4 0.5 0.6 0.7 0.8 0.9 1.0
MOLE FRACTION ACETIC ACID

FIG. 28 SYSTEM ACETIC ACID-TOLUENE AT 70°C (M15) USING WILSON EQUATION

⊙ VAPOUR CORRECTION ONLY, Δ USING K_0 ONLY, ∇ CONCENTRATION DEPENDENT K

The results are striking. Use of a concentration independent K_A gives some improvement of the Δy , but the use of concentration dependent K_m gives an equally good fit on the ΔP , with practically no error on the vapour phase mole fractions. The results for Markuzin and Pavlova confirm this (fig.27). Note that the pressure fit is more random in nature. An adapted form of Liszi's relationship (L8) for K gave results virtually identical with the $K = K_A$ case. Figs. 28 to 30 show similar results for the remaining isothermal data.

It may be concluded that first an adequate model of the liquid phase behaviour is only obtained if a concentration dependent liquid phase association constant is used.

Secondly, since when this extended model is used the vapour phase composition differences $y^{\text{exp}} - y^{\text{calc}}$ become small and of the same order as the likely analytical uncertainties, it may be concluded that the isothermal data available in the literature is in fact consistent to within its experimental accuracy.

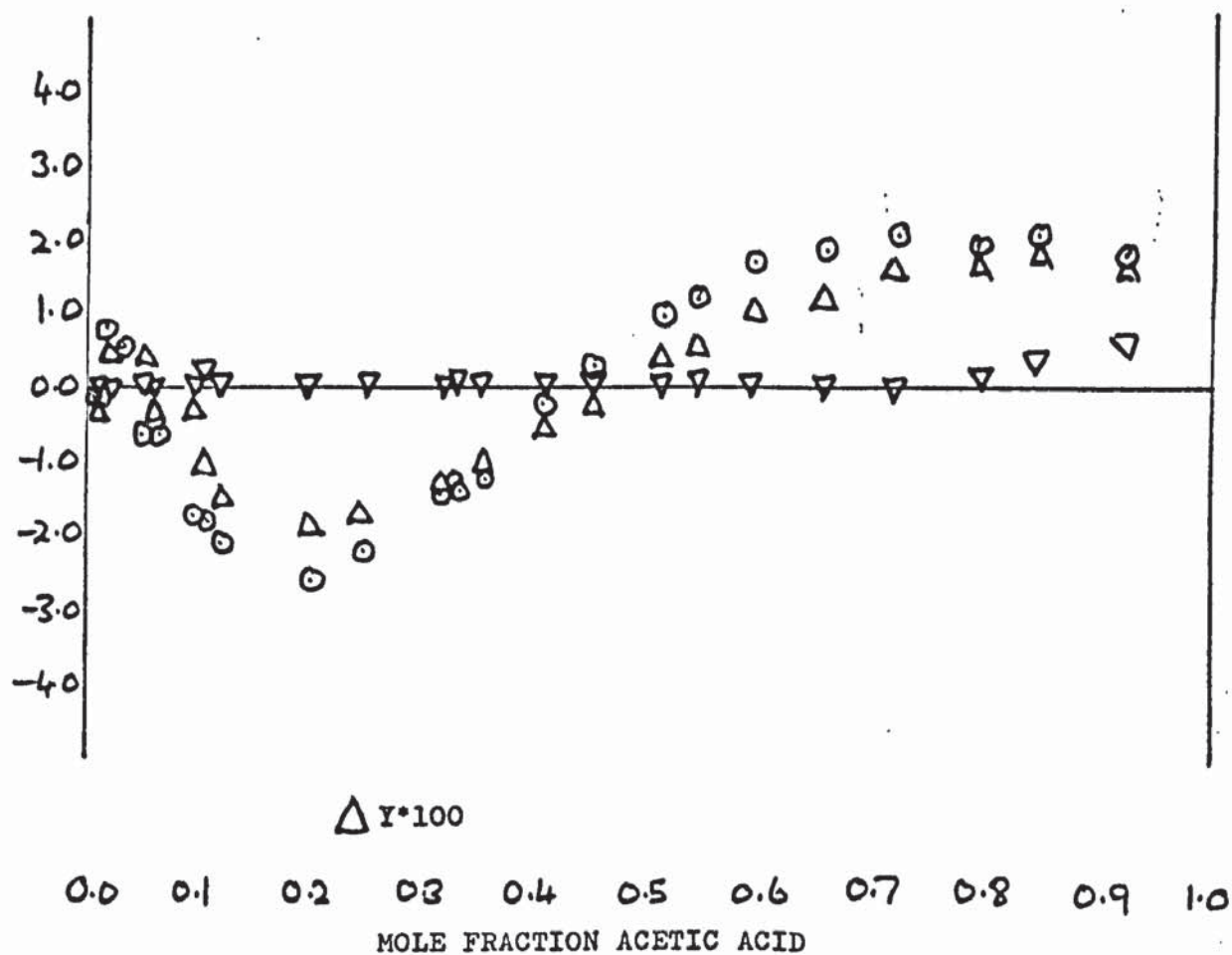
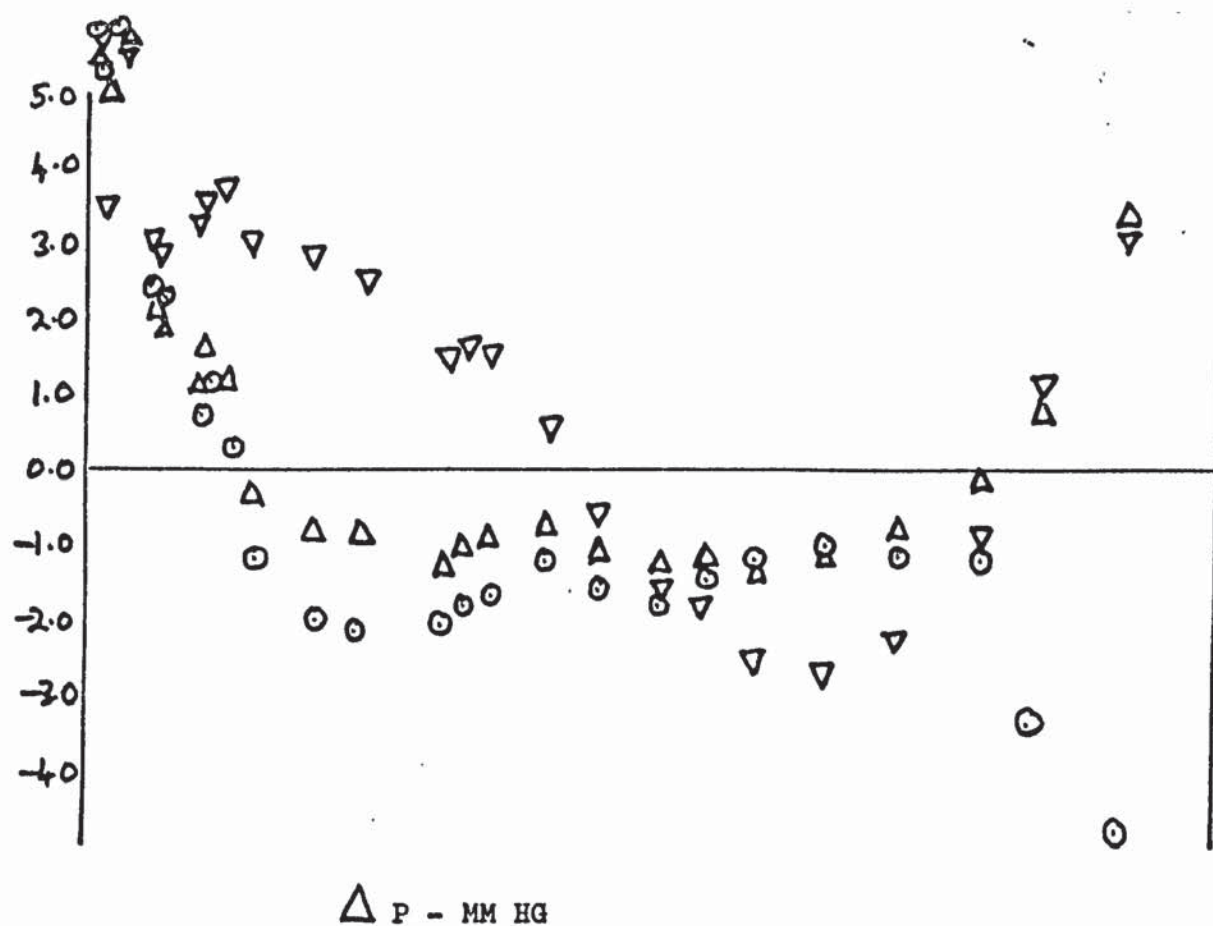
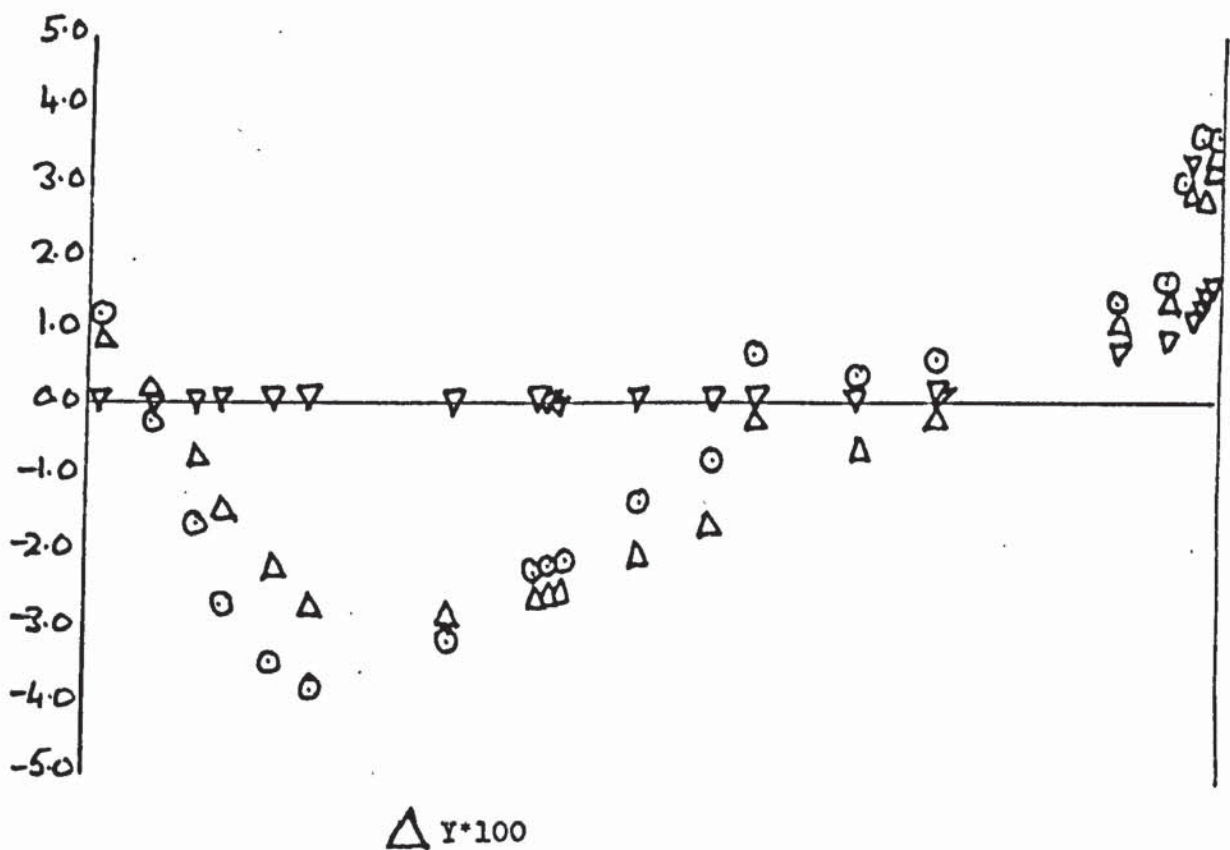
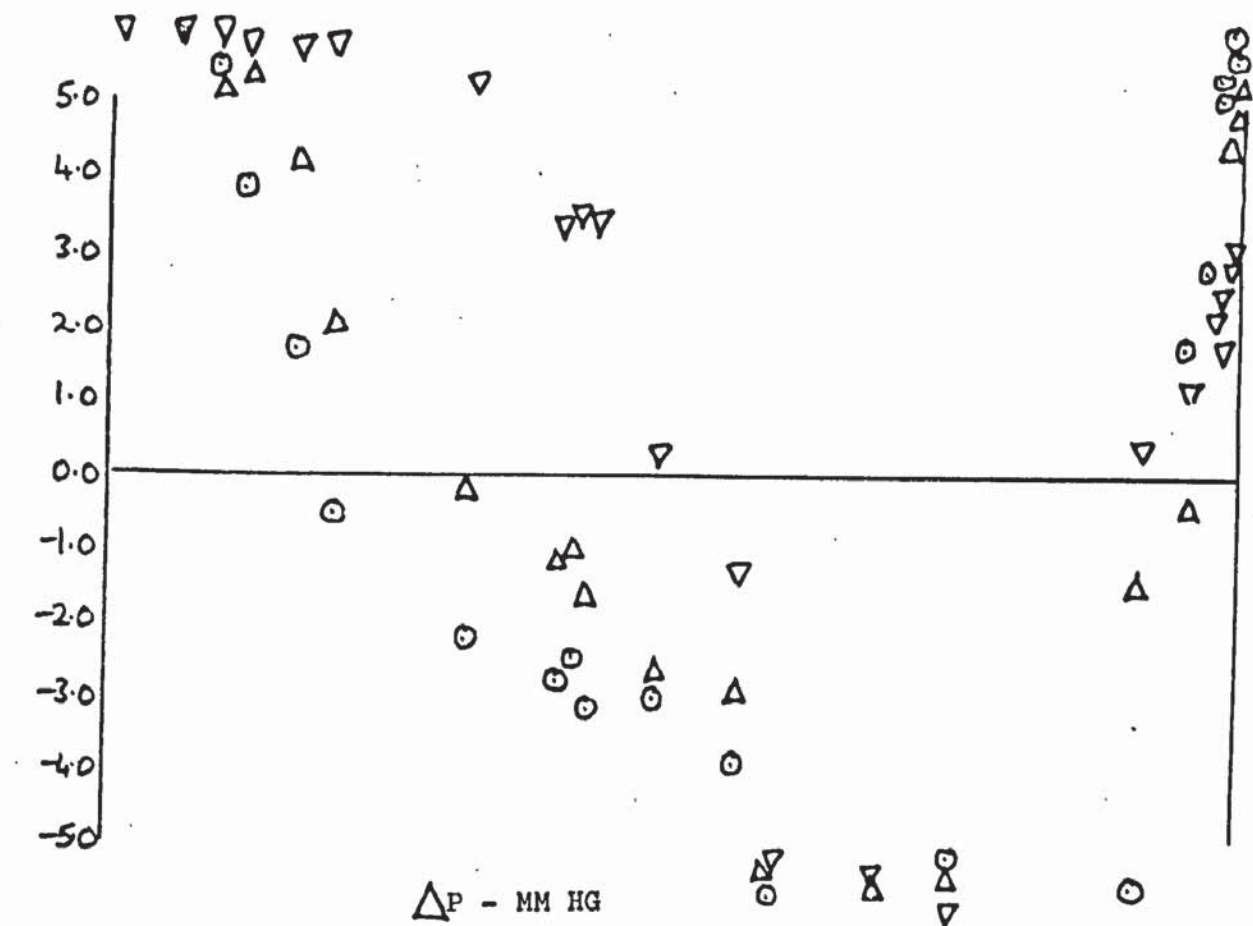


FIG. 29 SYSTEM ACETIC ACID - TOLUENE AT 69.94°C (Z1) USING WILSON EQN

⊙ VAPOUR CORRECTION ONLY, Δ USING K_0 ONLY,

∇ USING LIQUID PHASE MODEL

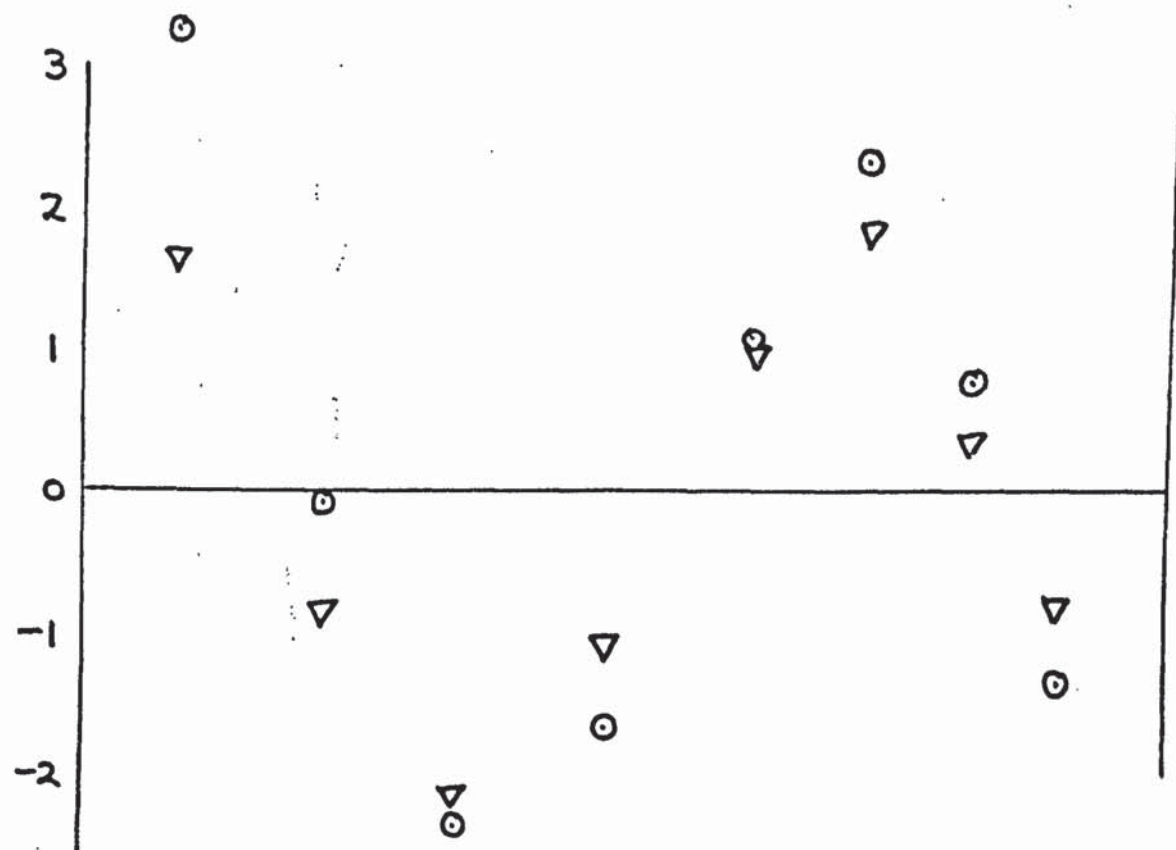


0.0 0.1 0.2 0.3 0.4 0.5 0.6 0.7 0.8 0.9 1.0
MOLE FRACTION ACETIC ACID

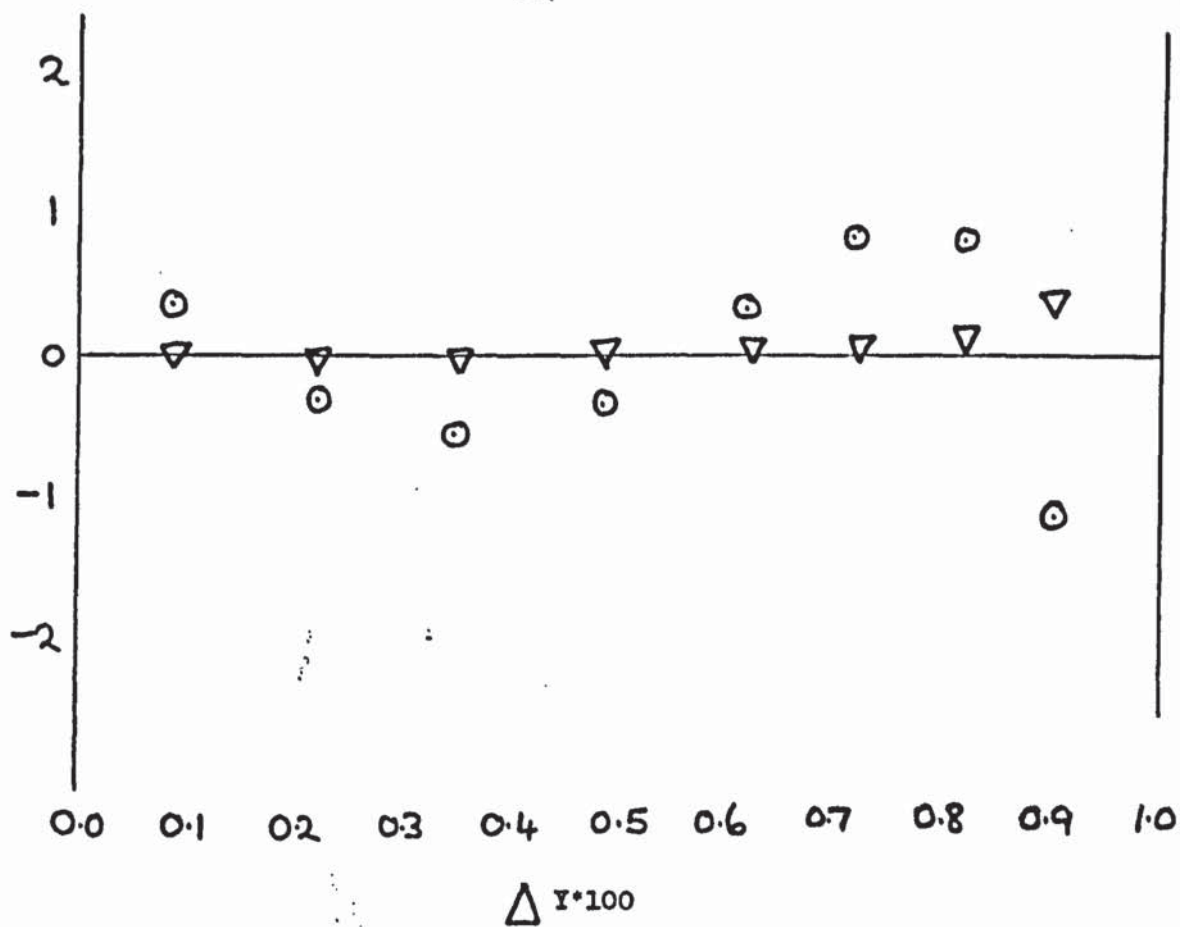
FIG. 30 SYSTEM ACETIC ACID-TOLUENE AT 80.05°C (Z1) USING WILSON EQUATION
 ○ VAPOUR CORRECTION ONLY, Δ USING K_0 ONLY, ▽ CONCENTRATION DEPENDENT K

7.4 Modelling of other systems containing acetic acid.

Extension to systems of acetic acid and other hydrocarbons yields similar results. The isothermal data of Meehan for the system acetic acid-benzene at 30, 50 and 70°C when correlated using the vapour phase correction only and the various Gibbs-Duhem models appears to be consistent and accurately measured. Nevertheless the same non-random trend is evident which is eliminated only when the concentration dependent, K_m is used in the correction factors. Results for acetic acid-benzene at 30°C comparing the two approaches are shown in fig. 31. The isothermal data of Werner (W1) at 20°C shows similar results and also the data of Zawidski (Z1) at 49.99°C. This latter data set agrees well with that of Meehan at 50°C although it contains rather more random error. The isobaric data of Othmer (O8) and Garner, Ellis and Pearce (G1) at 760 mm mercury give very bad results when correlated with the vapour phase correction only and although significant improvement is obtained with the new model, the fit obtained is still not satisfactory. It is possible that these two data sets are inconsistent.



ΔP - MM HG



MOLE FRACTION ACETIC ACID

FIG. 31 SYSTEM ACETIC ACID-BENZENE AT 30 CENT (M15), USING WILSON EQUATION

○ VAPOUR PHASE CORRECTION ONLY, ▽ LIQUID PHASE MODEL

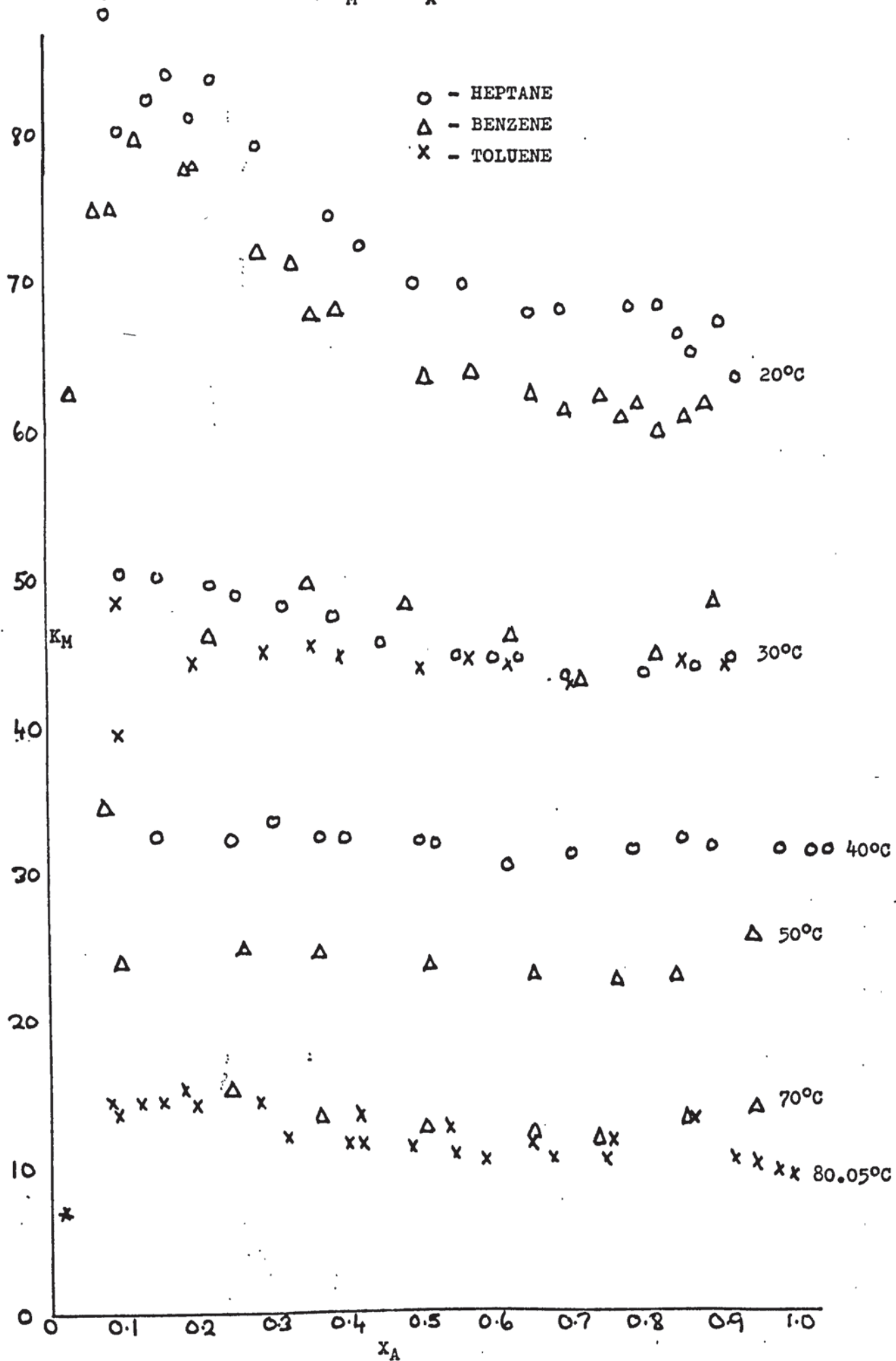
For the system acetic acid-n-heptane the isothermal data of Markuzin and Pavlova at 30°C, 40°C and 50°C, and Werner at 20°C are very well correlated with the vapour phase correction only. Application of concentration dependent correction factors further improve the results and the data is probably consistent and of high quality.

The data sets (B2) (M5) for the systems acetic acid-p-xylene and acetic acid-ethylbenzene show significant non-random trends, even using the new model and may not be consistent. Similarly data for acetic acid-n-octane (S10) shows a non-random trend in the Δy values at low values of acetic acid concentration. This data may be marginally inconsistent.

Finally the data of Zieborak (Z2) for the system acetic acid-n-decane is improved by the new approach and is probably consistent.

It can be seen that the relatively simple systems of acetic acid and hydrocarbons are considerably improved by using a concentration dependent liquid phase association constant, k_m , figs. 32 show plots

FIG. 32 EQUILIBRIUM CONSTANT, $K_M \vee x_A$ FOR ACETIC ACID-HYDROCARBON SYSTEMS



of k_m against liquid phase composition for the various systems. It will be noticed immediately, that for hydrocarbon systems the shapes of the curves are similar. This may be possible to produce a correlation of k_m against x in the manner of Liszi (L9) for different classes or compound. It will be seen later that this is true for all the classes of systems considered such as acetic acid-alcohols.

Another interesting feature of acetic acid-hydrocarbon systems is that parameters obtained during the fits to the isothermal data using the new model give predictions of the heat of mixing that are in quite close agreement with experimental data and in all cases a significant improvement over parameters obtained using the vapour phase correction only. This is particularly striking with the NRTL equation which normally requires temperature dependent parameters fitted across a wide range of conditions to give a good prediction. Figs. 33 to 38 show the results for acetic acid-toluene, acetic acid-benzene and acetic acid n-heptane all at 20°C.

The systems containing acetic acid and chlorinated hydrocarbons show identical results with the plots of

FIG. 33 SYSTEM ACETIC ACID - TOLUENE AT 20°C (L9) HEAT OF MIXING CALCULATED USING WILSON EQUATION WITH NEW MODEL

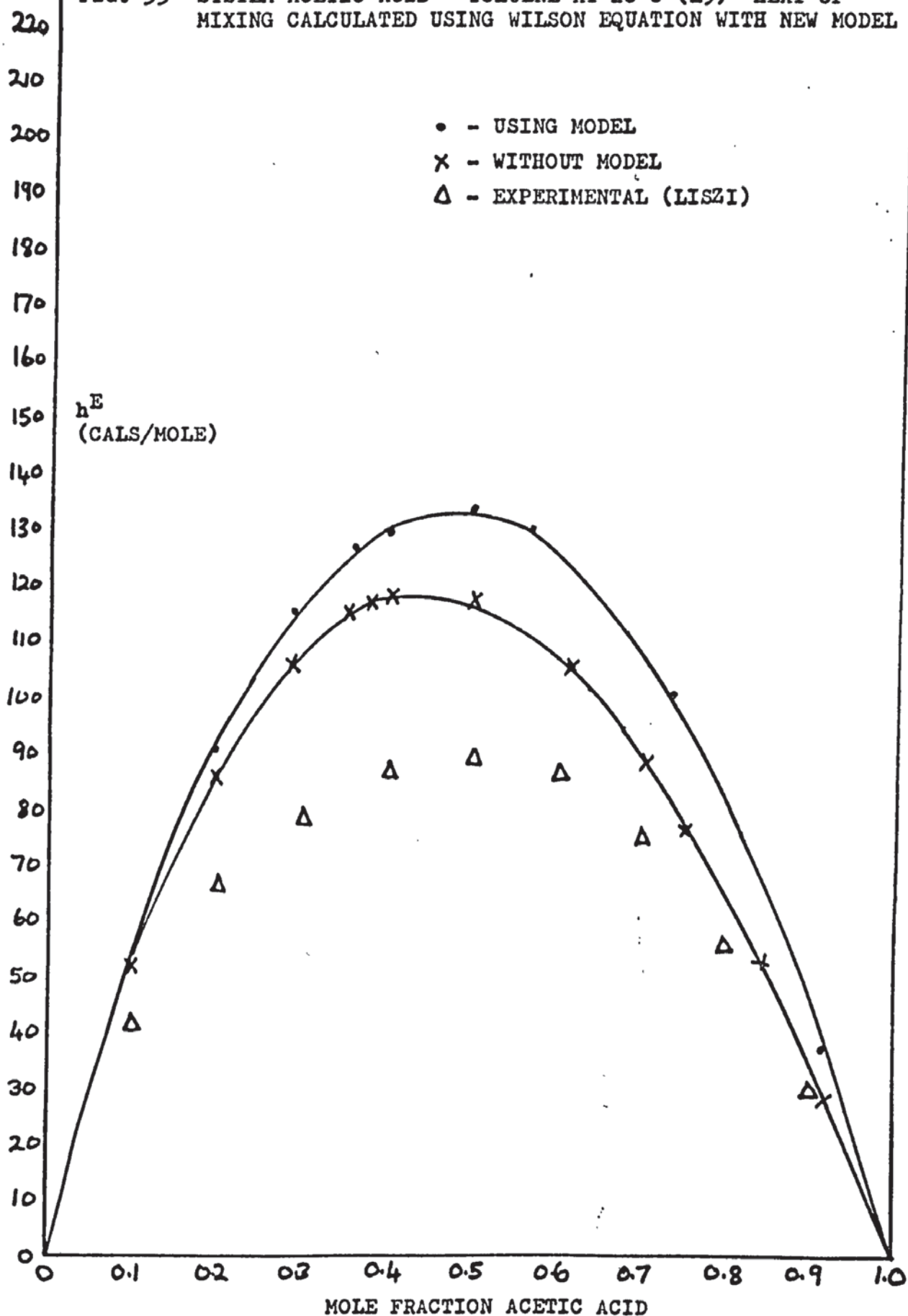


FIG. 34 SYSTEM ACETIC ACID - TOLUENE AT 20°C (L5) HEAT OF MIXING CALCULATED USING 3 NRTL EQUATION WITH NEW MODEL

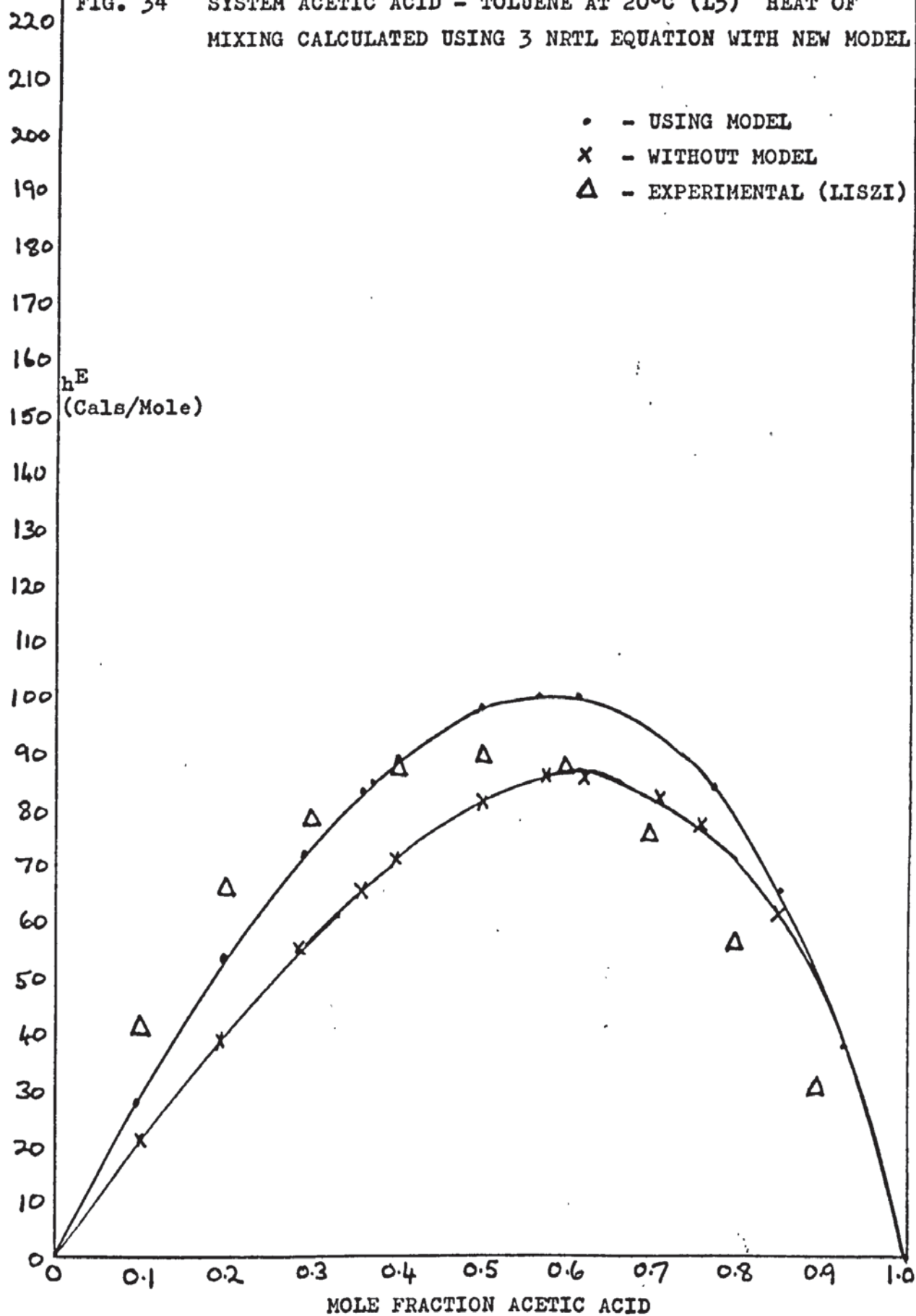


FIG. 35 SYSTEM ACETIC ACID - BENZENE AT 20°C (L5) HEAT OF MIXING CALCULATED USING WILSON EQUATION WITH NEW MODEL

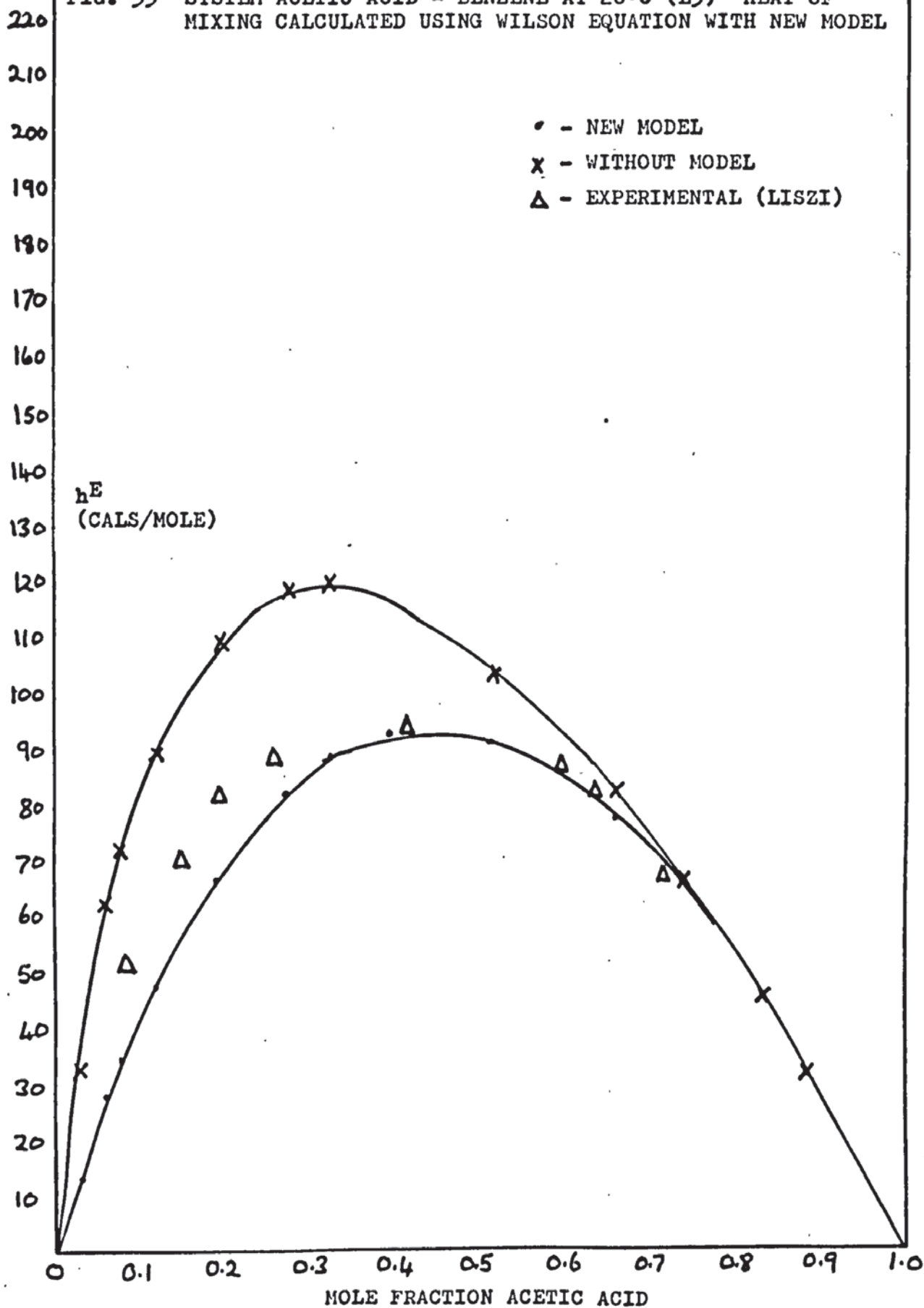


FIG. 36 SYSTEM ACETIC ACID - BENZENE AT 20°C (L5) HEAT OF MIXING CALCULATED USING 3NRTL EQUATION

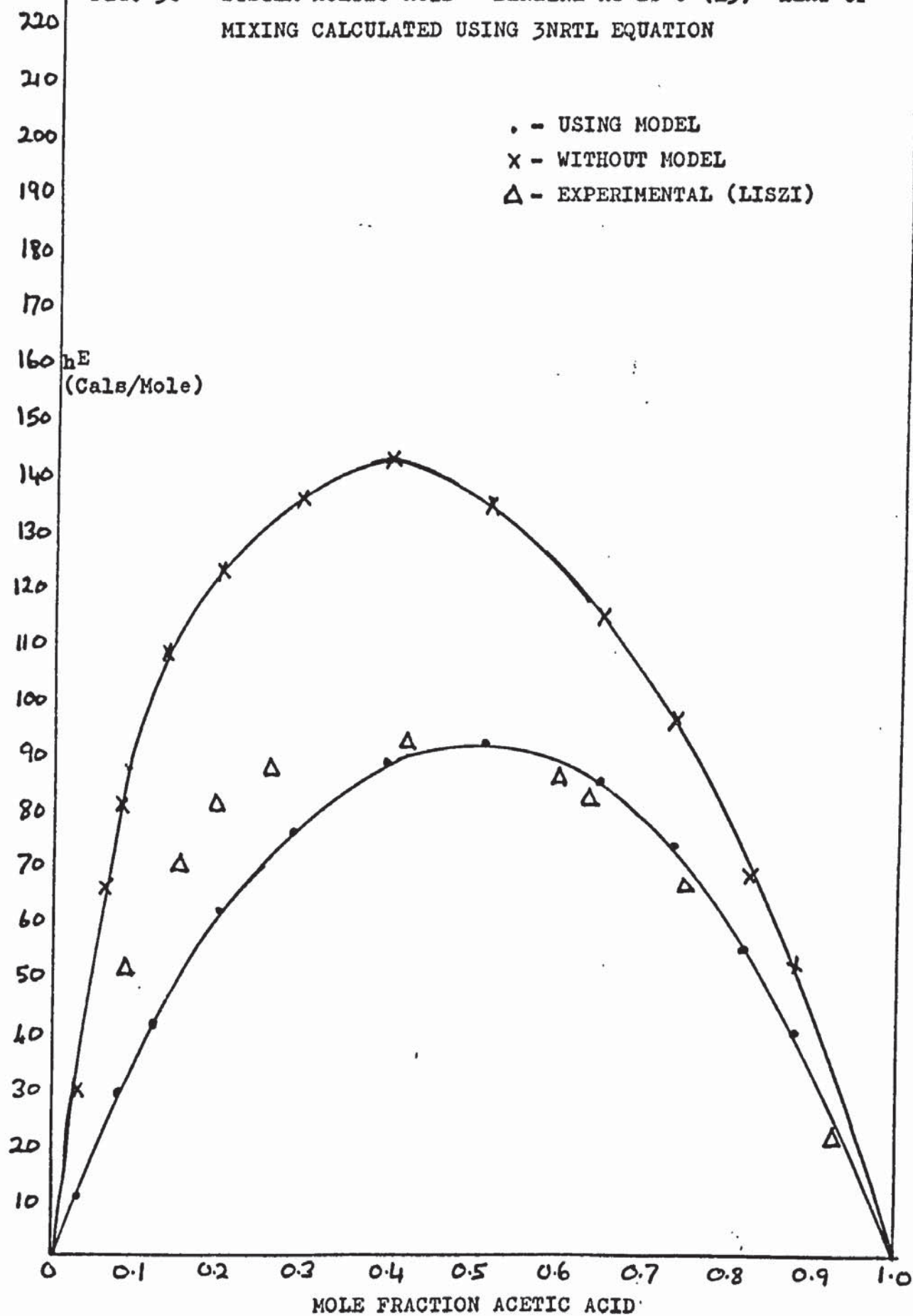


FIG. 37 SYSTEM ACETIC ACID - N-HEPTANE AT 20°C (L5) HEAT OF MIXING CALCULATED USING WILSON EQUATION WITH NEW MODEL

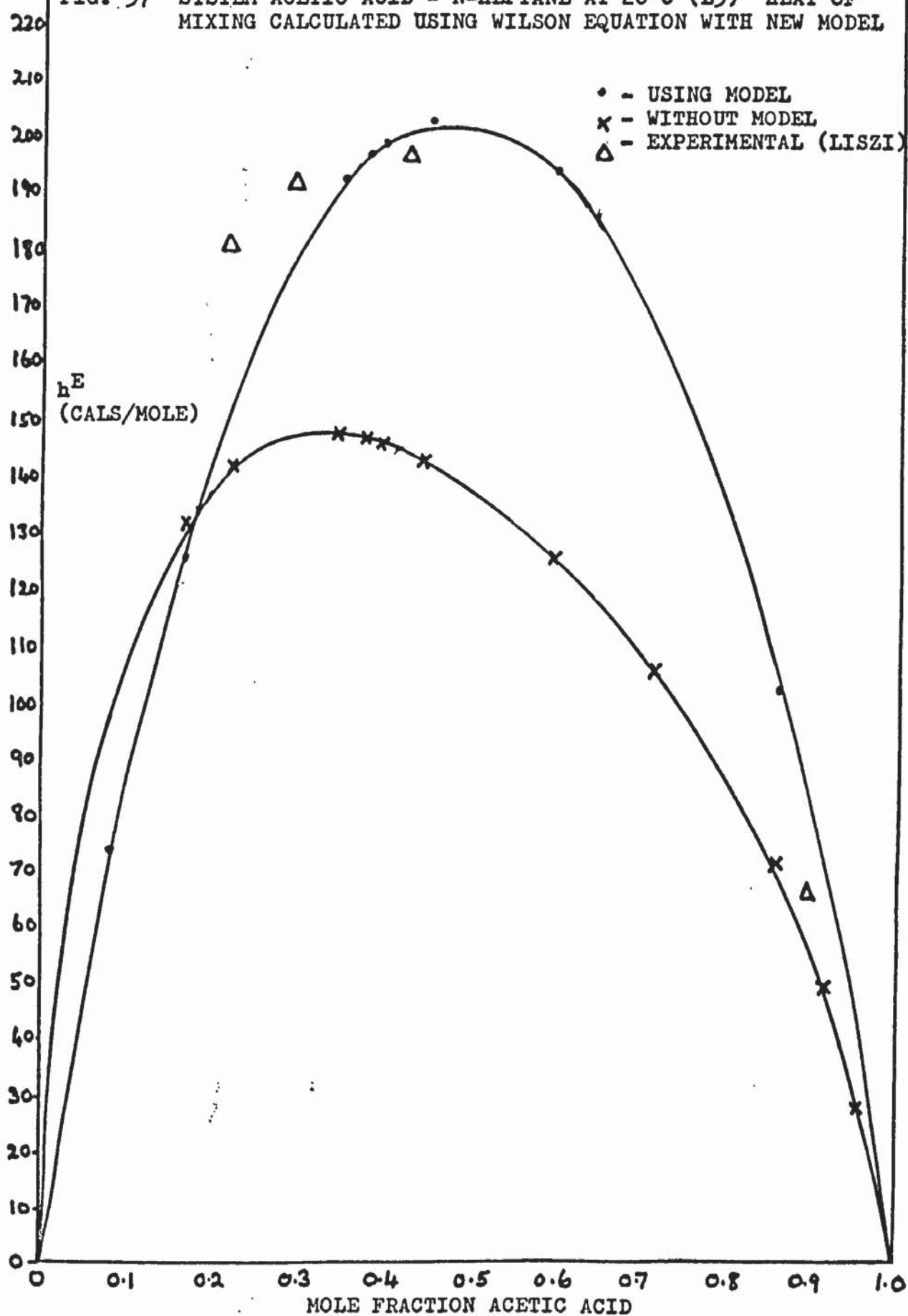
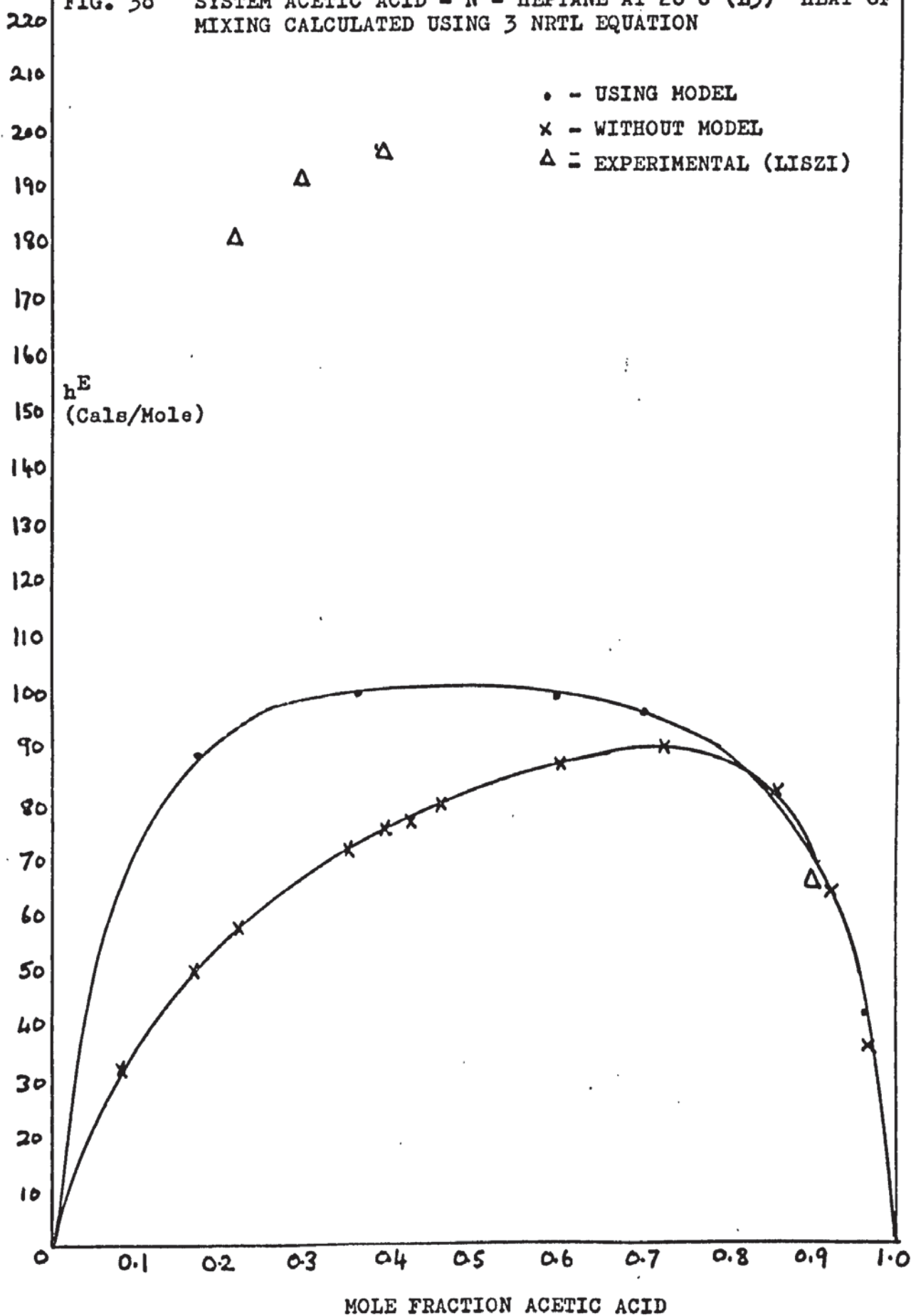


FIG. 38 SYSTEM ACETIC ACID - N - HEPTANE AT 20°C (15) HEAT OF MIXING CALCULATED USING 3 NRTL EQUATION

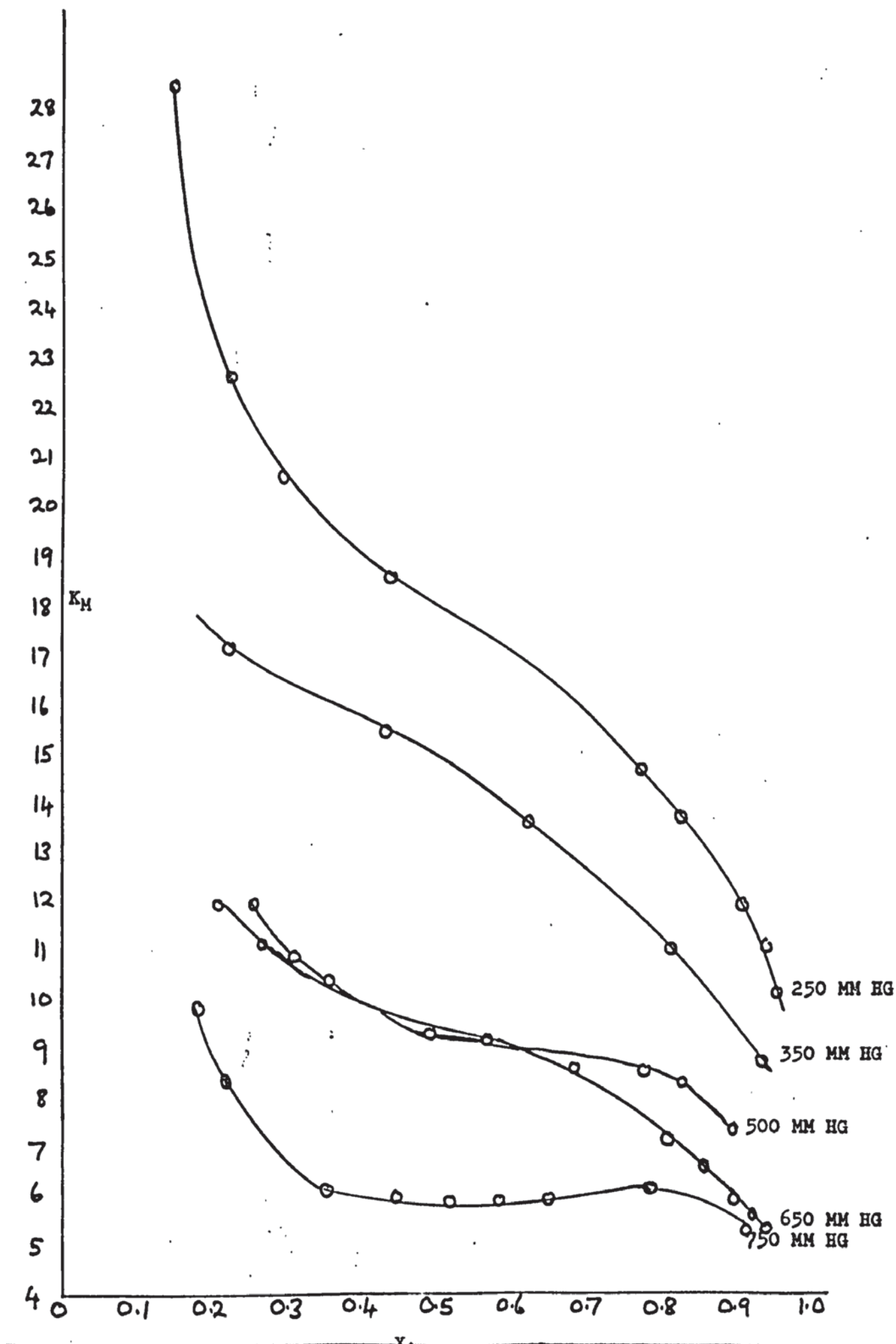


k_m vs x shown in fig. 39 showing similar behaviour to the ordinary hydrocarbon systems. Although the acetic acid-trichloroethylene data of Cojutti (F4) seems to contain a fair amount of random error the data is probably consistent. The same may be said of the isothermal data of Liszi for the system acetic acid-carbon tetrachloride at 20°C. The acetic acid-chloroform data of Kenny, however, is improved by using a concentration dependent k but still shows non-random trends. In this case the data may either be inconsistent or there may be other effects not taken into account by the model. For this class of compound the use of concentration dependent correction factors greatly improves the correlation also.

The results obtained for the system acetic acid-water also show a substantial improvement when a concentration dependent correction factor is employed for the liquid phase activity coefficients. Although this improvement is not in general as great as that obtained with acetic acid-hydrocarbon systems, it is still marked. The more complex structure of water and the possibility of association between water and acetic acid molecules probably accounts for the slightly less

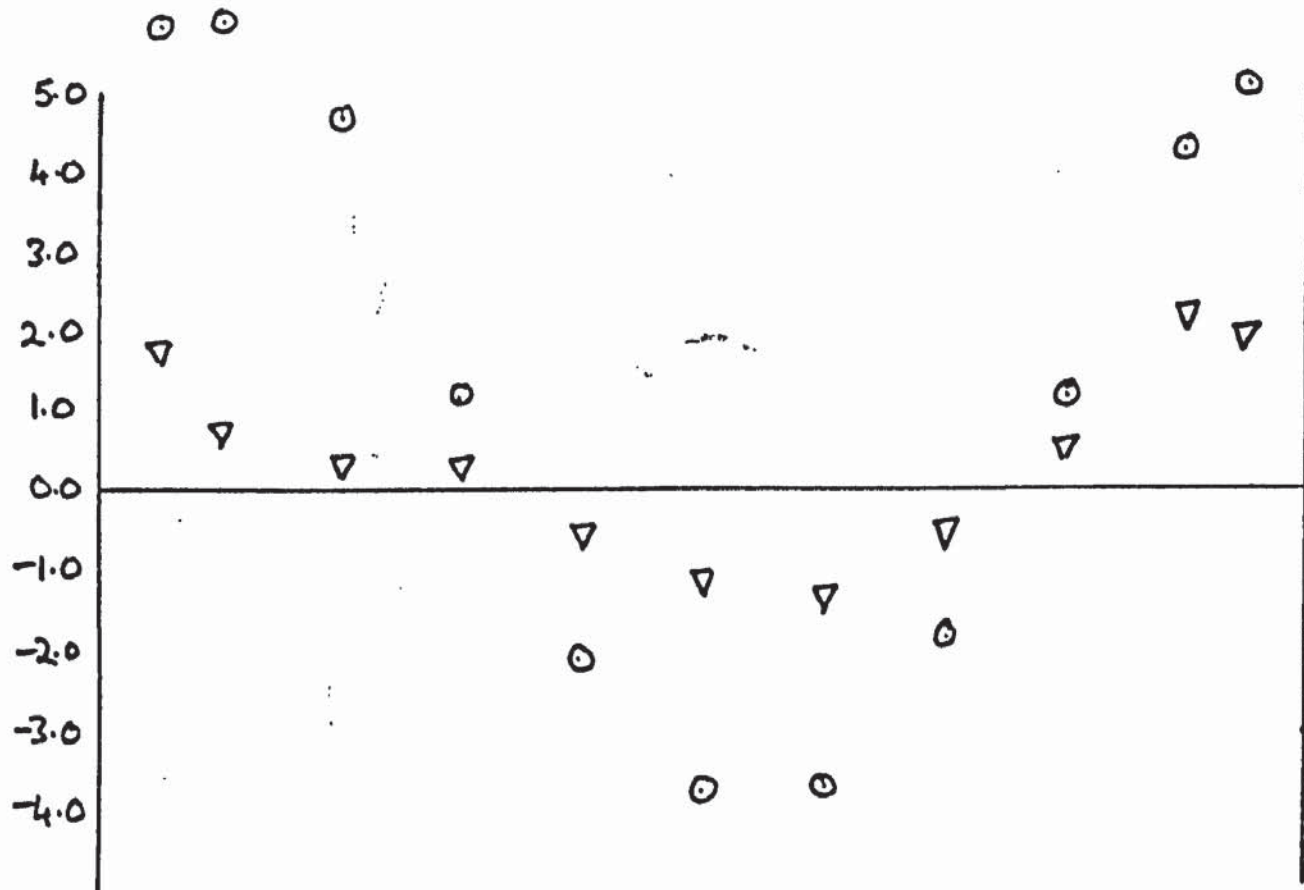
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FIG. 39

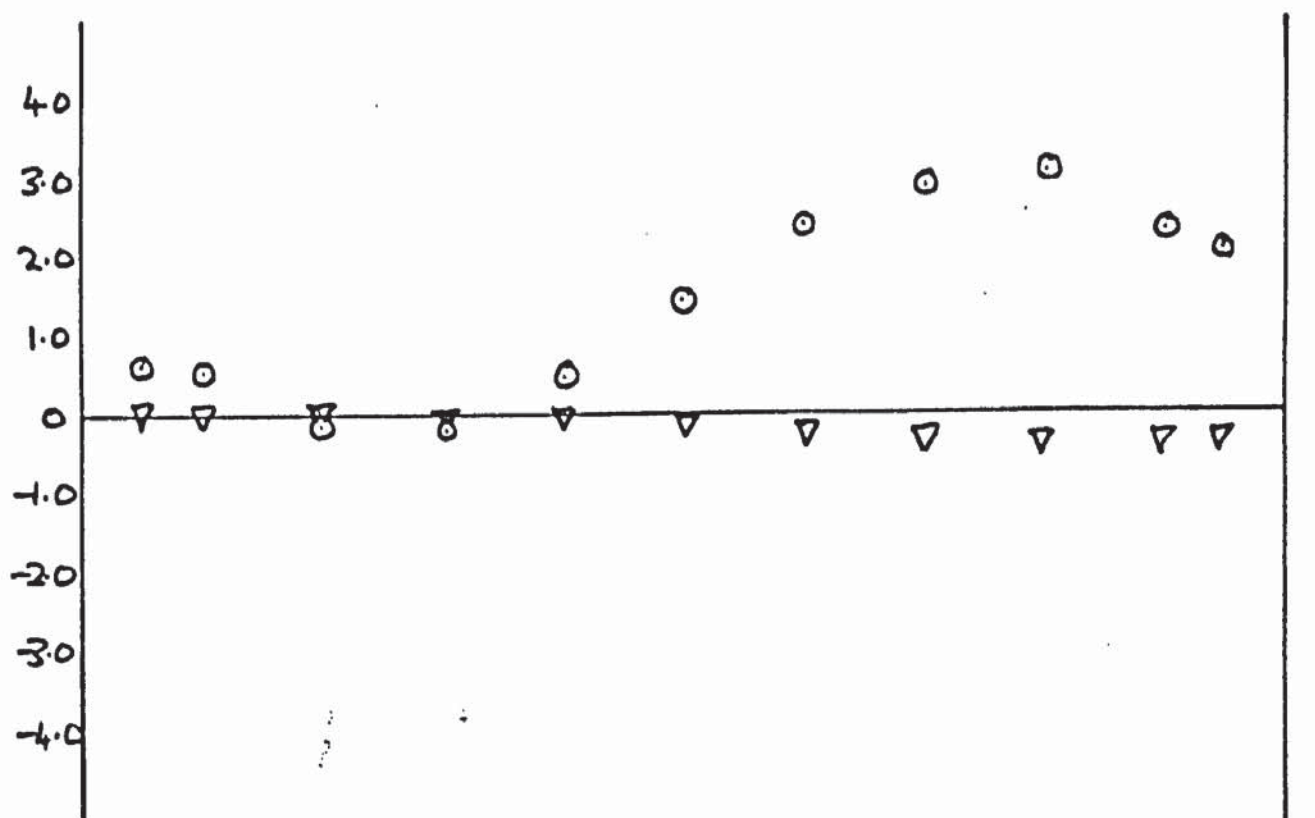
EQUILIBRIUM CONSTANT, K_M V X_A FOR ACETIC ACID - TRICHLOROETHYLENE

accurate results but nevertheless the improvement is striking. It was found using the vapour phase correction only, for instance, that the Wilson equation does not give a very good fit to any of the data sets. However correcting the activity coefficients for association yields a substantial improvement.

All the data sets appear to be consistent when correlated with the new model with exception of the data of Riveng (R14) at 760 mm and that of Brown and Ewald (B16) at 760 mm which shows a pronounced non-random trend in the mid portion of the concentration range. Figs. 40 to 48 show the results of a Barker fit in the isothermal data of Arich and Tagliavani (A5) at 69.7 and 89.9°C and on the isobaric data of Ito (12) at 70mm, 200 mm and 760 mm Hg. using the vapour phase correction only with the various Gibbs-Duhem equations and also with the liquid phase correction. The correlation parameters obtained with the new model are given in table A7.2. Figs. 49 to 50 show plots of k_m against x for the isothermal and isobaric systems. It can be seen that once again they are of a similar pattern to each other although different to the plots for acetic acid-hydrocarbon systems.



ΔP - MM HG



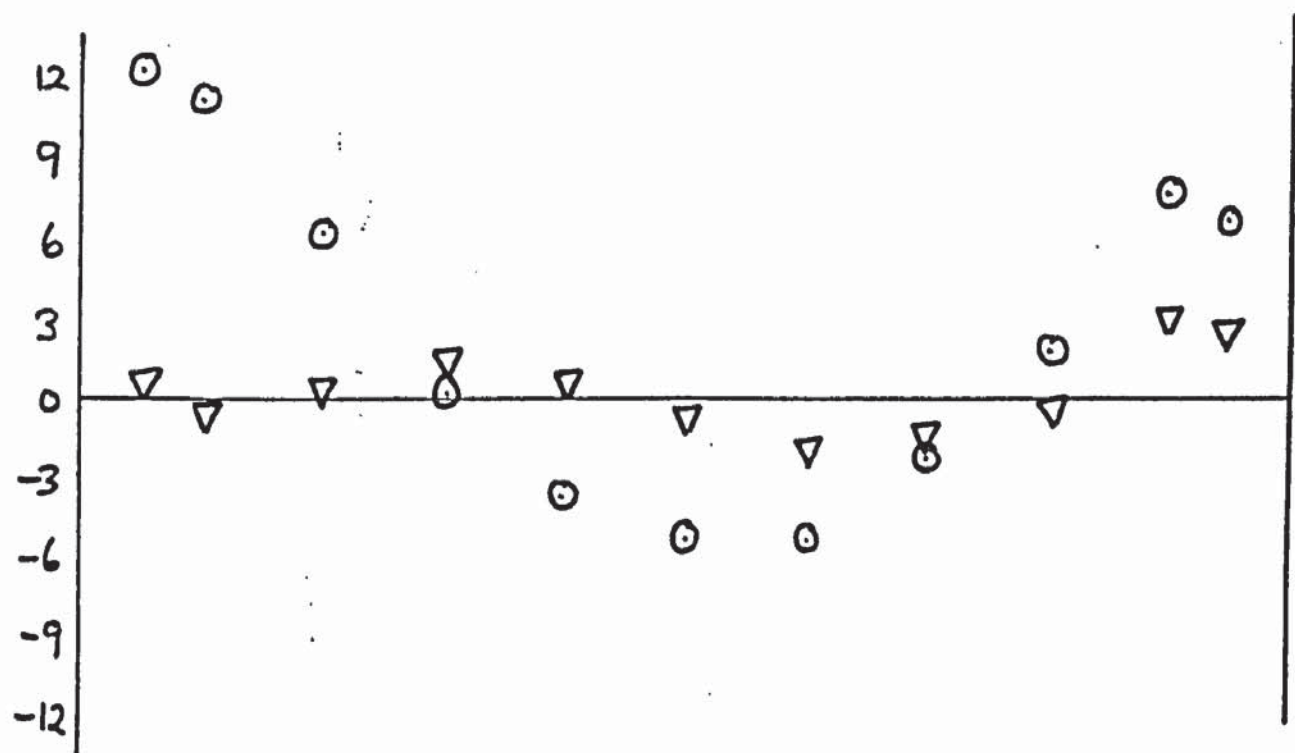
$\Delta Y \cdot 100$

0.0 0.1 0.2 0.3 0.4 0.5 0.6 0.7 0.8 0.9 1.0

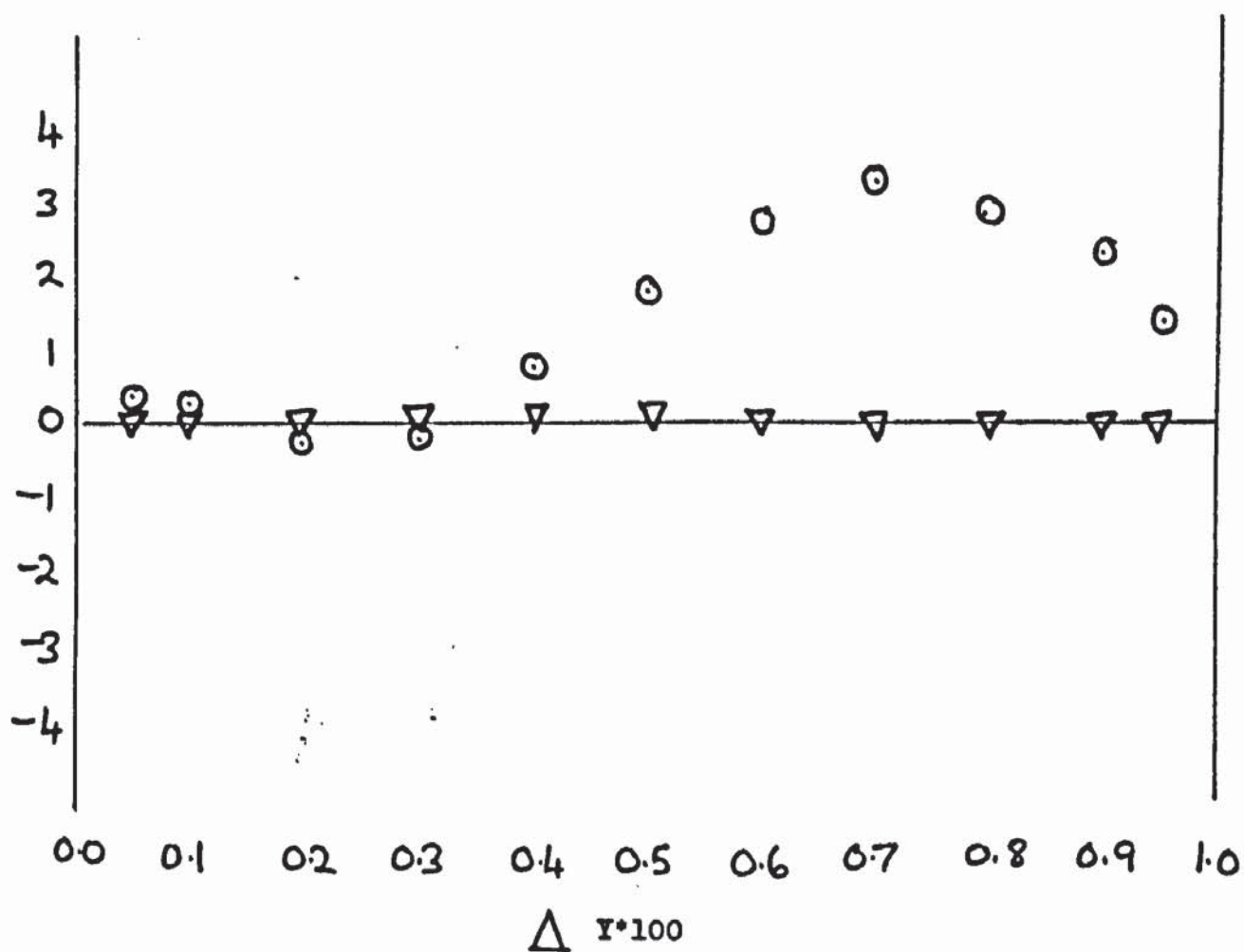
MOLE FRACTION ACETIC ACID

FIG. 41 SYSTEM ACETIC ACID-WATER AT 79.9°C (A5), 3 NRTL EQUATION

○ VAPOUR PHASE CORRECTION ONLY, ▽ LIQUID PHASE MODEL



ΔP - MM HG



MOLE FRACTION ACETIC ACID

FIG. 42 SYSTEM ACETIC ACID-WATER AT 89.9 CENT (A5), 3 NRTL EQUATION
 \odot VAPOUR PHASE CORRECTION ONLY, ∇ LIQUID PHASE MODEL

FIG. 43

SYSTEM ACETIC ACID - WATER AT 89.9°C

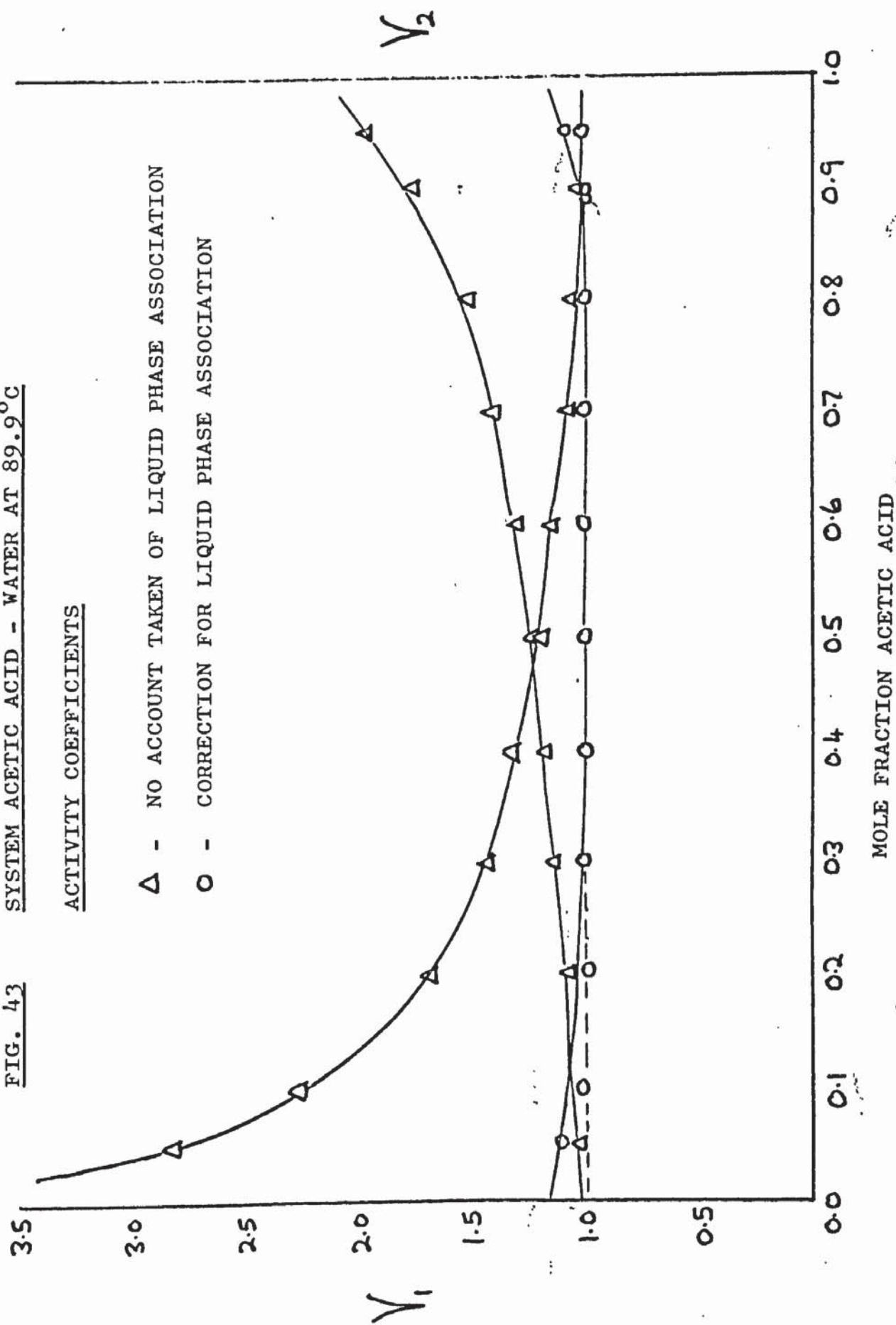
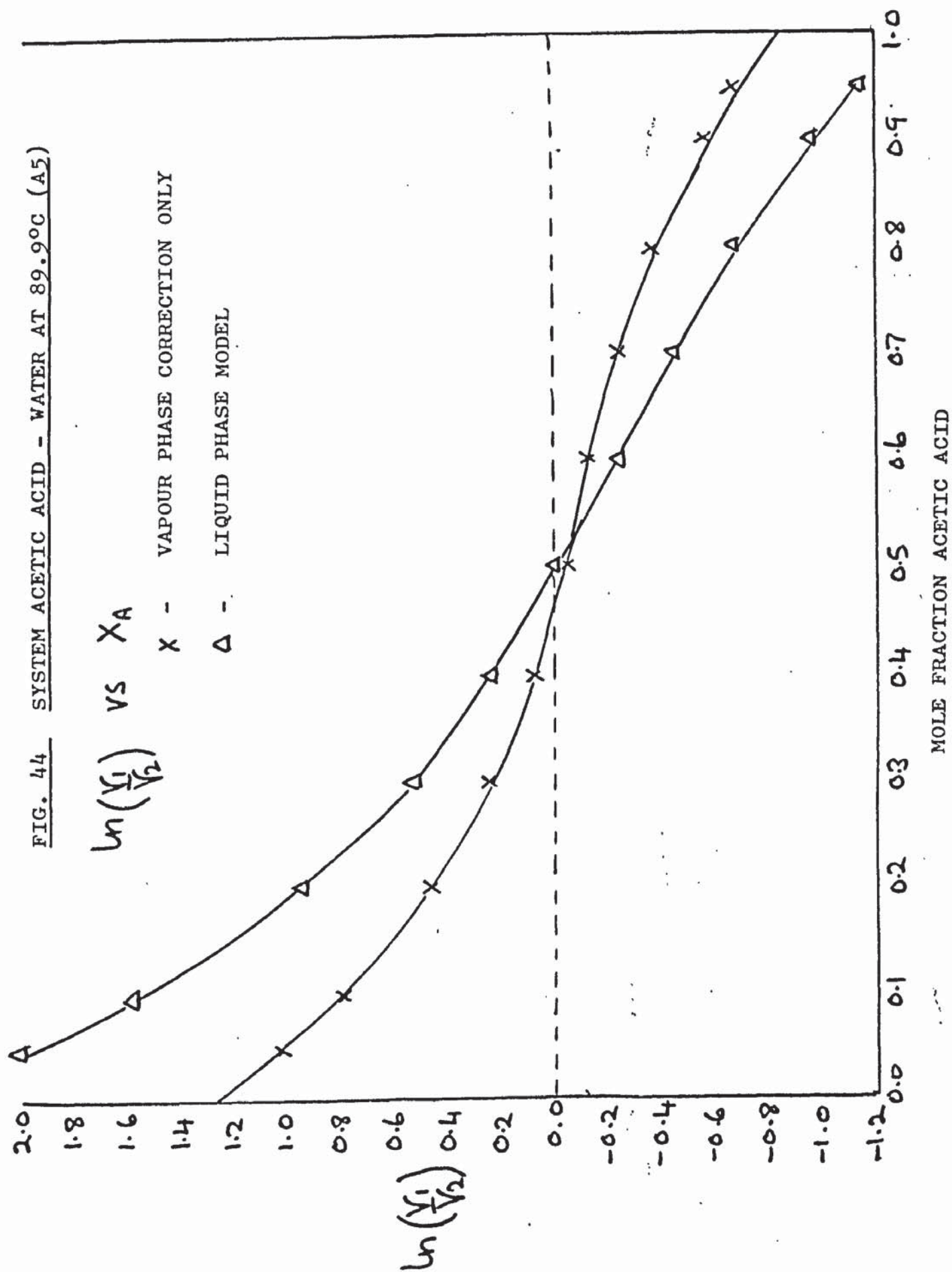
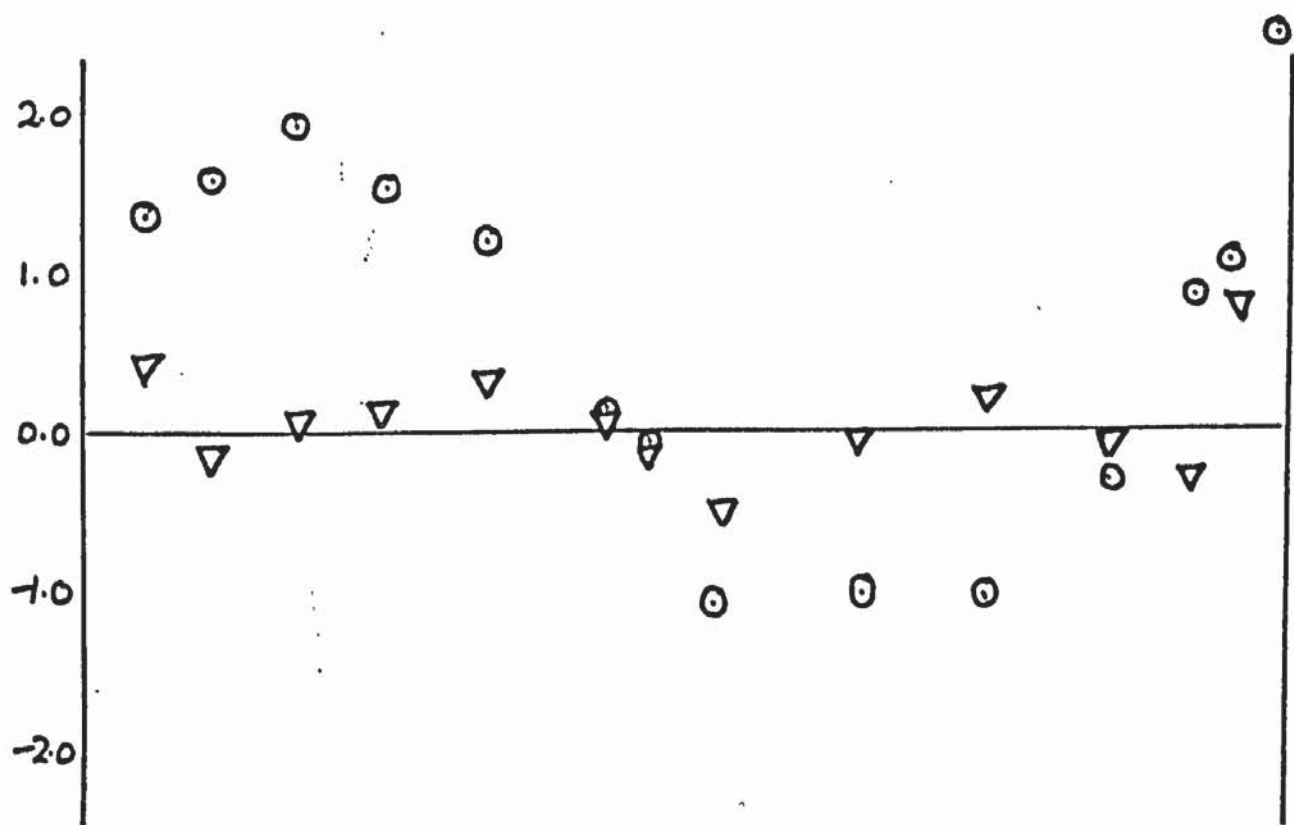
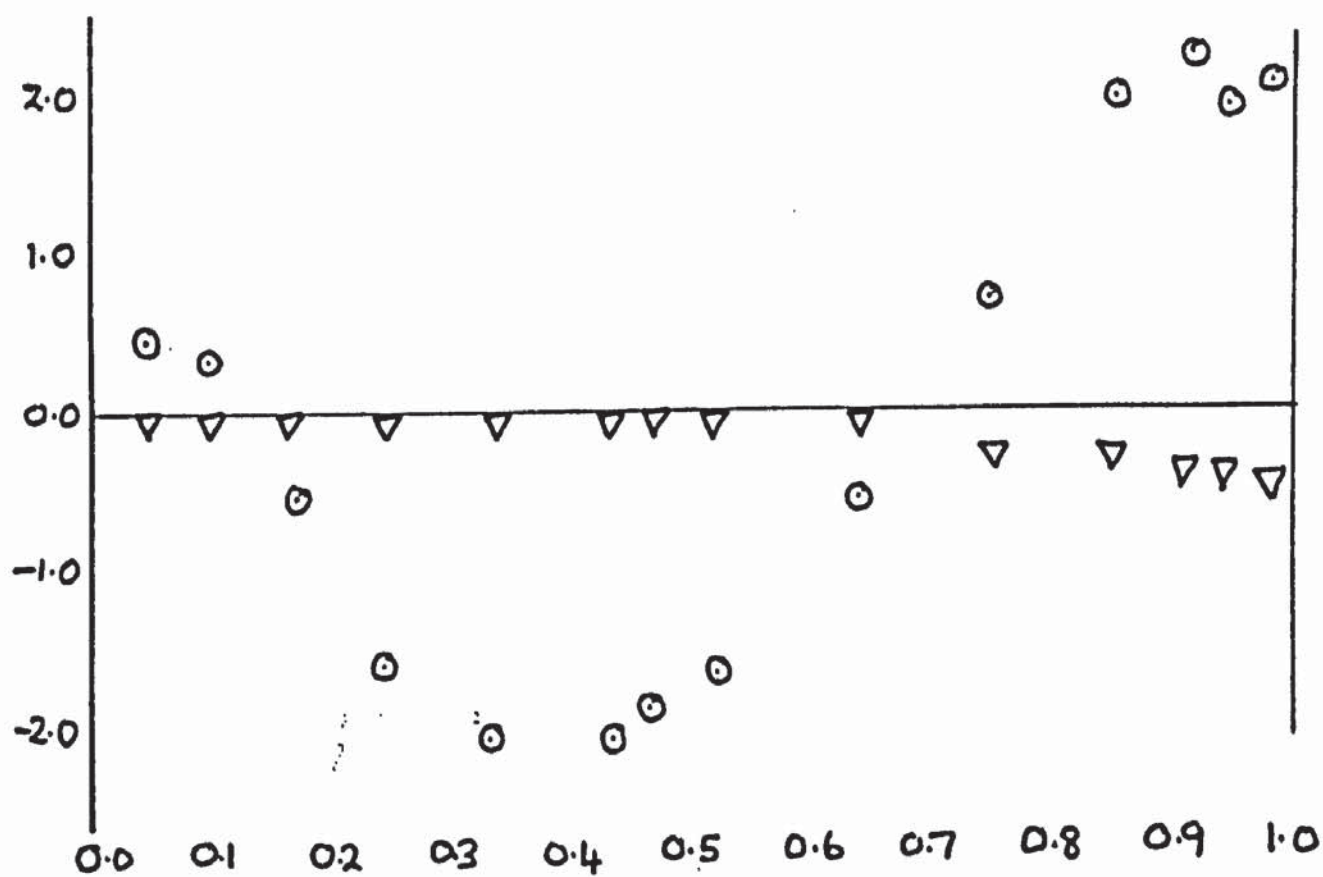


FIG. 44 SYSTEM ACETIC ACID - WATER AT 89.9°C (A5)





ΔP - MM HG



$\Delta Y \cdot 100$

MOLE FRACTION ACETIC ACID

FIG. 45 SYSTEM ACETIC ACID-WATER AT 70 MM HG (I2), 2 APPROACHES 3 NRTL EQN
 ○ VAPOUR PHASE CORRECTION ONLY, ▽ LIQUID PHASE MODEL

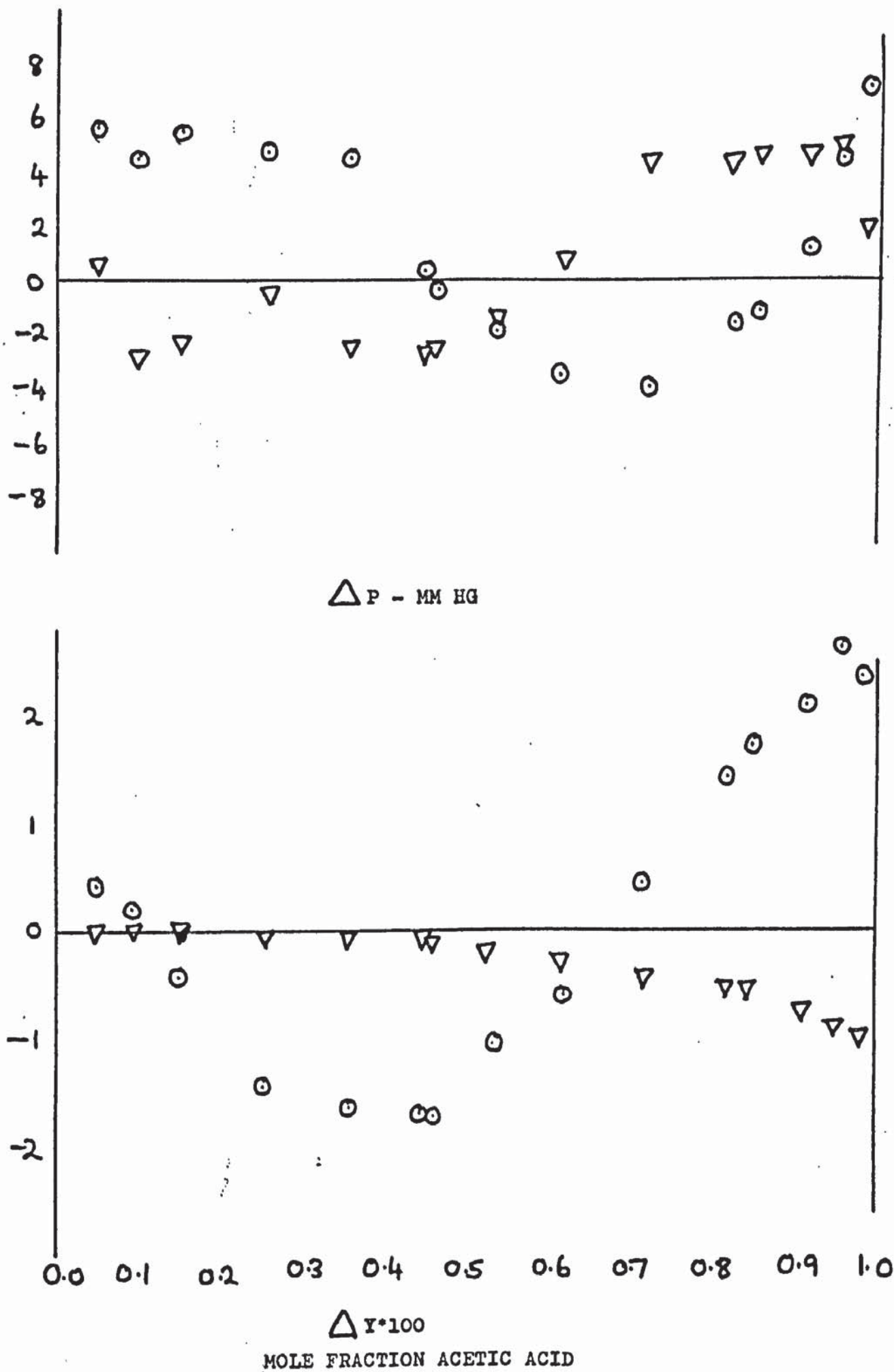


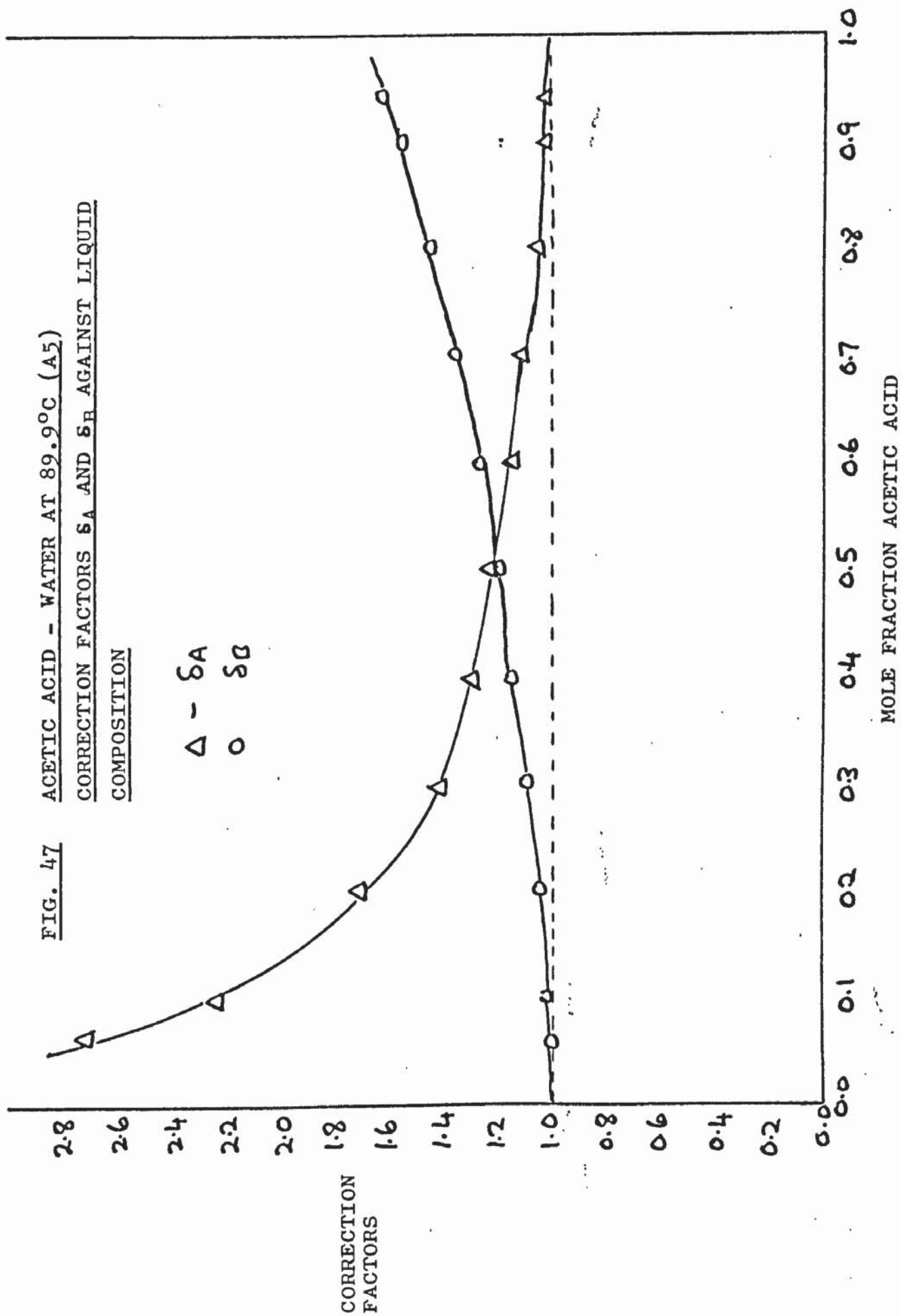
FIG. 46 SYSTEM ACETIC ACID-WATER AT 200 MM HG (12), 2 APPROACHES 3 NRTL EQN
 ○ VAPOUR PHASE CORRECTION ONLY, ▽ LIQUID PHASE MODEL

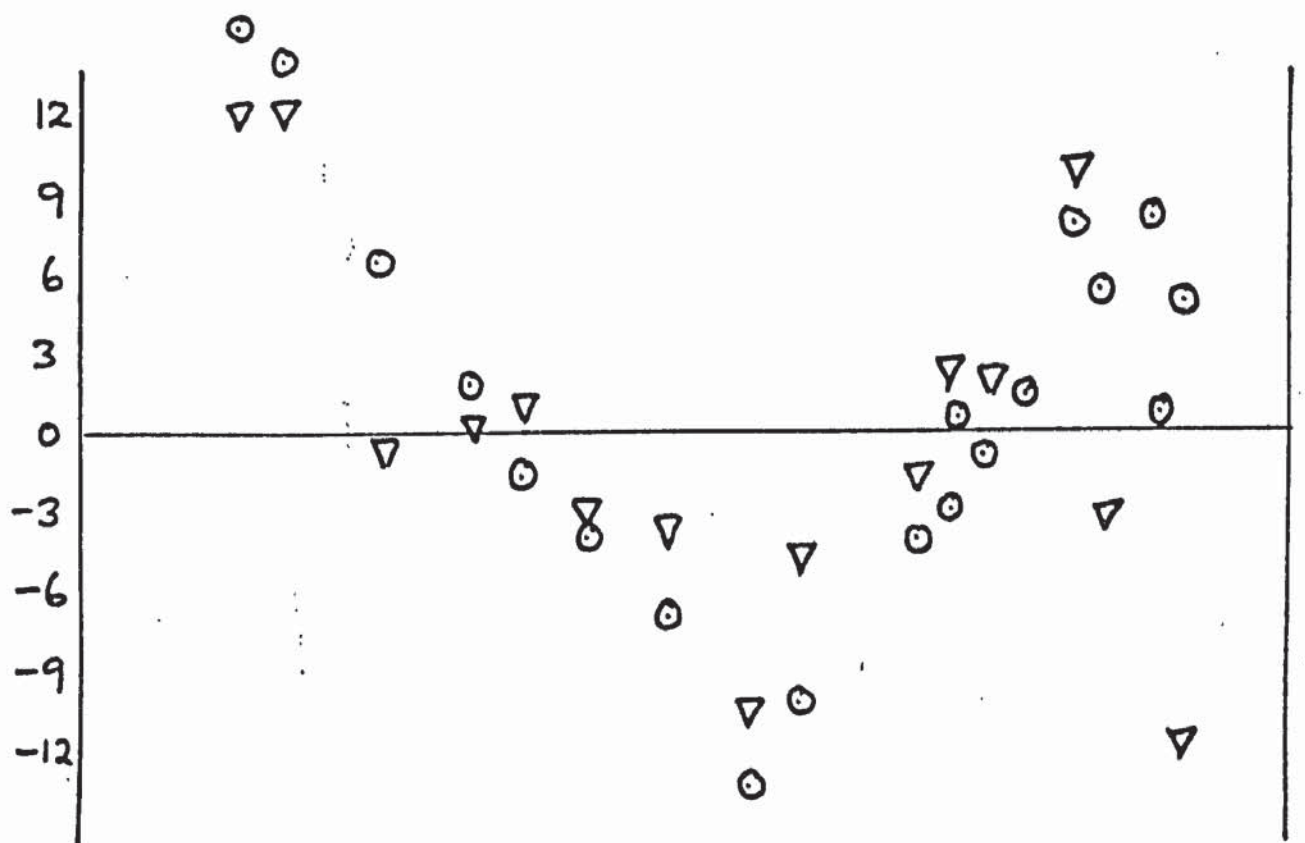
FIG. 47

ACETIC ACID - WATER AT 89.9°C (A5)

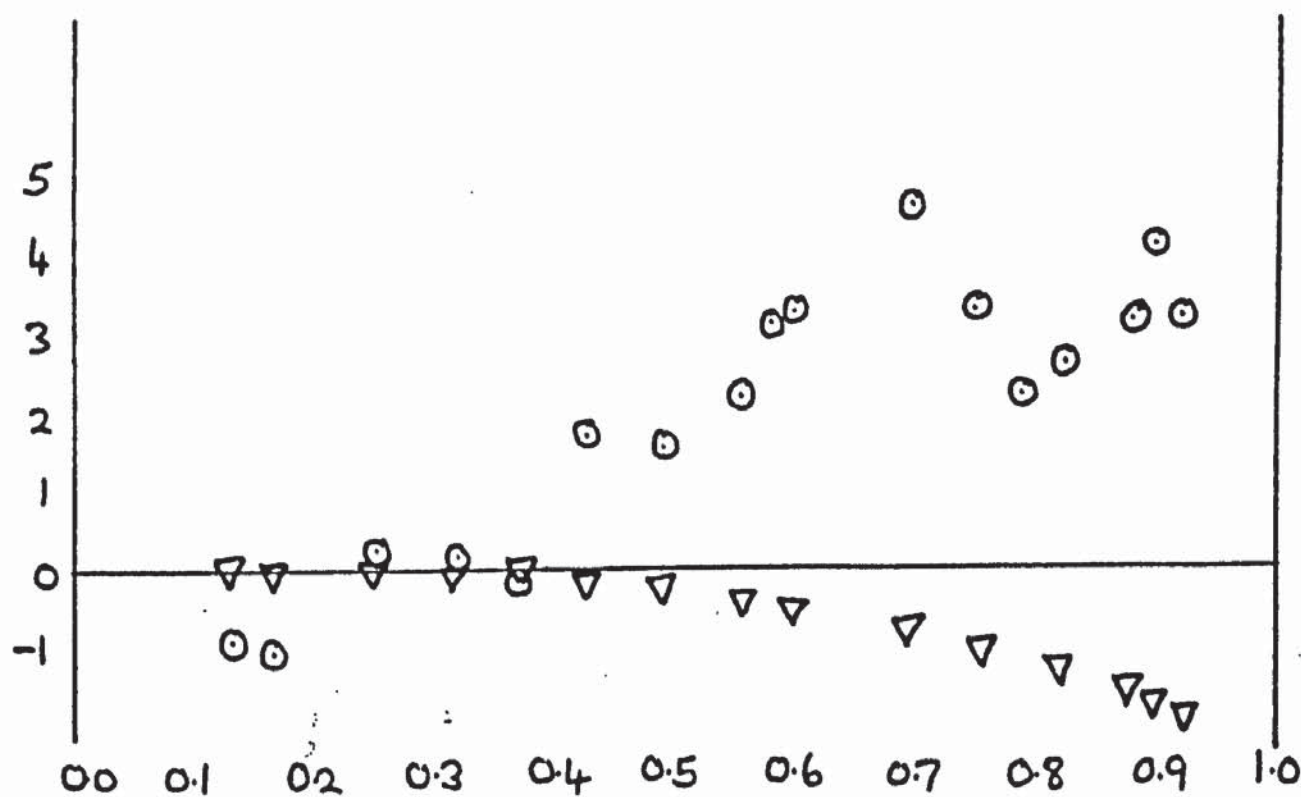
CORRECTION FACTORS δ_A AND δ_B AGAINST LIQUID
COMPOSITION

$\Delta - \delta_A$
O δ_B





ΔP - MM



$\Delta Y \cdot 100$

MOLE FRACTION ACETIC ACID

FIG. 48 SYSTEM ACETIC ACID-WATER AT 760 MM (55), 3 NRTL EQUATION

○ VAPOUR PHASE CORRECTION ONLY, ▼ LIQUID PHASE MODEL

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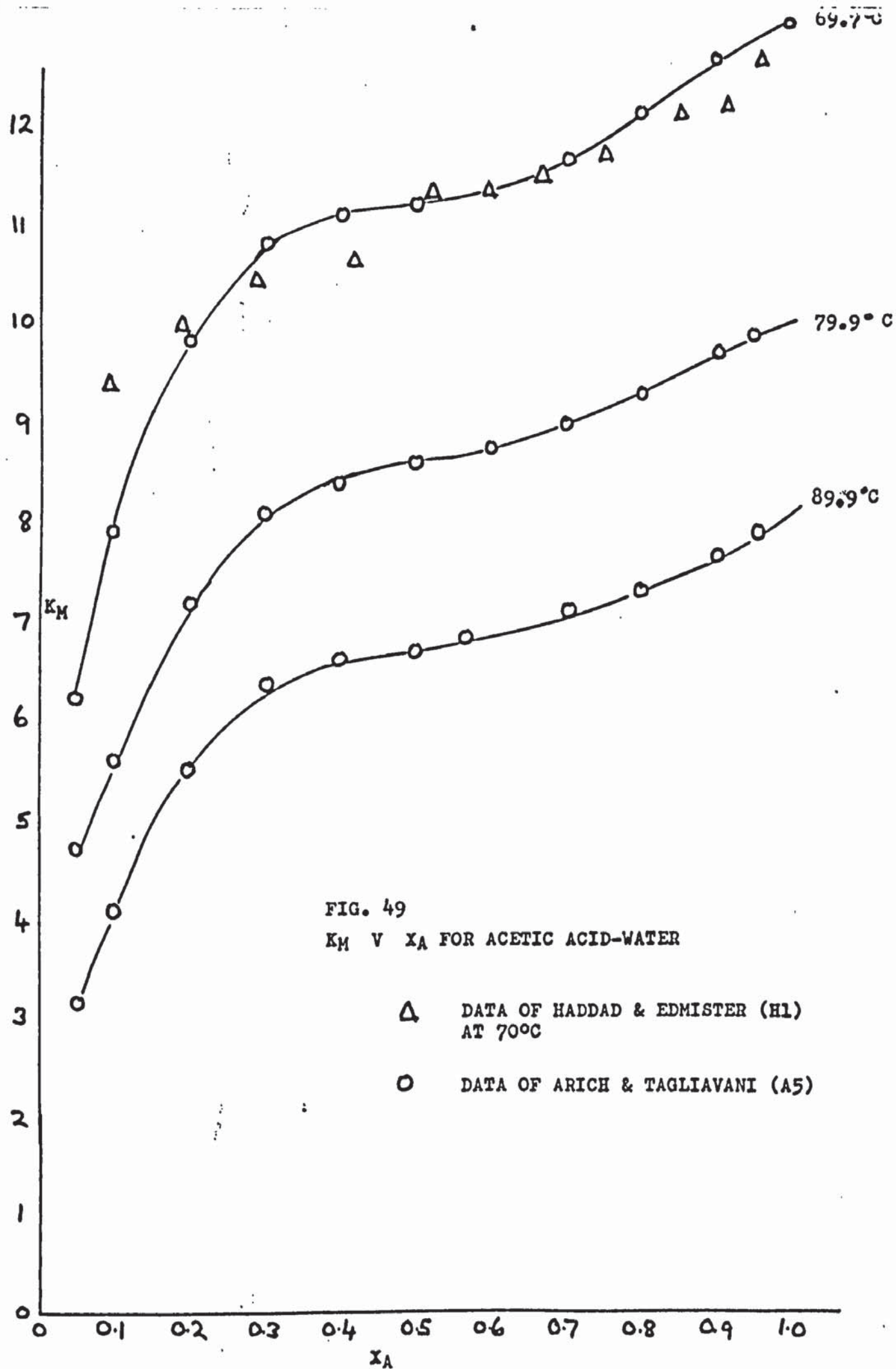


FIG. 49

K_M V x_A FOR ACETIC ACID-WATER

Δ DATA OF HADDAD & EDMISTER (H1)
AT 70°C

\circ DATA OF ARICH & TAGLIAVANI (A5)

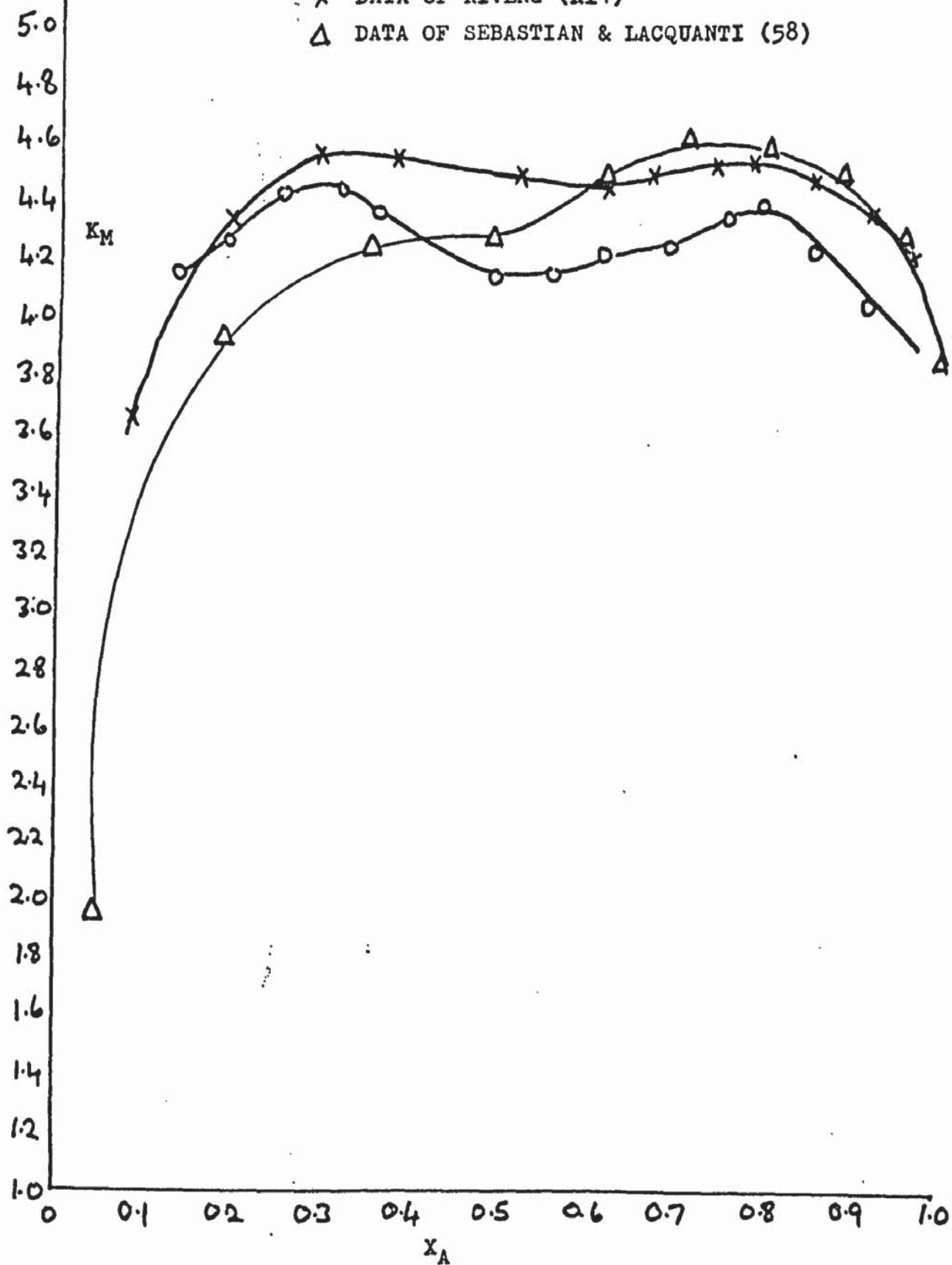
FIG. 50

K_M V x_A FOR ACETIC ACID-WATER AT 760 MM HG

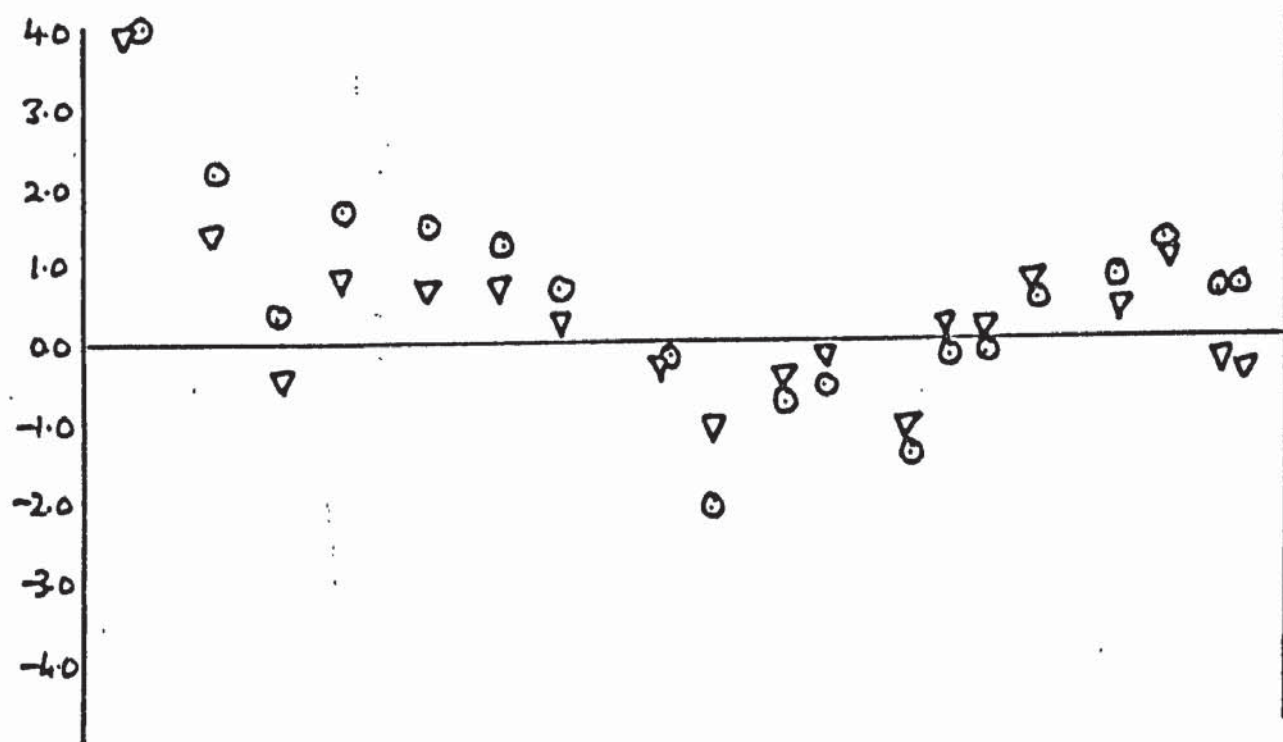
○ DATA OF GARNER, ELLIS & PEARCE (G1)

× DATA OF RIVENG (R14)

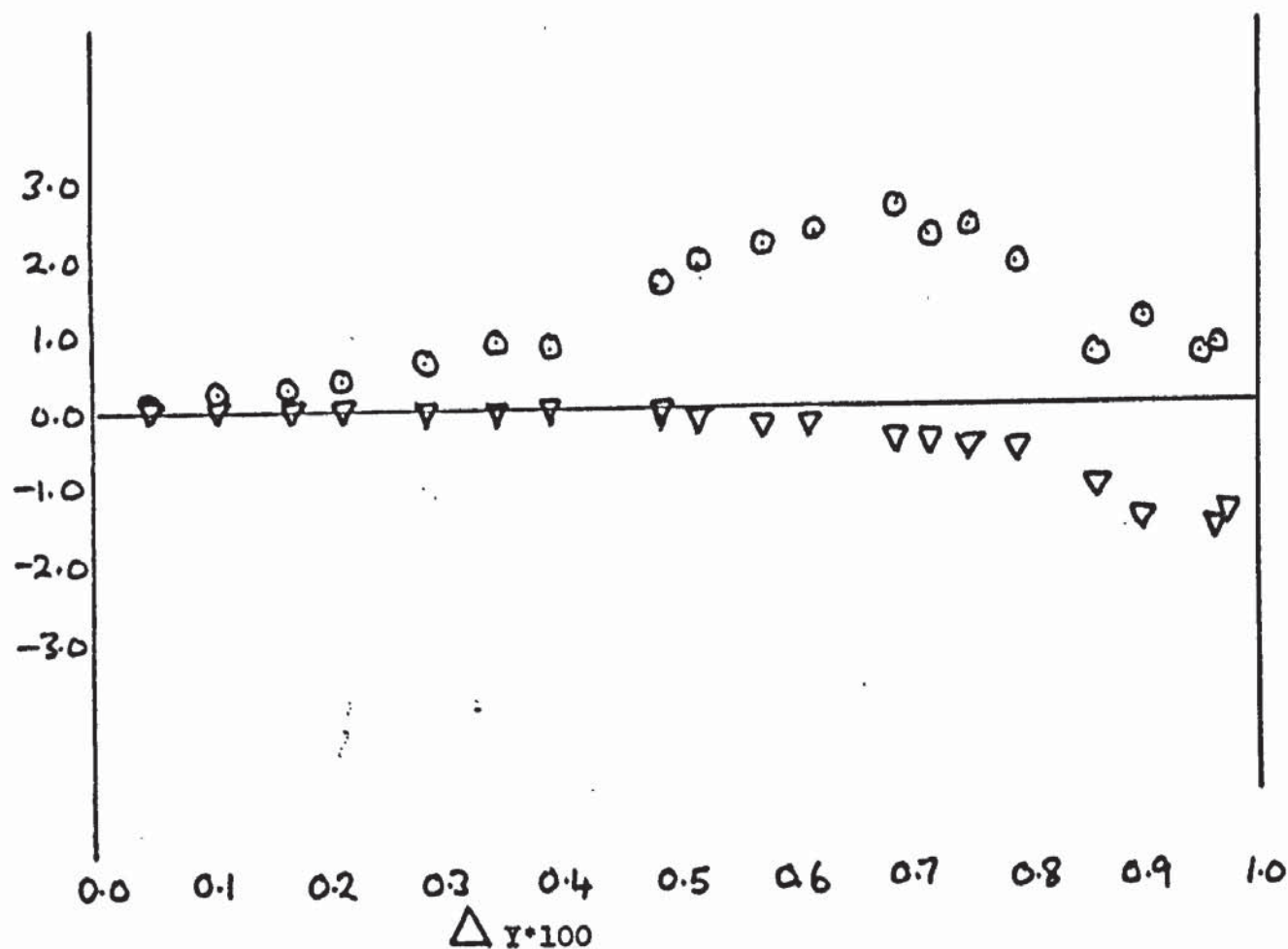
△ DATA OF SEBASTIAN & LACQUANTI (58)



Similar conclusions are obtained when the two approaches are applied to the data sets dealing with the system acetic acid-alcohols and acetic acid-esters. There is considerably more random error in the data especially in that of Amer-Azega (A3). Also the results of applying the new approach are in general only marginally better and in the case of the system acetic acid-iso butanol at 706 mm Hg. reported by Amer-Azega the fit is slightly worse. The systems acetic acid-n-butanol and acetic acid-tert butanol are very badly correlated with both approaches. The complex behaviour of alcohols is well known and there have been many attempts using specially derived models (N5) (W4) (K10) to deal with systems of which an alcohol is a component. This may account for the indifferent results obtained, but, since the data of Ruis (R17) for acetic acid-methanol, ethanol, n-propanol, and n-butanol does not give such bad results as the data sets of Amer-Azega it may be that the latter are inconsistent. Once again plots of the concentration dependent equilibrium constant, k_m , against liquid phase mole fraction show similar behaviour for all the data sets (see fig. 57). The results of the Barker fit are shown in figs. 51 to 56 for various systems in which the



ΔP - MM HG



MOLE FRACTION ACETIC ACID

FIG. 51 DEVIATION PLOTS FOR SYSTEM ACETIC ACID - METHANOL (R17), WILSON EQN

○ VAPOUR PHASE CORRECTION ONLY, ▽ LIQUID PHASE MODEL

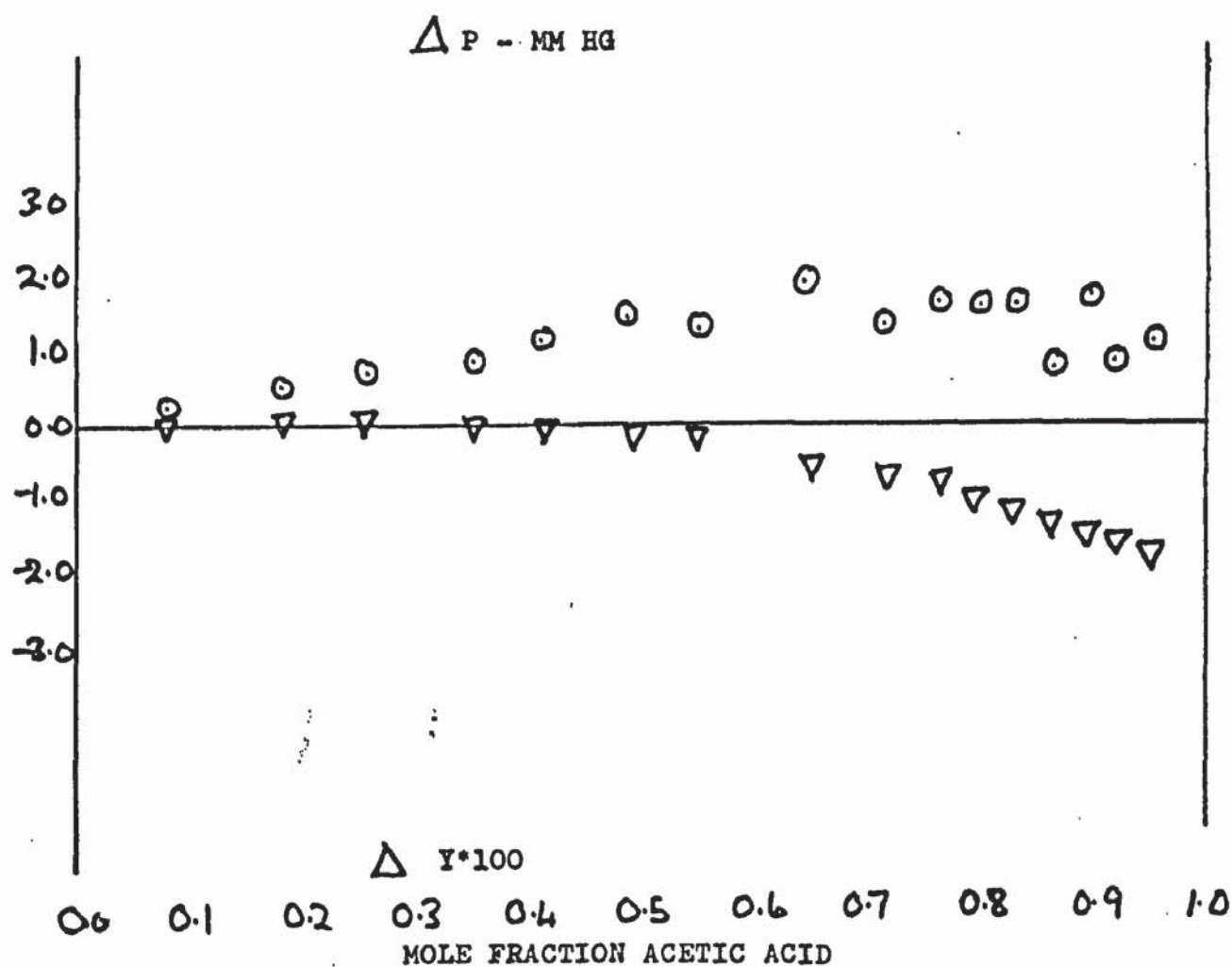
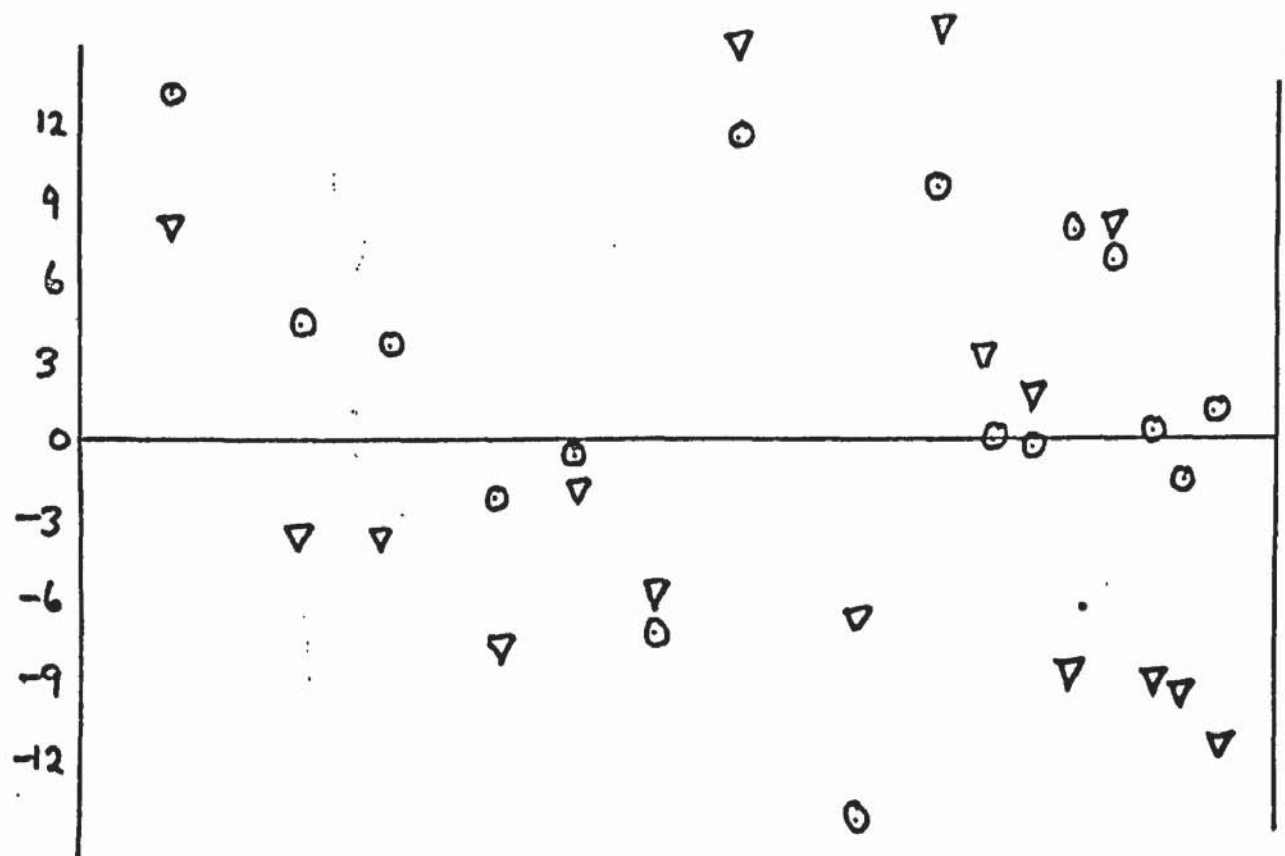
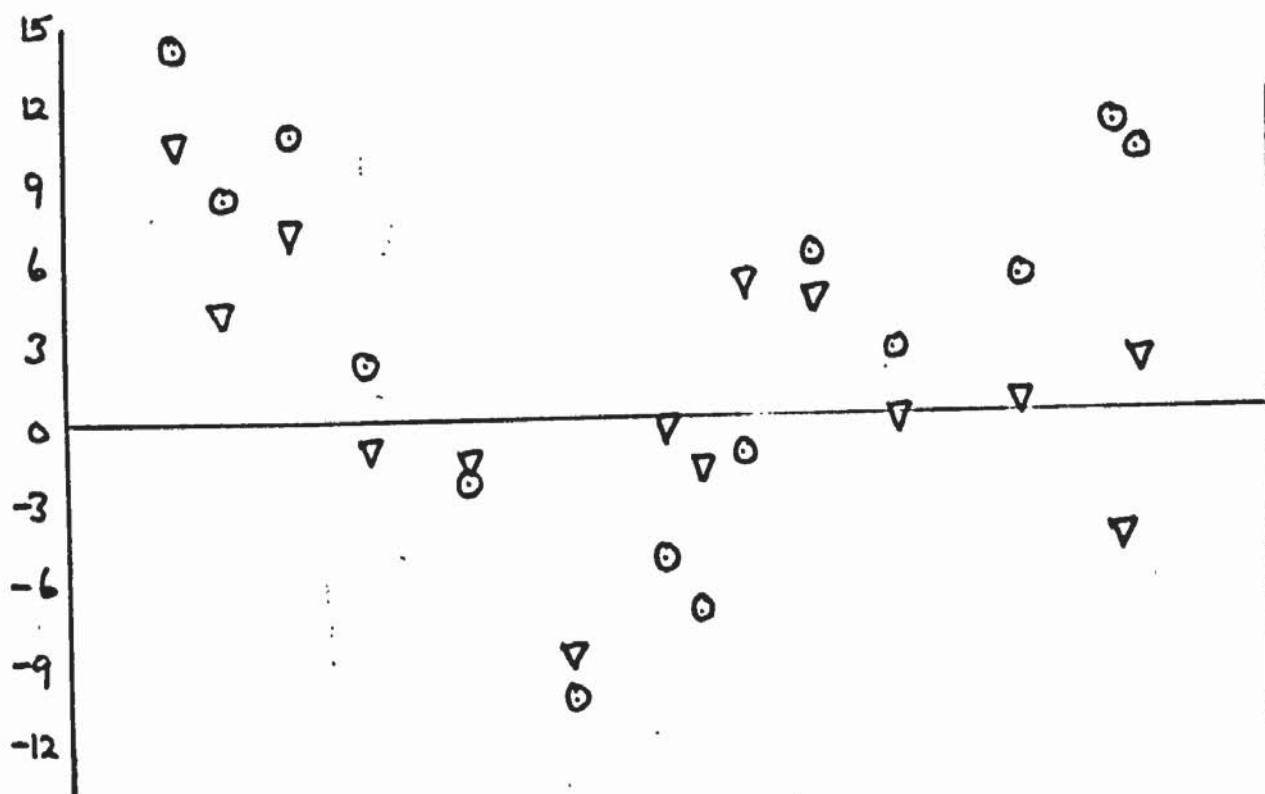


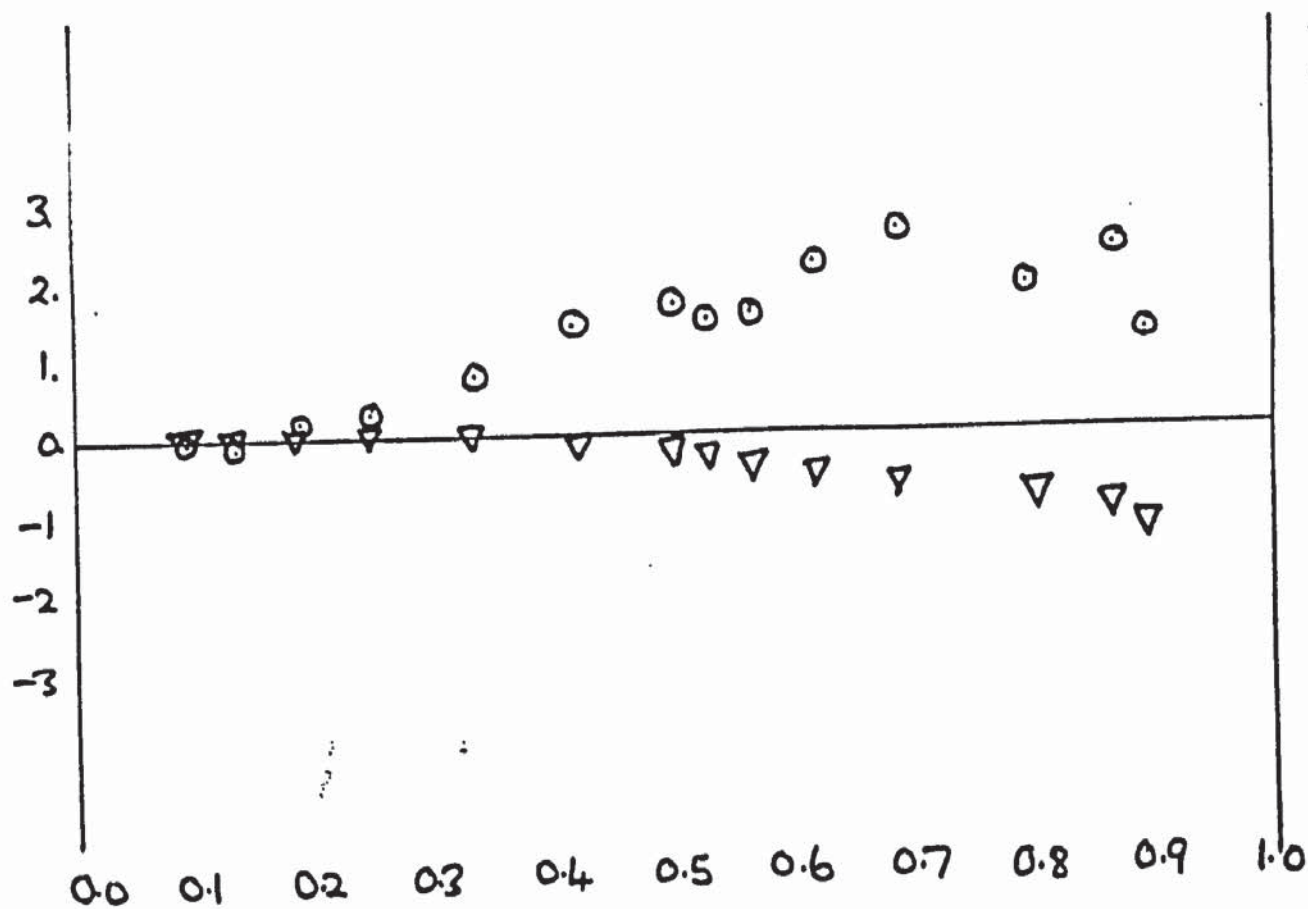
FIG. 52

SYSTEM ACETIC ACID-ETHANOL (R17), USING WILSON EQUATION

○ VAPOUR CORRECTION ONLY, ▽ LIQUID PHASE MODEL



ΔP - MM HG



$\Delta Y \cdot 100$

MOLE FRACTION ACETIC ACID

FIG. 53 DEVIATION PLOTS FOR ACETIC ACID N-BUTANOL, 2 APPROACHES WILSON EQN
 ○ VAPOUR PHASE CORRECTION ONLY, ▽ LIQUID PHASE MODEL

FIG. 54

SYSTEM ACETIC ACID - TOLUENE AT 30°C (M10)

ACTIVITY COEFFICIENTS

- O - NO ACCOUNT OF ASSOCIATION
- X - CORRECTION FOR ASSOCIATION

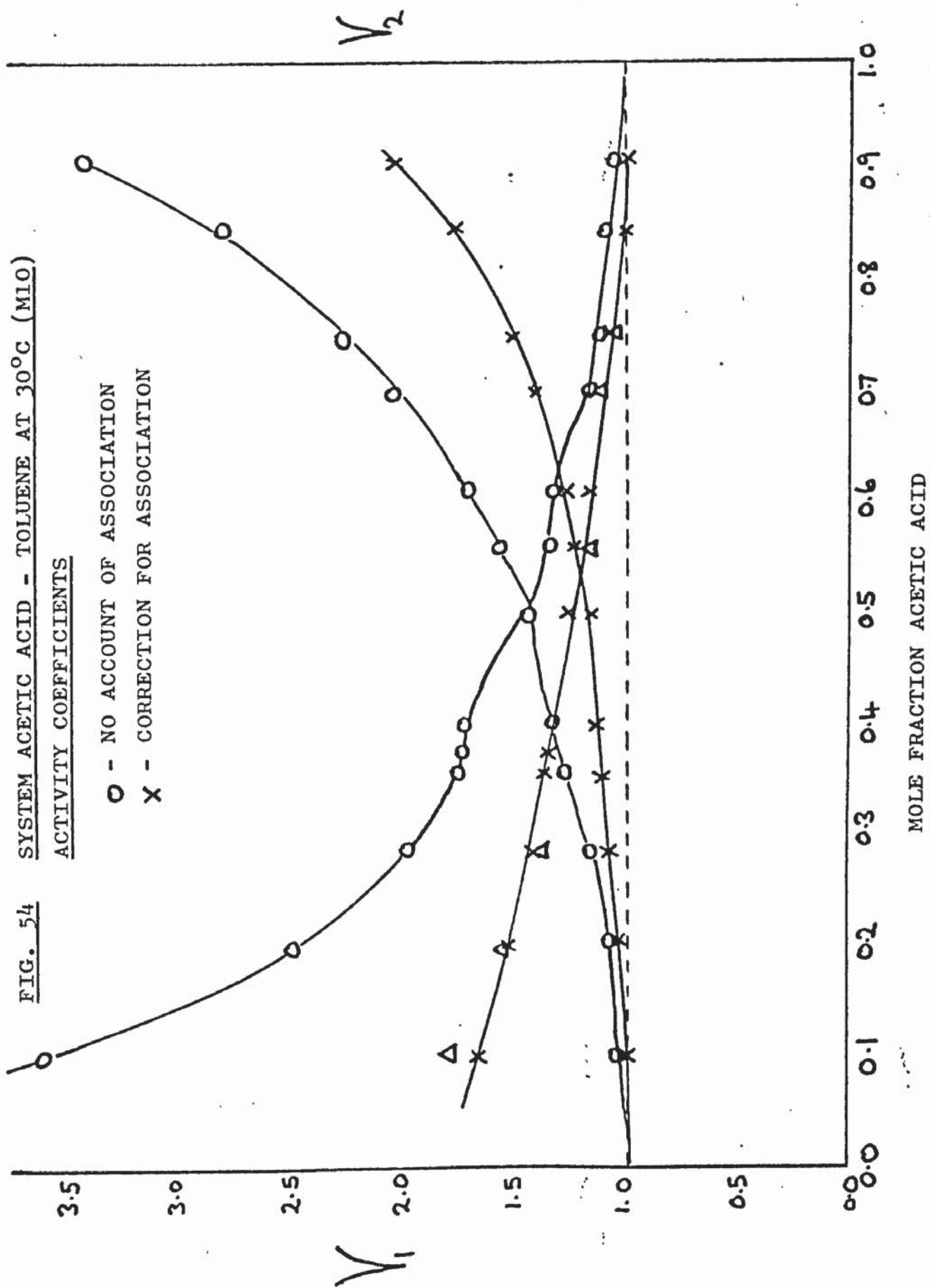


FIG. 55 SYSTEM ACETIC ACID - TOLUENE AT 30°C (M10)

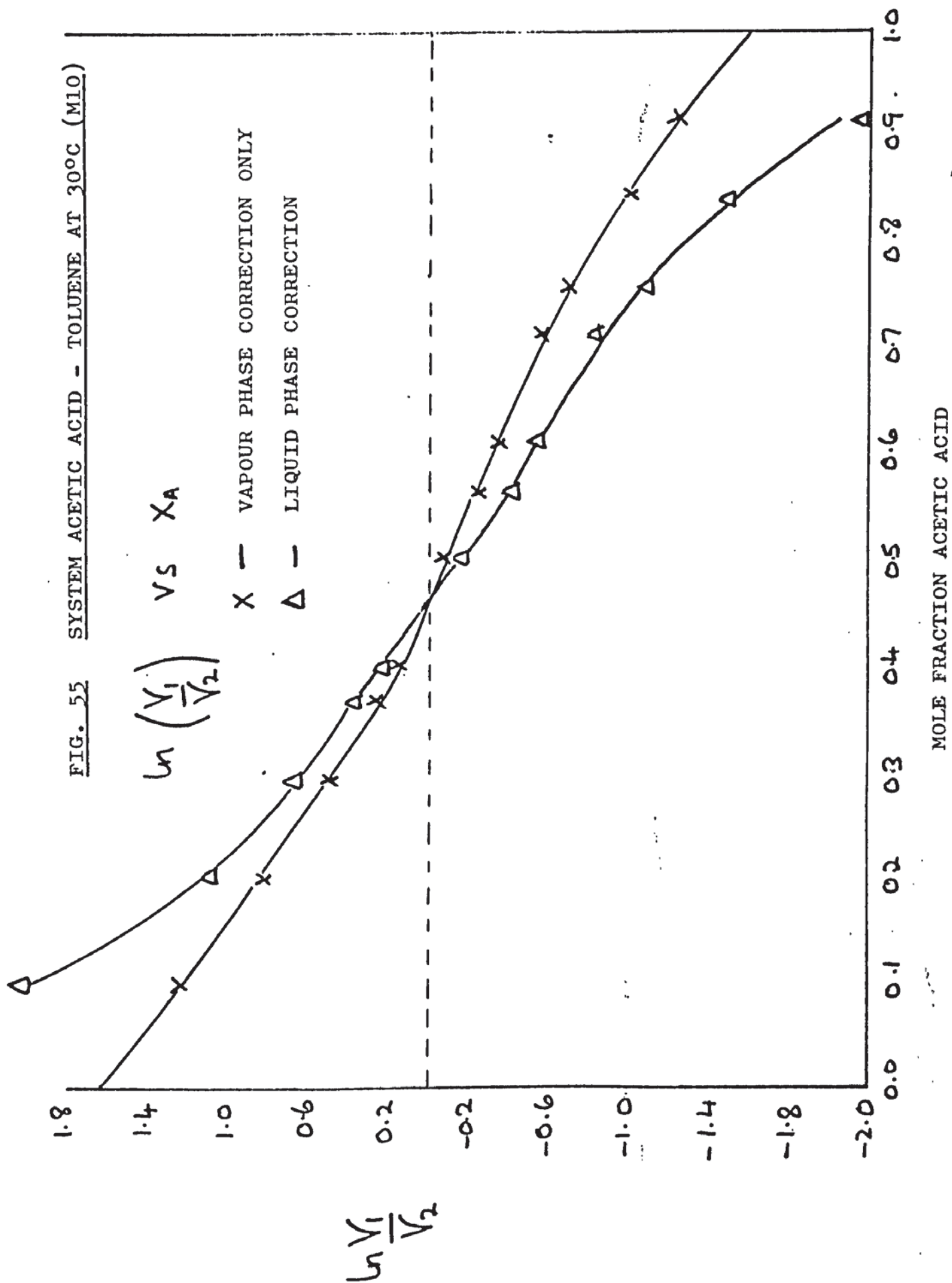
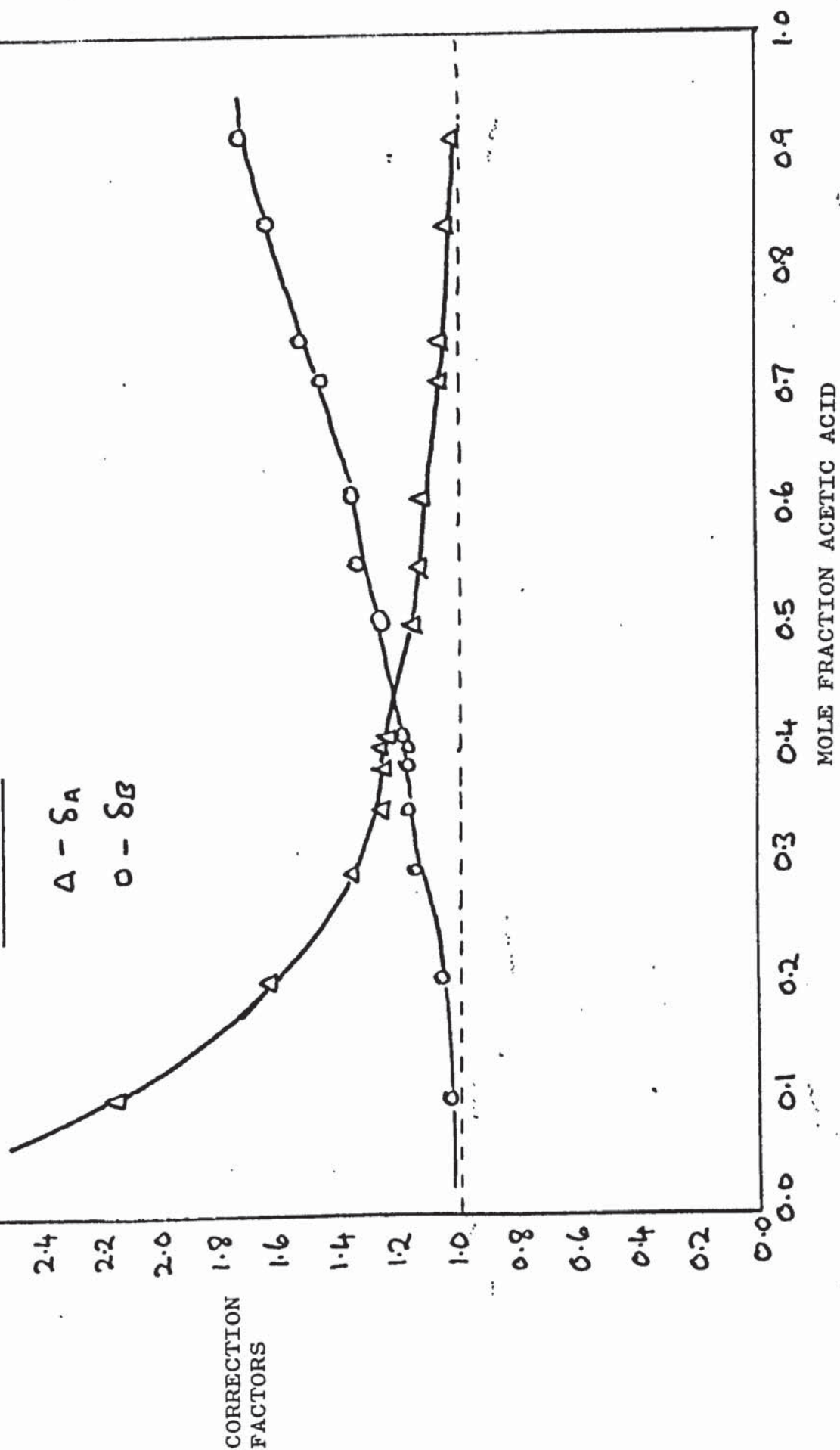


FIG. 56 ACETIC ACID - TOLUENE AT 30°C (M10)
CORRECTION FACTORS δ_A AND δ_B AGAINST LIQUID
COMPOSITION



performance of the two approaches may be assessed.

The results for the systems of acetic acid and esters are similar to hydrocarbon systems with only the data in system acetic acid-cyclohexyl acetate appearing to be inconsistent. The curves obtained on plotting k_m against x are once again similar but unique to this class of compounds. Results of the Barker fit and the curves for k_m against x are shown in figs. 58 to 61.

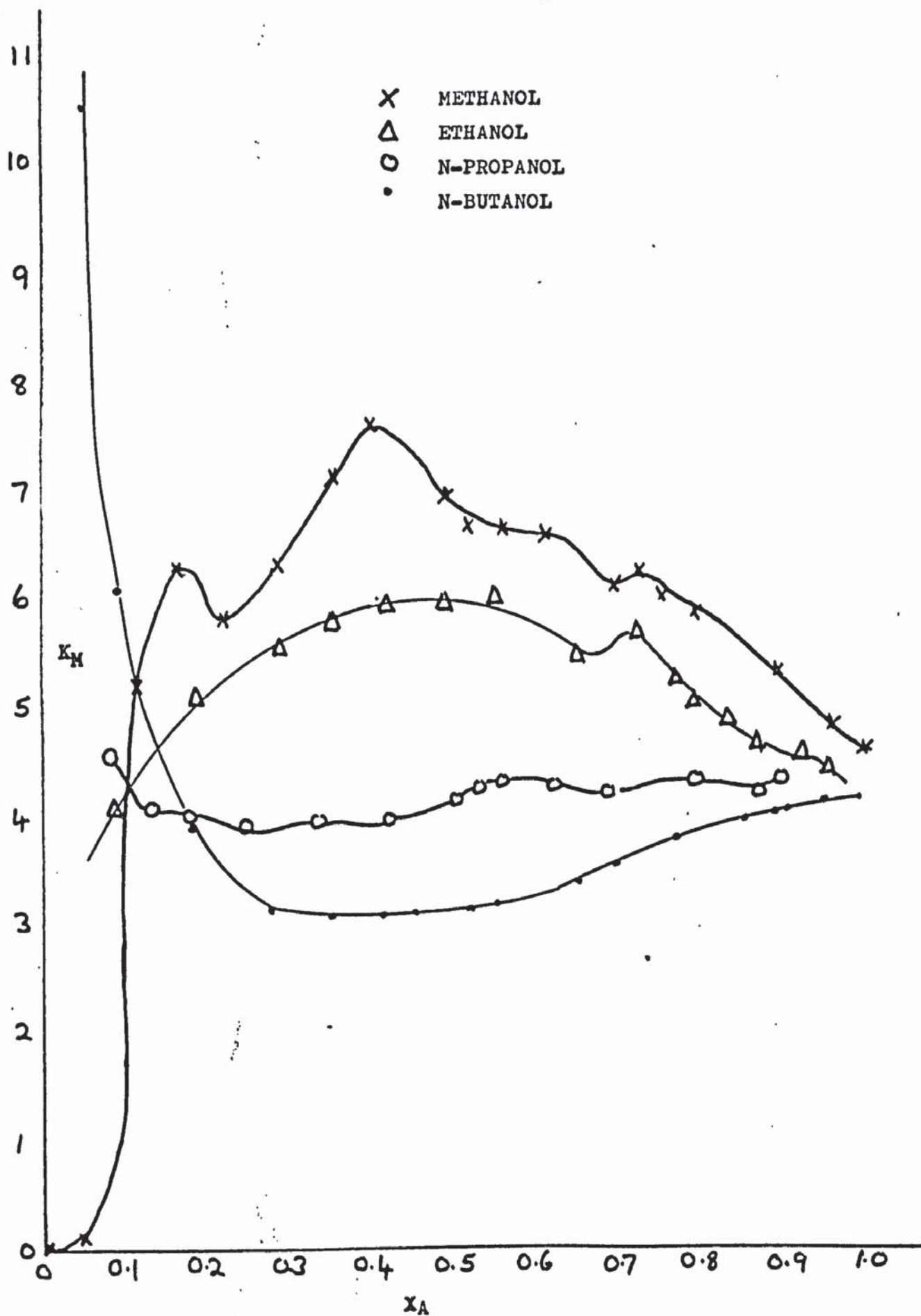
The results for other miscellaneous systems such as acetic acid acetone and acetic acid diethyl ether provide similar conclusions. In all cases the new approach offers a substantial improvement with the curves of k_m against x showing similar shapes for each group of compounds. Results are presented in Appendix A3 and illustrated in figs. 62 to 65.

In the majority of cases the Wilson equation appears to give superior results to both the 2 and 3 parameter NRTL equations.

The fact that the variation of k_m with x is dependent upon the class of compound may make it possible to derive a generalised correlation which in

FIG. 57

EQUILIBRIUM CONSTANT, K_M V X_A FOR ACETIC ACID N-ALCOHOLS



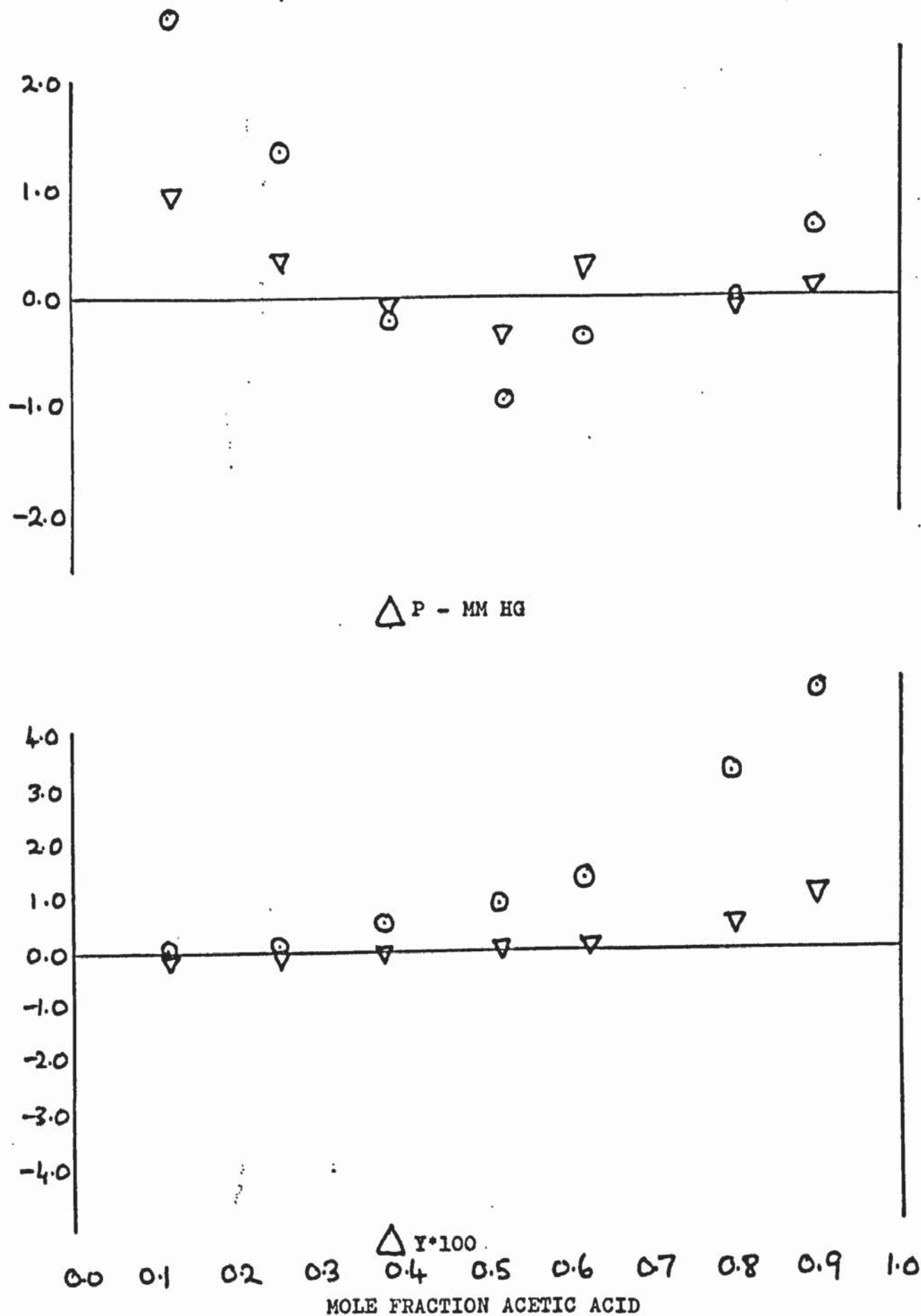


FIG. 58 SYSTEM ACETIC ACID - ETHYL ACETATE AT 30 CENT (M16), WILSON EQN.
 ○ VAPOUR PHASE CORRECTION, ▽ LIQUID PHASE MODELS

FIG. 59

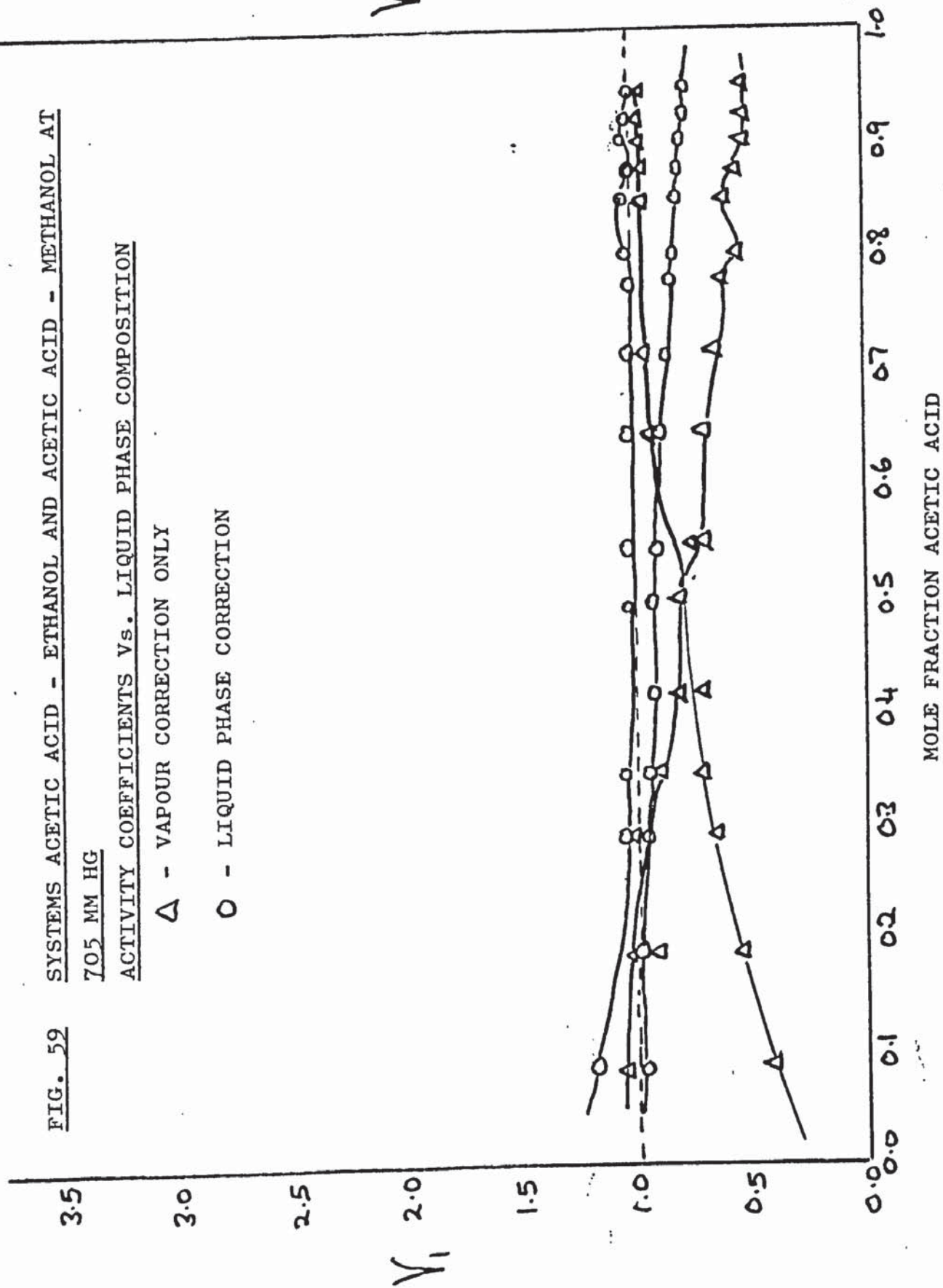
SYSTEMS ACETIC ACID - ETHANOL AND ACETIC ACID - METHANOL AT

705 MM HG

ACTIVITY COEFFICIENTS VS. LIQUID PHASE COMPOSITION

Δ - VAPOUR CORRECTION ONLY

O - LIQUID PHASE CORRECTION



turn would lead to a substantial reduction in computational effort. It would also account for the fact that the Liszi correlation for k_m against x is not successful when applied to systems other than the carbon tetrachloride-acetic acid system from which it was derived. It was also found that the correlations were not particularly affected by varying k_A implying that it is the variation of k with composition that is important. This would explain why improvements obtained by fitting with a concentration independent k are only marginal.

It is also apparent from inspection of the results for the various systems that in general the deviation between y^{exp} and y^{calc} increases with increasing mole fraction of acetic acid. One possibility is that the data is inconsistent in these regions but since the trend is apparent for nearly all the systems this is unlikely. One possible explanation is that at higher concentrations, higher polymers of acetic acid are present in the liquid phase as have been found in the vapour phase. However, Freedman in his study of pure acetic acid liquid (F7) reported only dimers and there appears to be no other experimental evidence to either support or refute this view.

FIG. 60

SYSTEM ACETIC ACID - ETHANOL AT 705 MM HG (R17)

CORRECTION FACTORS δ_A AND δ_B AGAINST LIQUID

COMPOSITION

$\Delta - \delta_A$

$O - \delta_B$

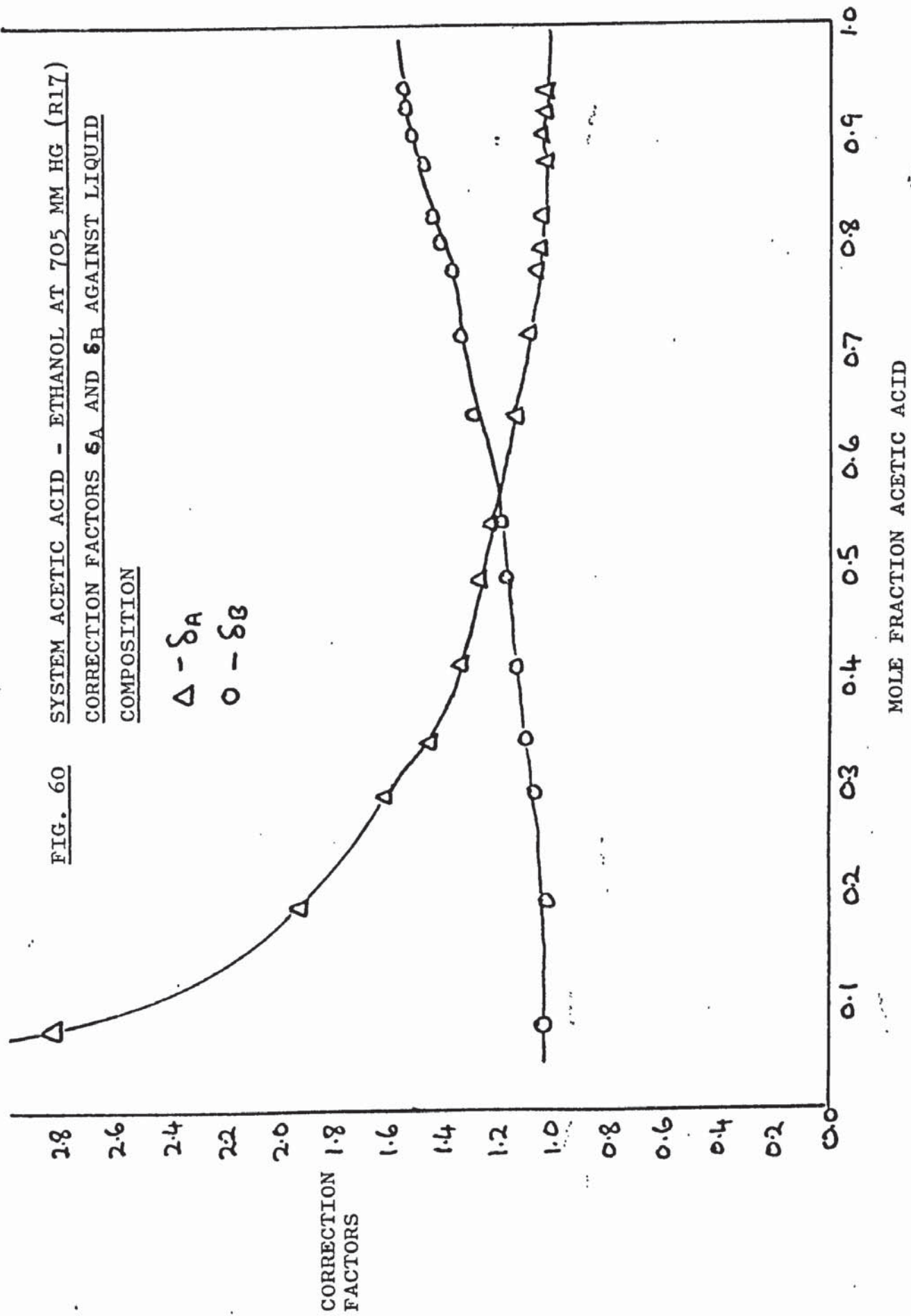
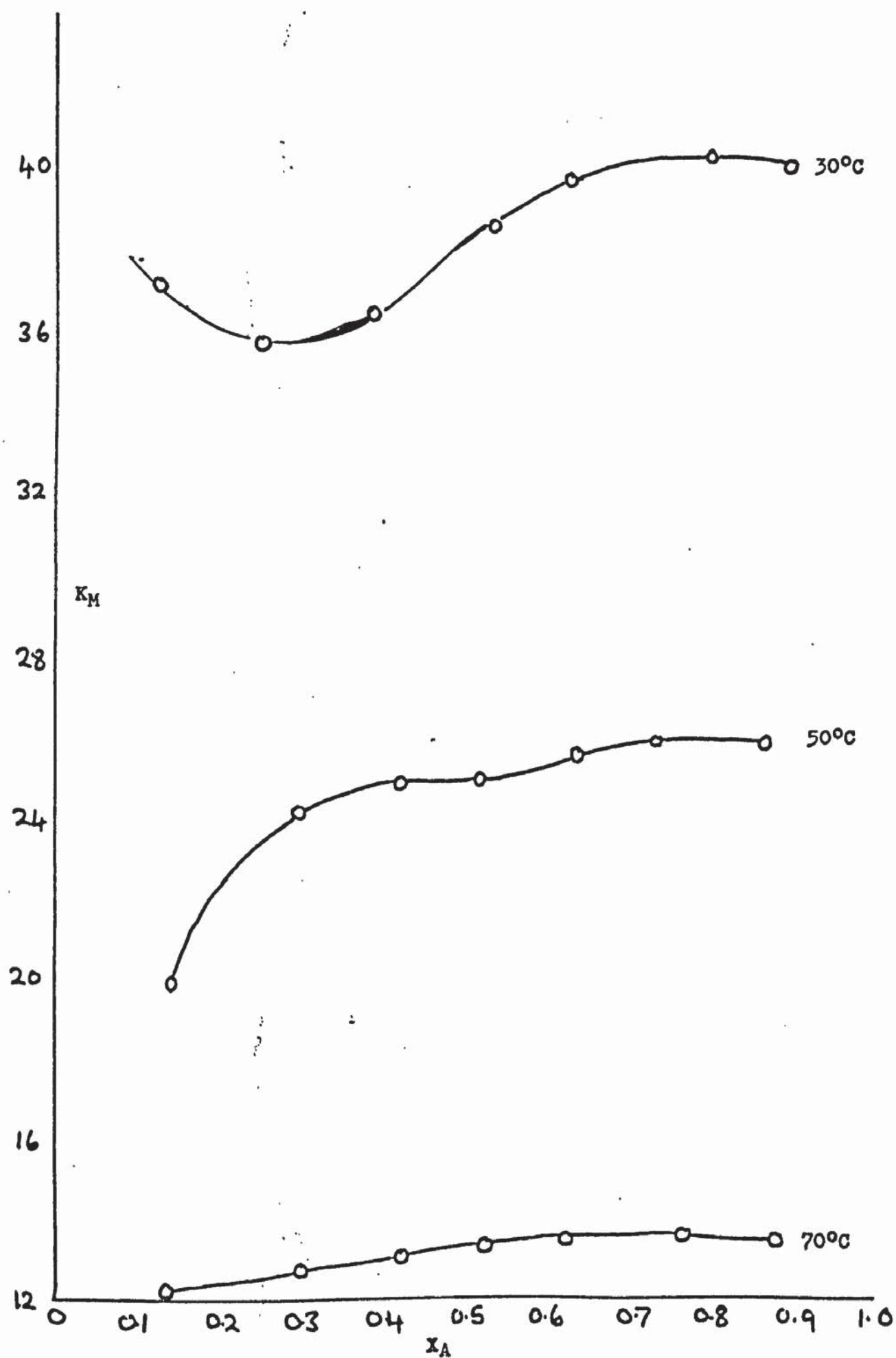


FIG. 61: EQUILIBRIUM CONSTANT, $K_M \vee x_A$ FOR ACETIC ACID ETHYL ACETATE



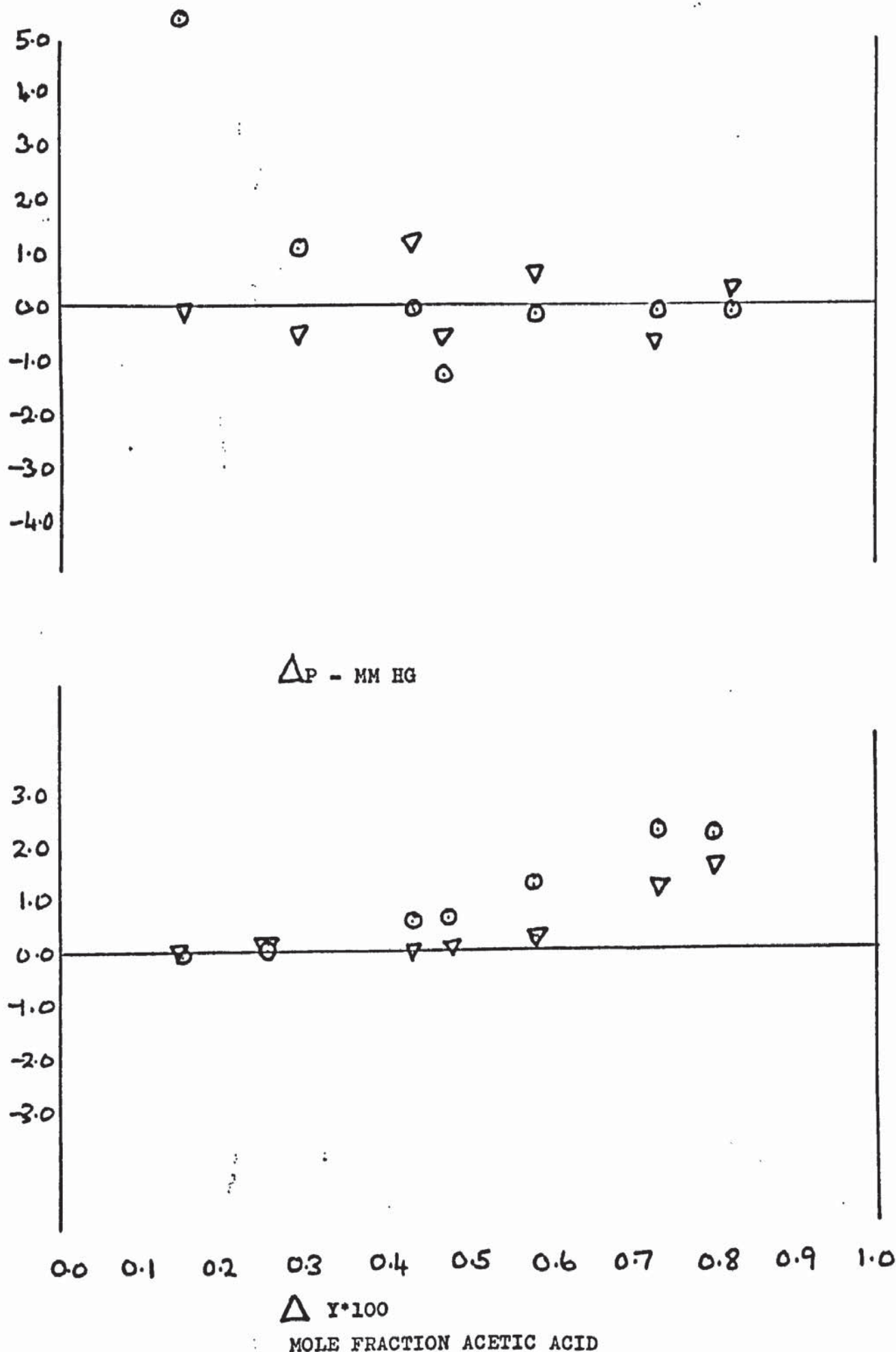


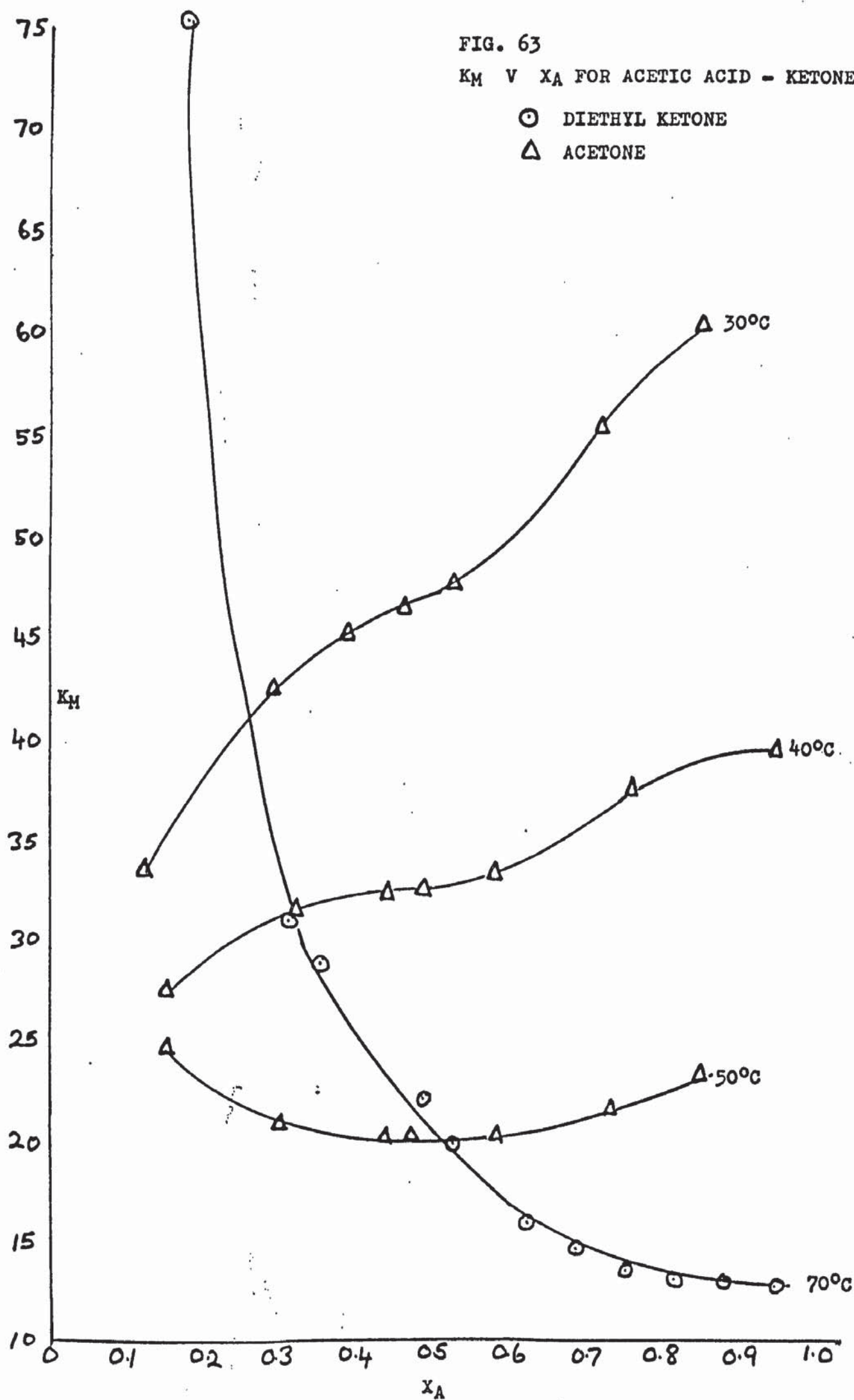
FIG. 62 SYSTEM ACETIC ACID-ACETONE AT 50°C (M17), 2 APPROACHES WILSON EQN
 ○ VAPOUR PHASE CORRECTION ONLY, ▽ LIQUID PHASE MODEL

FIG. 63

K_M V x_A FOR ACETIC ACID - KETONES

○ DIETHYL KETONE

△ ACETONE



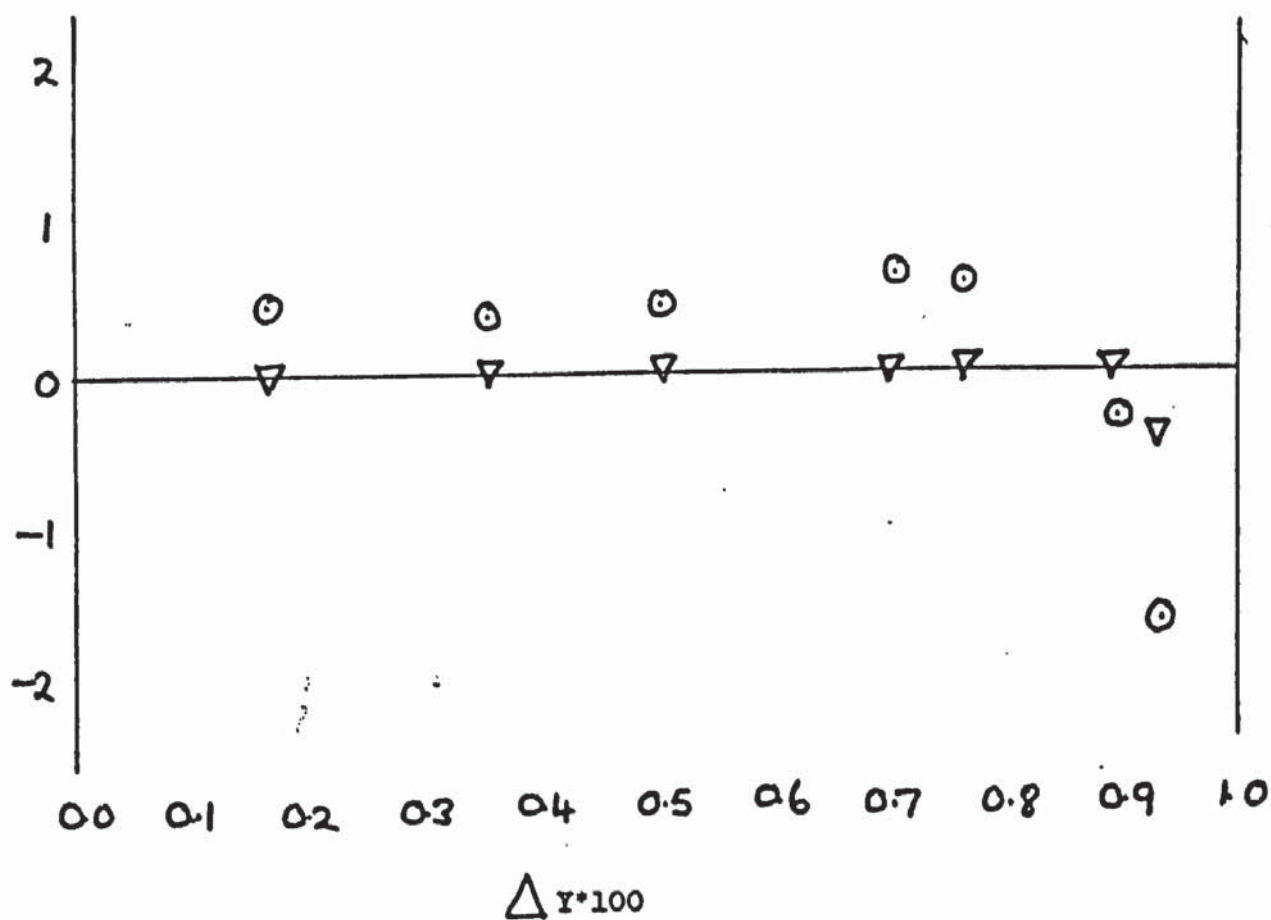
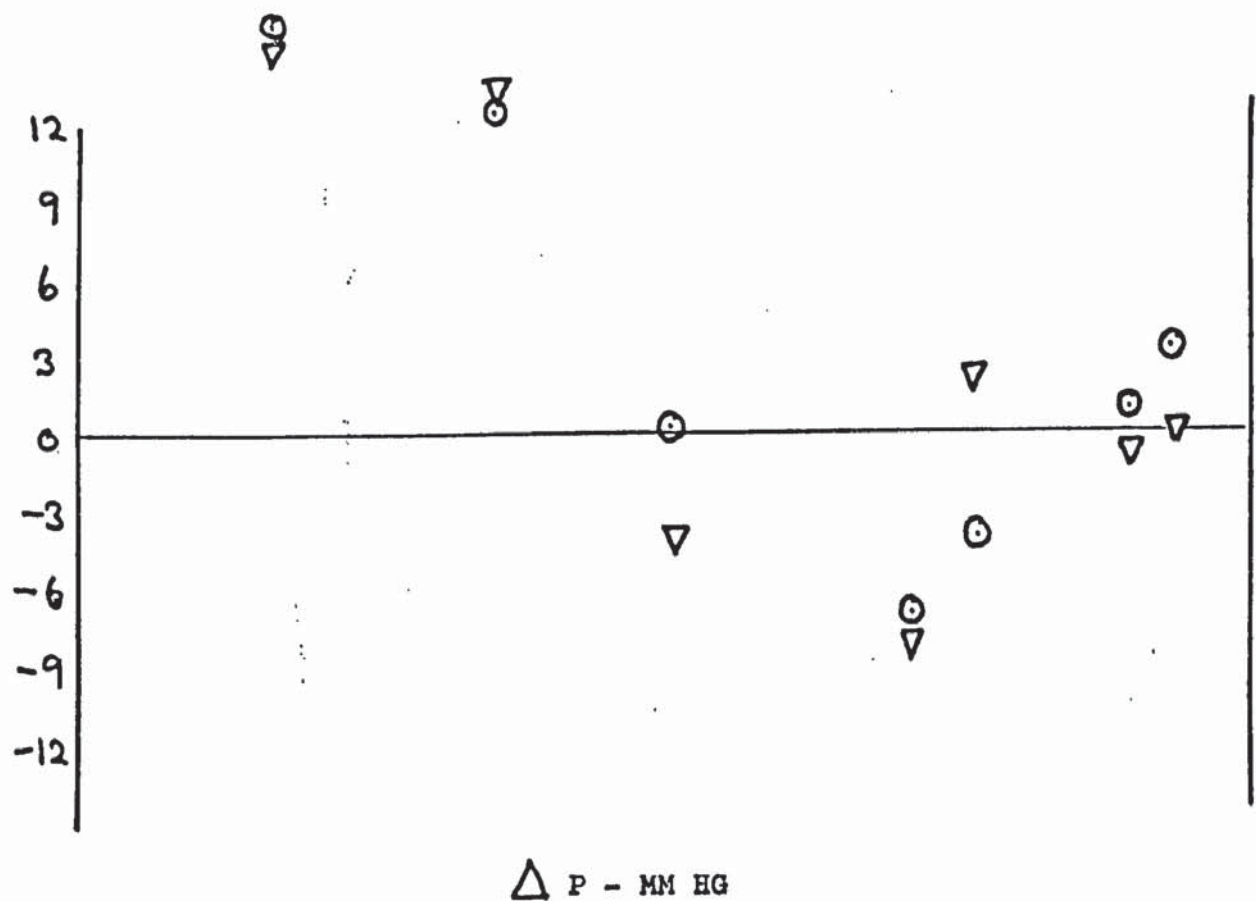
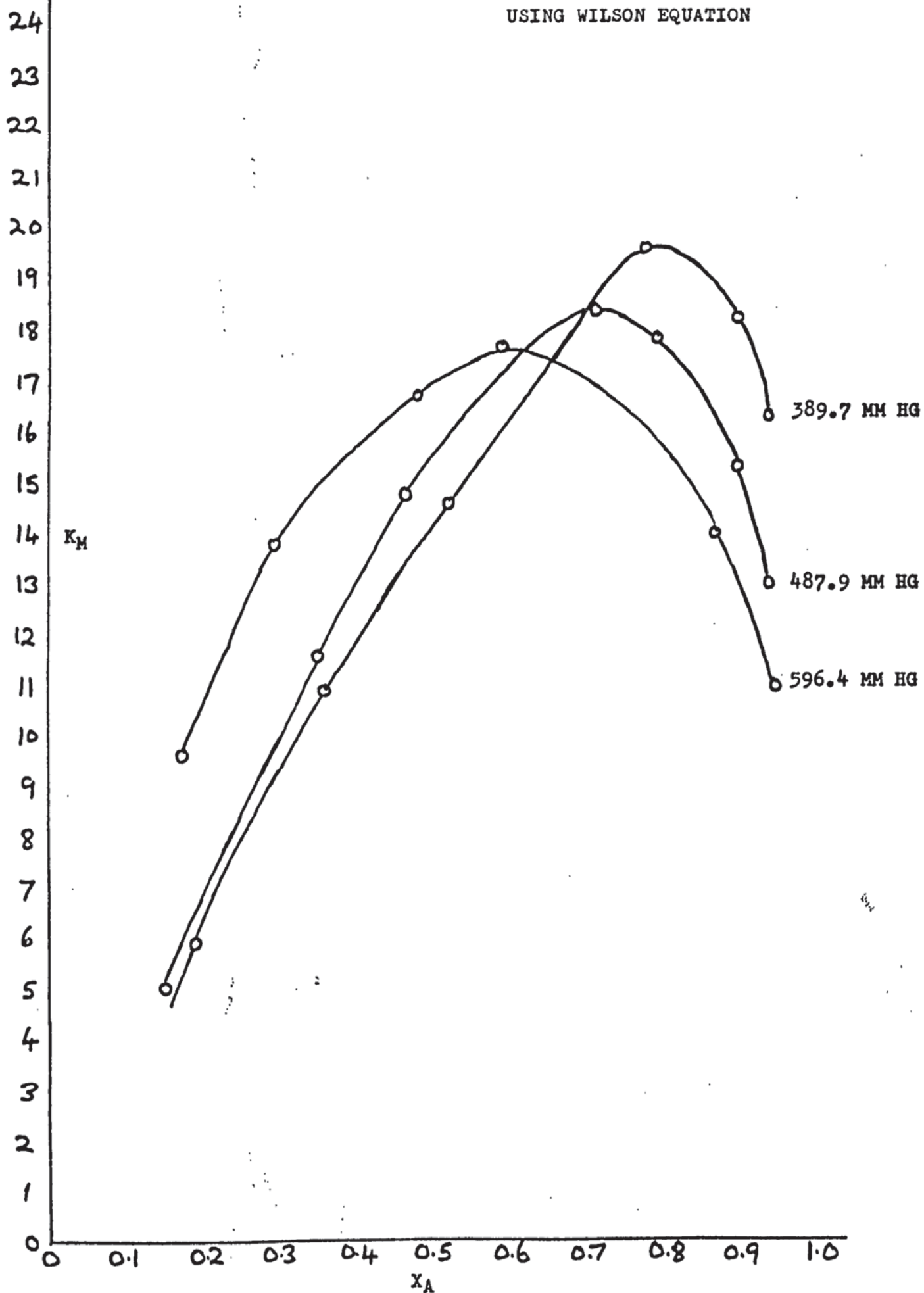


FIG. 64 SYSTEM ACETIC ACID - ETHYL ETHER AT 389.7 MM HG (M15), WILSON EQN
 ○ VAPOUR PHASE CORRECTION ONLY, ▽ LIQUID PHASE MODEL

FIG. 65

K_M V x_A FOR ACETIC ACID-ETHYL ETHER,
USING WILSON EQUATION



7.5 Comparison of various models used in reduction of V.L.E. data.

Inspection of tables 1 to 2 in Appendix A4. show the results of fitting the Wilson, the 3 parameter NRTL and UNIQUAC equations to approximately 160 systems including some containing acetic acid. For 96 of the systems the Wilson equation is marginally the best with the UNIQUAC the best in another twelve. The remainder are the best represented by the NRTL equation. It was found that the 2 parameter NRTL equation using a fixed value of α chosen according to the rules of Renon and Prausnitz (R11) gives nearly as good results as the three parameter equation and would seem to be adequate for most purposes.

The UNIQUAC equation for some systems is comparable to the Wilson equation, while in others it gives an extremely poor fit. Reasons for this are not clear.

7.6 Prediction of liquid-liquid equilibrium in system acetic acid-toluene-water.

From figs. 66 to 70 it can be seen that the two

ACETIC ACID

FIG. 67 SYSTEM ACETIC ACID-WATER-

TOLUENE AT 60°C

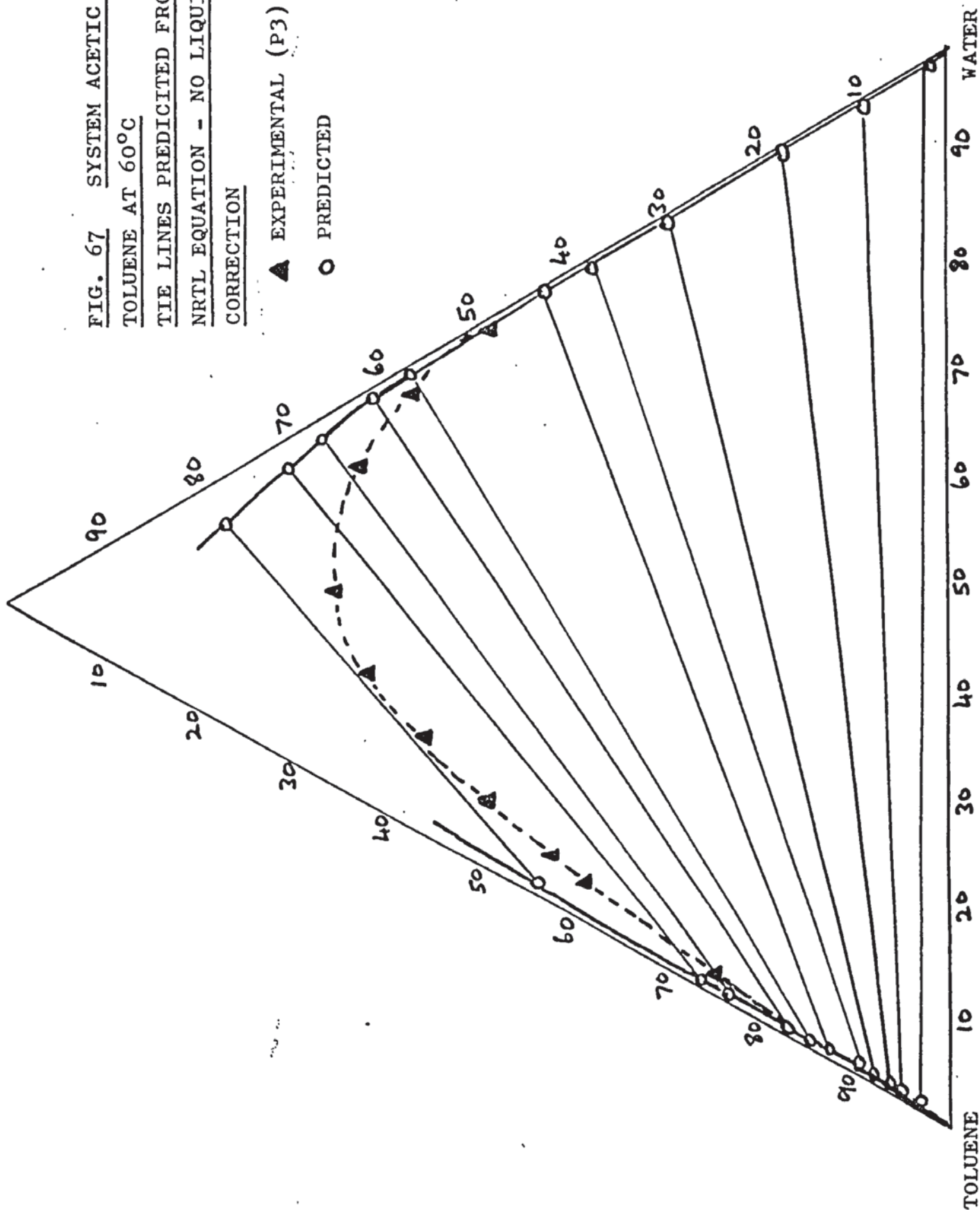
TIE LINES PREDICTED FROM 3 PARAMETER

NRTL EQUATION - NO LIQUID PHASE

CORRECTION

▲ EXPERIMENTAL (P3)

○ PREDICTED



ACETIC ACID

FIG. 68 SYSTEM ACETIC ACID-WATER-

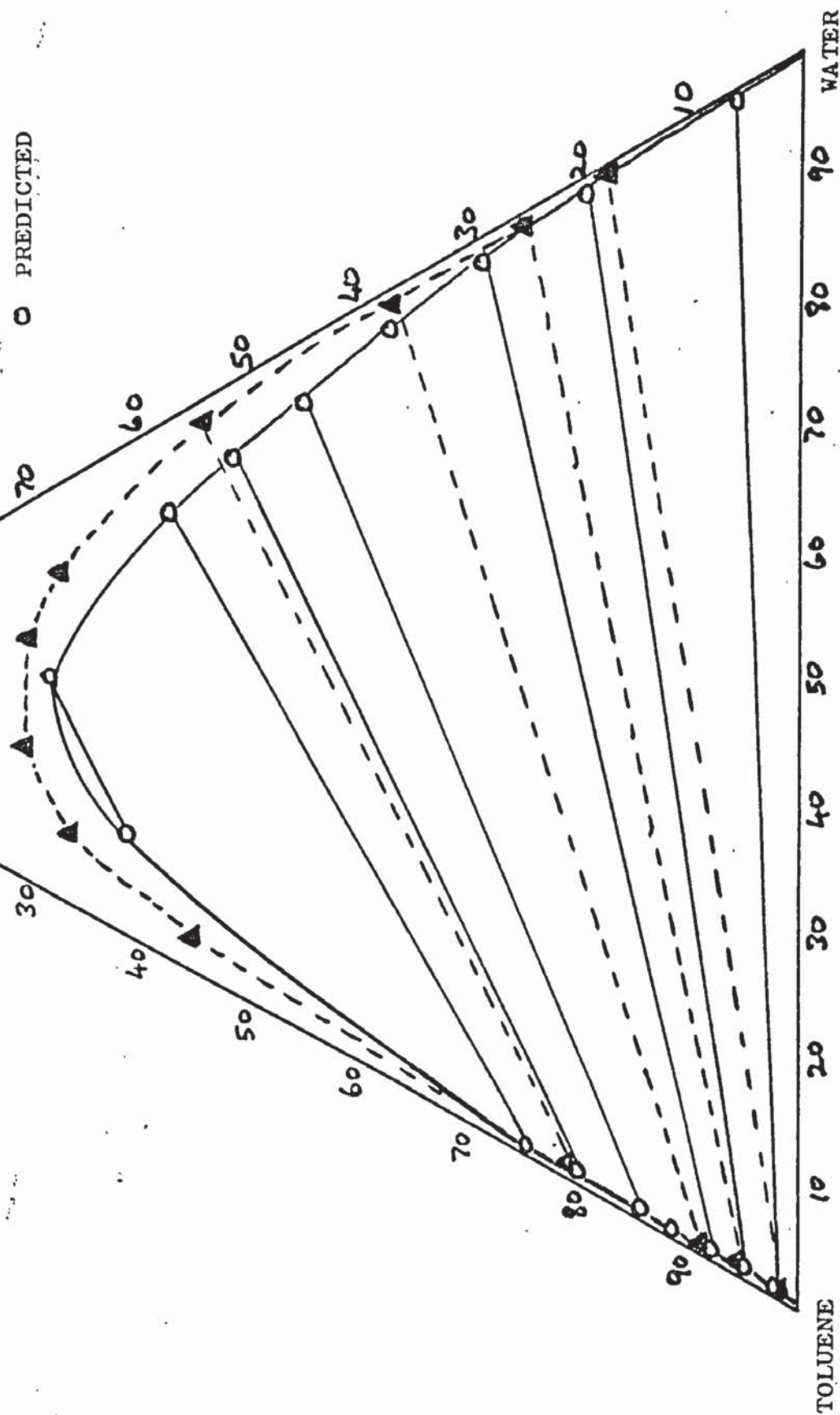
TOLUENE AT 30°C

TIE LINES PREDICTED FROM UNIQUAC

EQUATION - NO LIQUID PHASE CORRECTION

▲ EXPERIMENTAL (P3)

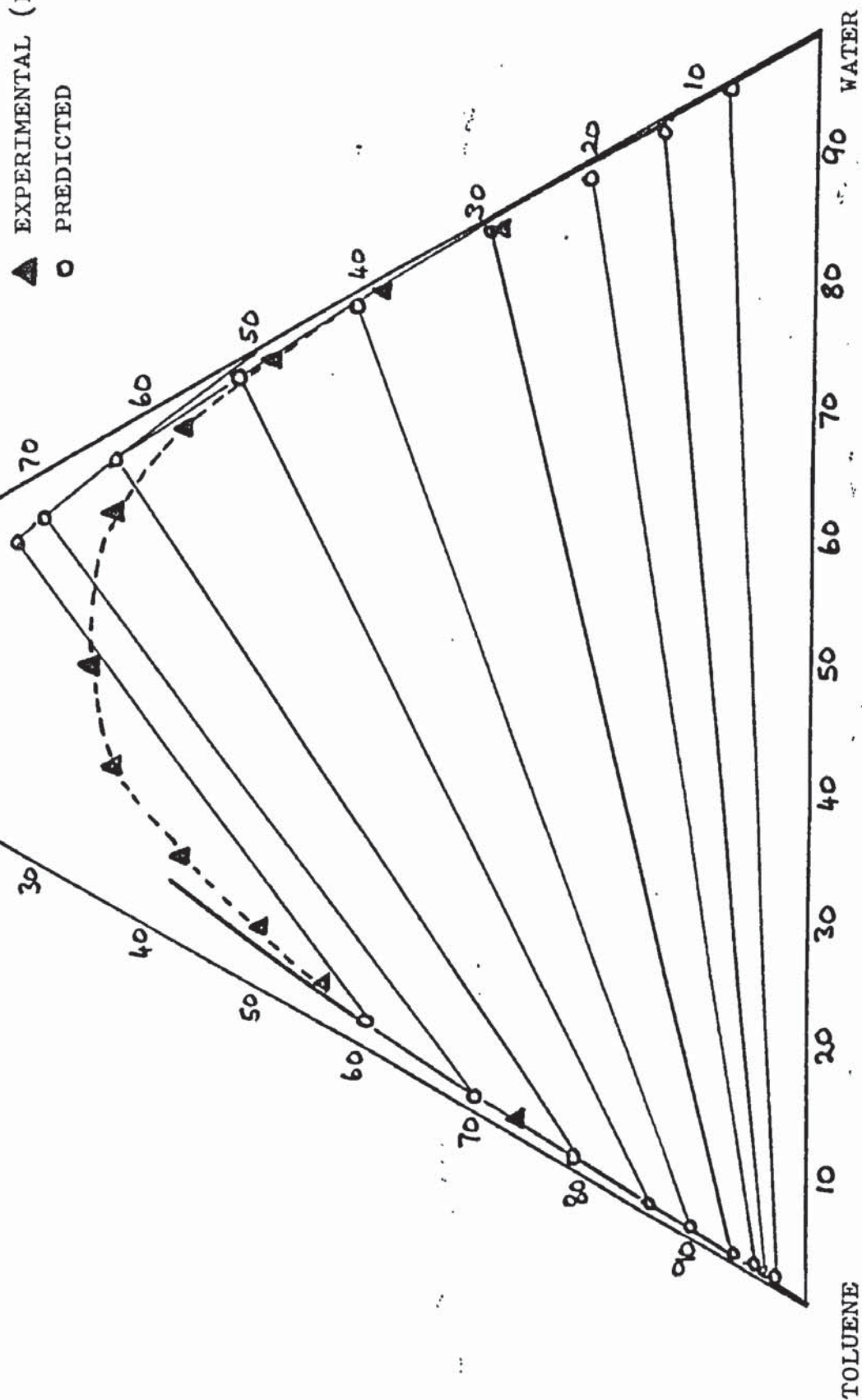
○ PREDICTED



ACETIC ACID

FIG. 69 SYSTEM ACETIC ACID-
WATER-TOLUENE AT 60°C
TIE LINES PREDICTED FROM UNIQUAC
EQUATION - NO LIQUID PHASE
CORRECTION

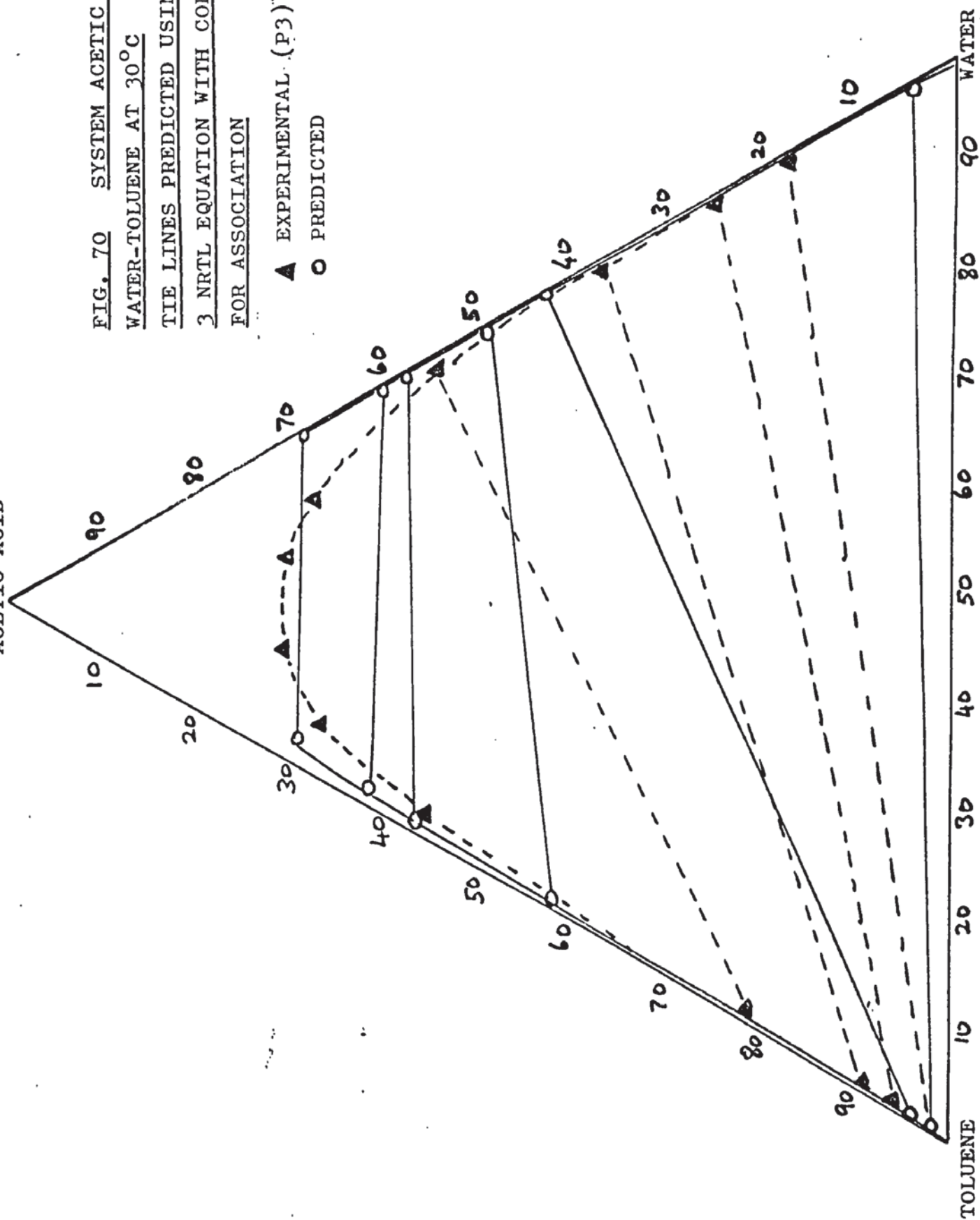
▲ EXPERIMENTAL (P3)
○ PREDICTED



ACETIC ACID

FIG. 70 SYSTEM ACETIC ACID-
WATER-TOLUENE AT 30°C
TIE LINES PREDICTED USING
3 NRTL EQUATION WITH CORRECTIONS
FOR ASSOCIATION

▲ EXPERIMENTAL (P3)
○ PREDICTED



phase envelope and the tie lines for the ternary liquid-liquid system acetic acid-toluene-water predicted using the NRTL equation at various temperatures are in rough agreement with experimental data (W6) (S2) (P3). However when the model using a concentration dependent k is included the results are virtually identical. This may be because the results are heavily dependent on the parameters for toluene-water and are not much affected by association in acetic acid and water. In support of this is the fact that when an attempt was made to fit the NRTL equation to tie line data by adjusting the parameters it was only possible to obtain good results when the water-toluene and toluene-water parameters were allowed to vary. When computation was attempted with these two parameters kept fixed, since they are defined by the mutual solubilities, it was found that no adjustment of the parameters for the other two systems could give a good fit.

8. Conclusions and recommendations.

8.1 Analysis of experimental work.

Vapour liquid equilibrium at a constant pressure of 760 mm Hg has been determined for the systems ethyl acetate-n-butyl acetate, ethyl acetate-n-butanol and n-butanol-n-butyl acetate. The presence of an azeotrope in the last system has been confirmed and it has been shown that the level of random error in the analytical technique has a marked effect on the correlation parameters obtained during data reduction using the Wilson and the NRTL equations.

This leads to an immediate conclusion that a small quantity of accurate data is better than a large amount of data of lower precision. It has been shown that statistical methods are not guaranteed to yield parameters which correctly model the system behaviour and the failure of the various consistency tests employed to detect any systematic errors in the system n-butanol-n-butyl acetate suggest that only gross error may be detectable by such tests and that there must be

Some doubt as to the usefulness of consistency tests in general. This work has shown that satisfaction of the various criteria proposed in different tests does not necessarily give an indication of the absolute accuracy of such data.

Furthermore it is evident from this work that nothing is lost by using the Gibbs-Duhem equation in the Barker method in conjunction with experimental techniques which eliminate the need for analysis, provided that the effects of association are properly accounted for. That this is an advantage should be realised from the fact that the greatest contribution to random error in the data comes from the level of reliability and accuracy of the analytical technique.

It may also be concluded that despite the limitations of the consistency tests the Cathala still produces data equal in value to that obtained on other flow and circulatory stills and may therefore be used with as much confidence as these other devices in the determination of V.L.E. data in general and, further it can be used in reactive systems.

The results of the consistency tests when applied to the system n-Butyl acetate-n-Butanol indicate the

possibility of association effects. A marked deviation appears in the plot of ΔY against x although the results appear to be in approximate agreement with those of other workers (B19) (S9).

8.2 Modelling of acetic acid association.

In this work three possible approaches to modelling systems containing acetic acid have been explored by carrying out Barker fits on the various data sets set out in Appendix A3. In virtually all cases the results obtained show that only the model derived in this work, which uses a concentration-dependent liquid-phase association constant, can adequately represent the equilibrium data. In the previous chapter results for the various systems have been considered in detail but it is possible to draw a number of general conclusions based on the trends observed in the body of data considered.

Firstly it appears that for acetic acid-hydrocarbon systems, at least, that parameters obtained for the Wilson and NRTL equations, during the Barker fits on the data using a concentration dependent k , give superior estimates of the heat of mixing when substituted into

the appropriate forms of the equations (see eqn. A1.35) This is demonstrated in figs. 34 to 38 where the results obtained from both approaches are compared with the experimental results of Liszi.

Examination of figs. 30 to 50 in which the value of the concentration dependent constant, k_m is plotted against x , the liquid phase mole fraction indicates similar trends for the various classes of compounds considered. This raises the possibility that it may be possible to develop a polynomial expression for the variation of k_m with temperature and liquid mole fraction with constants that are unique to each class of compounds such as the hydrocarbons, ketones etc. This would sharply reduce the amount of computation required making the approach more attractive for general use.

In general a marginally better fit of the pressures is obtained compared with the standard approach. This is not surprising since normally it is possible to fit most data to within the experimental error, and by and large a good fit was initially obtained on the pressure. This latter fact taken with the significant deviations between the experimental and measured vapour compositions strengthens the supposition that the models used for the

fits are inadequate when no account is taken of association. It is also true that the results obtained when applying the model to isobaric data are not so good as in the isothermal cases.

On examining the results it is apparent that in virtually all cases that at high acid concentrations a systematic deviation occurs which is quite large for some systems, in particular those which contain another associating component such as alcohols. Reasons for this are not clear but it does appear to be possibly due to inadequacy of the model (as has been noted previously). It may be that at richer acetic acid concentrations there is a tendency for higher polymers to form although there is no experimental evidence to support this for the liquid phase, or it may be due to deficiencies in the data-reduction procedure. There is however reason to doubt this latter supposition since if this was so the deviation would tend to appear at the low concentration end of the data set just as often as at the high concentration end.

An additional possibility could be erroneous values for the saturated vapour pressure of acetic acid. Although a good fit to the extended Antoine equation was

achieved there was no check on the accuracy of the experimental data. It may be necessary to redetermine the vapour pressure of acetic acid.

Most of the data sets considered appear to be consistent when association has been taken into account. Among the exceptions to this are the results of Othmer (O8) for the system acetic acid-benzene, those of Volpicelli and Zizza (V8) for acetic acid-toluene, although as has been pointed out earlier it appears that the results presented in their paper are a mixture of derived and experimental values, and the data of Bagga and Raju (B2) for the systems acetic acid-p-xylene and acetic acid-ethylbenzene. Furthermore the acetic acid-p-xylene data quoted by Marek (M6) also appears inconsistent. The other acetic-acid-hydrocarbon system which appears marginally inconsistent is that due to Schick Tanz (S16) for octane. Other data sets, which may be inconsistent are acetic acid-chloroform (K5), acetic acid-water of Riveng (R14) and Brown and Ewald (B16) and acetic acid-cyclohexyl acetate (B12). The data of Amer Azega (A3) for acetic acid-alcohols also give poor results. In this case data exists for the same systems by a different worker (R17) which gives much better results and therefore the quality of the data is in

doubt rather than the ability of the model to represent data for systems of this kind.

Examination of the performance of the three models employed: Viz: the Wilson and 2 and 3 parameter NRTL equations yields the conclusion that if association has been properly accounted for then there is no discernable advantage in any one of them and it is best to use the simplest. Although it has not been done in this work, it is possible that using the Wilson or NRTL equations with only one adjustable parameter as described by Eckert (P6) and Bruin (B18) would yield just as good results.

8.3 Multicomponent V.L.E. for ethyl acetate-ethanol-n-butanol-n-butyl acetate.

It is impossible to come to any positive conclusion as to the quality of the data for the quaternary and four ternary systems involving the above components since it was impossible to obtain fits to the Wilson equation for systems involving n-butanol which gave non-random trends.

8.4 Prediction of liquid-liquid equilibrium in the system acetic acid-toluene-water.

The prediction of tie-lines and the two phase envelope for this system was accomplished using the three parameter NRTL equation. Parameters for the toluene-water binary were obtained by fitting the NRTL equation to mutual solubility data and for the other two binaries by reduction of V.L.E. data at the appropriate temperatures. The results obtained were in approximate agreement with experimental data. No improvement was obtained when the concentration dependent correction factors were introduced both during the initial reduction on the two V.L.E. binaries to give parameters needed for the prediction procedure and during the prediction itself. It seems that results are dependent on the quality of the mutual solubility data and the parameters obtained therefrom and any improvements that may be obtained from correcting for association are masked by this. However it is difficult to draw any firm conclusion from this section of work since the prediction technique used depends on nested iteration loops which it was found were critically sensitive to the choice of convergence criteria. Moreover the use of a concentration dependent value of k adds an extra iteration loop which correspondingly

makes the results more difficult to compute and more uncertain. The UNIQUAC equation was also used but gave very poor results initially and failed to give convergence when used with the new model, even though good fits appeared to have been obtained for the consistent binaries. This point will be returned to in the next section.

8.5 Comparison of Wilson, NRTL and UNIQUAC equations.

The results obtained during the data fits on systems listed in Appendix A4 indicate that the Wilson equation is marginally better than the NRTL equation and substantially better than the UNIQUAC equation for most cases. Notable exceptions are systems containing water or alcohols where the more complex NRTL equation is superior. It is therefore concluded that unless it is suspected that association or solvation take place or the system is partly immisible then the Wilson equation is the most satisfactory equation. It also appears that the two parameter form of the NRTL equation is adequate for most cases but for reasons unknown the UNIQUAC is very unreliable both for the representation of V.L.E.

data and liquid-liquid equilibrium data as has been pointed out earlier.

8.6 Recommendations for future work.

The unsatisfactory nature of the data for the system ethyl acetate-n-butanol and the appearance of significant non random trends for n-butanol-n-butyl acetate, coupled with the rather high level of random error occasioned by the proximity of the refractive indices for the two components, renders the redetermination of the data for these two systems desirable. It is felt that the feed system to the Cathala still should be modified to ensure steady flow since during the experimental work it was found that extreme care was needed to obtain steady flow conditions. It was also felt that part of the scatter in the result was ~~due to~~ ^{caused by} fluctuations in the feed system. In addition to establish whether the inconsistency observed in the system n-butanol-n-butyl acetate was because of malfunction of the still or to chemical effects, an alternative method of analysis should be employed such as density measurements.

The modelling of acetic acid systems using a concentration dependant k opens many avenues for further work. In particular there is a need to investigate the origins of the non-random trend that occurs in virtually all data sets. A possible approach would be to try to extend the model to account for higher polymers. The difficulty would arise of finding a suitable pure component equilibrium constant for higher reactions should no values be available in the literature. Values for dimerisation and tetramerisation have been reported by Ritter and Simons for pure acetic acid vapour and as a first approximation it is suggested that the ratio between the two in the vapour phase is taken to be the same in the liquid phase. It has been mentioned earlier that the results are relatively insensitive to the values of the pure component constant K_0 , depending rather on the variation of k with composition. Thus provided the ratio between K_0 (dimer) and K_0 (tetramer) is of the right order of magnitude, some indication may be obtained as to whether this is the reason for the trend. It will require however a considerable amount of work to extend the approach to higher polymers and it is open to question whether the extra effort entailed is worthwhile for general use even though in a few cases the deviations are quite marked. It is also felt that there is scope for reduction in the computational effort. One approach is to try to fit

the values of k_m obtained during the data reduction procedure to a suitable polynomial in x , the liquid mole fraction and to see whether particular classes of systems can be characterised by suitable coefficients. If this could be achieved then it would lead to a substantial reduction in computer time and make the approach more attractive for incorporation in design procedures etc. As has been mentioned earlier similar trends are apparent in the plots of k_m against x for groups such as acetic acid-hydrocarbons.

A most important piece of further work is to apply the new model to multicomponent vapour liquid equilibrium, since most practical systems encountered are liable to contain more than two components. This would require little extra work to incorporate the procedure in the bubble point programmes of Prausnitz in place of conventional activity coefficient equations.

It would also be of interest to test the approach on systems containing the higher carboxylic acids such as proprionic and butyric acids. Freedman (F7) gives values for k_o for several of these and provided suitable data can be found little modification to the

programmes is required. In addition the approach could be further extended to account for association in systems containing alcohols such as the n-butanol-n-butyl acetate systems on which data has been gathered during this work. This may lead to better results for acetic acid-alcohol systems since, as has been mentioned previously it is felt that the less successful fits obtained on these types is at least partially due to the complex behaviour of the alcohols.

It has been noted that when used in conjunction with correction factors the 3 parameter NRTL equation offers no improvement over the 2 parameter version and hence it may well be possible to use the one parameter versions of the Wilson and NRTL equations as suggested by Bruin and others (B18) (T7). This would greatly simplify the data reduction process and is a point well worth pursuing. In conjunction with this attention should be paid to the least squares method used to fit the data. The modified Rosenbrock method used, while being very reliable is slow. Other methods tried have included those of Marquardt (M11) and the Spiral Algorithm of Jones (J7) but these have tended to be erratic although considerably better in some cases. Further investigation in this area would be worthwhile. Another area in which further work is required is in the prediction of the

heat of mixing in acetic acid systems using the new approach. As has been noted previously the predictions obtained from parameters obtained with the association model appear to give a better prediction of the heat of mixing - at least in acetic acid - hydrocarbon systems - when they are substituted into the differentiated forms of the Wilson and NRTL equations. It would be of interest to try this with other systems and clarify this point.

The problems associated with the computation of the two phase envelope and tie lines in ternary component liquid systems have been mentioned. The method used based on that described by Null (N8) is not satisfactory, both tending not to converge and to giving erroneous values. In particular the incorporation of concentration dependent correction factors necessitates the inclusion of additional iterative loops in the procedure which makes it very slow to converge if at all. For this reason it was impossible to draw any positive conclusion as to the effect of the introduction of the approach of this work into the procedure. It is recommended that alternative methods are explored, in particular the method of 'minimization of free energy' described by Dlugniowski and Adler. Another possibility is to use a least squares fit on to the tie line data. This was tried

during this work but was not very satisfactory since the results appeared to be sensitive only to variations in the parameters for toluene-water and water-toluene. It would be of interest to see whether data reduction using the new approach would overcome this.

Finally, it was found during this work that the UNIQUAC model of Abrams and Prausnitz (A2) performed extremely badly compared to the Wilson and NRTL equations for a substantial number of systems, especially when used to predict liquid-liquid equilibrium. Possible reasons for this may be that the actual numerical method i.e. Rosenbrocks was unsatisfactory, or the model is not very good or the equation is sensitive to the values of r_1 and q_1 , the parameters which must be calculated from X ray diffraction data. Although Abrams and Prausnitz claim that it is not sensitive to values of the coordination number, Z , it would be worthwhile investigating the sensitivity of the results to r_1 and q_1 .

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LIST OF SYMBOLS.a. ALPHABETIC.

<u>SYMBOL.</u>	<u>MEANING.</u>	<u>FORTTRAN NAME(S)</u>
a	Van der Waals constant.	-
b	"	-
B_{ii}	Second virial coefficient.	B(I,I)
E(f)	Error bound for function f.	EG(F)
f_i	Fugacity, component i.	-
f(a,b)	Consistency test function between pts A & B.	F(A,B)
G,g	Gibbs free energy.	GEEPL, GECALC
H,h	Enthalpy.	HEPL, HCALC.
K_d , K_t	Equilibrium constant for dimer and tetamer.	KDIM, KTET.
n_i	No of moles, component, i.	-
P, p	Pressure.	PEPL, PCALC, PF.
Psi.	Saturated vapour pressure component, i.	PSAT (I,J).
P_f	Probability (binomial)	-
P_c	Critical pressure.	PCRIT (I,I).
q	Heat added to system.	-
q_i	Parameter for UNIQUAC equation.	QUA(I)
R	Gas constant.	R, GC.
r_i	Parameter for UNIQUAC equation.	RAD(I).
S	Entropy.	-

LIST OF SYMBOLS (CONTINUED).a. ALPHABETIC.

<u>SYMBOL.</u>	<u>MEANING.</u>	<u>FORTRAN NAME(S)</u>
S_{pf}^2, S_{pf}	Variance and std deviation of p_f .	SPFSQ, SPF.
S_x, S_y, S_T, S_p	Std deviations of experiment x, y, P, T.	SX, SY, SP, ST.
T	Temperature.	Temp.
T_c, T_R	Critical temperature, Reduced temperature.	TCRIT (I,T).
U	Internal energy.	-
V	Volume.	-
V_i, v_i	Liquid molar volumes.	MLIQV (I,J).
V_c	Critical volume.	VCRIT (I,I).
W	Work done by system.	-
x_i	Mole fraction component, i.	X(I), XA(I).
Z	Compressibility factor.	-

b. GREEK.

$\delta_A, \delta_B, \delta_A$	Correction factors for association.	DELTA (I,J).
f	Association factor for normal system.	ETA
ζ_i	True mole fractions in acetic acid liquid.	-
ϕ_i	Fugacity coefficient, component i.	PHI, PHISO, FUGC.

LIST OF SYMBOLS.(CONTINUED).b. GREEK.

<u>SYMBOL.</u>	<u>MEANING.</u>	<u>FORTRAN NAME(S)</u>
γ_i	True mole fractions in acetic acid vapour.	-
γ_i	Activity coefficient component, i.	G, ACT, GAMMA.
γ_i^∞	Infinite dilution activity coefficient.	GINFEX, GINFC.
μ_i	Chemical potential component, i.	-
μ, μ_R	Dipole and reduced dipole moment.	MU(I), RD.
w_i, w_H	Acentric factor, component, i and homomorph.	OMEGA, OMEGAH.

APPENDIX A1 - MANUAL OF COMPUTER PROGRAMMES

1. General Considerations

1.1. CONTROL CARDS

The programmes are written in CDC FORTRAN and are all stored on file at the University of Manchester Regional Computer Centre (UMRCC). The hardware consists of a CDC 7600 computer with an I.C.L. 1906A computer as a "front end". The 7600 is a very fast computer and as such is used primarily for 'number crunching'. There is a limited permanent filestore associated with it, but, use of this is severely restricted to certain users. The majority of files are stored on the 1906A machine whose main function is to handle input and output and to supply the CDC 7600 with temporary files and attached data in machine code for processing, together with manipulation of files. Though the 1906A can perform work in its own right, the system used is the one that has just been described. The University of Aston has a link with Manchester via Birmingham University but jobs may only be submitted on cards. The jobs may either be input as complete jobs with the programme + data submitted or as data only with the programme on file or with both cards and data on file. Most work to date has been carried out using the second option. Similarly editing instructions may only be submitted on cards as will be described later.

The control cards required for the various options are as follows:

For a job with programme and data on cards the layout is as follows

```

JOB :EAXXX, JF4JOB, CP76 (Tn, Pn000)
FTN.
LDSET (MAP = B/ZZZZMP, PRESET = ZERØ)
LGØ.
####S
  ↑
DATA
  ↓
****

```

Note that the MASTER and FINISH cards required if a job is to be submitted to the University of Aston computer are omitted when using the Manchester system.

For a job which requires the use of a programme on file on the 1906A with the data to be input on cards the layout is as follows

```

JOB :EAXXX, JF4JOB, CP76 (Tn, Pn000)
ATTACH (SOURCE, JF4FILE, ST = S6A)
FIN (I = SOURCE, SL = 0)
LDSET (MAP = B/ZZZZMP, PRESET = ZERØ)
LGØ (PL = n000)
####S
  ↑
DATA
  ↓
****

```

If both data and programme exist on file then the layout becomes

```

JØB :EAXXX,JF4JØB, CP76 (Tn, Pn000)
ATTACH (SØURCE, JF4FILE, ST = S6A)
ATTACH (DATA, JF4DATA, ST = S6A)
FTN (I = SØURCE, SL = 0)
LDSET (MAP = B/ZZZZMP, PRESET = ZERØ)
LGØ (DATA, PL = n000)
#####S
****

```

Other combinations are possible and will be described later.

Points to note when using the preceding job layouts are as follows. Firstly all filenames and jobnames must be prefixed by the code JF4 which is a registered user name with the UMRCC. Job names can total up to 6 alphanumeric characters leaving three after the mandatory JF4 for the choice of the user. An example is shown in the above examples i.e. JF4JOB. File names may consist of up to nine characters after JF4 to give a total of twelve. In the examples JF4FILE is a filename for a file containing a programme to be compiled while JF4DATA is a file containing data only.

The parameters EAXXX and CP76 are the University of Aston user No. and a specification for the computer to be used for processing respectively. CP76 refers to the CDC 7600 while CP19 requests the 1906A.

The job time may be controlled by means of the parameter Tn where n is the number of octal seconds of central processor time required. For instance T40 requests 40 octal seconds (32 real time seconds) which is adequate for all but very time consuming jobs. The turn round time may be varied according to the value of n in the Pn000. n may take any value from 0 to 5, the highest priority P5000 giving a turn round of less than

half an hour with P1000 taking anything up to a week. There are, however, penalties associated with the use of a higher priority. Each succeeding increase in priority increases the unit cost factor by 2 and higher priorities have lower limits on the value of n in the T_n parameter (i.e. T_4 at P5000 is the upper limit). P2000 is suitable for most jobs with P3000 used if a fast turnaround is required.

Other adjustable parameters are the $PL = n000$ command which specifies the number of lines of output required. The default value is 1000 in which case the command LGO ($PL = n000$) reduces to LGO.. A listing of the compiled file may be obtained by setting $R = 0$ in place of $SL = 0$ in the FTN request. If $SL = 0$ is retained then only the compilation error messages together with the line of the file which they refer to will be printed out.

The command $PRESET = ZERO$ may be replaced by $PRESET = NGINF$ in which case all variables and arrays must be initialised. This latter form can be helpful in error diagnostics.

1.2 LIST OF FILES

The files may be divided into six groups. The first group involves a least squares data reduction by various non-linear methods to a variety of models. The files in this group are as follows

1. JF4LSQMKK
2. JF4LSQMKC
3. JF4LSQMKJ
4. JF4LSQSOL
5. JF4LSQMKR
6. JF4LSQFIT
7. JF4LSQSPI
8. JF4LSQMARQFT
9. JF4LSQMKH
10. JF4REACTC

The second group contains the various consistency tests which have been merged into one file

11. JF4ERRAN

The third group are for the prediction of liquid-liquid equilibrium by an iterative method

12. JF4LIQLIQ
13. JF4LAQLAQ

The fourth group consists of a file containing a least squares fit on liquid-liquid equilibrium data by means of a non linear method

14. JF4LFT

The fifth group consists of programmes to predict multi-component vapour liquid equilibrium using a variety of models

15. JF4BUB
16. JF4BUBLT

17. JF4BABL

18. JF4BIBLT

Finally there is a file enabling vapour pressure data to be fitted to a variety of polynomials of the Antoine type.

19. JF4VAPFIT

The contents of these files will be described in greater detail later.

1.3 EDITS AND COMMANDS

This section is intended as a brief resumé of commands available under the George 3 operating system. For fuller details the relevant manuals should be consulted.

To obtain a numbered listing of a particular file the following instruction is issued

```
LF JF4FILENAME, * LP, NU
```

while to obtain a listing of the EAXXX filestore the command LD is sufficient.

A typical editing job may be as follows

```
JOB :EAXXX,JF4EDT
ED JF4FILENAME (n1) - generation number can be
    ↑                               omitted if necessary
    |                               editing instructions
    ↓
E
LF JF4FILENAME (n2)
ER JF4FILENAME (n1)
LD
EJ
***
```

The Runjob command can also be issued in this context for further details see UMRCC manual.

2. COMMON SUBROUTINES

All the programmes to be described contain a number of common subroutines. In order to avoid duplication these will be described separately prior to the description of the main programmes.

2.1. Least squares fitting subroutines

2.1.1 SUBROUTINE ROSEN

The main method used is the Davies, Swann and Company modification of Rosenbrocks direct search method. This is used to minimise an error function of the form

$$\phi = \sum_{i=1}^N \left[\frac{X_{i\text{CALC}} - X_{i\text{EXPL}}}{X_{i\text{EXPL}}} \right]^2 \quad (\text{A1.1})$$

where X_i is a variable such as pressure or vapour composition. This accomplished by adjusting the parameters of some empirical or semi empirical equation which is used to determine $X_{i\text{CALC}}$ until a minimum value of ϕ is obtained.

The basis of the method is to search in the n mutually ortho-normal directions. The original Rosenbrock method (R16) started from a given point by making perturbations along each search direction in turn. If this perturbation results in a function value no greater than the current best value, the trial is termed a success, this trial point replaces the current point and the step length is multiplied by a factor, α and the next search direction considered. If the perturbation results in an increased function value, the trial is termed a failure, the current point remains unchanged, the step length multiplied by β and again the next search direction considered.

When perturbations have been made in all n directions, each direction corresponding to one adjustable parameter, the first direction is again explored and so on. This repeated cycling around the direction vectors is continued until a success followed by a failure has occurred along every direction.

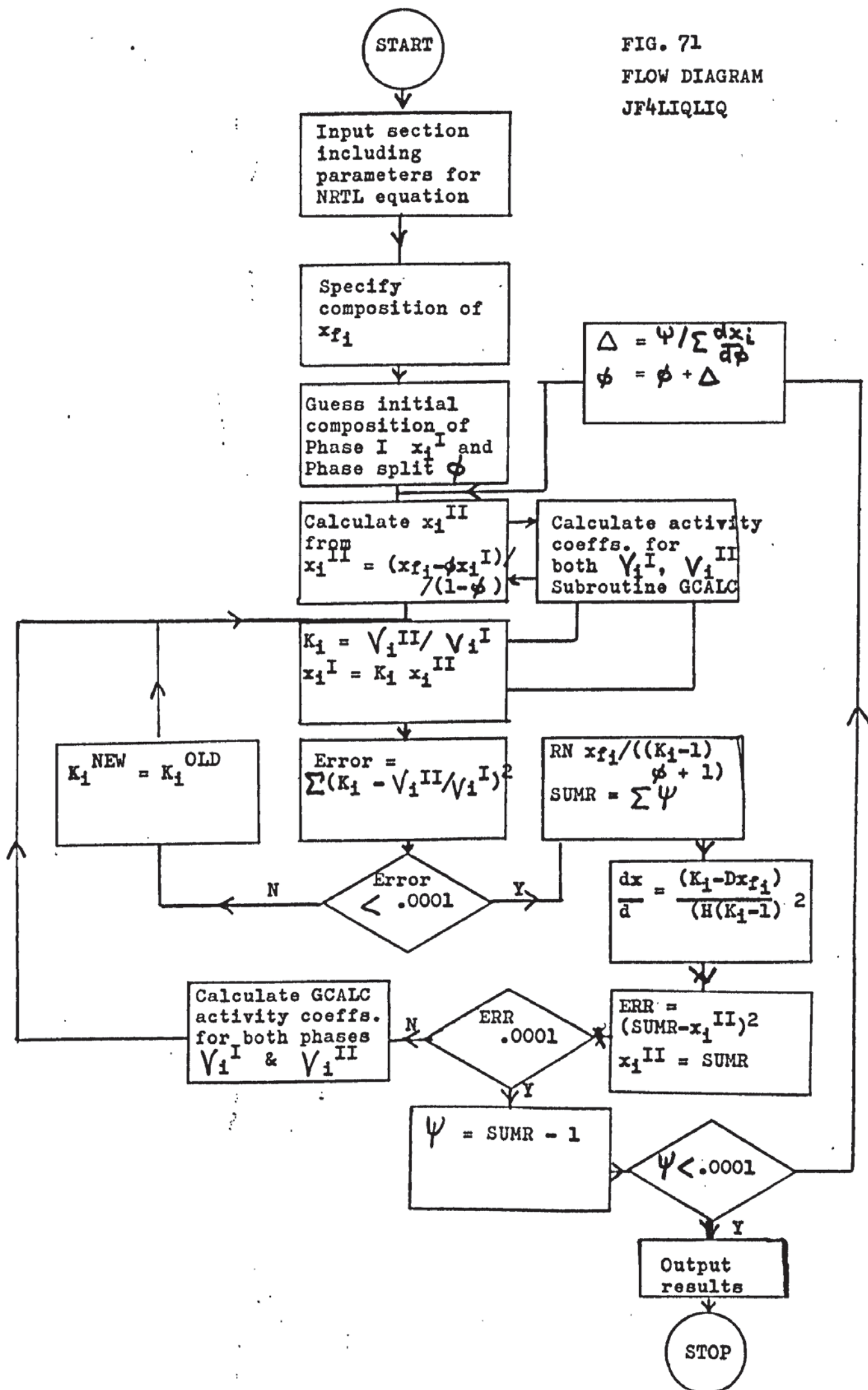
At this point a stage has been completed, and new direction vectors are computed such that the first lies in the direction of total progress made during the previous stage. The others are computed to be as nearly orthogonal to each other using the Gram-Schmidt procedure (B9) and the whole process repeated until convergence is obtained. Originally Rosenbrock set the values of α at 3.0 and β at - 0.5 which he found to be the most reasonable during testing of his method.

Swann (S17) has described a modification of Rosenbrock's method which has, in general, proved superior to it. The search proceeds in the same n orthogonal directions but a single quadratic interpolation is performed along each stage to locate the minimum. However, with this procedure it is possible that there will be zero progress in some directions which will cause the Gram-Schmidt process to fail. This was overcome by performing the orthogonalization on only those directions in which progress has been made. Convergence is assumed when the step lengths fall below a certain preset value.

This last method was programmed as SUBROUTINE ROSEN with the orthogonalization procedure as SUBROUTINE VECTOR. This employed a variation on the Gram-Schmidt process due to Palmer (P1).

This method was used for the great majority of the work.

FIG. 71
FLOW DIAGRAM
JF4LIQLIQ



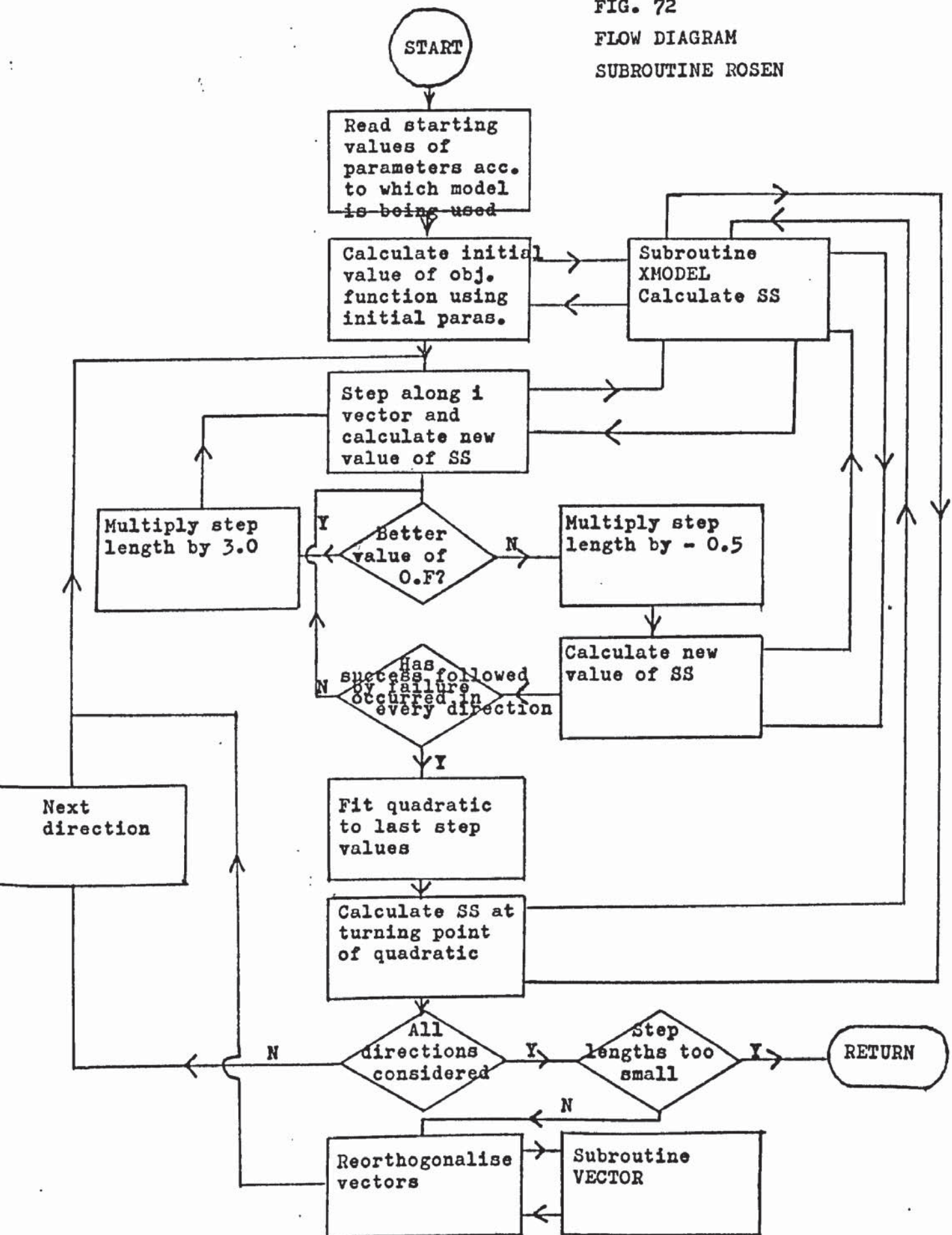
Other methods used were a version of the Spiral algorithm due to Jones (J7) and Marquardts (M11) search procedure. The former was programmed as SUBROUTINE SPIRAL and the latter SUBROUTINE MARQ but will not be described further.

A flow diagram is shown in Fig.72. The only inputs required to be read in are the initial guessed values of the variables and the number of them. The input will be discussed further in connection with the main programmes. The remainder of the input is transferred through the COMMON blocks.

2.1.2. List of variables

<u>FORTTRAN NAME</u>	<u>Description</u>
X(I), Z(I)	Variable values
PW(I)	Best values of variables found to date
N	Number of variables
FUNC, F3, F2, F4, F1	Objective function values (sum of squares)
YSTAR	Best value of objective function found to date
MODEL	Model to be fitted
NERR	Number of function evaluations allowed
BETA	Failure multiplier for step length
ALPHA	Success multiplier for step length
NFUNC	Counter for function evaluations
ERROR	Convergence criterion for step length
E(I)	Step lengths in each orthogonal direction
D(I)	Distance of progress in each orthogonal direction
V(I,J)	Orthogonal vector matrix
A	Parameter to ensure success followed by failure
IFUNC	Stage counter
S, S1 STEP	Interpolated step lengths

FIG. 72
FLOW DIAGRAM
SUBROUTINE ROSEN



2.2. Physical property subroutines

SUBROUTINES VIRIAL, PHIMIX, LIQP, PCLCA

Two versions of subroutine VIRIAL were employed. The purpose of both was to calculate both the pure and mixed second virial coefficients. The first one used Prausnitz's extension of Pitzer and Curl's (P4) correlation and has been extensively described by Prausnitz et al (P6). For this reason it will not be discussed further here. The second employed a new correlation developed by Tsonopoulos (T12) which has been found to be superior to earlier work.

For non polar gases a similar correlation to that of Pitzer and Curl was used based upon the three parameter theory of corresponding states.

$$\frac{P_{ci} B_{ii}}{RT_{ci}} = f^0(T_R) + W_1 f^{(1)}(T_R) \quad (A1.2)$$

where W_1 is the acentric factor

and T_R is the reduced temperature T/T_{ci}

$$f^0(T_R) = f_{PC}^{(0)}(T_R) - 0.000607/T_R^8 \quad (A1.3)$$

where $f_{PC}^{(0)}(T_R)$ is the Pitzer and Curl correlation given by

$$f_{PC}^{(0)}(T_R) = 0.1445 - 0.330/T_R - 0.1385/T_R^2 - 0.0121/T_R^3 \quad (A1.4)$$

$$f^{(1)}(T_R) = 0.0637 + 0.331/T_R^2 - 0.423/T_R^3 - 0.008/T_R^8 \quad (A1.5)$$

The acentric factor is defined as (P6)

$$W_1 = -\log_{10} \left(\frac{P^0}{P_c} \right)_{T_R = 0.7} - 1.000 \quad (A1.6)$$

For polar gases eqn (A1.3) is modified by the addition of terms which depend on whether the compound forms hydrogen

bonds or not. For non hydrogen bonding compounds the term is given by

$$f^{(2)}(T_R) = \alpha / T_R^6 \quad (\text{A1.7})$$

Unfortunately, α is dependant on the class of compound under consideration. For ketones Tsionopoulos gives α as a linear function of μ_R , the reduced dipole moment

$$\text{i.e. } \alpha = -0.00020483 (\mu_R) \quad (\text{A1.8})$$

$$\text{where } \mu_R = \frac{10^5 \mu^2 P_c}{T_c^2} \quad (\text{A1.9})$$

and μ is the dipole moment in Debyes.

For ethers the relationship is

$$\ln (-\alpha) = -12.63147 + 2.09681 \ln (\mu_R) \quad (\text{A1.10})$$

For hydrogen bonding compounds $f^{(2)}(T_R)$ is modified thus

$$f^{(2)}(T_R) = \frac{\alpha}{T_R^6} - \frac{b}{T_R^8} \quad (\text{A1.11})$$

For alkanols $\alpha = 0.0878$ while

$$b = 0.00908 + 0.0006957 \mu_R \quad (\text{A1.12})$$

To calculate the value of the cross coefficient the mixing rules to be discussed later in connection with subroutine PCICA are used for the mixed critical temperature T_{cij} , critical pressure P_{cij} and acentric factor W_{ij} . The mixed values for a and b are given by the arithmetic means of the pure values.

A flow diagram for this subroutine is given in Fig. 73.

LIST OF VARIABLES

<u>FORTTRAN NAMES</u>	<u>Description</u>
MU	Dipole moment
RD	Reduced dipole moment
PCRIT	Critical pressure
TCRIT	Critical temperature

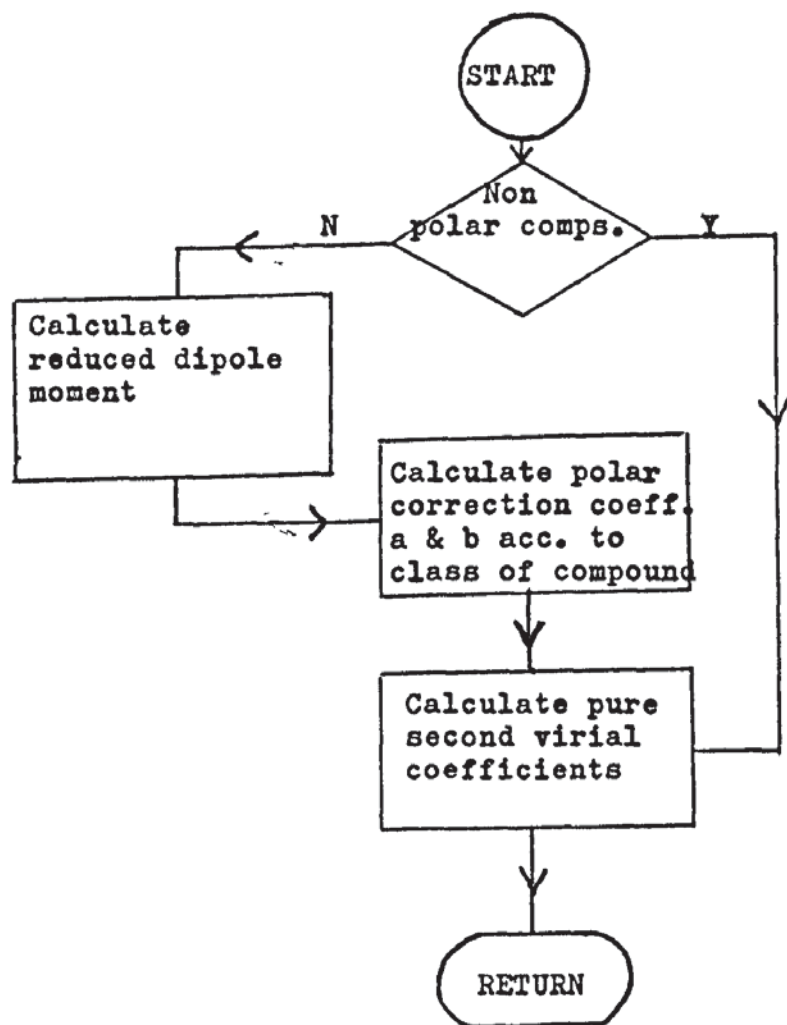


FIG. 73
FLOW DIAGRAM
SUBROUTINE VIRIAL

NCLASS (I)

Variable denoting which class
system belongs to

A (I,J)

Correction term, a

BA (I,J)

Correction term, b

Subroutine PHIMIX is used to calculate the vapour phase correction factor, ϕ_1 . It is identical with the subroutine described in the monograph of Prausnitz et al (P6) and will therefore not be described here.

Subroutine LIQP is similar to subroutine RSTATE described by Prausnitz et al (P6). However only components that are at a temperature less than the critical are treated. The corrections for supercritical components have been omitted.

The subroutine calculates the reference-state properties of the pure liquids at the temperature in question, i.e. the quantity

$$P_{s1} \phi_{s1}(P_{s1}) \exp \left[\frac{1}{RT} \int_{P_{s1}}^P v_1^L dP \right] \quad (A1.13)$$

To calculate the vapour pressure an extended Antoine type equation is used

$$\ln P = C_1 + \frac{C_2}{C_3 + T} + C_4 T + C_5 T^2 + C_6 \ln T \quad (A1.14)$$

To calculate $\phi_{s1}(P_{s1})$ the virial coefficient is used if

$$T_R < 0.56$$

$$\text{i.e. } \phi_{s1}(P_{s1}) = \exp \left[\frac{B_{11} P_{s1}}{RT} \right] \quad (A1.15)$$

or if $T_R > 0.56$ a generalised correlation is used due to Lyckman (P6) of the form

$$\phi_{s1}(P_{s1}) = \exp (\phi_0(T_R) + W_1 \phi_1(T_R)) \quad (A1.16)$$

$$\text{where } \phi_0(T_R) = 0.57335015/T_R^3 - 3.076574T_R^2 + 6.6085595/T_R \quad (\text{A1.17})$$

$$- 3.5021358$$

$$\text{and } \phi_1(T_R) = 0.012089114/T_R^{12} - 0.015172164/T_R^{11} - 0.068603516/T_R^{10}$$

$$+ 0.024364816/T_R^9 + 0.14936906/T_R^8 + 0.18927037/T_R^7$$

$$- 0.12147436/T_R^6 - 0.10665730/T_R^5 - 1.1662283/T_R^4$$

$$+ 0.12666184/T_R^3 + 0.3166137/T_R^2 + 4.3538729/T_R$$

$$- 3.7694018 \quad (\text{A1.18})$$

The liquid molar volume is calculated from the quadratic in temperature of the form

$$V_1^L(T) = a + bT + cT^2 \quad (\text{A1.19})$$

The coefficients a , b , and c are obtained from subroutine PCLCA. A flow diagram is shown in Fig. 74.

LIST OF VARIABLES

<u>FORTTRAN NAME</u>	<u>Description</u>
MLIQV (I,J)	Molar liquid volumes
VPUNIT (I)	Parameter determining vapour pressure units
PSAT (I,J)	Vapour pressure
PHIS	$\phi_{is}(P_{si})$
B (I,I)	Second virial coefficient
TR	Reduced temperature T_R
CONSTB (I,J)	Molar volume constants
CONSTA (I,J)	Antoine constants
GC	Gas constant
TF	Temperature at ref. properties are to be calculated
OMEGA (I)	Acentric factor W_1

Other variables that appear are either dummy variables or occur in the main programme where they are described.

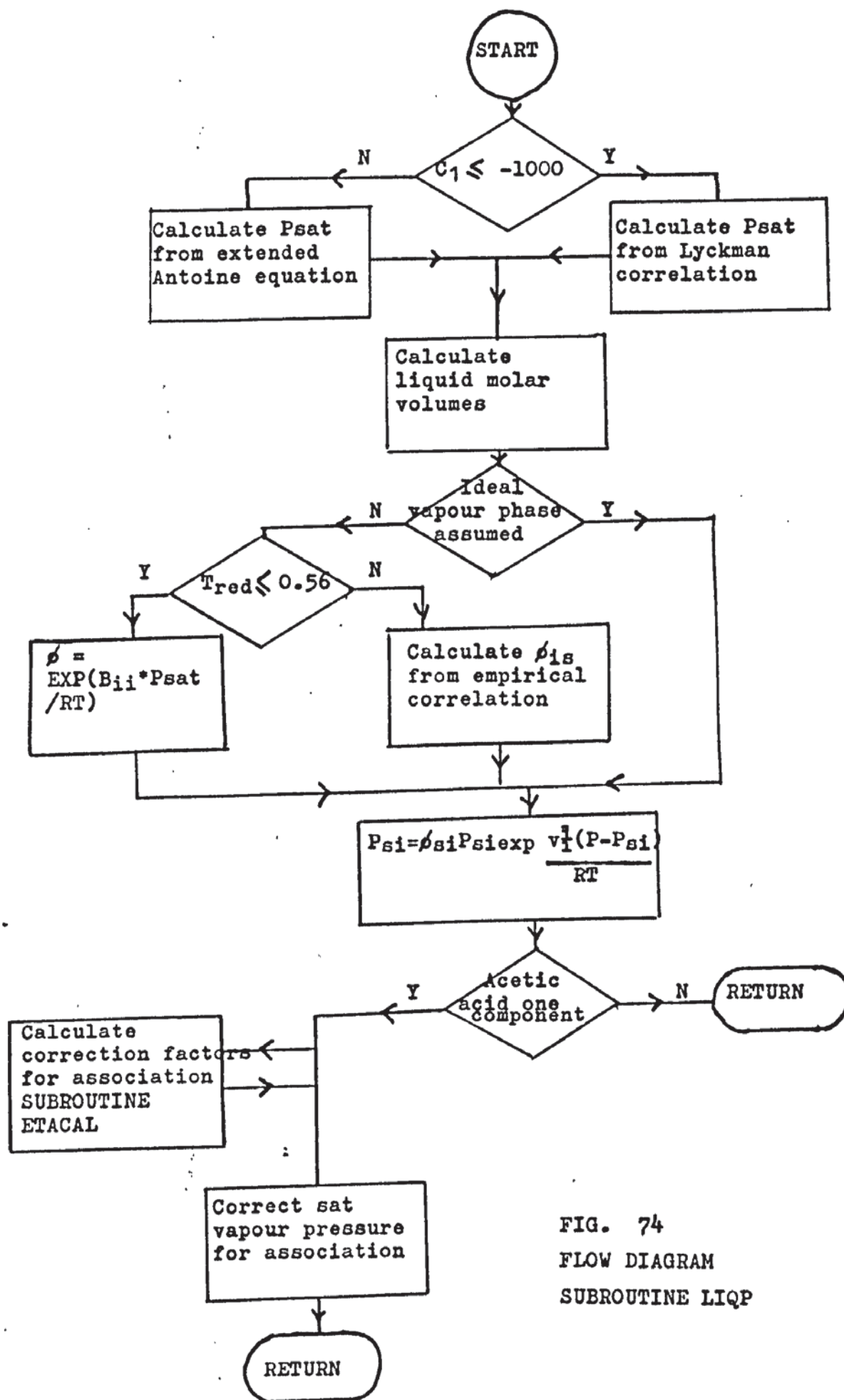


FIG. 74
FLOW DIAGRAM
SUBROUTINE LIQP

Subroutine PCLCA calculates the constants of the molar volume equation and the critical constants of the mixtures according to the following mixing rules

$$T_{cij} = (T_{ci} T_{cj})^{\frac{1}{2}} \quad (A1.20)$$

$$P_{cij} = \frac{4 T_{cij} (P_{ci} V_{ci}/T_{ci} + P_{cj} V_{cj}/T_{cj})}{(V_{ci}^{1/3} + V_{cj}^{1/3})^3} \quad (A1.21)$$

$$W_{ij} = 0.5 (W_i + W_j) \quad (A1.22)$$

A flow diagram is shown in Fig.75 .

LIST OF VARIABLES

<u>FORTTRAN NAME</u>	<u>Description</u>
MU (I)	Dipole moment
OMEGAH (I)	Homomorph acentric factor
T1(I), T2(I), T3(I)	Temperatures
V1(I), V2(I), V3(I)	Molar volumes at temps. T1, T2, T3
CONSTB (I,J)	Molar volume constants
TCRIT (I,J)	Critical temperature
PCRIT (I,J)	Critical pressure
VCRIT (I,J)	Critical volume
OMEGA (I)	Acentric factor

Subroutine PCLCB is identical.

2.3 Objective function and activity coefficient subroutines

SUBROUTINES XMODEL, GCALC, ACTCO, ACTEXP

All these subroutines calculate activity coefficients using the various models discussed in chapters 2 and 3. In the versions of XMODEL used with the least squares fitting subroutines the activity coefficients are used to calculate variables to be compared with experimental variables such as pressure. A full list of possible objective functions is given in connection

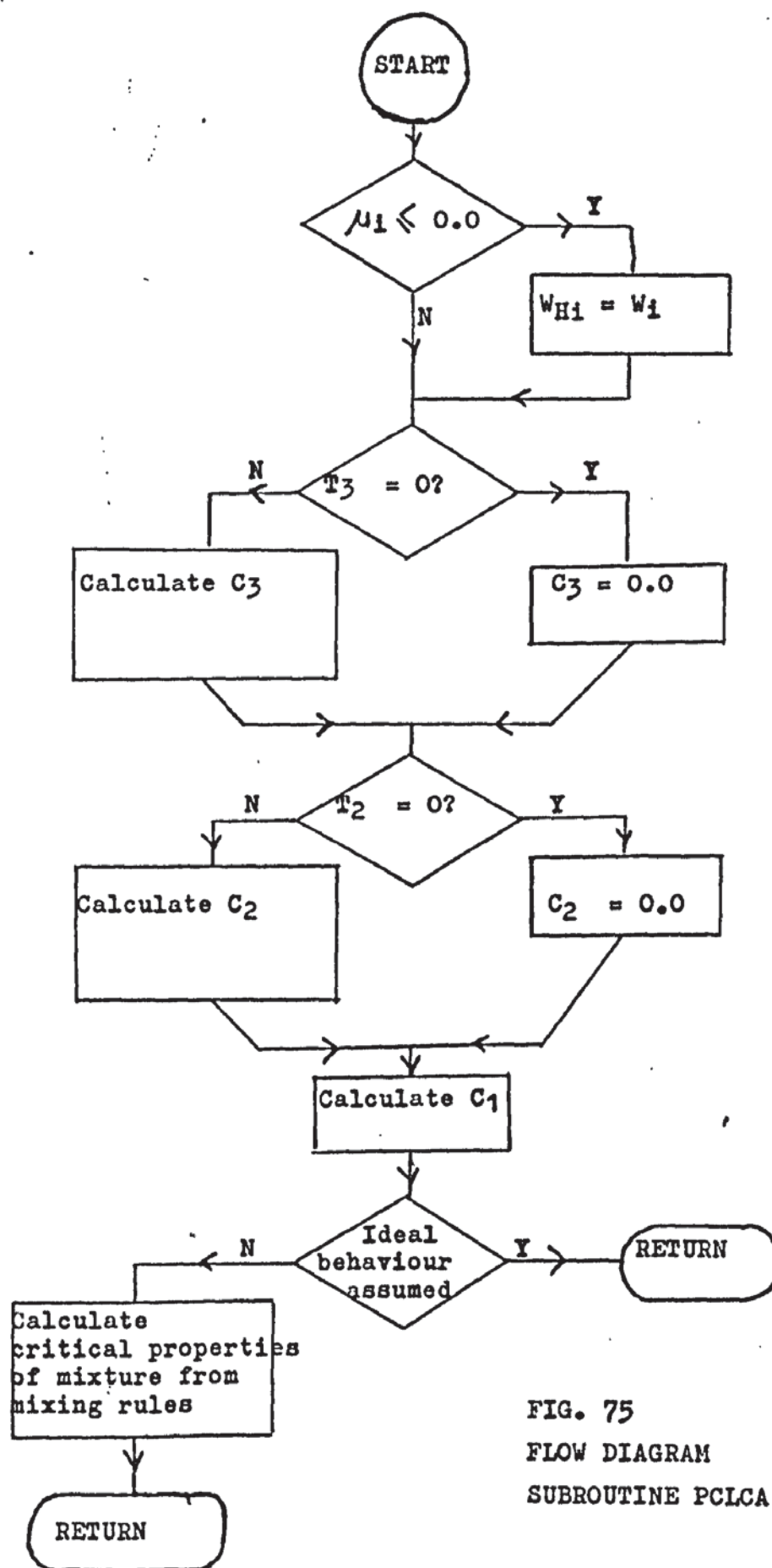


FIG. 75
FLOW DIAGRAM
SUBROUTINE PCLCA

with the main least squares programme JF4LSQMKA. XMODEL calculates the heat of mixing, excess free energy of mixing and the activity coefficients at infinite dilution according to the various models.

The versions of XMODEL used in conjunction with the error analysis programme calculates only activity coefficients and heat of mixing according to supplied parameters. Other versions calculate activity coefficients only. A flow diagram is shown in Fig. 82 for the main version.

LIST OF VARIABLES

<u>FORTTRAN NAME</u>	<u>Description</u>
TAU (I)	Adjustable parameters for activity coefficient models.
MODEL	Parameter specifying model to be employed.
CONSTC	Constant K in Modified Orye equation.
SUMSQ	Objective function.
NFUNC	Function evaluation counter
JDEC	Parameter specifying objective function to be used.
R	Gas constant
PHI (I)	ϕ_1
VOL (I,J) } Q (I,J) }	Parameters for Bruin modified NRTL equation
ACT (I,J)	Liquid phase activity coefficients
IDEAL	Parameter specifying whether vapour ideal or not
X(J)	Liquid mole fraction more volatile component
RAD, QUA	Uniquac parameters r_1 , and q_1
RKA, RKB, RKC, RKD	Redlich Kister parameters A, B, C, D.
NCOMP	No. of components present
NOPARA	No. of parameters used
N	No. of data points considered

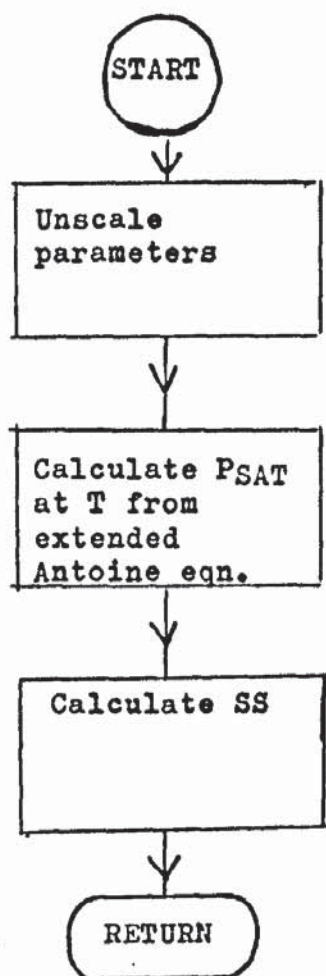


FIG. 76
FLOW DIAGRAM
SUBROUTINE XMODEL/VAPFIT

DELTA (I,J)	Liquid phase association factor
PCALC (J)	Calculated pressure
PEPL (J), PF	Experimental pressure
YCALC (J)	Calculated vapour composition
YEPL (J), Y(J)	Vapour composition, more volatile component
MLIQV (I,J)	Liquid molar volume
HCALC (J)	Heat of mixing-calculated
HEPL (J)	Experimental heat of mixing
GECALC (J)	Calculated g^E
GEEPL (J)	Experimental g^E
GINFC (I)	Calculated V_1^∞
GINFEX (I)	Experimental V_1^∞

Other variables are dummy variables used solely in the subroutine.

Subroutine GCALC calculates activity coefficients for a given set of parameters for the UNIQUAC and NRTL equations. It is used in conjunction in the JF4LIQLIO, the programme which calculates liquid-liquid equilibrium and differs only from XMODEL in that the FORTRAN name for the activity coefficient is GAMMA instead of ACT. It will therefore not be described any further.

Subroutine ACTCO is used in conjunction with the multi component vapour-liquid equilibrium programme BUBLT of PRAUSNITZ (P6). It is identical to the one he describes but in addition contains the UNIQUAC and NRTL equations. This too will not be described any further as it has been extensively described in the monograph of Prausnitz et al (P6).

Subroutine ACTEXP calculates experimental activity coefficients from the relation

$$V_i = \frac{y_i \phi_i P}{x_i P_{s1} \phi_{s1}(P_{s1})} \exp \left[\frac{1}{RT} \int_{P_{s1}}^P v_i^L dP \right] \quad (A1.23)$$

COMMENTS

JOB :EAXXX,JF4*IL,CP76(T40,P2000)
 ATTACH(SOURCE,JF4LSQM/A,ST=S6A)
 FTM(X=SOURCE,SL=0)
 LDSET(MAP=B/ZZZMP,PRESET=ZERO)
 LGU(PL=5000)
 ####S

STANDARD HEADER CARDS

JDEC (WHICH OBJ. FUNCTION)
 NDSETS (HOW MANY DATA SETS)
 IDEC (ASSOCIATION MODEL TO BE USED)
 MA (I) (WHICH MODELS)
 VPUNIT (I) (VAPOUR PRESS. UNITS)
 SWITCH
 NO PTS, NO COMPS, ISOTHERMAL, IDEAL?
 TITLE

TEMP, CONC AND PRESS UNITS

X, Y, PRESS AND TEMP
 DATA (N POINTS)

CRITICAL PROPS. & WH & ETA

MOLAR VOLS AND TEMPS

VAPOUR PRESSURE DATA

WILSON)
 NRTL) STARTING PARAMETERS
 UNIQUAC }

SYSTEM ETHYL ACETATE - N-BUTYL ACETATE
 DATA OBTAINED ON CATHALA STILL - ANALYSIS BY REFRACTIVE INDEX

1 112 4.9 17.5 122.4

96.1 99.1 78.6
 760. 37.8 286.0 0.373 0.278 1.78 0.5
 523.3 30.1 597.8 0.455 0.400 1.66 0.4
 573.1 298.15 0.0 97.9 98.89 0.0
 293.15 389.25 0.0 131.58 147.5 0.0
 298.15 -2.2317474 -1871.4222-71.9206 0.026808750-0.000027455 0.49952
 11.2375060 -3229.2711-50.9833 0.004952980-0.000002542 -0.55286
 0.2 0.2 0.2 0.2 5

FIG. 77 INPUT DATA LAYOUT FOR JF4LSQMKA

All the variables in this routine are defined in connection with the main programme JF4LSQMKA.

2.4 Housekeeping routines

SUBROUTINE UNITS

This subroutine converts all experimental data into units of mole fractions, atmospheres and degrees K, thus enabling data to be read in in a variety of units such as mm mercury, degrees Centigrade, providing the parameters TUNIT, CUNIT and PUNIT are correctly expressed. The values these variables may take are discussed in connection with the input to the main programme.

LIST OF VARIABLES

<u>FORTRAN NAME</u>	<u>Description</u>
TUNIT	Temperature unit parameter
PUNIT	Pressure unit parameter
CUNIT	Concentration unit parameter
MOL WT(I)	Molecular Weight of component i

2.5 Conclusion

Other subroutines that have been written are specific only to the main programmes with which they are used and therefore are described in the section dealing with those programmes.

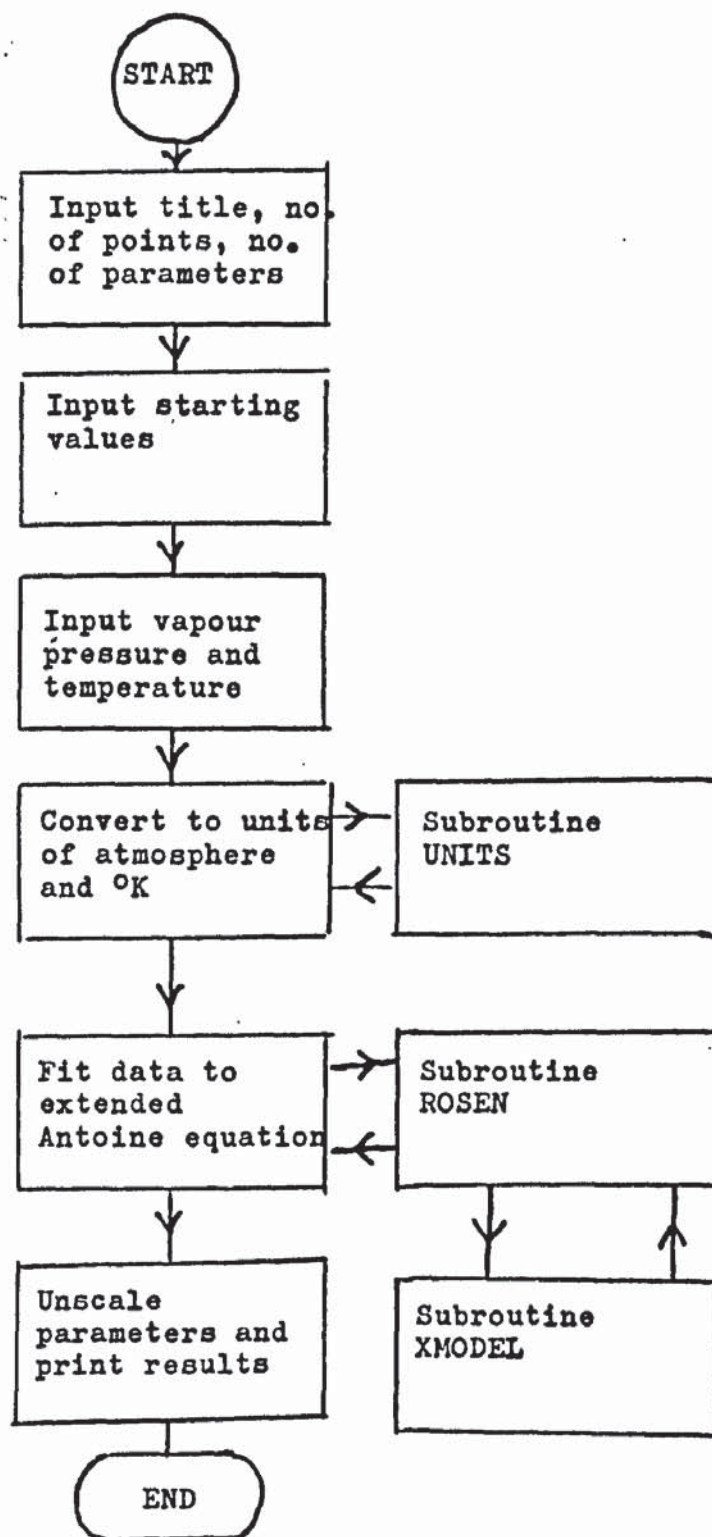


FIG. 78
FLOW DIAGRAM
JF4VAPFIT

3. Main Programmes

3.1. Fitting programmes JF4LSQMKA and JF4LSQMKB

3.1.1. General Description of programme

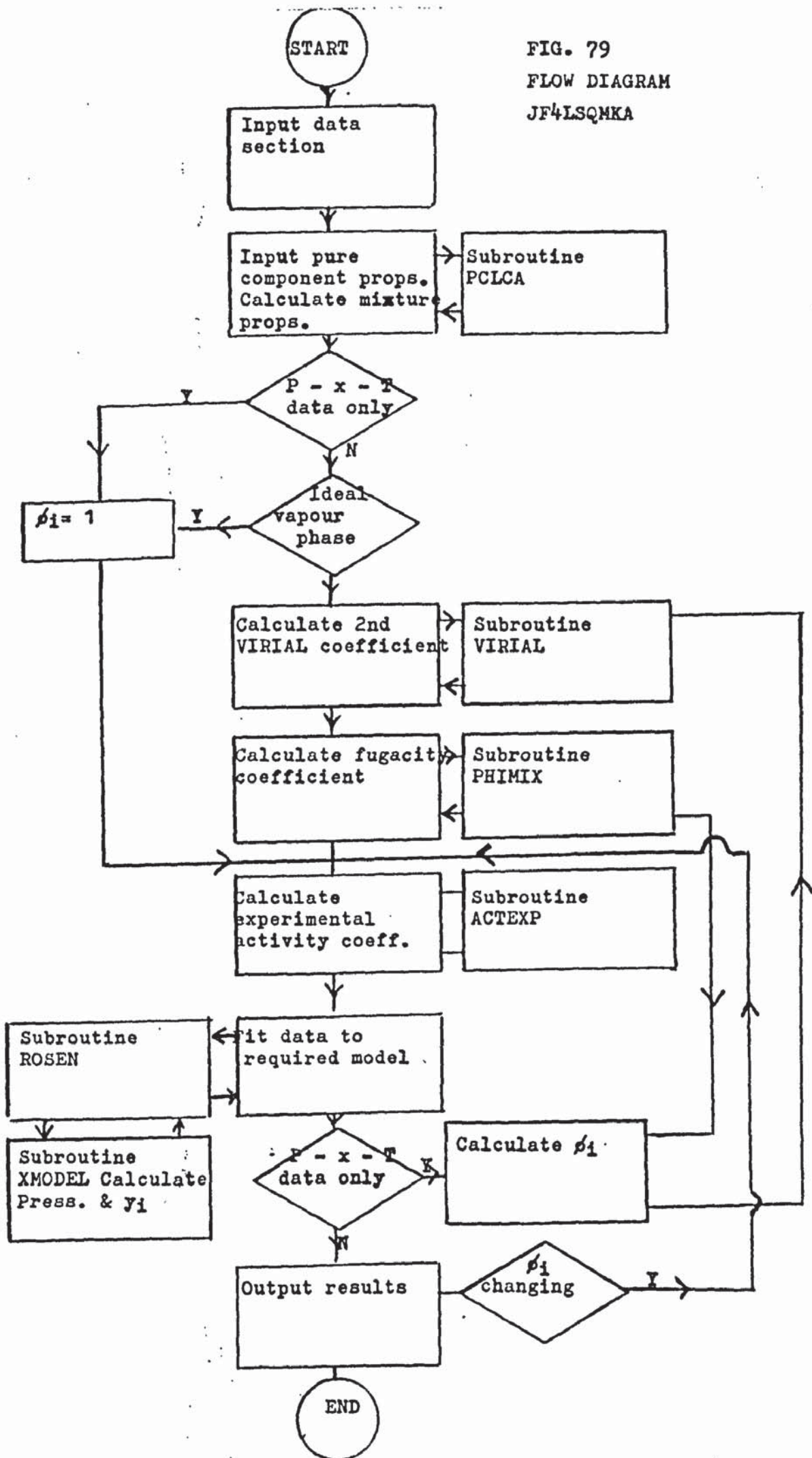
The programme begins with the data input section which will be described in detail in section 3.1. After this subroutine UNITS is called to ensure that all the data has consistent units of atmospheres, degrees K and mole fractions. This is followed by an initialisation section and by an ordering procedure which arranges the data in ascending order of liquid phase mole fraction.

The next section is also an input section in which the necessary pure component property data is read in including vapour pressure parameters and critical properties. Subroutine PCLCA is then called to calculate the critical properties of the mixture according to the mixing rules outlined on page 240 and to calculate the constants of the molar volume quadratic equation. Following this the vapour phase fugacity coefficient, ϕ_1 is calculated using subroutines VIRIAL and PHIMIX and the reference state properties of the pure liquids.

The experimental activity coefficients are calculated using subroutine ACTEXP and the programme then proceeds to fit the data to a given model using subroutine ROSEN. When this has been done the programme outputs the results and moves on to consider the next model. When all the required models have been fitted the programme stops.

If however the experimental vapour compositions are not part of the input data then an iterative procedure must be adopted in which initially the vapour phase is assumed to be ideal, the model fitted and the calculated vapour compositions are used in subroutines VIRIAL and PHIMIX to calculate ϕ_1 .

FIG. 79
FLOW DIAGRAM
JF4LSQMKA



The iteration loop is terminated when successive values of ϕ_1 are changing with less than a specified tolerance. As before the programme then proceeds to the next model or the end as the case may be. A flow diagram for this programme is shown in Fig. 79.

3.1.2. Details of input required

CARD 1 Reads in the value of JDEC, FORMAT 11. This variable specifies the value of the objective function (O.F.) to be used in the minimisation procedure.

$$\text{If JDEC} = 1 \quad \text{O.F.} = \sum_{j=1}^N \left[\frac{P_{\text{calc}j} - P_{\text{exptl}j}}{P_{\text{exptl}j}} \right]^2$$

$$\text{If JDEC} = 2 \quad \text{O.F.} = \sum_{j=1}^N \left[\frac{Y_{\text{calc}j} - Y_{\text{exptl}j}}{Y_{\text{exptl}j}} \right]^2$$

$$\text{If JDEC} = 3 \quad \text{O.F.} = \sum_{j=1}^N \left[\frac{h_{m \text{ calc}j} - h_{m \text{ exptl}j}}{h_{m \text{ exptl}j}} \right]^2$$

$$\text{If JDEC} = 4 \quad \text{O.F.} = \sum_{j=1}^N \left[V_{i \text{ exptl}}^{\infty} - V_{i \text{ calc}}^{\infty} \right]^2$$

$$\text{If JDEC} = 5 \quad \text{O.F.} = \sum_{j=1}^N \left[g^E_{\text{calc}j} - g^E_{\text{exptl}j} \right]^2$$

CARD 2 Reads in NDSETS the number of data sets to be fitted. Also format 11.

CARD 3 Reads in IDEC, Format 11. This may either be zero if correction for liquid phase association is to be made or 1 if it is to be ignored.

CARD 4 Reads in the vector MA(I) containing 18 elements, Format 18I1. If MA(I) equals 0 then a particular

COMMENTS

JOB :EAXXX,JF4LMA,CP76(T40,P3000)
 FTN(I=SOURCE,R=0)
 LDSET(MAP=B/ZZZZMP,PRESET=ZERO)
 LGO(PL=3000)
 #####

STANDARD HEADER CARDS

NO. OF COMPONENTS
 MODEL AND NO. OF PARAMETERS

13 SYSTEM WATER - TOLUENE - ACETIC ACID NRTL AT 30 MOL WT 60.0
 PREDICTED TERNARY DIAGRAM - LIQ PHASE REACTION NOT TAKEN INTO A/C

COMPONENT NAMES

COMPONENT NAMES	MOL. WTS.	NRTL PARAMETERS
WATER	18.0	0.0
TOLUENE	92.0	0.0015
ACETIC	60.0	-0.00103
4388.756	0.198	
1893.43	0.67051	
826.51	0.57364	
333.15		
0		

FIG. 80 INPUT DATA LAYOUT FOR JF4LIQLIQ

model is not fitted, if it equals 1 then the model is considered.

MA(1)	-	Wilson equation
MA(2)	-	Two parameter NRTL equation
MA(3)	-	Bruin modified NRTL equation
MA(4)	-	Three parameter NRTL equation
MA(5)	-	Six parameter NRTL equation
MA(6)	-	Enthalpic Wilson equation
MA(7)	-	Orye equation
MA(8)	-	Two parameter modified Orye equation
MA(9)	-	Three parameter modified Orye equation
MA(10)	-	Van Laar equation
MA(11)	-	Two parameter Redlich-Kister equation
MA(12)	-	Three parameter Redlich-Kister equation
MA(13)	-	Four parameter Redlich-Kister equation
MA(14)	-	Two parameter UNIQUAC equation
MA(15)	-	Four parameter UNIQUAC equation
MA(16)	-	Four suffix Margules equation
MA(17)	-	Five suffix Margules equation
MA(18)	-	Van Ness modified Margules equation

CARD 5 This card is omitted if infinite dilution activity coefficients, heat of mixing or free energy data are being fitted Reads in VPUNIT(1) and VPUNIT(2), FORMAT 2I1. These determine the units with which the vapour pressures are calculated.

If VPUNIT(I) = 0 Temperature is in degrees K and the vapour pressure has units of atmospheres.

If VPUNIT(I) = 1 Temperature is in degrees C and vapour pressure is in atmospheres.

If VPUNIT(I) = 2 Temperature is in degrees C and vapour pressure in mm of mercury.

Subroutine LIQP automatically ensures consistent units, i.e. atmospheres and degrees K.

CARD 6 Reads in SWITCH, format I1. This is used to ensure that the more volatile component is component 1

If SWITCH = 0 Take no action

If SWITCH = 1 Reverse the order

CARD 7 Reads in No. of data points (N), Number of components (NCOMP), a parameter specifying whether data is isothermal or not (ISO) and a parameter specifying whether an ideal vapour phase is to be assumed, (IDEAL).

Format I2, 3I1

If ISO = 0 data is isothermal

If ISO = 1 data is isobaric

If ISO = 2 data is neither

If IDEAL = 0 ideal vapour phase assumed

If IDEAL = 1 non ideal vapour phase

CARDS 8 & 9 Title of system under consideration and data source. Format 8A10.

CARD 10 This card is omitted if JDEC is greater than 2.

Read in TUNIT, CUNIT, PUNIT. These are parameters specifying units of input data.

If TUNIT = 0 the temperatures have been input
in °F

If TUNIT = 1 the temperatures have been input
in °C

If TUNIT = 2 the temperatures are in °K

If PUNIT = 0 the pressures are in lbs/in²

If PUNIT = 1 the pressures are in atmospheres

If PUNIT = 2 the pressures are in mm mercury

If CUNIT = 0 The compositions are in weight %

If CUNIT = 1 The compositions are in mole%

If CUNIT = 2 The compositions are in mole fractions

The next set of input depends on the value of JDEC. If JDEC equals 3 then N values of liquid phase composition with the corresponding values of the heat of mixing are input. On the other hand if JDEC equals 5 then N values of liquid phase composition are read in together with excess free energy data. The format is 2F10.3.

If JDEC equals 4 then a pair of infinite dilution activity coefficients is to be read in.

If JDEC is less than 2 then it is vapour liquid equilibrium data which is to be read in. If it is isothermal data then N values of liquid composition, $X(J)$ vapour composition, $Y(J)$ and experimental pressure, $PEPL(J)$ are read in with the temperature TF on the $N + 1$ th card. If it is isobaric the liquid and vapour compositions and the experimental temperatures, $TEMP(J)$, are read with the pressure PF on the $N + 1$ th card. All the preceding input statements are read in on a format of 2F11.6, F11.3.

Finally if the data is neither isothermal nor isobaric then it is read in a liquid composition, vapour composition, pressure and temperature with a format 2F11.6, 2F11.3.

The next card depends on whether the input composition data is in weight %. If it is then the molecular weights of the pure component must be read in, format 2F10.3. If JDEC is greater than 2 it is omitted.

CARDS $N + 11$ & $N + 12$ These contain the critical properties of each component with the more volatile on the first card

The properties are in order critical temperature (TCRIT), critical pressure (PCRIT), critical volume (VCRIT), acentric factor (OMEGA), acentric factor of homomorph (OMEGAH), dipole moment (MU) and association factor (ETA). The format is 7F9.3.

The next two cards contain the pure component molar volume data. First come three temperatures T1, T2, T3 and then the corresponding molar volumes at these temperatures V1, V2 and V3. These are read in format 6F9.3.

The last of the pure component data is the vapour pressure equation parameters, one card for each component. CONSTA (I,1) corresponds to C1 with CONSTA (I,2) for C2 and so on.

Lastly come the starting values for the minimisation routine together with the number of parameters required for each model. The format for this is 3F10.3, 11. Each model requires a set of starting values except the 3 and 6 parameter NRTL and 4 parameter UNIQUAC which utilise the 2 parameter equation parameters as starting points. With the UNIQUAC model an additional card has to be included to read in the values of r_i (RAD(I)) and q_i (QUA(I)) and the co-ordination number (ZNO). The format is 5F10.3.

A sample of the data input is shown in Fig.80 while a typical output is shown in Fig.77.

JF4LSQMKA and JF4LSQMKB are identical except that while the former employs Prausnitz's version of VIRIAL the latter utilises that of Tsonopoulos. This requires an additional card after JDEC and NDSETS which specifies to which class the compounds belong.

The programme has been tested on approximately 150 systems and the results are presented in Appendix A4. The pure component properties used are listed in Appendix A5.

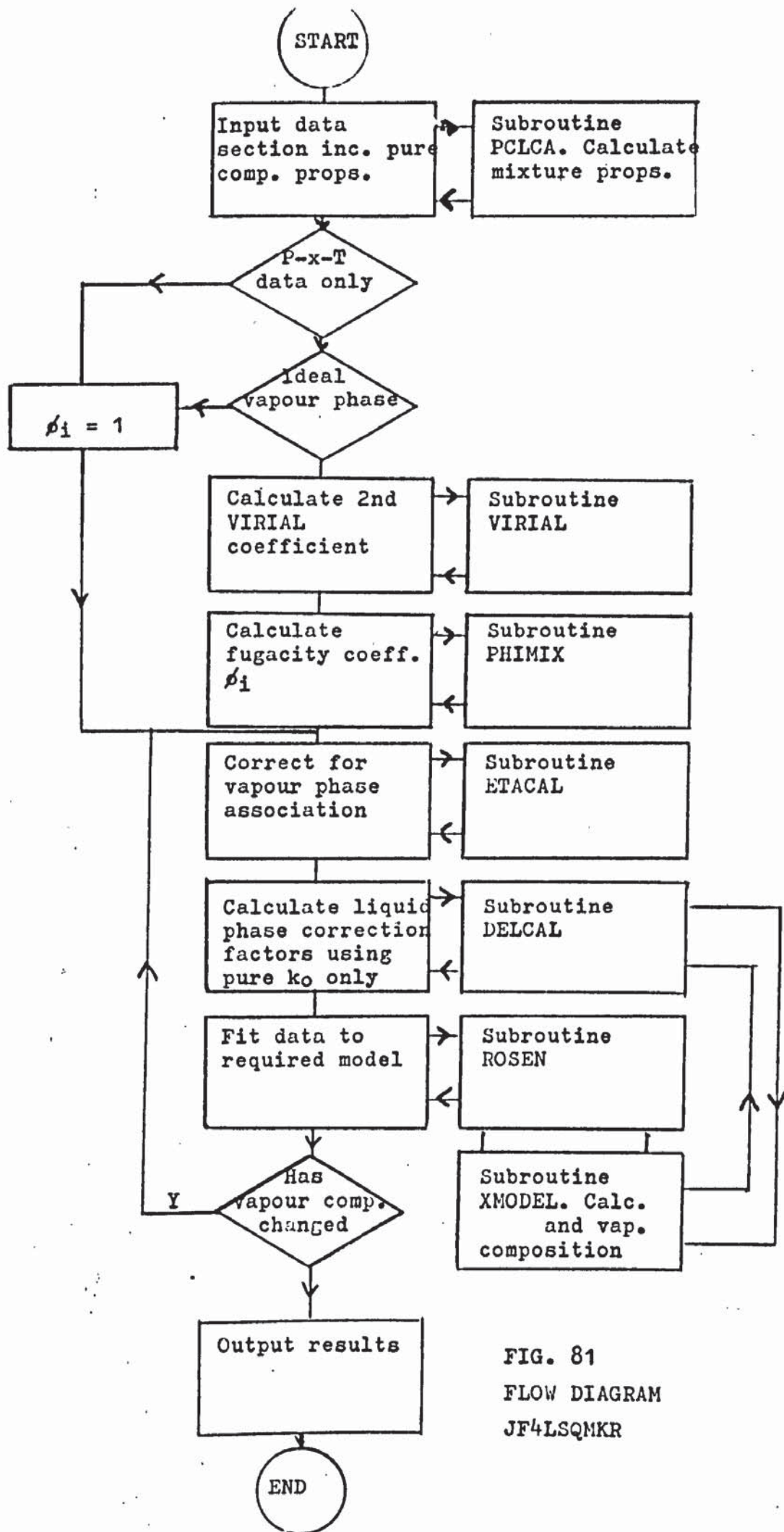


FIG. 81
FLOW DIAGRAM
JF4LSQMKR

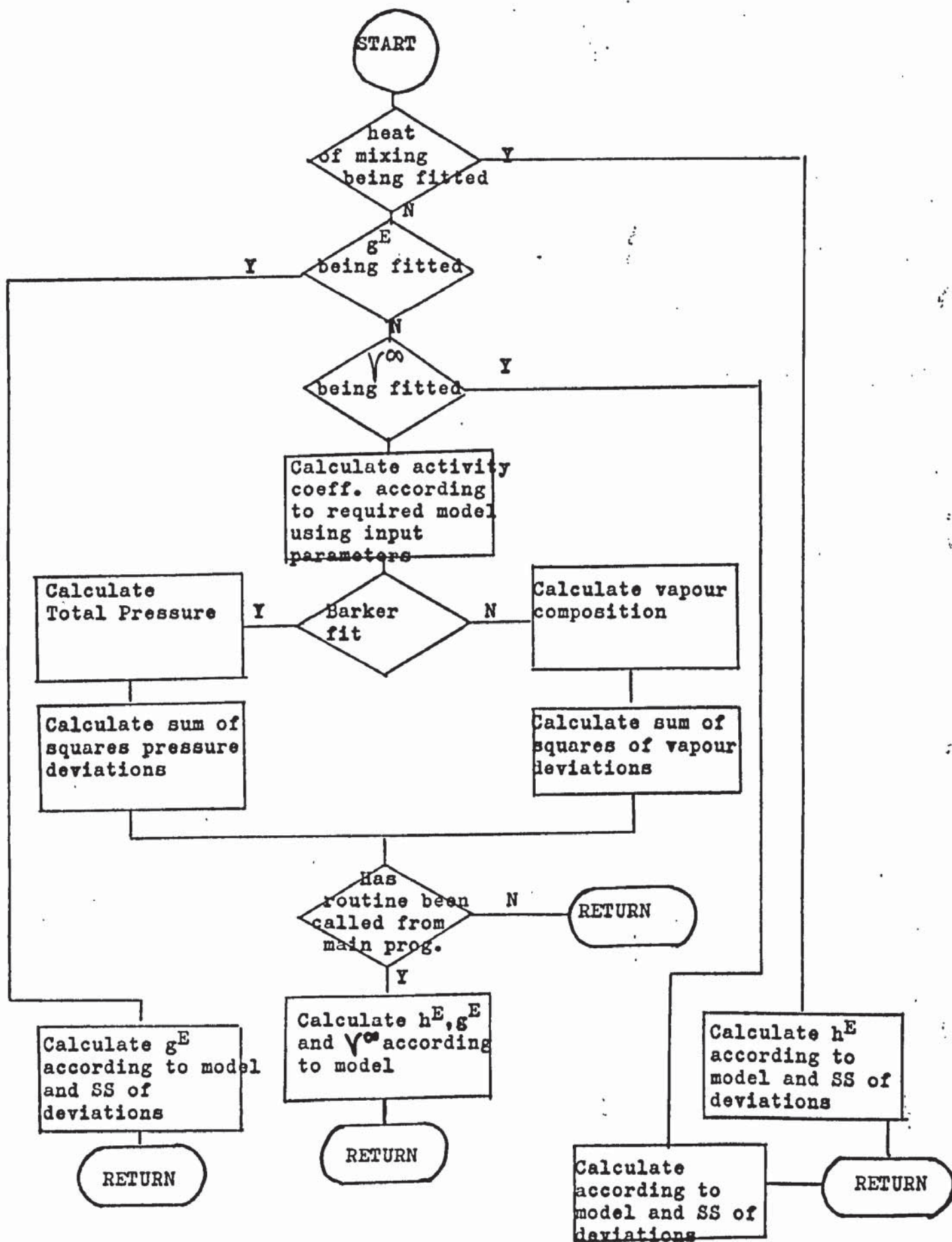


FIG. 82 FLOW DIAGRAM SUBROUTINE XMODEL

3.2 Fitting programme incorporating association model JF4LSQFIT

3.2.1 General description of programme

The programme is derived from JF4LSQMKA and is identical except for the additional subroutines ETACAL and DELCAL which calculate respectively the vapour phase and liquid phase association factors. There is also an extra iteration loop since the vapour phase association factor must be determined using the calculated values of vapour composition.

The input section is identical with that of JF4LSQMKA except that the vapour phase association factors ETA are set at - 1000.0

The programme proceeds as before but subroutine ETACAL is called after VIRIAL and PHIMIX have been called and the vapour phase association factors Z_A and Z_B are calculated as described in the next section. Initially the experimental values of Y are used. Subroutine DELCAL is then called and the liquid phase association factors δ_A and δ_B are calculated initially using a concentration independent k . The programme then calls subroutine ROSEN and fits the data by the Barker method using one of the activity coefficient models. On this first iteration loop a variable NSET prevents subroutine DELCAL being called from subroutine XMODEL after the activity coefficient has been calculated.

After a value of y has been calculated subroutine ETACAL is again called and new vapour phase association factors are calculated using the calculated values of y in place of the experimental values. The data is then refitted and this time the value of NSET has been altered so that when the activity coefficients are calculated in XMODEL, subroutine DELCAL is called and values of the liquid phase association factors

δ_A and δ_B recalculated according to the theory outlined in Appendix A2..

The iteration proceeds until the calculated values of y change by less than a specified amount at which point the iteration is terminated and the results output.

A flow diagram for the main programme is shown in Figs ~~82~~ 82 and 83. The specialised subroutines used in this programme are now described in more detail.

3.2.2. Subroutine ETACAL

There are two versions of this subroutine depending on the mode of association assumed. The first version was initially used when acetic acid data was fitted using vapour phase corrections only and assumes the formation of both dimers and tetramers.

The equilibrium constants of the polymerization reactions have been given by Ritter and Simons (R13).

For the dimer

$$\ln K_d = \ln \frac{P_t}{P_m^2} = -23.98925 + \frac{7285.38}{T} \quad (A1.24)$$

For the tetramer

$$\ln K_t = \ln \frac{P_t}{P_m^4} = -54.07022 + \frac{13548.41}{T} \quad (A1.25)$$

with K_d and K_t in $(\text{mm Hg})^{-1}$ and $(\text{mm Hg})^{-3}$

P_t is the total pressure and P_m is the partial pressure of acetic acid monomer.

Carli et al (C1) have derived the following relation from stoichiometric considerations

$$y_1 P = P_{1m} + (2-y_1)K_d P_{1m}^2 + (4-3y_1)K_t P_{1m}^4 \quad (A1.26)$$

which can be solved for P_{1m} , the true partial pressure of the monomer acid in the vapour phase. The correction factors are then defined, where P_2 is the partial pressure of the other component,

$$\alpha_1 = \frac{P_{1m}}{y_1 P} \quad \text{and} \quad \alpha_2 = \frac{P_2}{y_2 P}$$

The correction factors are then applied by multiplying the fugacity coefficients as shown by S_A and S_B

$$\phi_1^1 = \alpha_1 \phi_1 \quad \text{and} \quad \phi_2^1 = \alpha_2 \phi_2 \quad (\text{A1.27})$$

A similar procedure holds for the pure acetic acid whose vapour pressure is given by

$$P_1^0 = P_{1m}^0 + K_d P_{1m}^{02} + K_t P_{1m}^{04} \quad (\text{A1.28})$$

which again can be solved by the Newton-Raphson method to give the correction factor

$$\alpha_1^0 = \frac{P_{1m}^0}{P_1^0} \quad \text{and} \quad \alpha_2^0 = 1.0 \quad (\text{A1.29})$$

The correction factors are then applied as before

$$\phi_{s1}^1(P_{s1}) = \alpha_1^0 \phi_{s1}(P_{s1}) \quad \text{and} \quad \phi_{s2}(P_{s2}) = \alpha_2^0 \phi_{s2}(P_{s2}) \quad (\text{A1.30})$$

A flow diagram is shown in Fig.83.

LIST OF VARIABLES

<u>FORTRAN NAME</u>	<u>Description</u>
CONV	Convergence criterion
KDIM	Dimerisation constant
KTET	Tetramisation constant
PM	Partial pressure of monomer
FP	Equation (A1.26)
DFP	Differential or equation (A1.26)

PID	Partial pressure of dimer
PIT	Partial pressure of tetramer
P2	Partial pressure of second component
ALF(I)	Correction factor
PA	System total pressure
Z1	yP in eqn. A1.26
Z2	(2-y) in eqn. A1.26
Z3	(4-3y) in eqn. A1.26
PB	= Z1, or $P_{SAT}(1)$
PC	(1-y)P, or $P_{SAT}(2)$

The second version of ETACAL assumes that dimerisation is the only reaction of importance. In this case the last terms of equations (A1.26) and (A1.25) drop out reducing both to quadratics which have been solved in Appendix A2 algebraically. In this case no iteration procedure is necessary, the necessary coefficients being calculated directly. A flow diagram is shown in Fig.84.

LIST OF VARIABLES

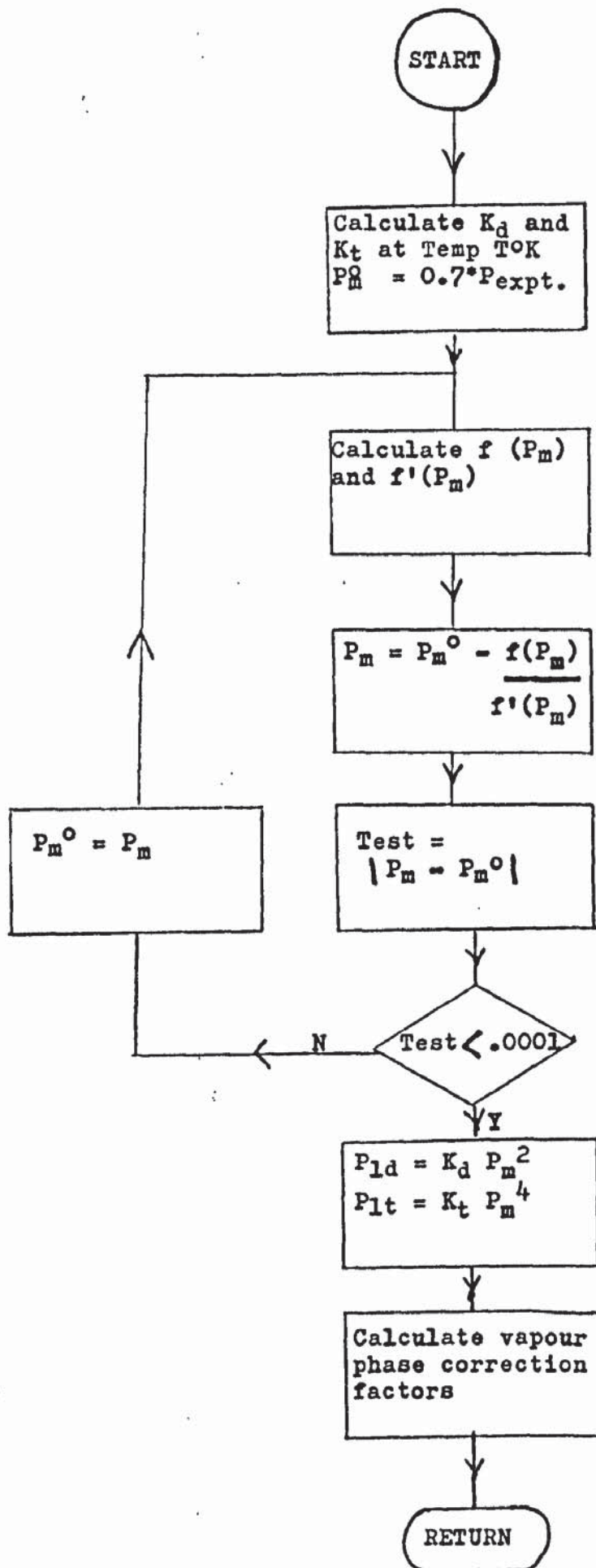
<u>FORTTRAN NAMES</u>	<u>Description</u>
YCACL(J)	Calculated value of vapour composition
IAB	Iteration counter
ZA(1,J)	Z_A correction factor - equation
ZB(2,J)	Z_B correction factor - equation
ZB(J)	Z_A^1 correction factor - equation

Other variables are the same as the first version of ETACAL.

The factors Z_A and Z_B are related to the correction factors in the first version as follows

$$Z_A = \frac{\alpha_1}{\alpha_1^0} \quad \text{and} \quad Z_B = \frac{\alpha_2}{\alpha_2^0} \quad (\text{A1.30})$$

FIG. 83
FLOW DIAGRAM
SUBROUTINE ETACAL (a)



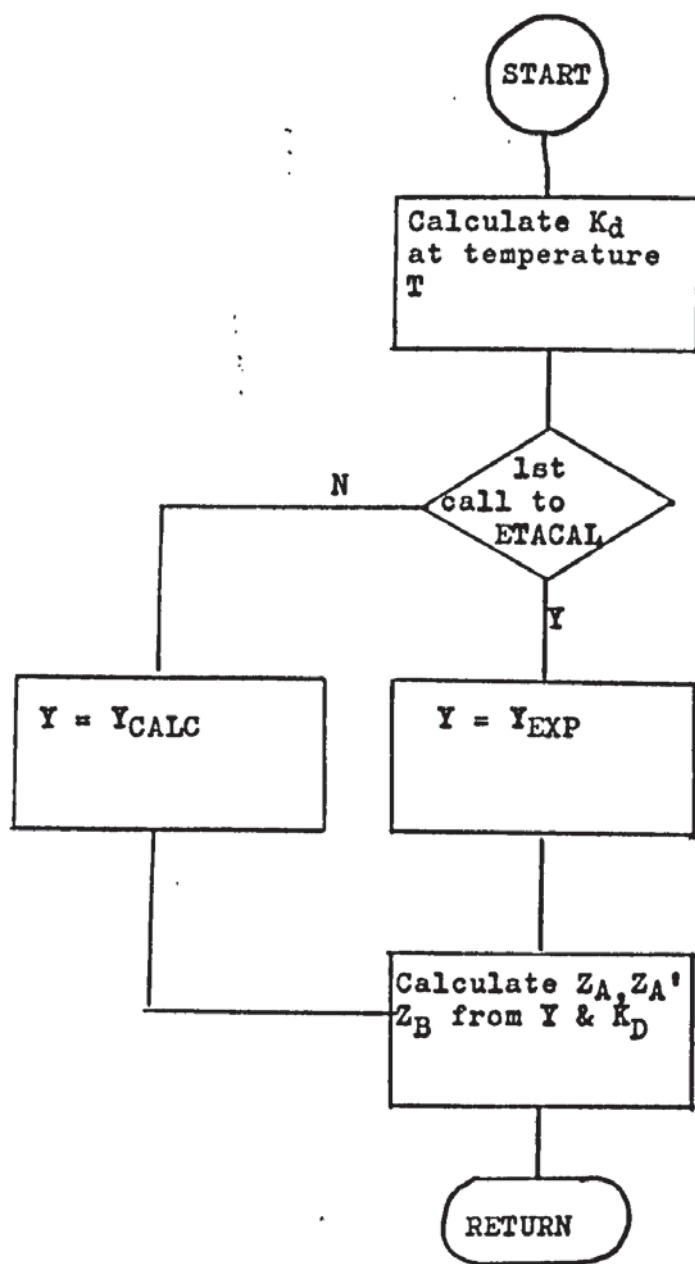


FIG. 84
FLOW DIAGRAM
SUBROUTINE ETACAL (b)
(FOR LIQUID PHASE MODEL VERSION)

3.2.3 Subroutine DELCAL

Initially when this subroutine is called, the correction factors δ_A and δ_B are calculated using a pure component equilibrium constant K_A . This related to the temperature as given in chapter 5 by

$$\ln K_A = \frac{3131}{T} - 6.5197 \quad (A1.31)$$

This is achieved by the variable NSET which is set equal to zero on the first iteration and at one thereafter.

The calculation of the association constant for the mixture, k_m is given by equation (5.30) in chapter 5.

$$\text{i.e.} \quad k_m = K_A \beta V_A \quad (5.30)$$

$$\text{where} \quad \beta = \frac{Z_A}{Z_A^1} : \frac{\phi_A}{\phi_A^1} \cdot \frac{\delta_A^1}{\delta_A} \quad (5.31)$$

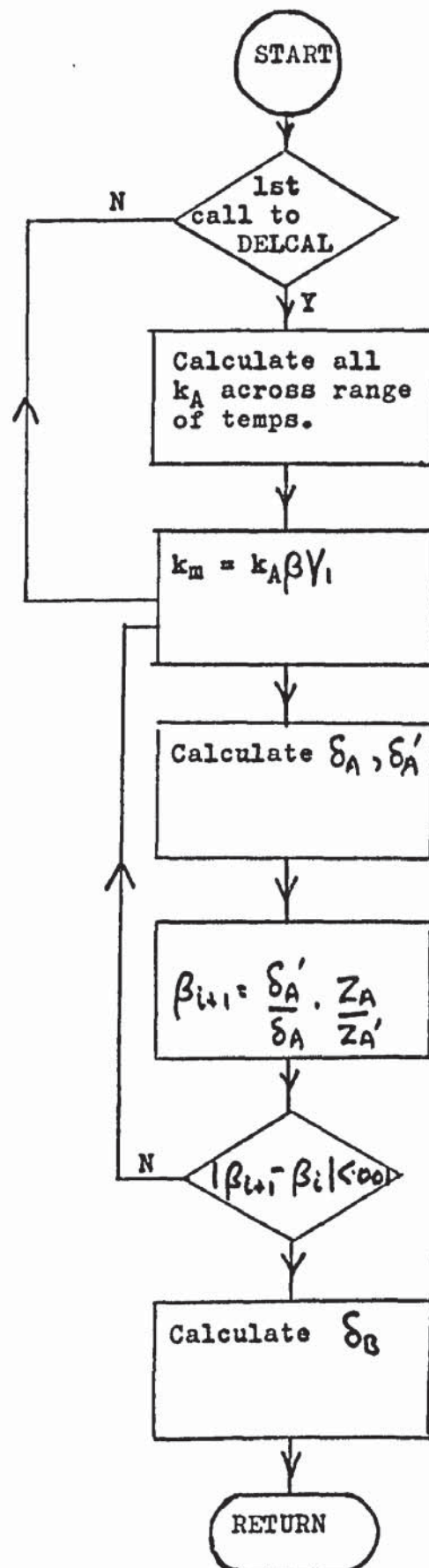
where Z_A , Z_A^1 , δ_A , δ_A^1 are defined by equations (5.6), 5.16), (5.7) and (5.17) and V_A is obtained from one of the models such as the Wilson equation in subroutine XMODEL. Since both β and V_A are composition dependent and since β contains, k_m , implicitly in the factors δ_A and δ_A^1 an iterative procedure must be adopted.

The method of successive approximations was found to be satisfactory in which successive values of are calculated until convergence has been achieved. The correction factors δ_A and δ_B are then calculated. A flow diagram is shown in Figs.86. The correction factors are passed to subroutine XMODEL where they are used to correct the activity coefficients

$$\text{i.e.} \quad V_A^1 = \delta_A V_A \quad (A1.32)$$

$$\text{and} \quad V_B^1 = \delta_B V_B \quad (A1.33)$$

FIG. 85
FLOW DIAGRAM
SUBROUTINE DELCAL



LIST OF VARIABLES

<u>FORTRAN NAME</u>	<u>Description</u>
KO(J)	Pure component equilibrium constant, A
KLM(J)	Mixture equilibrium constant,
BETA(J)	β
DELTA(1,J)	S_A
DELTA (2,J)	S_B
DTA(J)	S'_A

This programme was tested on approximately sixty systems containing acetic acid. The results are shown in Appendix A3. The layout of the input is exactly as shown in Fig. for programme JF4LSQMKA and so further illustration is not necessary.

3.3. Fitting programme for mutual solubilities JF4LSQSOL

3.3.1. General description of the programme

Once again this programme is generally similar to JF4LSQMKA from which it was derived. However since its purpose is to calculate the parameters in one of the Gibbs-Duhem models from mutual solubility data the data input and general structure of the programme are considerably simplified.

The mutual solubility data is read in as detailed in the input section later on. Once again subroutine ROSEN is used to adjust the parameters of the activity coefficient equations until the objective function shown below has been minimised

$$\text{i.e. } \text{Sumsq} = \left[(x_1 V_1)^I - (x_1 V_1)^{II} \right]^2 + \left[(x_2 V_2)^I - (x_2 V_2)^{II} \right]^2$$

where the superscripts I and II refer to the two phases (A1.34)

3.3.2. Description of Input required

- CARD 1 Reads the value of SOLUB, Format 11. This must be set equal to 1 to fit mutual solubility data.
- CARD 2 Reads in the value of NDSETS which specifies the number of sets of mutual solubility data to be fitted. Format 11.
- CARD 3 Reads in the value of IDEC which must be set equal to 1 for reduction of mutual solubility data. Format 11.
- CARD 4 Reads in the vector MA which specifies which model is to be employed. The full details are given in the description of the input for JF4LSQMK. In this case only the first 13 models are included. Format 1311. The Wilson equation cannot be used since it does not predict partial miscibility.
- CARD 5 Contains the mutual solubility data, the temperature at which it is determined and the number of data points. This is read into subroutine SLBLTY which has at this point been called. The input is the mole fraction of the more volatile component in the first phase, X(1) and in the second phase, X(2), the temperature, TF and the number of data points, N. Format 2F12.7, F10.3, F1.
- CARDS 6 and 7 These two cards read in the title and other details. Format 8A10.
- CARD 8 Reads in MODEL, the number of the first model to be employed, i.e. MODEL = 2 ensures the programme starts with the two parameter NRTL equation.
- CARDS 9 onwards. These are read in through subroutine ROSEN and contain the starting values needed in the search

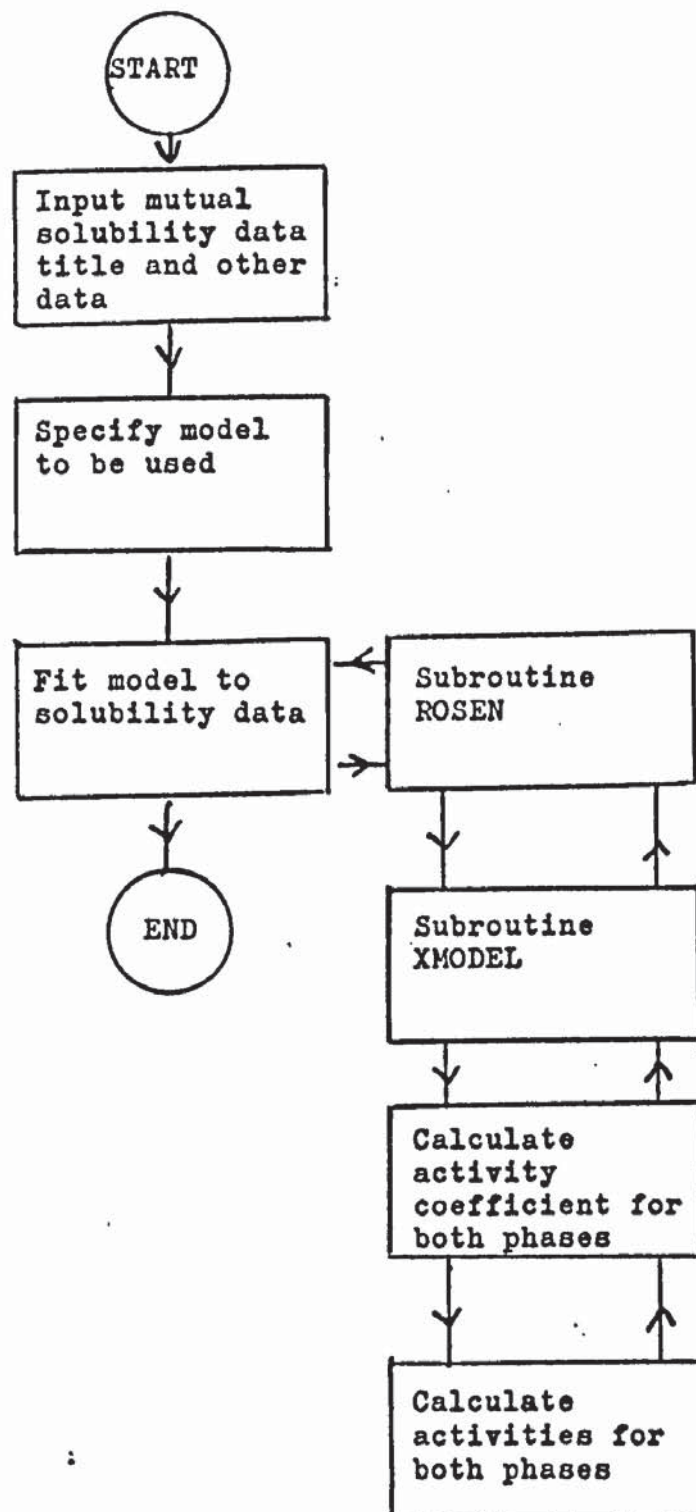


FIG. 86
FLOW DIAGRAM
JF4LSQSOL

procedure together with the number of parameters to be employed. Format 3F10.3, 11. It must be noted also that if the UNIQUAC equation is to be employed then the value of τ_1 (RAD(1)), τ_2 (RAD(2)), q_1 (QUA(1)), q_2 (QUA(2)) and the co-ordination number (ZNO) must be read in. The values are given in Appendix A5 for various compounds.

A sample of the data input is shown in Fig. 90 and a flow diagram of the complete programme is given in Fig. 86. All the variables in the programme are identical with those described for JF4LSQMKA.

3.4. Error analysis programme JF4ERRAN

3.4.1. General description of the programme

This programme incorporates the consistency tests of Ulrichson, and Stevenson (UL) and Samuels, Ulrichson and Stevenson (S4) discussed in chapter 4. This programme employs many of the subroutines used in connection with the fitting programmes.

The programme reads in the experimental data, the pure component properties and the standard deviations of the experimental variables. It then performs the tests as has been described in chapter 4 and outputs the calculated quantities from which a judgement of thermodynamic consistency is made by the user.

The use of the tests requires either that heat of mixing data is available or that an estimate is made. The programme contains provision for reading this data or if necessary an estimate is made using the Wilson equation. Orye (03) reports that this equation gives a reasonable if rough estimate

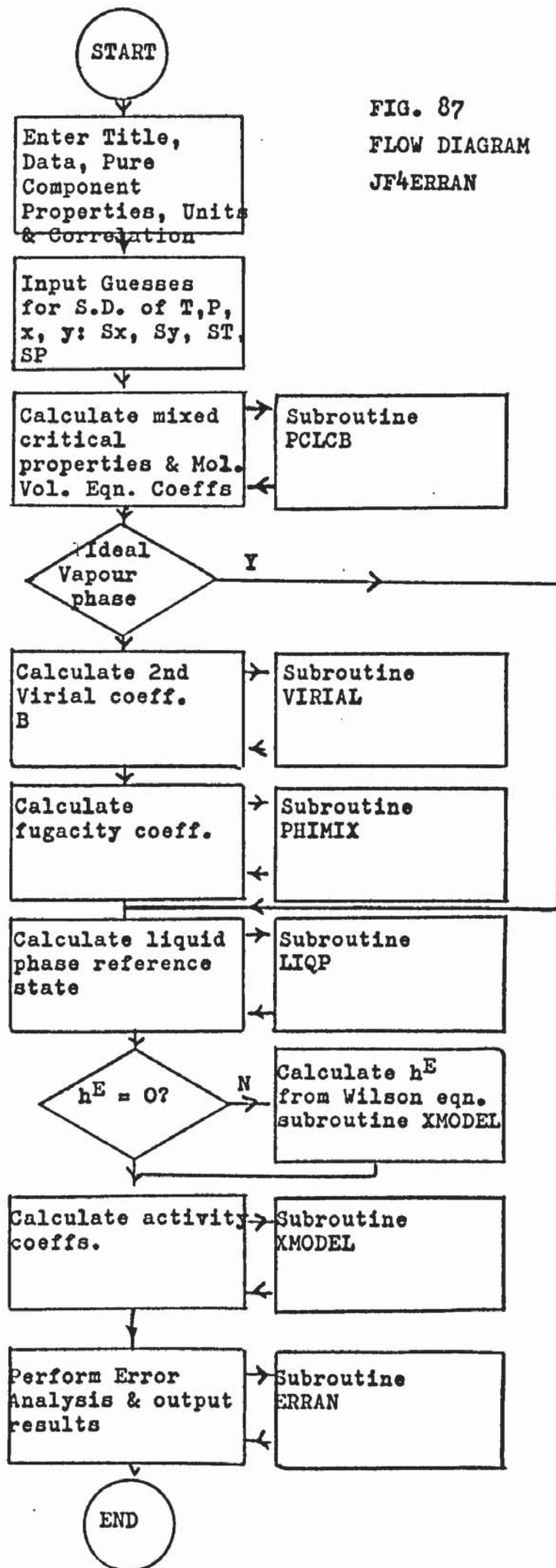


FIG. 87
FLOW DIAGRAM
JF4ERRAN

**TEXT CUT
OFF IN
ORIGINAL**

```

JOB :EAXXX,JF4WIA,CP76(T40,P4000)
ATTACH(SOURCE,JF4ERRAN,ST=S6A)
FTN(I=SOURCE,SL=0)
LDSET(MAP=H/2ZZZMP,PRESET=ZERO)
LGO(PL=5000)
####S
111
46211
00
SYSTEM N-BUTANOL - N-BUTYL ACETATE AT CONST PRESSURE 760 MM HG
DATA OBTAINED ON CATHALA - ANALYSIS BY G.L.C.
1
112 0.001 0.001 0.00013 0.1
1.4 4.6 125.7

COMMENTS

STANDARD HEADER CARDS

MODEL, ENTHALPY MODEL, HPRED
NO PNTS, NCOMPS, ISOTHERMAL, IDEAL
VAPOUR PRESSURE UNITS
TITLE

NO ASSOCIATION
TEMP, CONC, PRESS UNITS
STD DEVS, X, Y, PRESS & TEMP

X, Y, PRESS AND TEMP DATA

CRITICAL PROPERTIES
MOLAR VOL. DATA
VAPOUR PRESSURE PARAMETERS
EQUATION PARAMETERS

```

FIG. 88 INPUT DATA LAYOUT FOR JF4ERRAN

of the heat of mixing. It may be shown using the thermodynamic relationship

$$-\frac{h^E}{T^2} = \left[\frac{\partial g^E/T}{\partial T} \right]_{P,x}$$

(A1.35)

$$h^E = \sum_{i=1}^n x_i \sum_{j=1}^n \left[\frac{x_j \Lambda_{ij} (\lambda_{ij} - \lambda_{ii})}{\sum x_j \Lambda_{ij}} \right]$$

This approach assumes that the interaction parameters are independent of temperature. The NRTL and UNIQUAC models can also be used in this programme.

The programme calculates the $f(\alpha, b)$ values of the Ulrichson test and also the 68% confidence limits for $f(\alpha, b)$ using eqns. (4.22) and (4.25) with estimates of the standard deviation of the experimental measurements. It also performs a chi-square test to assess whether there is any non-random trend in the $f(\alpha, b)$ data. The programme then goes on to calculate the sum of the $f(\alpha, b)$ values and the individual variances of the $f(\alpha, b)$ values in the manner of Samuels et al (84), to determine whether small systematic errors across the composition range exist. Finally the programme uses the estimated standard deviations to establish confidence regions for the activity coefficients using equation (4.28).

Vapour phase non idealities etc. are calculated in the same manner as for JF4LSQMKA. A flow diagram is shown in Figs.87 and 89.

3.4.2. Details of input required

CARD 1 Reads MODEL, a variable which denotes which model is to be used to calculate the activity coefficients, HMODEL which specifies which model is to be used to calculate the heat of mixing, and HPRED which indicates whether the heat of mixing is to be calculated or input.

If MODEL } = 1 Wilson equation is used
 HMODEL }

If MODEL } = 2 NRTL equation is used
 HMODEL }

If MODEL = 3 Van Laar equation is used

If MODEL } = 4 UNIQUAC equation is used
 HMODEL }

The Van Laar equation cannot be used to predict the heat of mixing.

If HPRED = 0 then experimental heat of
 mixing data is to be read in

If HPRED = 1 then the heat of mixing data
 is to be calculated

The input format for this card is 3I1.

CARD 2 Inputs the number of data points, N, the number of components in the system, NCOMP, a parameter specifying whether the data is isothermal or not, ISO and IDEAL to denote whether the vapour phase is to be assumed ideal or not. The format is I2, 3I1.

CARD 3 Reads in parameters VPUNIT(I) (up to 4) which convey to the programme what units the vapour pressure will be calculated from the parameters that are input later in the programme. They ensure that the vapour pressures will be converted to atmospheres. They take the same values as described in connection with JF4LSQMKa.

Format 4I1.

CARDS 4 and 5 Read in the title of the system under consideration and other details. Format 8A10.

CARD 6 Reads in the value of IDEC a parameter which determines whether a liquid phase association correction factor should be applied or not.
Format 11.

If IDEC = 0 the correction is applied

If IDEC = 1 no correction used.

The next card depends on whether the UNIQUAC equation is to be used. If it is then the values of RAD, QUA, and ZNO must be input as described in previous sections.

Format 2F10.3. If not the card is omitted.

CARD 7 Reads in the values of TUNIT, CUNIT and PUNIT which determine the units of the input data as described in the input section of programme JF4LSQMK. Format 311.

CARD 8 Reads in the estimates of the standard deviations of experimental variables, $SX(x_1)$, $SY(y_1)$, SP (Pressure), and ST (Temperature.) Format 4F10.5.

CARDS 9 onwards Read in the experimental data according to the value of ISO. This is exactly the same again as the input section as JF4LSQMK and will not be repeated. The Format is 2F11.6, F10.3 or 2F11.6, 2F10.3.

The next input depends on whether the heat of mixing data is to be input or calculated. If it is to be read in then it is input here with a format of F10.3.

The following six cards input the critical properties, molar volume data and vapour pressure parameters as has been

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described in connection with JF4LSQMK. Since the input is identical it will not be described again.

The last cards read in the values of the correlation parameters needed to calculate the activity coefficients and the heat of mixing. If different models are to be used to calculate the two different things then two lots of parameters must be read in. It should be noted the parameters read in must be the interaction energies in cal/mole and not the dimensionless forms. Provision is made for up to six parameters.

A sample of the input data is shown in Fig. 88.

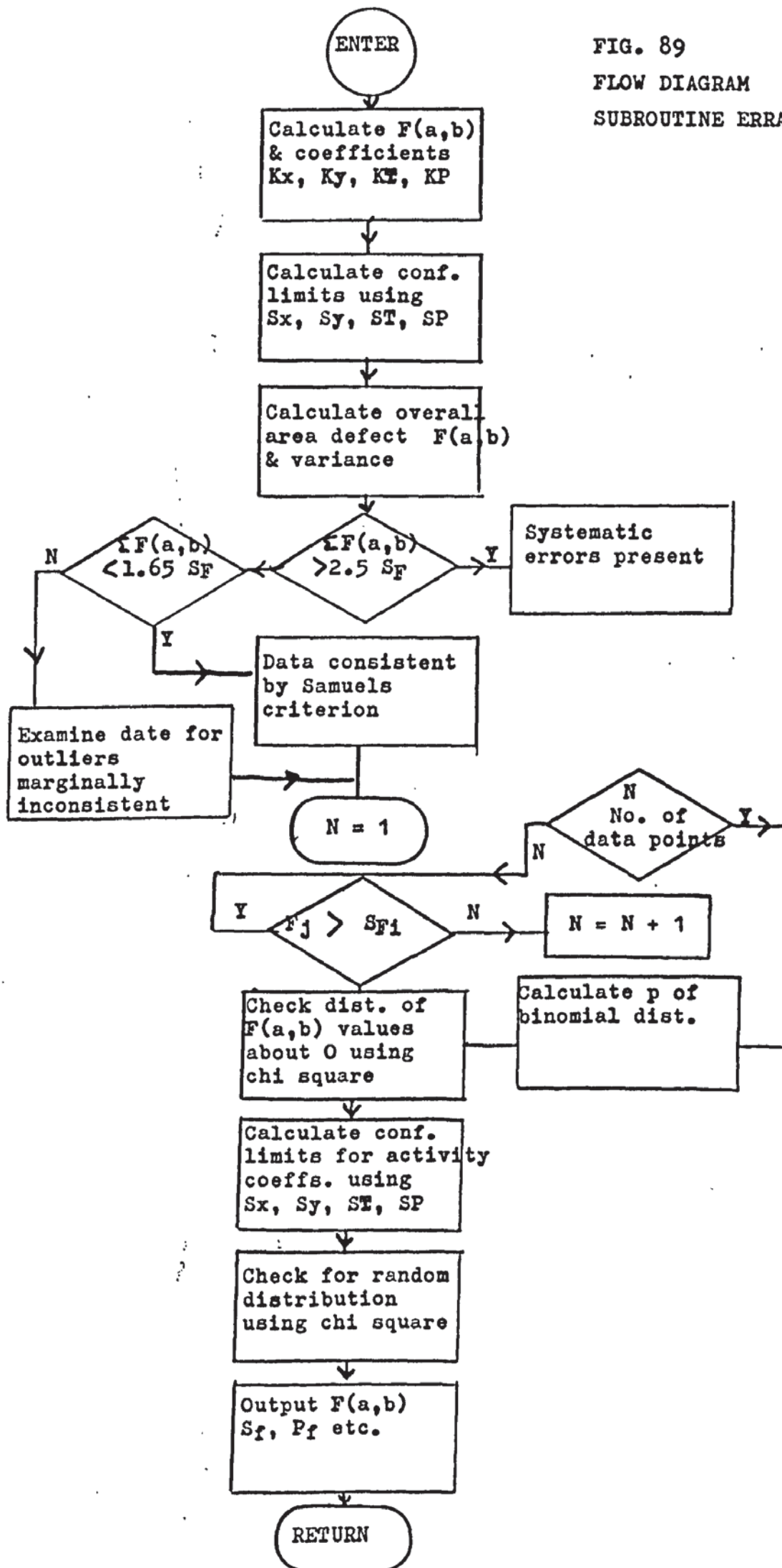
3.4.3. Subroutine ERRAN

This subroutine contains the consistency test and statistical tests. A flow diagram is shown in fig. 89.

LIST OF VARIABLES

<u>FORTRAN NAME</u>	<u>Description</u>
VARX	Variance of x_i measurements
VARY	Variance of y_i measurements
VARP	Variance of pressure measurements
VART	Variance of temperature measurements
KX	K_x defined by equation chapter 4.
KY	K_y defined by equation chapter 4
KT	K_T defined by equation chapter 4
KP	K_p defined by equation chapter 4
R	Gas constant
FUNC	Statement function giving slope of vapour pressure curve with respect to T
F(J)	F(a,b) values for Ulrichson test

FIG. 89
FLOW DIAGRAM
SUBROUTINE ERRAN



SFSQ	Variance of $F(a,b)$ values
SF	Standard deviation of $F(a,b)$ values
SUMF	$\sum F(a,b)$
SUMVAR	$\sum s_f^2$
SGSQ	Variance of activity coefficients
NN(I)	Counters
SPFSQ	Variance of binomial test
SPF	Standard deviation of binomial test
CHISQ	Value of Chisquare test
PF	Proportion of given number of data points lying within a particular region

The programme was used to assess the results of data obtained using a modified Cathala still. Some results are illustrated in Figs.20

3.5 Prediction of liquid-liquid equilibrium JF4LIQLIQ

3.5.1. Theory of the method

The equations to be solved for two liquid phases are

$$(V_1 x_1)^I = (V_1 x_1)^{II} \quad (i = 1, 2, 3) \quad (A1.36)$$

$$\sum_{i=1}^3 x_i^I = 1.0 \quad (A1.37)$$

$$\sum_{i=1}^3 x_i^{II} = 1.0 \quad (A1.38)$$

The above assumes a ternary system and the superscripts refer to the phases. The absence of a solution to the above equations indicates a single liquid phase.

The solution of the above equations proceeds by assuming that the feed of composition x_1^F splits into two liquid phases

		COMMENTS	
		STANDARD HEADER CARDS	
JOB :	EAXXX,JF4LSWSBL,CP76(T1U,P4000)		
ATTACH(SOURCE,JF4LSQSCL,ST=S6A)			
FTN(I=SOURCE,R=0)			
LUSET(MAP=B/ZZZZMP,PRESET=ZERO)			
LGO.			
#####			
1			MUTUAL SOLUBILITY DATA TO BE FIT
2			NO. OF DATA SETS
0			IDEC
000U10U0000000			SPECIFIES MODEL (UNIQAC IN THIS CASE)
0.99974540.0050902	303.15	2	MUTUAL SOLUBILITY DATA AND TEMPERATURE
TOLUENE/WATER			TITLE
DATA OF SALEM AND JEFFRIES			
5			FIRST MODEL TO BE EMPLOYED
3000.0	3000.0	0.0	STARTING VALUES
5.87	0.92	2.93	UNIQAC PARAMETERS
		1.4	
		10.0	

FIG. 90 INPUT DATA LAYOUT FOR JF4LSQSOL

of composition x_1^I and x_1^{II} , with the fraction of the total feed (mole basis) going into phase I. Thus a material balance gives

$$x_1^F = \phi x_1^I + (1 - \phi) x_1^{II} \quad (A1.39)$$

Equation (A1.36) can be rearranged to give

$$x_1^I = \frac{V_1^{II}}{V_1^I} x_1^{II} = K_1 x_1^{II} \quad (A1.40)$$

$$\text{where } K_1 = \frac{V_1^{II}}{V_1^I} \quad (A1.41)$$

Substituting for x_1^I in equation (A1.39) using equation (A1.40) gives

$$x_1^F = K_1 \phi x_1^{II} + (1 - \phi) x_1^{II} \quad (A1.42)$$

$$\text{or } x_1^{II} = \frac{x_1^F}{1 + (K_1 - 1)\phi} \quad (A1.43)$$

Thus, if two liquid phases exist, a set of solutions to equation (A1.42) must be found for which $x_1^{II} = 1.0$. If equation (A1.42) holds, then the material balance of equation (A1.37) will ensure $x_1^I = 1.0$.

To solve the equations an initial set of values are assumed for x_1^I and an initial value of ϕ . Then x_1^{II} values are calculated by equation (A1.43). The V_1^I and V_1^{II} values are calculated from the compositions thus obtained using either the NRTL or UNIQUAC equations. New values of x_1^{II} and x_1^I are then calculated from equations (A1.43) and (A1.40) respectively. If equation (A1.37) is not satisfied, ϕ is adjusted and equations (A1.40) and (A1.43) are used again for x_1^{II} and x_1^I respectively until equation (A1.37) is satisfied.

Some modification of the Newton-Raphson technique has been used by Null to modify the value of ϕ after each iteration.

$$\text{If } \Psi = \sum x_1^{\text{II}} - 1.0 \quad (\text{A1.44})$$

$$\text{then } \frac{d\Psi}{d\phi} = \sum \frac{dx_1^{\text{II}}}{d\phi} \quad (\text{A1.45})$$

The values of $dx_1^{\text{II}}/d\phi$ are obtained by differentiating equation (A1.42), neglecting the dependence of K_1 on composition.

$$\frac{dx_1^{\text{II}}}{d\phi} \approx \frac{(K_1 - 1)x_1^{\text{F}}}{1 + (K_1 - 1)\phi^2} \quad (\text{A1.46})$$

The Newton-Raphson technique gives successive estimates of ϕ by

$$\phi_{\text{new}} = \phi_{\text{old}} - \frac{\Psi}{d\Psi/d\phi} \quad (\text{A1.47})$$

This procedure has been incorporated in the programme.

3.5.2. General description of programme

The first part of the programme is the input section to be described later. The solution of the equations begins by fixing a feed x_1^{F} and defining an initial guess of ϕ . Also defined are initial guesses for x_1^{I} . The value of, ϕ , is tested to make sure it does not give negative answers when used to calculate x_1^{II} . If it does it is reduced until satisfactory. Having established the two preliminary liquid phase compositions, the activity coefficients are calculated by subroutine GCALC and these are to obtain a K_1 value by equation (A1.41). An iteration loop is now begun in which new values of x_1^{I} are calculated from K_1 and

and x_1^{II} and are used to recalculate K_1 . The loop is terminated when K_1 is no longer changing. Another iteration loop is now begun in which the values of x_1^{II} are calculated from equation (A1.43) using the value of K_1 until x_1^{II} no longer changes. ψ is then calculated and if significantly different from 0., ϕ

When ψ reaches 0. the mole fractions are converted into wt fractions using subroutine WTFRAC and the results output. The programme proceeds with a new value of the feed to repeat the process. If the process does not converge it is assumed that there is no solution and only a single phase exists. A flow diagram is given in Fig. 71.

3.5.3. Description of Input required

- CARD 1 Reads in NCOMP, the number of components in the system. Format 11.
- CARD 2 Reads in MODEL which specifies which activity coefficient model is to be used and NOPARA denotes the number of parameters therein. Format 211.
- If MODEL = 1 NRTL equation to be used
- If MODEL = 2 UNIQUAC equation to be used
- CARDS 3 & 4 Read in the system title and other details. Format 8A10.
- CARDS 5, 6 & 7 Read in component names one to a card. Format A10.
- CARD 8 Contains molecular wts of each of the components. Format 10F8.2.
- CARDS 9, 10 & 11 Read in the interaction parameters for the three components for use in the activity coefficient models.

CARDS 12, 13 & 14 Read in vapour pressure parameters if liquid phase model is to be used.

The last cards to be read are the UNIQUAC parameters r and q as detailed earlier. A sample of the input is shown in Fig. 80.

LIST OF VARIABLES

<u>FORTRAN NAME</u>	<u>Description</u>
R	Gas constant
XF(I)	Feed composition x_1^F
PHI	ϕ
X(I,1)	x_1^I
X(I,2)	x_1^{II}
K(I)	K_1
G(I,J)	Activity coefficients
DXDPHI	$dx_1^{II}/d\phi$
PSI	ψ
SUMR	$\sum x_1^{II} - 1$
XWT(I,1)	x_1^I on weight fraction basis
XWT(I,2)	x_1^{II} on weight fraction basis
XFWT(I)	x_1^F on weight fraction basis

If the liquid phase model is taken into account a fictitious vapour phase is calculated and subroutines DELCAL and ETACAL applied as in connection with programme JF4LSQFIT.

3.6. Vapour pressure fitting programme JF4VAPFIT

3.6.1. General description of the programme

The general equation to be fitted is given by

$$\ln P = C_1 + \frac{C_2}{C_3 + T} + C_4 T + C_5 T^2 + C_6 \ln T \quad (\text{A1.48})$$

where T is in $^{\circ}\text{K}$ and P_{sl} is in atmospheres.

The fitting is carried out using subroutine ROSEN which minimises an objective function of the form.

$$\text{O.F.} = \sum_{i=1}^n \left[\frac{P_{\text{exptl}} - P_{\text{calc}}}{P_{\text{exptl}}} \right]^2 \quad (\text{A.49})$$

where P_{calc} is found from equation (A1.48). The subroutine XMODEL in this programme contains only the objective function and equation (A1.49).

The coefficients are multiplied by scale factors to make them all approximately of the same order of magnitude.

A flow diagram is shown in Fig.78.

3.6.2. Input required

CARD 1 Reads NDSETS, the number of sets of vapour pressure data to be fitted. Format I2.

CARDS 2 & 3 Reads the title and other details. Format 8A10.

CARD 4 Reads number of data points (NPTS), the number of parameters required (NOPARA), the units of temperature (TUNIT) and the units of pressure (PUNIT).

Format I2, 3I1.

CARD 5 Reads factors (PI.(I)). Each parameter in the vapour equation has a factor PI multiplied by it. If PI is 1.0 parameter is used. If it is 0.0 parameter is not used. In this way equation may be reduced to simpler form of any combination. Format 6 F4.1.

CARD 6 Reads in starting values for parameters C(I).

Format 6F9.3.

CARDS 7 onwards Read in experimental vapour pressure data and corresponding temperatures. Format 2F10.4.

A sample of input for this programme is shown in Fig.

The programme has been tested on approximately 20 components, results are given in Appendix A7.

3.7 Other programmes

3.7.1 JF4BUBLT

This is a version of programme BUBLT of Prausnitz et al (P6). The only difference is that the NRTL and UNIQUAC models have been added to the activity coefficient subroutine and a variable MODEL added to the input to specify which one is to be used. Since in other respects it is identical it will not be described further.

It was used to predict quaternary and ternary vapour liquid equilibrium in systems of ethanol-n-butanol-ethyl acetate-n-butyl acetate and the results are shown in Figs.22 and 23.

APPENDIX A2

Detailed derivation of correction factors S_A^1 and Z_A^1

Considering the pure acetic acid vapour phase. The equilibrium constant, K_A is given by

$$K_A = \frac{n_{2A}}{PAO n_{1A}^2} \quad (A2.1)$$

where n_{2A} and n_{1A} are true mole fractions of the dimer and monomer acetic acid respectively in the vapour phase and PAO is the vapour pressure of pure acetic acid.

Since $n_{1A} + n_{2A} = 1$, equation (A2.1) can be written

$$K_A = \frac{n_{2A}}{(1 - n_{2A})^2 PAO} \quad (A2.2)$$

$$\text{or } K_A PAO - (2K_A PAO + 1)n_{2A} + K_A PAO n_{2A}^2 \quad (A2.3)$$

Solving the quadratic for n_{2A} yields

$$n_{2A} = \frac{2K_A PAO + 1 - \sqrt{4K_A PAO + 1}}{2K_A PAO} \quad (A2.4)$$

Similarly for the liquid phase where ζ_{1A} and ζ_{2A} are the mole fractions of the monomer and dimer in the pure acetic acid liquid phase.

$$k_A = \frac{\zeta_{2A}}{\zeta_{1A}^2} \quad (A2.5)$$

$$\text{giving } \zeta_{2A} = \frac{2k_A + 1 - \sqrt{4k_A + 1}}{2k_A} \quad (A2.6)$$

The equilibrium relationship for the dimer may be written as

$$PAO n_{2A} \phi_{2A} = P_{20} \zeta_{2A} v_{2A} \quad (A2.7)$$

where P_{20} is the vapour pressure of the dimer, ϕ_{2A} is the

fugacity coefficient of the dimer and V_{2A} the activity coefficient.

Equation may be rearranged to give an expression for the vapour pressure of the dimer in terms of the overall acetic acid vapour pressure

$$P_{20} = P_{AO} \left[\frac{n_{2A}}{\xi_{2A}} \right] \frac{\phi_{2A}}{V_{2A}} \quad (A2.8)$$

or substituting for n_{2A} and ξ_{2A} using (C1.4) and (A2.6)

$$P_{20} = P_{AO} \left[\frac{(2K_A P_{AO} + 1 - \sqrt{4K_A P_{AO} + 1}) k_A}{(2k_A + 1 - \sqrt{4k_A + 1}) K_A P_{AO}} \right] \frac{\phi_{2A}}{V_{2A}} \quad (A2.9)$$

For the mixture of acetic acid with the non-associating component the equilibrium relationship for the vapour phase is given by

$$K = \frac{n_2}{P n_1^2} \quad (A2.10)$$

where P is the total pressure of the system and n_1 and

n_2 are the true mole fractions of monomer and dimer in the mixture. They are related to the overall mole fraction of acetic acid in the vapour phase, Y_A by the following stoichiometric relationship

$$Y_A = \frac{n_1 + 2n_2}{1 + n_2} \quad (A2.11)$$

which, on solving for n_1 and squaring gives

$$n_1^2 = \left[Y_A(1 + n_2) - 2n_2 \right]^2 \quad (A2.12)$$

$$\text{From equation (A2.10) } n_1^2 = \frac{n_2}{KP} \quad (A2.13)$$

Substituting for η_1^2 and rearranging gives a quadratic in

η_2

$$\eta_2^2 (KPY_A^2 + 4KP + 4KPY_A) - \eta_2 (4KPY_A - 2KPY_A^2 + 1) + KPY_A^2 \quad (A2.14)$$

Solving for η_2 yields.

$$\eta_2 = \frac{(4KPY_A + 1 - 2KPY_A^2) - \sqrt{1 + 8KPY_A - 4KPY_A^2}}{2(KPY_A^2 + 4KP - 4KPY_A)} \quad (A2.15)$$

In an analogous manner utilising the relations

$$k = \frac{\xi_2}{\xi_1^2} \quad (A2.16)$$

$$\text{and } x_A = \frac{\xi_1 + 2\xi_2}{1 + \xi_2} \quad (A2.17)$$

where ξ_2 and ξ_1 are the true mole fractions of dimer and monomer in the liquid phase and x_A is the nominal mole fraction of acetic acid, the following expression for ξ_2 is obtained

$$\xi_2 = \frac{(4kx_A + 1 - 2kx_A^2) - \sqrt{1 + 8kx_A - 4kx_A^2}}{2(kx_A^2 + 4k - 4kx_A)} \quad (A2.18)$$

Dividing (A2.15) by Y_A and (A2.18) by x_A gives

$$\eta_2 = Y_A \left[\frac{(4KP + 1/Y_A - 2KPY_A) - \sqrt{1/Y_A^2 + 8KP/Y_A - 4KP}}{2(KPY_A^2 + 4KP - 4KPY_A)} \right] \quad (A2.19)$$

$$\text{and } \xi_2 = x_A \left[\frac{(4k + 1/x_A - 2kx_A) - \sqrt{1/x_A^2 + 8k/x_A - 4k}}{2(kx_A^2 + 4k - 4kx_A)} \right] \quad (A2.20)$$

For the mixture of acetic acid and non-associating component the equilibrium relationship may be written

$$P \eta_2 \phi_2 = P_{20} \xi_2 V_2 \quad (A2.21)$$

Substituting for η_2 , ξ_2 and P_{20} using (A2.15), (A2.18) and (A2.9) gives

$$PY_A Z_A^1 \phi_A^1 = PAO x_A \delta_A^1 v_A^1$$

$$\text{where } v_A^1 = \frac{v_2}{v_{2A}} \quad \text{and } \phi_A^1 = \frac{\phi_2}{\phi_{2A}} \quad (\text{A2.22})$$

$$\text{and } Z_A^1 = \frac{Y_A \left[(4KP + 1/Y_A - 2KPY_A) - \sqrt{1/Y_A^2 + 8KP/Y_A - 4KP} \right] \left[K_A PAO \right]}{(KPY_A^2 + 4KP - 4KPY_A) (2K_A PAO + 1 - \sqrt{4K_A PAO + 1})} \quad (\text{A2.23})$$

$$\delta_A^1 = \frac{x_A \left[(4k + 1/x_A - 2kx_A) - \sqrt{1/x_A^2 + 8k/x_A - 4k} \right] \left[k_A \right]}{(kx_A^2 + 4k - 4kx_A) (2k_A + 1 - \sqrt{4k_A + 1})} \quad (\text{A2.24})$$

APPENDIX A3Results of data reduction using concentration dependent correction factors on systems containing acetic acid.

1. Acetic Acid - Toluene

- a. Isothermal - 30°C (M10)
- b. " - 50°C (M16)
- c. " - 69.94°C (Z1)
- d. " - 70°C (M16)
- e. " - 80.05°C (Z1)
- f. Pressure range 742-750 mm Hg (H3)

2. Acetic Acid - Benzene

- a. Isothermal - 20°C (W1)
- b. " - 30°C (M16)
- c. " - 49.99°C (Z1)
- d. " - 50.0°C (M16)
- e. " - 70.0°C (M16)
- f. Isobaric - 758 mm (O5)
- g. " - 760 mm (G1)

3. Acetic Acid - n - Heptane

- a. Isothermal - 20°C (W1)
- b. " - 20°C (M10)
- c. " - 30°C (M10)
- d. " - 40°C (M10)

4. Acetic Acid - Ethylbenzene

- a. Isobaric - 725 mm (B2)

5. Acetic acid - P - xylene
 - a. Isobaric - 725 mm (B1)
 - b. " - 760 mm (M5)
6. Acetic acid - n-Octane
 - a. Isobaric - 760 mm (S10)
 - b. " - 760 mm (Z2)
7. Acetic acid - n-Decane
 - a. Isobaric - 760 mm (Z2)
8. Acetic acid - Trichloroethylene
 - a. Isobaric - 250 mm (F4)
 - b. " - 350 mm (F4)
 - c. " - 500 mm (F4)
 - d. " - 650 mm (F4)
 - e. " - 750 mm (F4)
9. Acetic acid - Methylene Chloride
 - a. Isobaric - 760 mm (D8)
10. Acetic acid - Carbon Tetrachloride
 - a. Isothermal - 20°C (L7)
11. Acetic acid - Chloroform
 - a. Isobaric - 760 mm (K5)
12. Acetic acid - Water
 - a. Isothermal - 69.7°C (A5)
 - b. " - 70°C (H1)
 - c. " - 79.9°C (A5)

Acetic acid - Water cont'd

- d. Isothermal - 89.9°C (A5)
- e. Isobaric - 50.0 mm (K1)
- f. " - 70.0 mm (F1)
- g. " - 200.0 mm (I1)
- h. " - 760.0 mm (I1)
- i. " - 760.0 mm (G1)
- j. " - 760.0 mm (S8)
- k. " - 760.0 mm (B16)
- l. " - 760.0 mm (R14)

13. Acetic acid - Methanol

- a. Pressure range - 704 - 711.1 mm (R17)

14. Acetic acid - Ethanol

- a. Pressure range - 689 - 708 mm (R17)

15. Acetic acid - n-Propanol

- a. Pressure range - 701 - 707 mm (R17)
- b. Isobaric - 760 mm (A3)

16. Acetic acid - Iso Propanol

- a. Isobaric - 760 mm (A3)

17. Acetic acid - n-Butanol

- a. Pressure range - 693 - 712 mm (R17)

18. Acetic acid - 2-Butanol

- a. Isobaric - 760 mm (A3)

19. Acetic acid - Iso-butanol

- a. Isobaric - 760 mm (A3)

20. Acetic acid - Tert-butanol
 - a. Isobaric - 760 mm (A3)
21. Acetic acid - Ethylacetate
 - a. Isothermal - 30°C (M16)
 - b. " - 50°C (M16)
 - c. " - 70°C (M16)
22. Acetic acid - n-Butyl Acetate
 - a. Isobaric - 760 mm (I2)
23. Acetic acid - Cyclo-hexyl acetate
 - a. Isobaric - 760 mm (O4)
24. Acetic acid - Vinyl acetate
 - a. Isobaric - 760 mm (S14)
25. Acetic acid - Acetone
 - a. Isothermal - 30°C (M17)
 - b. " - 40°C (M17)
 - c. " - 50°C (M17)
 - d. Isobaric - 760 mm (L4)
26. Acetic acid - Diethylketone
 - a. Isothermal - 70°C (H1)
27. Acetic acid - Ethyl ether
 - a. Isobaric - 389.7 mm (M17)
 - b. " - 487.9 mm (M17)
 - c. " - 596.4 mm (M17)
28. Acetic acid - Pyridine
 - a. Isothermal - 80.05°C (Z1)

29. Acetic acid - Acetic anhydride
a. Isobaric - 100 mm (J8)
30. Acetic acid - Acetaldehyde
a. Isobaric - 760 mm (F8)
31. Acetic acid - Dimethylacetamide
a. Isobaric - 760 mm (C1)

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SYSTEM ACETIC ACID-TOLUENE AT CONSTANT TEMPERATURE 30 DEG.
 DATA OF MARKUZIN N.P. AND PAVLOVA L.M., RUSSIAN J. APPL. CHEM
 . 1971, VOL 44 NO 3

TWO PARAMETER WILSON EQUATION

WILSON PARAMETER 12 = 523.78 WILSON PARAMETER 21 = 14.72

LIQUID MOLE FRAC	VAPOUR MOLE FRAC EXPTL	VAPOUR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.10320	.15100	.15097	.003	38.100	38.786	-.686
.19640	.22600	.22597	.003	38.900	39.040	-.140
.28810	.28800	.28800	.000	39.600	39.248	.352
.35550	.32600	.32601	-.001	39.700	39.196	.504
.36880	.33900	.33901	-.001	39.700	39.315	.385
.37090	.34100	.34101	-.001	39.700	39.333	.367
.40000	.35500	.35501	-.001	39.600	39.214	.386
.50000	.41100	.41095	.005	38.900	38.813	.087
.56370	.44300	.44286	.014	38.200	38.258	-.058
.61170	.47900	.47879	.021	37.700	38.046	-.346
.61510	.47600	.47579	.021	37.600	37.862	-.262
.70440	.53500	.53463	.037	36.500	36.832	-.332
.75580	.56000	.56545	.055	35.400	35.608	-.208
.84110	.63700	.63601	.099	32.900	32.784	.116
.91930	.75300	.75115	.185	28.900	28.651	.249

SUM OF SQUARES	=	.11966272E-02
STANDARD ERROR OF ESTIMATE	=	.95941776E-02
AVERAGE PRESSURE DEVIATION MM HG	=	.79294323E+00
AVERAGE VAPOUR DEVIATION*100	=	.2976E-01
NUMBER OF FUNCTION EVALUATIONS	=	263

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.10320	39.1700	2.1824	1.0380	3.65596	1.04307
.19640	44.6231	1.6046	1.0847	2.48814	1.10505
.28810	44.8848	1.3824	1.1361	1.99243	1.18487
.35550	45.0958	1.2780	1.1780	1.74927	1.25904
.36880	43.9900	1.2758	1.1862	1.72900	1.27502
.37090	43.8293	1.2754	1.1875	1.72572	1.27760
.40000	44.1661	1.2383	1.2072	1.64003	1.31637
.50000	43.6210	1.1587	1.2799	1.43030	1.47866
.56370	43.9045	1.1155	1.3319	1.32084	1.61342
.61170	42.4195	1.1087	1.3731	1.27465	1.73472
.61510	43.1538	1.0985	1.3767	1.26031	1.74488
.70440	42.1273	1.0761	1.4628	1.17508	2.04126
.75580	42.8748	1.0528	1.5190	1.12140	2.26718
.84110	43.7072	1.0263	1.6228	1.05606	2.77228
.91930	43.5293	1.0193	1.7308	1.02775	3.45492

SYSTEM ACETIC ACID-TOLUENE AT 50 CENT
DATA OF MEEHAN

TWO PARAMETER WILSON EQUATION

WILSON PARAMETER 12 = 1411.75 WILSON PARAMETER 21 = -807.82

LIQUID MOLE FRAC	VAPOUR MOLE FRAC EXPTL	VAPOUR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.09520	.08010	.08008	.002	93.800	92.375	1.425
.19220	.17900	.17893	.007	95.200	94.857	.343
.28950	.27310	.27301	.009	96.400	96.991	-.591
.41760	.37600	.37592	.008	97.400	97.779	-.379
.53310	.46530	.46511	.019	96.500	96.479	.021
.63360	.55250	.55194	.056	93.300	93.568	-.268
.75400	.65750	.65606	.144	87.200	86.806	.394
.85010	.76850	.76569	.281	79.100	78.947	.153

SUM OF SQUARES	-	.32907326E-03
STANDARD ERROR OF ESTIMATE	-	.74057777E-02
AVERAGE PRESSURE DEVIATION MM HG	-	.47950607E+00
AVERAGE VAPOUR DEVIATION*100	-	.6585E-01
NUMBER OF FUNCTION EVALUATIONS	-	457

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.09520	48.1609	1.5448	1.0357	2.44762	1.05139
.19220	24.8639	1.5518	1.0758	2.03892	1.12593
.28950	18.4663	1.5154	1.1218	1.78326	1.21515
.41760	16.3148	1.4138	1.1948	1.53240	1.35256
.53310	16.0269	1.3256	1.2742	1.38024	1.49521
.63360	16.2365	1.2615	1.3554	1.28742	1.63528
.75400	17.4975	1.1782	1.4732	1.18687	1.82972
.85010	18.5892	1.1274	1.5850	1.12995	2.00856

SYSTEM ACETIC ACID-TOLUENE AT 69.94 C
DATA OF ZAWIDSKI (1900)

THREE PARAMETER NRTL EQUATION

NRTL PARAMETER 12 = 641.24 NRTL PARAMETER 21 = 503.71
NRTL PARAMETER ALPHA = 1.35515

LIQUID MOLE FRAC	VAPOUR MOLE FRAC EXPTL	VAPOUR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.00660	.00890	.00889	.001	206.200	199.633	6.567
.02430	.05640	.05633	.007	207.400	204.329	3.071
.03500	.07510	.07505	.005	211.100	206.100	5.000
.06100	.11260	.11252	.008	210.700	208.716	1.984
.06200	.11470	.11462	.008	210.700	208.902	1.798
.10040	.16300	.16297	.003	214.600	212.845	1.755
.10420	.16830	.16829	.001	215.500	213.422	2.078
.12020	.18490	.18490	-.000	216.600	214.702	1.898
.13880	.20270	.20270	-.000	216.600	215.801	.799
.20700	.26450	.26462	-.012	220.600	220.547	.053
.24990	.29870	.29892	-.022	222.700	222.975	-.275
.31730	.34710	.34741	-.031	224.300	225.495	-1.195
.32310	.35060	.35093	-.033	224.600	225.667	-1.067
.34230	.36200	.36236	-.036	225.100	226.020	-.920
.40460	.40090	.40130	-.040	225.800	226.852	-1.052
.44890	.42640	.42676	-.036	225.000	226.343	-1.343
.50950	.46030	.46061	-.031	224.000	225.071	-1.071
.53800	.47540	.47568	-.028	223.400	224.092	-.692
.59500	.50740	.50750	-.010	221.300	221.526	-.226
.64240	.53410	.53402	.008	218.900	218.578	.322
.71770	.58120	.58061	.059	213.500	212.561	.939
.79080	.63440	.63297	.143	204.900	203.921	.979
.85160	.69240	.68987	.253	195.600	194.919	.681
.92400	.79260	.78737	.523	175.300	175.947	-.647

SUM OF SQUARES = .24364654E+02
STANDARD ERROR OF ESTIMATE = .10771358E+01
AVERAGE PRESSURE DEVIATION MM HG = .76895533E+00
AVERAGE VAPOUR DEVIATION*100 = .5405E+01
NUMBER OF FUNCTION EVALUATIONS = 1133

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.00660	119.4576	2.2782	1.0015	6.03835	1.00161
.02430	15.9221	2.7959	1.0041	6.92715	1.00528
.03500	17.1224	2.4864	1.0073	5.93294	1.00961
.06100	18.8380	2.0316	1.0163	4.46355	1.02284
.06200	18.6015	2.0295	1.0166	4.44569	1.02334
.10040	17.2521	1.7694	1.0307	3.49931	1.04686
.10420	16.8654	1.7613	1.0320	3.45186	1.04929
.12020	16.5107	1.6889	1.0383	3.19180	1.06058
.13880	16.2680	1.6145	1.0460	2.93507	1.07461
.20700	14.5591	1.4643	1.0753	2.36866	1.13180
.24990	13.8259	1.4003	1.0953	2.13816	1.17267
.31730	13.1704	1.3175	1.1296	1.86953	1.24480

SYSTEM ACETIC ACID-TOLUENE AT 69.94 C
DATA OF ZAWIDSKI (1900)

THREE PARAMETER NRTL EQUATION

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.32310	13.1406	1.3108	1.1327	1.84987	1.25150
.34230	13.0889	1.2884	1.1434	1.78657	1.27432
.40460	12.8547	1.2308	1.1795	1.62317	1.35452
.44890	12.8870	1.1914	1.2076	1.52345	1.41892
.50950	12.9441	1.1467	1.2488	1.41233	1.51885
.53800	13.0098	1.1274	1.2695	1.36625	1.57183
.59500	13.1129	1.0950	1.3134	1.28715	1.69229
.64240	13.2306	1.0713	1.3529	1.22962	1.81205
.71770	13.3401	1.0432	1.4211	1.15482	2.05655
.79080	13.4598	1.0223	1.4953	1.09413	2.40161
.85160	13.3303	1.0166	1.5627	1.05963	2.83790
.92400	13.2879	1.0108	1.6528	1.02528	3.74236

SYSTEM ACETIC ACID-TOLUENE AT 70 CENT
DATA OF MEEHAN

TWO PARAMETER WILSON EQUATION

WILSON PARAMETER 12 = 710.85 WILSON PARAMETER 21 = -100.68

LIQUID MOLE FRAC	VAPOUR MOLE FRAC EXPTL	VAPOUR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.08760	.14830	.14813	.017	215.100	210.741	4.359
.18450	.24750	.24719	.031	219.400	216.739	2.661
.28650	.32040	.32012	.028	222.500	220.429	2.071
.41470	.40120	.40089	.031	224.100	223.808	.292
.53740	.47320	.47275	.045	223.600	224.796	-1.196
.64500	.53540	.53448	.092	219.100	221.160	-2.060
.76930	.61720	.61505	.215	207.400	208.430	-1.030
.86790	.70740	.70298	.442	188.300	186.533	1.767

SUM OF SQUARES = .87587537E+03
STANDARD ERROR OF ESTIMATE = .12082186E+01
AVERAGE PRESSURE DEVIATION MM HG = .90132851E+00
AVERAGE VAPOUR DEVIATION*100 = .1126E+00
NUMBER OF FUNCTION EVALUATIONS = 303

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA H	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.08760	14.5871	1.9666	1.0244	3.76950	1.03049
.18450	15.1093	1.5015	1.0654	2.53193	1.09354
.28650	14.7043	1.3026	1.1155	1.95031	1.18766
.41470	13.5255	1.1951	1.1874	1.57530	1.35426
.53740	12.6109	1.1419	1.2678	1.36207	1.58349
.64500	12.3335	1.1021	1.3514	1.22574	1.86793
.76930	12.5547	1.0571	1.4682	1.10731	2.34583
.86790	13.2241	1.0174	1.5814	1.03349	2.90354

SYSTEM ACETIC ACID-TOLUENE AT 80.05
DATA OF ZAWIDSKI (1900)

TWO PARAMETER WILSON EQUATION

WILSON PARAMETER 12 = 639.22 WILSON PARAMETER 21 = 169.95

LIQUID MOLE FRAC	VAPOR MOLE FRAC EXPTL	VAPOR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.02770	.06811	.06798	.013	302.200	293.823	8.377
.06211	.12244	.12222	.022	308.400	299.862	8.538
.09547	.16451	.16430	.021	313.700	304.516	9.184
.12748	.20002	.19986	.016	317.500	308.366	9.134
.16533	.23629	.23622	.007	321.700	312.323	9.377
.20300	.26894	.26892	.002	324.200	315.647	8.553
.32770	.36118	.36141	-.023	331.700	325.669	6.031
.40789	.41004	.41034	-.030	333.300	329.955	3.345
.40840	.40982	.41014	-.032	333.600	329.991	3.609
.41920	.41544	.41573	-.029	333.000	330.047	2.953
.48597	.45290	.45313	-.023	332.100	332.012	.088
.55005	.48458	.48470	-.012	331.000	332.417	-1.417
.58650	.52245	.52227	.018	326.800	334.694	-7.894
.68876	.56043	.55975	.068	320.500	326.376	-5.876
.75129	.60153	.60009	.144	312.100	319.040	-6.940
.92844	.79207	.78479	.728	260.500	260.160	.340
.94551	.82782	.81911	.871	250.100	248.815	1.285
.97602	.91399	.90190	1.209	229.300	227.137	2.163
.97963	.92520	.91250	1.270	225.300	222.966	2.334
.98043	.93082	.91793	1.289	224.400	222.654	1.746
.98355	.93739	.92419	1.320	222.600	219.843	2.757
.99490	.97997	.96466	1.531	210.400	207.402	2.998

SUM OF SQUARES = .74660953E+02
STANDARD ERROR OF ESTIMATE = .19321096E+01
AVERAGE PRESSURE DEVIATION MM HG = .15763944E+01
AVERAGE VAPOR DEVIATION*100 = .3945E+00
NUMBER OF FUNCTION EVALUATIONS = 187

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.02770	6.8216	2.9230	1.0031	6.67757	1.00373
.06211	12.2048	2.0805	1.0144	4.52365	1.01730
.09547	13.7161	1.7473	1.0269	3.62616	1.03398
.12748	14.1209	1.5682	1.0397	3.11582	1.05266
.16533	14.1660	1.4314	1.0559	2.70563	1.07820
.20300	13.9765	1.3397	1.0728	2.41331	1.10743
.32770	12.5193	1.1899	1.1341	1.84918	1.23503
.40789	11.7329	1.1400	1.1787	1.62605	1.34933
.40840	11.7383	1.1394	1.1790	1.62428	1.35019
.41920	11.7031	1.1318	1.1855	1.59582	1.36822
.48597	11.1692	1.1050	1.2268	1.46029	1.49394
.55005	10.8255	1.0826	1.2704	1.35117	1.64506
.58650	10.0909	1.0969	1.2941	1.32825	1.74388
.68876	10.3198	1.0486	1.3791	1.17772	2.12229
.75129	10.1903	1.0374	1.4360	1.12133	2.43966

SYSTEM ACETIC ACID-TOLUENE AT 80.05
DATA OF ZAWIDSKI (1900)

TWO PARAMETER WILSON EQUATION

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.92844	10.2027	1.0116	1.6338	1.01923	4.04882
.94551	10.1958	1.0109	1.6561	1.01545	4.29723
.97602	9.9199	1.0217	1.6947	1.02259	4.79980
.97963	9.9733	1.0193	1.7004	1.01995	4.86824
.98043	9.9120	1.0219	1.7008	1.02255	4.88130
.98355	9.9358	1.0209	1.7055	1.02128	4.94126
.99490	9.9650	1.0195	1.7220	1.01953	5.16761

SYSTEM ACETIC ACID-TOLUENE - NON-ISOTHERMAL, NON-ISOBARIC
DATA OF HAUGHTON - COMPONENT 1 TOLUENE

THREE PARAMETER NRTL EQUATION

NRTL PARAMETER 12 = 1087.02 NRTL PARAMETER 21 = 1097.35
NRTL PARAMETER ALPHA = 1.04445

LIQUID MOLE FRAC	VAPOUR MOLE FRAC EXPTL	VAPOUR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.04800	.13300	.13226	.074	755.000	728.971	26.029
.07800	.18100	.17998	.102	753.000	734.009	18.991
.11500	.23600	.23468	.132	750.000	740.459	9.541
.21900	.31900	.31723	.177	749.000	755.668	-6.668
.25500	.35000	.34809	.191	750.000	760.279	-10.279
.31300	.36900	.36702	.198	750.000	755.755	-5.755
.42900	.43500	.43224	.276	742.000	752.398	-10.398
.47500	.45500	.45196	.304	742.000	752.267	-10.267
.52700	.48100	.47800	.300	746.000	747.517	-1.517
.57200	.49800	.49483	.317	747.000	743.065	3.935
.62900	.52300	.51932	.368	743.000	734.060	8.940
.80600	.64000	.63434	.566	742.000	730.265	11.735
.90200	.74700	.73927	.773	750.000	748.655	1.345
.94700	.83700	.82611	1.089	750.000	766.480	-16.480
.97000	.87100	.85870	1.230	750.000	747.922	2.078
.99200	.92900	.91433	1.467	750.000	721.531	28.469

SUM OF SQUARES = .50616204E+02
STANDARD ERROR OF ESTIMATE = .19732091E+01
AVERAGE PRESSURE DEVIATION MM HG = .15913220E+01
AVERAGE VAPOUR DEVIATION*100 = .4728E+00
NUMBER OF FUNCTION EVALUATIONS = 974

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.04800	15.6158	1.6025	1.0110	5.72381	1.02246
.07800	11.4496	1.5343	1.0192	4.45031	1.04527
.11500	8.0174	1.5401	1.0291	3.69296	1.07688
.21900	6.2633	1.3823	1.0655	2.42474	1.18425
.25500	5.7689	1.3621	1.0790	2.23773	1.22386
.31300	6.1582	1.2535	1.1073	1.90001	1.29638
.42900	6.2152	1.1422	1.1683	1.55481	1.45625
.47500	6.4334	1.0935	1.1968	1.44200	1.53138
.52700	6.4145	1.0675	1.2294	1.36338	1.62442
.57200	6.6163	1.0319	1.2614	1.28461	1.71971
.62900	6.8105	.9967	1.3045	1.20280	1.86386
.80600	6.3237	.9682	1.4513	1.05961	2.69560
.90200	5.3969	1.0005	1.5348	1.03617	3.98492
.94700	4.8660	1.0117	1.5734	1.02481	5.36469
.97000	4.7939	1.0053	1.5987	1.00997	6.57563
.99200	4.5584	1.0075	1.6187	1.00786	8.29979

SYSTEM ACETIC ACID - BENZENE AT 20 DEG CENT
DATA OF WERNER, JNL. FUR. PRAK. CHEM., NO 4, VOL 29, 1965, PG 28

TWO PARAMETER WILSON EQUATION

WILSON PARAMETER 12 = 516.84 WILSON PARAMETER 21 = -53.32

LIQUID MOLE FRAC	VAPOUR MOLE FRAC EXPTL	VAPOUR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.03000	.01600	.01602	-.002	74.900	73.920	.980
.06500	.02900	.02904	-.004	74.300	73.109	1.191
.08100	.03500	.03505	-.005	74.000	72.766	1.234
.12000	.04600	.04606	-.006	73.400	71.880	1.520
.19100	.06600	.06607	-.007	71.800	70.392	1.408
.19800	.06800	.06806	-.006	71.400	70.237	1.163
.27800	.09100	.09106	-.006	69.800	68.707	1.093
.32900	.10200	.10204	-.004	68.400	67.572	.828
.36200	.11200	.11203	-.003	67.600	66.909	.691
.39300	.12000	.12000	.000	66.400	66.157	.243
.51400	.15700	.15688	.012	62.600	62.917	-.317
.51500	.15700	.15688	.012	62.500	62.865	-.365
.57800	.17400	.17379	.021	60.200	60.487	-.287
.65000	.20500	.20460	.040	56.700	57.177	-.477
.66700	.21300	.21256	.044	56.000	56.284	-.284
.71200	.23500	.23436	.064	53.000	53.351	-.351
.73000	.25000	.24924	.076	51.500	52.103	-.603
.74900	.26700	.25615	.085	50.200	50.500	-.300
.77700	.27400	.27296	.104	48.000	47.998	.002
.78400	.28600	.28487	.113	47.200	47.451	-.251
.82400	.32900	.32743	.157	43.300	43.390	-.090
.83400	.33600	.33432	.168	42.200	42.116	.084
.84500	.35200	.35013	.187	40.700	40.746	-.046
.85400	.36000	.35803	.197	40.000	39.628	.372
.86400	.36900	.36685	.215	38.400	38.048	.352
.87600	.39200	.38958	.242	36.900	36.474	.426

SUM OF SQUARES = .30319681E+02
STANDARD ERROR OF ESTIMATE = .11239761E+01
AVERAGE PRESSURE DEVIATION MM HG = .91572556E+00
AVERAGE VAPOUR DEVIATION*100 = .6841E+01
NUMBER OF FUNCTION EVALUATIONS = 302

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.03000	62.7061	3.4239	1.0091	6.81591	1.00982
.06500	75.0194	2.3592	1.0243	4.45890	1.02767
.08100	75.1031	2.1558	1.0315	3.98213	1.03680
.12000	79.4937	1.7887	1.0504	3.13154	1.06215
.19100	77.7965	1.4928	1.0871	2.38802	1.11760
.19800	77.6568	1.4725	1.0909	2.33581	1.12379
.27800	71.5489	1.3370	1.1361	1.93880	1.20364
.32900	71.4800	1.2553	1.1679	1.72879	1.26543
.36200	68.8524	1.2334	1.1890	1.64657	1.30967
.39300	68.2171	1.2032	1.2100	1.56234	1.35538
.51400	63.0995	1.1423	1.2995	1.35016	1.57371

SYSTEM ACETIC ACID - BENZENE AT 20 DEG CENT
 DATA OF WERNER, JNL, FUR, PRAK, CHEM., NO 4, VOL 29, 1965, PG 28

TWO PARAMETER WILSON EQUATION

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.51500	63.3072	1.1399	1.3004	1.34638	1.57592
.57800	63.6012	1.1000	1.3540	1.24787	1.72259
.65000	61.4606	1.0841	1.4202	1.18263	1.92299
.66700	60.8748	1.0823	1.4368	1.17104	1.97641
.71200	61.1735	1.0644	1.4838	1.12915	2.13228
.73000	60.0178	1.0684	1.5027	1.12545	2.19953
.74900	61.4153	1.0518	1.5248	1.10019	2.27666
.77700	62.1971	1.0387	1.5579	1.07637	2.39750
.78400	60.6317	1.0496	1.5653	1.08526	2.42770
.82400	59.4017	1.0517	1.6142	1.07532	2.62068
.83400	60.4913	1.0410	1.6279	1.06188	2.67432
.84500	60.3450	1.0405	1.6423	1.05861	2.73377
.85400	60.6492	1.0367	1.6545	1.05272	2.78446
.86400	62.5332	1.0206	1.6695	1.03427	2.84436
.87600	61.5345	1.0268	1.6855	1.03822	2.91488

SYSTEM ACETIC ACID - BENZENE AT 30 CENT
DATA OF MEEHAN

TWO PARAMETER WILSON EQUATION

WILSON PARAMETER 12 - 542.86 WILSON PARAMETER 21 - -109.26

LIQUID MOLE FRAC	VAPOUR MOLE FRAC EXPTL	VAPOUR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.09730	.05530	.05539	-.009	116.800	115.192	1.608
.22250	.08750	.08764	-.014	109.700	110.575	-.875
.34780	.11610	.11617	-.007	103.500	105.739	-2.239
.48670	.15210	.15206	.004	98.500	99.644	-1.144
.61690	.20170	.20148	.022	93.000	91.912	1.088
.71850	.25620	.25552	.068	84.300	82.437	1.863
.82800	.35700	.35485	.215	66.200	65.898	.302
.90460	.48560	.48095	.465	47.000	47.892	-.892

SUM OF SQUARES	-	.18628789E-02
STANDARD ERROR OF ESTIMATE	-	.17620437E-01
AVERAGE PRESSURE DEVIATION MM HG	-	.14042792E+01
AVERAGE VAPOUR DEVIATION*100	-	.1005E+00
NUMBER OF FUNCTION EVALUATIONS	-	277

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.09730	34.9138	2.5396	1.0346	4.04279	1.04208
.22250	46.5271	1.5008	1.0992	2.22554	1.13970
.34780	49.1613	1.2387	1.1745	1.62336	1.27908
.48670	47.7299	1.1212	1.2718	1.32078	1.49473
.61690	43.8159	1.0900	1.3788	1.19236	1.77504
.71850	42.4389	1.0681	1.4779	1.12055	2.06909
.82800	43.4990	1.0307	1.6058	1.04920	2.49195
.90460	48.2209	.9733	1.7147	.97858	2.88195

SYSTEM ACETIC ACID - BENZENE AT 49.99 CENT
DATA OF ZADWISKI, Z, PHYS. CHEM, 1900, PG 153

TWO PARAMETER WILSON EQUATION

WILSON PARAMETER 12 = 459.06 WILSON PARAMETER 21 = 60.03

LIQUID MOLE FRAC	VAPOUR MOLE FRAC EXPTL	VAPOUR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.02254	.01924	.01928	-.004	265,900	263,542	2,358
.05821	.03699	.03707	-.009	265,200	260,876	4,325
.06609	.04156	.04166	-.009	264,400	260,365	4,035
.12853	.06918	.06932	-.014	261,400	255,968	5,432
.17554	.08764	.08780	-.016	259,000	252,723	6,277
.26028	.12228	.12237	-.009	250,200	246,890	3,310
.31166	.13502	.13503	-.001	245,200	242,462	2,738
.42495	.16981	.16962	.018	236,000	233,200	2,800
.48465	.19132	.19091	.041	228,000	227,387	.613
.50808	.20553	.20499	.054	224,300	225,361	-1,061
.71503	.29801	.29578	.223	189,500	192,264	-2,764
.73922	.30962	.30706	.257	184,000	186,061	-2,061
.77783	.34881	.34552	.329	175,300	176,741	-1,441
.90793	.55143	.54234	.909	126,000	125,046	.954
.98878	.89336	.87085	2.251	68,000	66,017	1,983
.99617	.95787	.93239	2.547	59,200	57,464	1,736

SUM OF SQUARES = .42408655E+02
STANDARD ERROR OF ESTIMATE = .17404567E+01
AVERAGE PRESSURE DEVIATION MM HG = .14325752E+01
AVERAGE VAPOUR DEVIATION*100 = .4182E+00
NUMBER OF FUNCTION EVALUATIONS = 380

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.02254	8.3774	4.1950	1.0026	8.07178	1.00288
.05821	20.5708	2.5703	1.0157	4.73567	1.01792
.06609	20.8302	2.4516	1.0187	4.47483	1.02151
.12853	23.9196	1.8336	1.0454	3.11452	1.05646
.17554	24.4130	1.6194	1.0674	2.61306	1.08868
.26028	23.5043	1.4234	1.1102	2.10682	1.15996
.31166	24.6132	1.3088	1.1399	1.84539	1.21436
.42495	24.2255	1.1869	1.2106	1.51930	1.36456
.48465	23.8339	1.1477	1.2520	1.40414	1.46544
.50808	22.8990	1.1519	1.2680	1.38610	1.50876
.71503	22.9989	1.0558	1.4479	1.12852	2.07832
.73922	23.4512	1.0400	1.4736	1.10024	2.17420
.77783	22.3089	1.0541	1.5124	1.09875	2.33779
.90793	20.9825	1.0631	1.6680	1.07117	3.09751
.98878	22.4031	1.0286	1.7919	1.02873	3.81859
.99617	23.4230	1.0082	1.8074	1.00826	3.90438

SYSTEM ACETIC ACID - BENZENE AT 50 CENT
DATA OF MEEHAN

TWO PARAMETER WILSON EQUATION

WILSON PARAMETER 12 - 608.68 WILSON PARAMETER 21 - -106.91

LIQUID MOLE FRAC	VAPOUR MOLE FRAC EXPTL	VAPOUR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.10290	.05950	.05964	-.014	269.000	259.840	9.160
.23460	.10890	.10915	-.025	252.500	251.407	1.093
.36600	.14820	.14828	-.008	238.900	241.509	-2.609
.51720	.19750	.19728	.022	225.800	227.393	-1.593
.65100	.25740	.25653	.087	209.000	208.006	.994
.76080	.33170	.32935	.235	182.400	181.191	1.209
.85290	.43650	.43102	.548	144.800	145.209	-.409
.93840	.63540	.62293	1.247	96.000	96.274	-.274

SUM OF SQUARES	-	.14300339E-02
STANDARD ERROR OF ESTIMATE	-	.15438231E-01
AVERAGE PRESSURE DEVIATION MM HG	-	.91785610E+00
AVERAGE VAPOUR DEVIATION*100	-	.2733E+00
NUMBER OF FUNCTION EVALUATIONS	-	268

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.10290	23.6902	1.9951	1.0342	3.57448	1.04355
.23460	24.8170	1.4427	1.0974	2.16980	1.14711
.36600	24.6699	1.2353	1.1728	1.61478	1.29997
.51720	23.4076	1.1335	1.2756	1.32004	1.55259
.65100	22.1978	1.0928	1.3850	1.18142	1.87115
.76080	22.1003	1.0610	1.4934	1.09997	2.23048
.85290	23.2102	1.0210	1.6030	1.03487	2.63078
.93840	25.0914	.9779	1.7239	.98020	3.11357

SYSTEM ACETIC ACID - BENZENE AT 70 CENT
DATA OF MEEHAN

THREE PARAMETER NRTL EQUATION

NRTL PARAMETER 12 = 489.20 NRTL PARAMETER 21 = 10476.10
NRTL PARAMETER ALPHA = .34967

LIQUID MOLE FRAC	VAPOR MOLE FRAC EXPTL	VAPOR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.10040	.05920	.05935	-.015	557.000	550.898	6.102
.24010	.12750	.12783	-.033	530.100	530.235	-.135
.36640	.17760	.17752	.008	501.000	505.729	-4.729
.50680	.23140	.23048	.092	468.400	473.853	-5.453
.65720	.29820	.29584	.236	432.200	429.250	2.950
.73820	.35040	.34623	.417	397.200	393.299	3.901
.86130	.49000	.47888	1.112	304.000	305.109	-1.109
.94110	.68150	.66871	2.279	211.700	212.322	-.622

SUM OF SQUARES = .50965639E-03
STANDARD ERROR OF ESTIMATE = .10096102E-01
AVERAGE PRESSURE DEVIATION MM HG = .92823430E+00
AVERAGE VAPOR DEVIATION*100 = .5240E+00
NUMBER OF FUNCTION EVALUATIONS = 2755

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.10040	12.1119	2.0053	1.0277	3.29661	1.10260
.24010	12.0178	1.4995	1.0878	2.15547	1.19896
.36640	12.4824	1.2844	1.1559	1.67656	1.32869
.50680	12.6975	1.1569	1.2462	1.37499	1.54099
.65720	12.6075	1.0873	1.3631	1.18973	1.89246
.73820	12.6338	1.0616	1.4375	1.12136	2.16536
.86130	13.1353	1.0211	1.5730	1.03805	2.76404
.94110	14.0051	.9864	1.6806	.98945	3.33679

SYSTEM BENZENE - ACETIC ACID AT 758 MM.HG (ACETIC ACID COMPOUNDS)
DATA OF DTHMER, IND. ENG. CHEM., JULY 1928, PG 745

THREE PARAMETER NRTL EQUATION

NRTL PARAMETER 12 = 870.01 NRTL PARAMETER 21 = 2802.93
NRTL PARAMETER ALPHA = .85605

LIQUID MOLE FRAC	VAPOUR MOLE FRAC EXPTL	VAPOUR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.02954	.02267	.02278	-.011	758.000	743.725	14.275
.07141	.04105	.04125	-.020	758.000	759.037	-1.037
.33611	.13071	.13098	-.027	758.000	762.434	-4.434
.52734	.19574	.19543	.031	758.000	750.281	7.719
.73367	.28407	.28143	.264	758.000	750.429	7.571
.87847	.46921	.45983	.938	758.000	778.705	-20.705
.95257	.64520	.62412	2.108	758.000	743.479	14.521
.98406	.89990	.86174	3.817	758.000	758.397	-.397

SUM OF SQUARES	-	.17076292E-02
STANDARD ERROR OF ESTIMATE	-	.18480417E-01
AVERAGE PRESSURE DEVIATION MM HG	-	.16653672E+01
AVERAGE VAPOUR DEVIATION*100	-	.9020E+00
NUMBER OF FUNCTION EVALUATIONS	-	750

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.02954	106.1553	1.2447	1.0101	5.53059	1.04134
.07141	23.3254	1.5970	1.0213	3.42581	1.09011
.33611	16.0132	1.0358	1.1448	1.43413	1.32338
.52734	15.7393	.8804	1.2693	1.10243	1.58938
.73367	14.5219	.7973	1.4416	.88964	2.22337
.87847	9.8036	.8490	1.5686	.87691	3.37151
.95257	7.9683	.8509	1.6391	.86593	4.67827
.98406	5.0392	.9722	1.6226	.97286	5.38364

SYSTEM BENZENE - ACETIC ACID AT 760 MM HG (ACETIC ACID COMPON
DATA OF GARNER, ELLIS & PEARCE

THREE PARAMETER NRTL EQUATION

NRTL PARAMETER 12 = 487.64 NRTL PARAMETER 21 = 862.74
NRTL PARAMETER ALPHA = 1.31011

LIQUID MOLE FRAC	VAPOR MOLE FRAC EXPTL	VAPOR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.25000	.14700	.14732	-.032	760.000	757.383	2.617
.34700	.18500	.18540	-.040	760.000	763.246	-3.246
.45000	.22500	.22536	-.036	760.000	761.346	-1.346
.54200	.27500	.27528	-.028	760.000	760.836	-.836
.63000	.31000	.30996	.004	760.000	752.230	7.770
.70700	.37200	.37134	.066	760.000	762.743	-2.743
.78000	.43800	.43645	.155	760.000	762.551	-2.551
.97000	.84800	.83649	1.151	760.000	758.477	1.523

SUM OF SQUARES = .16728583E+03
STANDARD ERROR OF ESTIMATE = .57842169E+02
AVERAGE PRESSURE DEVIATION MM HG = .55161835E+00
AVERAGE VAPOR DEVIATION*100 = .1890E+00
NUMBER OF FUNCTION EVALUATIONS = 1337

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.25000	9.0496	1.4604	1.0869	2.15774	1.20789
.34700	8.6491	1.3251	1.1345	1.75647	1.31958
.45000	8.5655	1.2160	1.1934	1.49339	1.45962
.54200	7.9622	1.1739	1.2502	1.36855	1.60944
.63000	8.2382	1.0969	1.3167	1.22569	1.80003
.70700	7.5996	1.0768	1.3750	1.16381	2.00975
.78000	7.1119	1.0569	1.4363	1.11039	2.27789
.97000	4.6676	1.0343	1.5951	1.03562	3.58483

SYSTEM ACETIC ACID - N-HEPTANE AT 20 DEG CENT
DATA OF WERNER, JNL, FUR PRAK, CHEM., NO 4, VOL 29, PG 29, 1965

TWO PARAMETER WILSON EQUATION

WILSON PARAMETER 12 = 910.91 WILSON PARAMETER 21 = 557.29

LIQUID MOLE FRAC	VAPOUR MOLE FRAC EXPTL	VAPOUR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.08400	.18100	.18086	.014	38.400	38.065	.335
.09400	.20700	.20683	.017	38.700	38.576	.124
.13500	.24400	.24386	.014	39.400	39.153	.247
.16300	.25800	.25788	.012	39.800	39.341	.459
.19400	.28200	.28189	.011	40.100	39.762	.338
.21400	.28200	.28192	.008	40.300	39.694	.606
.27900	.30800	.30793	.007	40.900	40.191	.709
.37300	.33100	.33095	.005	41.100	40.599	.501
.41900	.34000	.33995	.005	41.100	40.793	.307
.49900	.35000	.34994	.006	41.000	41.058	-.058
.55800	.34500	.34497	.003	41.200	41.109	.091
.62500	.35200	.35195	.005	41.200	41.422	-.222
.69600	.34700	.34697	.003	41.200	41.407	-.207
.77800	.35000	.34995	.005	41.000	41.197	-.197
.80900	.35200	.35191	.009	40.600	40.792	-.192
.82500	.36400	.36390	.010	40.500	40.780	-.280
.84500	.36200	.36186	.014	40.300	40.219	.081
.86600	.38000	.37978	.022	39.700	39.751	-.051
.87500	.37900	.37874	.026	39.300	39.209	.091
.87900	.38400	.38365	.035	38.600	38.880	-.280
.90600	.39800	.39749	.051	36.900	36.894	.006
.92800	.43900	.43818	.082	35.500	35.146	.354

SUM OF SQUARES	=	.13769277E+02
STANDARD ERROR OF ESTIMATE	=	.82973721E+02
AVERAGE PRESSURE DEVIATION MM HG	=	.65264783E+00
AVERAGE VAPOUR DEVIATION*100	=	.1643E+01
NUMBER OF FUNCTION EVALUATIONS	=	252

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.08400	88.2186	1.9814	1.0336	6.88860	1.04309
.09400	80.2396	1.9707	1.0379	6.69393	1.04977
.13500	82.3898	1.6769	1.0581	5.19415	1.08307
.16300	84.4940	1.5342	1.0728	4.47402	1.10968
.19400	80.9289	1.4572	1.0891	3.98467	1.14239
.21400	83.7661	1.3789	1.1004	3.62200	1.16629
.27900	79.2018	1.2744	1.1379	2.95644	1.25601
.37300	74.3764	1.1776	1.1976	2.31899	1.43105
.41900	71.9775	1.1480	1.2293	2.09949	1.54207
.49900	69.0384	1.1056	1.2893	1.79313	1.79102
.55800	69.4754	1.0661	1.3386	1.59320	2.03838
.62500	67.0682	1.0510	1.3985	1.44051	2.41435
.69600	68.0672	1.0175	1.4700	1.28198	2.99079
.77800	68.0286	.9958	1.5623	1.15013	4.06275
.80900	68.7151	.9849	1.6008	1.10427	4.66698

SYSTEM ACETIC ACID - N-HEPTANE AT 20 DEG CENT
 DATA OF WERNER, JNL, FUR PRAK, CHEM., NO 4, VOL 29, PG 29, 1965

TWO PARAMETER WILSON EQUATION

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.82500	66.1580	.9998	1.6198	1.10471	5.03939
.84500	67.5257	.9871	1.6469	1.07192	5.59438
.86600	64.9118	1.0026	1.6738	1.07030	6.29316
.87500	66.2196	.9922	1.6872	1.05181	6.64727
.87900	66.5386	.9895	1.6931	1.04580	6.81515
.90600	67.8654	.9776	1.7331	1.01393	8.16695
.92800	63.0279	1.0104	1.7630	1.03404	9.62847

SYSTEM ACETIC ACID - N-HEPTANE AT 20 CENT
 DATA OF MARKUZIN & PAVLOVA, RUSSIAN JNL. APPL. CHEM, 1971, VOL 44

TWO PARAMETER WILSON EQUATION

WILSON PARAMETER 12 = 893.15 WILSON PARAMETER 21 = 617.58

LIQUID MOLE FRAC	VAPOUR MOLE FRAC EXPTL	VAPOUR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.08620	.18200	.18151	.049	38.400	38.043	.357
.16800	.26200	.26126	.074	40.300	39.392	.908
.22210	.29700	.29611	.089	40.700	39.904	.796
.35430	.34700	.34585	.115	41.200	40.603	.597
.38010	.35300	.35182	.118	41.200	40.672	.528
.39310	.38800	.38655	.145	40.500	41.236	-.736
.45940	.36700	.36575	.125	41.300	40.903	.397
.60000	.38000	.37867	.133	40.900	41.073	-.173
.61720	.38200	.38065	.135	40.900	41.135	-.235
.71640	.38400	.38263	.137	40.800	41.188	-.388
.86530	.39300	.39151	.149	39.500	39.515	-.015
.92210	.42300	.42109	.191	35.800	35.702	.098
.96300	.52400	.52091	.309	28.200	28.718	-.618

SUM OF SQUARES - .19228488E+02
 STANDARD ERROR OF ESTIMATE - .13221363E+01
 AVERAGE PRESSURE DEVIATION MM HG - .99786017E+00
 AVERAGE VAPOUR DEVIATION*100 - .1360E+00
 NUMBER OF FUNCTION EVALUATIONS - 222

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.08620	76.7641	2.0818	1.0340	6.72949	1.04252
.16800	75.1725	1.5971	1.0745	4.40781	1.10858
.22210	73.0225	1.4461	1.1037	3.61926	1.16603
.35430	67.8298	1.2516	1.1837	2.51626	1.36688
.38010	67.0395	1.2272	1.2009	2.37105	1.41908
.39310	60.2638	1.2738	1.2081	2.41317	1.44542
.45940	64.5612	1.1709	1.2572	2.01550	1.61656
.60000	62.2927	1.0995	1.3733	1.56831	2.18331
.61720	61.7955	1.0954	1.3890	1.52976	2.28232
.71640	61.4005	1.0612	1.4886	1.32061	3.08554
.86530	63.3200	1.0144	1.6716	1.09091	6.14104
.92210	66.0434	.9889	1.7562	1.01923	9.26932
.96300	64.9238	.9947	1.8202	1.00298	13.84465

SYSTEM ACETIC ACID - N-HEPTANE AT 30 CENT
 DATA OF MARKUZIN & PAVLOVA, RUSSIAN JNL, APPL. CHEM, 1971, VOL 44

THREE PARAMETER NRTL EQUATION

NRTL PARAMETER 12 = 1241.54 NRTL PARAMETER 21 = 612.73
 NRTL PARAMETER ALPHA = .64406

LIQUID MOLE FRAC	VAPOR MOLE FRAC EXPTL	VAPOR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.10000	.20800	.20722	.078	64.400	63.894	.506
.15100	.26100	.25996	.104	66.100	65.638	.462
.22030	.30800	.30671	.129	67.800	67.318	.482
.24210	.32100	.31963	.137	68.200	67.796	.404
.32460	.35200	.35041	.159	68.600	68.623	-.023
.37050	.36400	.36232	.168	68.600	68.812	-.212
.38160	.36600	.36430	.170	68.600	68.820	-.220
.44890	.37800	.37620	.180	68.500	68.805	-.305
.55000	.39200	.39004	.196	68.100	68.420	-.320
.60000	.39200	.39004	.196	67.900	67.906	-.006
.63500	.39300	.39102	.198	67.600	67.512	.088
.70000	.40300	.40091	.209	67.100	67.107	-.007
.80150	.41000	.40779	.221	66.100	65.947	.153
.86760	.42300	.42058	.242	64.600	64.545	.055
.92500	.45800	.45497	.303	60.100	60.158	-.058

SUM OF SQUARES = .26693435E+03
 STANDARD ERROR OF ESTIMATE = .47164106E+02
 AVERAGE PRESSURE DEVIATION MM HG = .44671347E+00
 AVERAGE VAPOR DEVIATION*100 = .1792E+00
 NUMBER OF FUNCTION EVALUATIONS = 1025

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.10000	61.1155	1.8336	1.0393	6.12368	1.05826
.15100	54.5322	1.6311	1.0632	4.72098	1.10504
.22030	48.5647	1.4783	1.0985	3.63467	1.18473
.24210	46.8116	1.4489	1.1101	3.40497	1.21367
.32460	43.9765	1.3353	1.1580	2.70066	1.34316
.37050	43.1910	1.2843	1.1870	2.41735	1.43055
.38160	43.1323	1.2720	1.1943	2.35531	1.45365
.44890	42.7366	1.2098	1.2410	2.04263	1.61272
.55000	42.6663	1.1381	1.3196	1.70147	1.93672
.60000	43.5718	1.1007	1.3633	1.55726	2.15614
.63500	44.1122	1.0788	1.3958	1.47038	2.34472
.70000	43.6590	1.0599	1.4595	1.35052	2.80855
.80150	44.1946	1.0280	1.6737	1.18329	4.13375
.86760	44.0380	1.0191	1.6582	1.10216	5.98689
.92500	43.7929	1.0160	1.7396	1.04866	9.47658

SYSTEM ACETIC ACID - N-HEPTANE AT 40 CENT
 DATA OF MARKUZIN & PAVLOVA, RUSSIAN JNL, APPL. CHEM., 1971, VOL 4
 4

THREE PARAMETER NRTL EQUATION

NRTL PARAMETER 12 = 1219.41 NRTL PARAMETER 21 = 577.25
 NRTL PARAMETER ALPHA = .64905

LIQUID MOLE FRAC	VAPOUR MOLE FRAC EXPTL	VAPOUR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.01730	.06100	.06041	.059	94.800	94.513	.287
.15000	.27100	.26801	.299	105.100	104.149	.951
.24820	.34200	.33766	.434	107.700	107.619	.081
.30410	.35600	.35140	.460	108.300	107.954	.346
.36320	.38200	.37677	.523	108.700	108.985	-.285
.40490	.38900	.38360	.540	108.700	108.910	-.210
.49860	.40300	.39717	.583	108.100	108.346	-.246
.52720	.40500	.39905	.595	107.700	107.920	-.220
.62540	.42100	.41450	.650	107.000	107.203	-.203
.70810	.42100	.41442	.658	105.800	105.429	.371
.78990	.42900	.42197	.703	104.000	103.647	.353
.83010	.43800	.43051	.749	102.100	102.264	-.164
.89420	.45900	.45029	.871	97.300	97.478	-.178
.97430	.64500	.62437	2.063	67.600	67.552	.048

SUM OF SQUARES - .15567190E-03
 STANDARD ERROR OF ESTIMATE - .37619132E-02
 AVERAGE PRESSURE DEVIATION MM HG - .40383580E+00
 AVERAGE VAPOUR DEVIATION*100 - .6562E+00
 NUMBER OF FUNCTION EVALUATIONS - 443

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.01730	31.2987	3.7654	1.0034	15.49442	1.00398
.15000	36.2025	1.6757	1.0592	4.69043	1.09643
.24820	31.7978	1.4617	1.1084	3.32289	1.20780
.30410	31.9196	1.3545	1.1402	2.79095	1.28998
.36320	30.2128	1.3036	1.1754	2.44975	1.39237
.40490	30.3000	1.2550	1.2026	2.22341	1.47799
.49860	30.5360	1.1710	1.2695	1.84183	1.72117
.52720	30.8668	1.1464	1.2919	1.74383	1.81436
.62540	30.5479	1.1002	1.3744	1.50220	2.23722
.70810	31.7064	1.0518	1.4553	1.31858	2.81342
.78990	32.1064	1.0251	1.5451	1.18534	3.81161
.83010	32.1747	1.0168	1.5935	1.13189	4.62414
.89420	32.6264	1.0021	1.6783	1.05536	6.92245
.97430	32.3591	1.0010	1.7969	1.00525	15.12950

SYSTEM ACETIC ACID-ETHYLBENZENE DATA OF HAGGA AND RAJU
JNL CHEM ENG DATA, VOL 15, NO 4, 1970, P 531

THREE PARAMETER NRTL EQUATION

NRTL PARAMETER 12 = 815.98 NRTL PARAMETER 21 = 8262.17
NRTL PARAMETER ALPHA = .36241

LIQUID MOLE FRAC	VAPOUR MOLE FRAC EXPTL	VAPOUR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.05000	.17500	.17297	.203	725.000	724.716	.284
.06000	.20000	.19767	.233	725.000	724.545	.455
.07500	.22500	.22243	.257	725.000	723.872	1.128
.09000	.27000	.26709	.291	725.000	715.704	9.296
.14500	.35500	.35108	.392	725.000	723.600	1.400
.17500	.38500	.38082	.418	725.000	720.168	4.832
.29000	.50500	.49951	.549	725.000	723.045	1.955
.55000	.69500	.68703	.797	725.000	740.797	-15.797
.72000	.76500	.75584	.916	725.000	738.359	-13.359
.82000	.80500	.79468	1.032	725.000	729.321	-4.321
.90700	.87000	.85737	1.263	725.000	721.934	3.066
.96000	.92000	.90522	1.478	725.000	707.821	17.179
.98000	.95000	.93366	1.634	725.000	704.907	20.093

SUM OF SQUARES = .24200521E+02
STANDARD ERROR OF ESTIMATE = .15556517E+01
AVERAGE PRESSURE DEVIATION MM HG = .11247857E+01
AVERAGE VAPOUR DEVIATION*100 = .7280E+00
NUMBER OF FUNCTION EVALUATIONS = 1379

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.05000	64.2904	.8136	1.0172	4.14757	1.14384
.06000	33.3083	.9885	1.0187	3.92190	1.16144
.07500	19.1927	1.1264	1.0216	3.51153	1.18409
.09000	10.6354	1.3180	1.0229	3.50939	1.20033
.14500	6.3258	1.3697	1.0370	2.78807	1.25681
.17500	6.0193	1.3265	1.0473	2.50583	1.28605
.29000	5.0832	1.2384	1.0912	1.97146	1.40500
.55000	4.1269	1.1623	1.2201	1.44616	1.87484
.72000	4.1519	1.1081	1.3392	1.22048	2.54945
.82000	4.3361	1.0683	1.4285	1.11565	3.25352
.90700	4.3361	1.0515	1.5146	1.06471	4.19874
.96000	4.3706	1.0370	1.5745	1.03950	5.02535
.98000	4.3548	1.0296	1.5976	1.03024	5.39973

SYSTEM ACETIC ACID-P-XYLENE DATA OF BAGGA AND RAJU
JNL CHEM ENG DATA, VOL 15, NO 4, 1970, P 531

THREE PARAMETER NRTL EQUATION

NRTL PARAMETER 12 - 382.44 NRTL PARAMETER 21 -*****
NRTL PARAMETER ALPHA - .02449

LIQUID MOLE FRAC	VAPOUR MOLE FRAC EXPTL	VAPOUR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.00400	.00800	.00800	-.000	725.000	416.233308	767
.04500	.07000	.07013	-.013	725.000	705.018	19.982
.07500	.10500	.10538	-.038	725.000	730.301	-5.301
.13000	.14500	.14581	-.081	725.000	734.766	-9.766
.16300	.16600	.16710	-.110	725.000	733.968	-8.968
.25500	.21500	.21690	-.190	725.000	736.124	-11.124
.49000	.28000	.28326	-.326	725.000	706.562	18.438
.64000	.35500	.36021	-.521	725.000	694.812	30.188
.68000	.41500	.42203	-.703	725.000	723.414	1.586
.76000	.48000	.48922	-.922	725.000	721.510	3.490
.81500	.56000	.57224	-1.224	725.000	739.145	-14.145
.89000	.68000	.69759	-1.759	725.000	734.002	-9.002
.99000	.84000	.86503	-2.503	725.000	656.193	68.807

SUM OF SQUARES - .19471225E+00
STANDARD ERROR OF ESTIMATE - .13953933E+00
AVERAGE PRESSURE DEVIATION MM HG - .75283011E+01
AVERAGE VAPOUR DEVIATION*100 - .6455E+00
NUMBER OF FUNCTION EVALUATIONS - 2946

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.00400	*****	.0000	1.0020	4.87358	1.25692
.04500	265.4966	.5071	1.0187	3.01193	2.17200
.07500	30.7151	1.0240	1.0243	2.50710	2.29287
.13000	14.7623	1.1147	1.0413	1.86847	2.41303
.16300	13.2621	1.0749	1.0540	1.65346	2.47371
.25500	12.5687	.9405	1.0960	1.27251	2.66130
.49000	15.8072	.6885	1.2425	.78612	3.35879
.64000	14.9624	.6496	1.3570	.69343	4.06103
.68000	12.9070	.6750	1.3844	.71058	4.31845
.76000	12.3823	.6625	1.4578	.68181	4.91434
.81500	11.2211	.6707	1.5082	.68222	5.44165
.89000	9.8690	.6858	1.5829	.68992	6.26913
.99000	9.6297	.6579	1.7111	.65789	7.93544

SYSTEM ACETIC ACID P-XYLENE AT 760 MM.HG.
DATA OF BTHMER(QUOTED BY MAREK)

THREE PARAMETER NRTL EQUATION

NRTL PARAMETER 12 = 751.01 NRTL PARAMETER 21 = 497.25
NRTL PARAMETER ALPHA = .87566

LIQUID MOLE FRAC	VAPOR MOLE FRAC EXPTL	VAPOR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.10000	.42100	.41430	.670	760.000	779.246	-19.246
.20000	.52500	.51914	.586	760.000	753.648	6.352
.30000	.60600	.60058	.442	760.000	753.065	6.935
.40000	.66400	.66095	.305	760.000	759.940	.060
.50000	.70100	.69907	.193	760.000	760.161	-.161
.60000	.73200	.73102	.098	760.000	760.878	-.878
.70000	.76400	.76406	-.006	760.000	759.702	.298
.80000	.80700	.80836	-.136	760.000	761.062	-1.062
.85000	.83200	.83405	-.205	760.000	760.441	-.441
.90000	.86500	.86798	-.298	760.000	758.635	1.365
.95000	.91600	.92023	-.423	760.000	759.823	.177

SUM OF SQUARES = .80150950E+03
STANDARD ERROR OF ESTIMATE = .10009430E+01
AVERAGE PRESSURE DEVIATION MM HG = .55911646E+00
AVERAGE VAPOR DEVIATION*100 = .3055E+00
NUMBER OF FUNCTION EVALUATIONS = 3132

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.10000	2.5865	1.8053	1.0140	4.07425	1.02556
.20000	4.0799	1.4098	1.0498	2.68283	1.09528
.30000	4.1162	1.2871	1.0897	2.12918	1.19242
.40000	4.0808	1.2106	1.1359	1.78220	1.32469
.50000	4.1764	1.1460	1.1908	1.52838	1.50689
.60000	4.3065	1.0928	1.2548	1.33839	1.76367
.70000	4.3787	1.0598	1.3279	1.20558	2.14353
.80000	4.3688	1.0427	1.4111	1.11457	2.75122
.85000	4.3920	1.0326	1.4583	1.07569	3.21134
.90000	4.3631	1.0294	1.5080	1.05014	3.84648
.95000	4.2769	1.0277	1.5601	1.03335	4.76552

SYSTEM ACETIC ACID - N-OCTANE AT CONST. PRESS. 760 MM HG
DATA OF SCHICKTANZ, J. RES. BUR. STAND. VOL 18, PG 123, (1937)

THREE PARAMETER NRTL EQUATION

NRTL PARAMETER 12 = 1450.33 NRTL PARAMETER 21 = 964.20
NRTL PARAMETER ALPHA = .62439

LIQUID MOLE FRAC	VAPOUR MOLE FRAC EXPTL	VAPOUR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.05000	.17800	.17434	.366	760.000	744.059	15.941
.10000	.31700	.31044	.656	760.000	750.723	9.277
.20000	.48200	.47163	1.037	760.000	758.119	1.881
.30000	.56200	.54999	1.201	760.000	760.133	-.133
.40000	.62100	.60781	1.319	760.000	763.770	-3.770
.50000	.65800	.64414	1.386	760.000	764.949	-4.949
.60000	.67300	.65884	1.416	760.000	763.117	-3.117
.70000	.67900	.66461	1.439	760.000	759.819	.181
.80000	.68600	.67123	1.477	760.000	756.253	3.747
.90000	.72700	.70984	1.716	760.000	758.817	1.183
.95000	.79480	.77254	2.226	760.000	761.669	-1.669

SUM OF SQUARES = .71054557E+03
STANDARD ERROR OF ESTIMATE = .94243406E+02
AVERAGE PRESSURE DEVIATION MM HG = .66907140E+00
AVERAGE VAPOUR DEVIATION*100 = .1294E+01
NUMBER OF FUNCTION EVALUATIONS = 1194

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.05000	36.8839	1.0533	1.0152	4.99282	1.02176
.10000	19.4600	1.0716	1.0315	4.13077	1.05619
.20000	10.2476	1.1169	1.0664	3.11428	1.15695
.30000	7.5793	1.1261	1.1067	2.47789	1.30008
.40000	6.1220	1.1430	1.1516	2.10141	1.49134
.50000	5.4670	1.1386	1.2044	1.81323	1.75551
.60000	5.3681	1.1032	1.2687	1.55495	2.14851
.70000	5.4493	1.0637	1.3449	1.34365	2.79602
.80000	5.5164	1.0353	1.4332	1.18206	4.05108
.90000	5.2495	1.0344	1.5295	1.08200	7.19155
.95000	4.9116	1.0331	1.5780	1.04696	10.92700

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SYSTEM ACETIC ACID - N-OCTANE AT 760 MM HG
 DATA OF ZIEBROK & BRZOWITOWSKI, BULL. ACID, PHIL. SCI., VOL 6, NR
 3, 1958, PG 169

THREE PARAMETER NRTL EQUATION

NRTL PARAMETER 12 = 1548.16 NRTL PARAMETER 21 = 1040.07

NRTL PARAMETER ALPHA = .67164

LIQUID MOLE FRAC	VAPOR MOLE FRAC EXPTL	VAPOR MOLE FRAC CALL	DELTA Y=100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.03900	.23000	.22518	.482	760.000	741.608	18.392
.13600	.45400	.44429	.971	760.000	755.366	4.634
.26500	.57100	.55865	1.235	760.000	762.902	-2.902
.42000	.63500	.62128	1.372	760.000	765.445	-5.445
.59500	.67600	.66120	1.480	760.000	762.146	-2.146
.68700	.68700	.67176	1.524	760.000	757.405	2.595
.77400	.70400	.68785	1.615	760.000	758.052	1.948
.83800	.71800	.70105	1.695	760.000	758.612	1.388
.87500	.73200	.71417	1.763	760.000	760.931	-.931
.95400	.80800	.78442	2.358	760.000	764.584	-4.584
.98100	.89000	.85967	3.033	760.000	755.037	4.963

SUM OF SQUARES = .79678560E+03
 STANDARD ERROR OF ESTIMATE = .99924071E+02
 AVERAGE PRESSURE DEVIATION MM HG = .76802082E+00
 AVERAGE VAPOR DEVIATION%100 = .15951E+01
 NUMBER OF FUNCTION EVALUATIONS = 1258

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.03900	13.9194	1.5980	1.0078	8.03886	1.01253
.13600	8.9652	1.3234	1.0380	4.31012	1.08706
.26500	6.2287	1.2614	1.0853	2.84274	1.24521
.42000	5.4109	1.1841	1.1578	2.03660	1.52718
.59500	5.3285	1.1023	1.2648	1.54521	2.06177
.68700	5.4597	1.0611	1.3347	1.35817	2.56190
.77400	5.4498	1.0387	1.4081	1.22383	3.39155
.83800	5.4063	1.0287	1.4680	1.14204	4.53695
.87500	5.3276	1.0267	1.5843	1.10293	5.65970
.95400	4.9610	1.0224	1.5840	1.03643	11.29286
.98100	4.5323	1.0293	1.6044	1.03201	15.71612

SYSTEM ACETIC ACID-N-DECANE AT 760 MM HG
 DATA OF ZIEMERAK & BRZOSTOWSKI, BULL. ACAD. POL. SCI., CHI., 19
 57, 5, 309

TWO PARAMETER WILSON EQUATION

WILSON PARAMETER 12 = 1567.50 WILSON PARAMETER 21 = 1809.50

LIQUID MOLE FRAC	VAPOR MOLE FRAC EXPTL	VAPOR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.69000	.91300	.87766	3.534	760.000	751.108	8.892
.76200	.91500	.87957	3.543	760.000	753.563	6.437
.82100	.91300	.87780	3.520	760.000	753.746	6.254
.89700	.92700	.89065	3.635	760.000	762.868	-2.868
.91700	.92900	.89248	3.652	760.000	763.859	-3.859
.91900	.93000	.89338	3.662	760.000	764.404	-4.404
.96900	.94900	.91054	3.846	760.000	767.015	-7.015
.97500	.95500	.91589	3.911	760.000	766.936	-6.936
.98800	.96900	.92828	4.072	760.000	758.488	1.512
.99400	.98200	.93953	4.247	760.000	749.296	10.704

SUM OF SQUARES = .72075156E+03
 STANDARD ERROR OF ESTIMATE = .94917830E+02
 AVERAGE PRESSURE DEVIATION MM HG = .77474518E+00
 AVERAGE VAPOR DEVIATION%100 = .3762E+01
 NUMBER OF FUNCTION EVALUATIONS = 318

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA H	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.69000	4.8673	1.0115	1.3284	1.40476	2.98665
.76200	4.7074	1.0095	1.3840	1.27948	3.97319
.82100	4.6585	1.0042	1.4367	1.18687	5.38549
.89700	4.4152	1.0189	1.6062	1.10808	9.49618
.91700	4.3929	1.0195	1.5269	1.08635	11.75355
.91900	4.3818	1.0203	1.5288	1.08509	12.03358
.96900	4.2198	1.0332	1.5802	1.04981	28.06087
.97500	4.1805	1.0360	1.5860	1.04793	32.92231
.98800	4.1176	1.0392	1.5993	1.04278	51.27769
.99400	4.0935	1.0360	1.6057	1.03700	67.21257

SYSTEM ACETIC ACID - TRICHLOROETHYLENE AT 250 MM.HG.
 DATA OF FRANCESCONI, R., & CONJUTTI, A., CHEM. ENG. SCI., 1971, VOL
 26, PP 1341-1356

THREE PARAMETER NRTL EQUATION

NRTL PARAMETER 12 = 402.29 NRTL PARAMETER 21 = 504.88
 NRTL PARAMETER ALPHA = 1.46790

LIQUID MOLE FRAC	VAPOUR MOLE FRAC EXPTL	VAPOUR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.15400	.09100	.09203	-.103	250.000	245.144	4.856
.22900	.13700	.13853	-.153	250.000	250.714	-.714
.29100	.16800	.16996	-.196	250.000	251.634	-1.634
.44300	.22700	.22980	-.280	250.000	251.441	-1.441
.77700	.42800	.43332	-.532	250.000	249.513	.487
.83000	.49500	.50112	-.612	250.000	250.135	-.135
.91300	.63700	.64445	-.745	250.000	247.722	2.278
.94300	.72700	.73512	-.812	250.000	249.261	.739
.96100	.80900	.81774	-.874	250.000	253.724	-3.724

SUM OF SQUARES = .77909306E-03
 STANDARD ERROR OF ESTIMATE = .11395124E-01
 AVERAGE PRESSURE DEVIATION MM HG = .87937972E+00
 AVERAGE VAPOUR DEVIATION*100 = .4785E+00
 NUMBER OF FUNCTION EVALUATIONS = 750

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.15400	25.5985	1.5941	1.0577	2.71414	1.09610
.22900	19.5237	1.5258	1.0908	2.29391	1.16366
.29100	17.7246	1.4537	1.1218	2.02730	1.22850
.44300	17.1684	1.2634	1.2130	1.55352	1.42714
.77700	14.7770	1.0792	1.4860	1.13172	2.25815
.83000	13.6129	1.0773	1.5393	1.11032	2.50587
.91300	11.8821	1.0607	1.6284	1.07046	3.04693
.94300	10.8290	1.0586	1.6588	1.06297	3.29847
.96100	9.8622	1.0646	1.6734	1.06669	3.45018

SYSTEM ACETIC ACID - TRICHLOROETHYLENE AT 350 MM.HG.
 DATA OF FRANCESCONI, R. & CONJUTTI, A., CHEM. ENG. SCI., 1971, VOL
 26, PP 1341-1356

THREE PARAMETER NRTL EQUATION

NRTL PARAMETER 12 = 470.59 NRTL PARAMETER 21 = 592.76
 NRTL PARAMETER ALPHA = 1.47485

LIQUID MOLE FRAC	VAPOUR MOLE FRAC EXPTL	VAPOUR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.22400	.14200	.14395	-.195	350.000	349.928	.072
.43700	.22900	.23210	-.310	350.000	349.340	.660
.53400	.27800	.28184	-.384	350.000	351.064	-1.064
.62800	.32200	.32646	-.446	350.000	346.958	3.042
.71000	.39500	.40033	-.533	350.000	356.540	-6.540
.80900	.45900	.46492	-.592	350.000	345.114	4.886
.87800	.57700	.58434	-.734	350.000	350.485	-.485
.91000	.63800	.64584	-.784	350.000	348.831	1.169
.94200	.73400	.74259	-.859	350.000	352.142	-2.142

SUM OF SQUARES	-	.68292654E-03
STANDARD ERROR OF ESTIMATE	-	.10668697E-01
AVERAGE PRESSURE DEVIATION MM HG	-	.78691207E+00
AVERAGE VAPOUR DEVIATION*100	-	.5375E+00
NUMBER OF FUNCTION EVALUATIONS	-	681

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.22400	14.9525	1.5282	1.0839	2.30879	1.10253
.43700	13.8791	1.2397	1.2023	1.53331	1.41731
.53400	13.3120	1.1715	1.2676	1.37223	1.57251
.62800	13.2701	1.1077	1.3409	1.24139	1.76868
.71000	12.0441	1.0888	1.4078	1.17852	1.99107
.80900	12.0522	1.0319	1.5070	1.07597	2.39851
.87800	10.2226	1.0488	1.5718	1.06990	2.81061
.91000	9.6331	1.0449	1.6050	1.05715	3.06993
.94200	8.6341	1.0510	1.6342	1.05652	3.37633

SYSTEM ACETIC ACID - TRICHLOROETHYLENE AT 500 MM.HG.
 DATA OF FRANCESCONI, R. & CONJUTTI, A., CHEM. ENG. SCI., 1971, VOL
 26, PP 1341-1356

THREE PARAMETER NRTL EQUATION

NRTL PARAMETER 12 = 426.37 NRTL PARAMETER 21 = 682.90
 NRTL PARAMETER ALPHA = 1.31911

LIQUID MOLE FRAC	VAPOUR MOLE FRAC EXPTL	VAPOUR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.25700	.17700	.18001	-.301	500.000	496.758	3.242
.30700	.20500	.20846	-.346	500.000	501.425	-1.425
.37300	.23000	.23399	-.399	500.000	501.122	-1.122
.57100	.32000	.32585	-.585	500.000	502.490	-2.490
.67800	.38500	.39216	-.716	500.000	499.722	.278
.77400	.45200	.46004	-.804	500.000	496.210	3.790
.83200	.51700	.52538	-.838	500.000	501.181	-1.181
.90500	.64900	.65902	-1.002	500.000	500.935	-.935

SUM OF SQUARES	-	.14684536E-03
STANDARD ERROR OF ESTIMATE	-	.54193240E-02
AVERAGE PRESSURE DEVIATION MM HG	-	.52563047E+00
AVERAGE VAPOUR DEVIATION*100	-	.6239E+00
NUMBER OF FUNCTION EVALUATIONS	-	876

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.25700	10.2637	1.5064	1.0929	2.23983	1.20229
.30700	9.4995	1.4587	1.1160	2.03665	1.25832
.37300	9.5032	1.3659	1.1516	1.78633	1.34267
.57100	9.2408	1.1935	1.2782	1.36780	1.67423
.67800	8.8105	1.1471	1.3600	1.24948	1.93773
.77400	8.6818	1.0917	1.4464	1.14500	2.27631
.83200	8.3778	1.0589	1.5026	1.08966	2.55107
.90500	7.2299	1.0623	1.5700	1.07324	3.00019

SYSTEM ACETIC ACID - TRICHLOROETHYLENE AT 650 MM.HG
 DATA OF FRANCESCONI, R., & CONJUTTI, A., CHEM. ENG. SCI., 1971, VOL
 26, PP 1341-1356

THREE PARAMETER NRTL EQUATION

NRTL PARAMETER 12 = 521.03 NRTL PARAMETER 21 = 658.76
 NRTL PARAMETER ALPHA = 1.43158

LIQUID MOLE FRAC	VAPOUR MOLE FRAC	VAPOUR MOLE FRAC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
	EXPTL	CALC				
.21600	.15300	.15601	-.301	650.000	646.079	3.921
.27000	.18000	.18350	-.350	650.000	652.164	-2.164
.49000	.28000	.28598	-.598	650.000	653.042	-3.042
.81100	.50400	.51499	-1.099	650.000	645.262	4.738
.86000	.57400	.58626	-1.226	650.000	649.758	.242
.89900	.65200	.66583	-1.383	650.000	655.317	-5.317
.92900	.71400	.72868	-1.468	650.000	651.454	-1.454
.94500	.75200	.76741	-1.541	650.000	646.156	3.844

SUM OF SQUARES	-	.22954210E+03
STANDARD ERROR OF ESTIMATE	-	.67755761E+02
AVERAGE PRESSURE DEVIATION MM HG	-	.67769994E+00
AVERAGE VAPOUR DEVIATION*100	-	.9956E+00
NUMBER OF FUNCTION EVALUATIONS	-	674

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.21600	9.2756	1.5096	1.0718	2.33485	1.14943
.27000	8.8004	1.4247	1.0958	2.04731	1.20304
.49000	8.3403	1.1904	1.2175	1.43543	1.48334
.81100	7.0427	1.0636	1.4658	1.11066	2.37387
.86000	6.5041	1.0631	1.5090	1.09174	2.65655
.89900	5.8758	1.0754	1.5409	1.09187	2.94194
.92900	5.5468	1.0730	1.6685	1.08175	3.22188
.94500	5.3245	1.0769	1.6823	1.08232	3.39504

SYSTEM ACETIC ACID - TRICHLOROETHYLENE AT 750 MM HG
 DATA OF FRANCESCONI, R., & COJUTTI, A., CHEM. ENG. SCI, 1971, VOL 26
 , PP 1341-1356

THREE PARAMETER NRTL EQUATION

NRTL PARAMETER 12 = 290.69 NRTL PARAMETER 21 = 2036.26
 NRTL PARAMETER ALPHA = .89330

LIQUID MOLE FRAC	VAPOUR MOLE FRAC EXPTL	VAPOUR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.18500	.13800	.14105	-.305	750.000	748.119	1.881
.21800	.15800	.16158	-.358	750.000	750.543	-.543
.36000	.22900	.23576	-.676	750.000	754.685	-4.685
.45300	.26800	.27685	-.885	750.000	748.846	1.154
.51900	.30600	.31715	-1.115	750.000	749.941	.059
.57900	.34000	.35326	-1.326	750.000	752.036	-2.036
.64100	.37700	.39288	-1.588	750.000	746.893	3.107
.78400	.48900	.51328	-2.428	750.000	745.217	4.783
.91200	.70000	.74721	-4.721	750.000	755.812	-5.812

SUM OF SQUARES	=	.17345605E-03
STANDARD ERROR OF ESTIMATE	=	.53767409E-02
AVERAGE PRESSURE DEVIATION MM HG	=	.59860885E+00
AVERAGE VAPOUR DEVIATION*100	=	.1489E+01
NUMBER OF FUNCTION EVALUATIONS	=	585

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.18500	6.8543	1.6890	1.0533	2.51576	1.20073
.21800	6.1985	1.6611	1.0649	2.32355	1.23329
.36000	5.7838	1.4510	1.1286	1.75264	1.38478
.45300	6.0662	1.3243	1.1811	1.51590	1.50389
.51900	5.9513	1.2748	1.2205	1.41613	1.59929
.57900	5.9845	1.2231	1.2606	1.32733	1.70042
.64100	5.9797	1.1825	1.3054	1.25665	1.82028
.78400	5.9592	1.0855	1.4251	1.11125	2.18388
.91200	4.7734	1.0857	1.5315	1.09019	2.61838

SYSTEM ACETIC ACID - METHYLENE CHLORIDE AT 760 MM HG
 DATA OF DOBRUSHEV & SHAKHANOY, ZHUR, PRIKL, KHIM, 44(27, PP 445
 -447 -1971

THREE PARAMETER NRTL EQUATION

NRTL PARAMETER 12 = 69.76 NRTL PARAMETER 21 = 469.94
 NRTL PARAMETER ALPHA = 3.23560

LIQUID MOLE FRAC	VAPOR MOLE FRAC EXPTL	VAPOR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.07650	.00630	.00619	.011	760.000	758.104	1.896
.10100	.00820	.00806	.014	760.000	757.063	2.937
.21900	.01770	.01741	.029	760.000	761.814	-1.814
.27600	.02290	.02253	.037	760.000	763.206	-3.206
.38100	.03480	.03426	.055	760.000	763.780	-3.780
.50900	.05660	.05578	.082	760.000	767.623	2.377
.58200	.07530	.07427	.103	760.000	757.441	2.559
.66500	.11350	.11218	.132	760.000	766.301	-6.301
.78400	.19430	.19283	.147	760.000	744.447	15.553
.86490	.31900	.31815	.085	760.000	764.148	-4.148
.91690	.47200	.47348	-.148	760.000	766.761	-6.761

SUM OF SQUARES = .68645225E+03
 STANDARD ERROR OF ESTIMATE = .92665544E+02
 AVERAGE PRESSURE DEVIATION MM HG = .70171189E+00
 AVERAGE VAPOR DEVIATION*100 = .7663E+01
 NUMBER OF FUNCTION EVALUATIONS = 2303

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.07650	29.9195	2.3086	1.0248	3.01889	1.04124
.10100	27.1057	2.1555	1.0344	2.66303	1.05679
.21900	23.8552	1.6511	1.0887	1.82043	1.13465
.27600	23.4642	1.5030	1.1188	1.62053	1.17468
.38100	22.4185	1.3226	1.1800	1.39030	1.25452
.50900	20.0878	1.2023	1.2644	1.23965	1.36580
.58200	18.4857	1.1536	1.3179	1.17964	1.43828
.66500	15.2004	1.1422	1.3797	1.15891	1.52583
.78400	12.1631	1.0971	1.4812	1.10398	1.67524
.86490	9.6393	1.0443	1.5513	1.04690	1.78673
.91690	7.5912	1.0268	1.6893	1.02777	1.85394

SYSTEM ACETIC ACID-CARBON TETRACHLORIDE AT CONSTANT TEMPERA
DATA OF LISZI - ACTA. CHIM. ACAD. SCI. HUNG, 64, 1970 (EXPERIMENTA
L)

TWO PARAMETER WILSON EQUATION

WILSON PARAMETER 12 - 576.96 WILSON PARAMETER 21 - -170.61

LIQUID MOLE FRAC	VAPOUR MOLE FRAC EXPTL	VAPOUR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.16900	.03570	.03576	-.006	82.500	76.723	5.777
.51420	.13100	.13125	-.025	66.000	65.728	.272
.55010	.14200	.14228	-.028	64.800	64.266	.534
.71780	.20170	.20207	-.037	53.000	54.014	-1.014
.80470	.26210	.26256	-.046	46.200	46.208	-.008
.85500	.32970	.33021	-.051	39.400	40.048	-.648
.91880	.42100	.42231	-.041	30.000	29.314	.686

SUM OF SQUARES	-	.61478712E-02
STANDARD ERROR OF ESTIMATE	-	.36065285E-01
AVERAGE PRESSURE DEVIATION MM HG	-	.20146480E+01
AVERAGE VAPOUR DEVIATION*100	-	.3337E-01
NUMBER OF FUNCTION EVALUATIONS	-	227

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.16900	107.1373	1.3571	1.0776	2.05411	1.09353
.51420	73.0958	1.0666	1.3028	1.25141	1.51277
.55010	71.5959	1.0556	1.3324	1.21303	1.58415
.71780	75.1806	.9648	1.4964	1.02325	2.04591
.80470	72.2673	.9627	1.5972	.99141	2.39919
.85500	69.7810	.9706	1.6617	.98685	2.65670
.91880	76.1914	.9249	1.7576	.92987	3.06951

SYSTEM ACETIC ACID - CHLOROFORM AT 760 MM.HG,
DATA OF KENNY

TWO PARAMETER WILSON EQUATION

WILSON PARAMETER 12 = 1292.13 WILSON PARAMETER 21 = -1144.00

LIQUID MOLE FRAC	VAPOUR MOLE FRAC EXPTL	VAPOUR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.07739	.01479	.01005	.474	760.000	741.933	18.067
.13765	.02472	.02515	-.043	760.000	754.708	5.292
.14484	.02367	.02408	-.042	760.000	757.330	2.670
.18565	.03323	.03378	-.055	760.000	763.014	-3.014
.19775	.03538	.03595	-.057	760.000	766.199	-6.199
.27415	.05738	.05815	-.077	760.000	783.001	-23.001
.39211	.09516	.09603	-.088	760.000	817.003	-57.003
.52458	.15545	.15628	-.083	760.000	818.982	-58.982
.64463	.23098	.23159	-.061	760.000	789.621	-29.621
.65549	.23478	.23537	-.059	760.000	778.676	-18.676
.74169	.33099	.33131	-.032	760.000	757.892	2.108
.89089	.47955	.47976	-.020	760.000	602.822	157.178
.89089	.41275	.41371	-.096	760.000	529.231	230.769

SUM OF SQUARES	-	.15037410E+00
STANDARD ERROR OF ESTIMATE	-	.11692037E+00
AVERAGE PRESSURE DEVIATION MM HG	-	.62001876E+01
AVERAGE VAPOUR DEVIATION*100	-	.9136E-01
NUMBER OF FUNCTION EVALUATIONS	-	314

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.07739	.0013	4.4700	1.0000	1.63202	.98201
.13765	.7377	3.7156	1.0103	1.77431	.96376
.14484	1.4375	3.3174	1.0179	1.62604	.96716
.18565	2.6336	2.6916	1.0370	1.50388	.96244
.19775	3.1611	2.5023	1.0441	1.44632	.96214
.27415	5.2067	1.8659	1.0849	1.28147	.95423
.39211	8.7826	1.2784	1.1599	1.03944	.95123
.52458	11.1068	.9913	1.2532	.89648	.95484
.64463	11.9427	.8574	1.3494	.81815	.96767
.65549	12.2046	.8441	1.3598	.80820	.96954
.74169	10.9542	.8192	1.4317	.80164	.98281
.89089	10.3504	.7804	1.5883	.77787	1.01883
.89089	11.0884	.7750	1.5991	.77248	1.01429

SYSTEM ACETIC ACID - WATER AT 69.7 DEG CENT
DATA OF ARICH & TAGLIAVANI, RIC, SCI., DEC 1958

TWO PARAMETER WILSON EQUATION

WILSON PARAMETER 12 = -344.15 WILSON PARAMETER 21 = 498.82

LIQUID MOLE FRAC	VAPOR MOLE FRAC EXPTL	VAPOR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.05000	.04200	.04205	-.005	228.800	226.946	1.854
.10000	.08100	.08111	-.011	226.700	224.950	1.750
.20000	.15230	.15262	-.032	221.000	219.883	1.117
.30000	.22500	.22560	-.060	214.300	213.752	.548
.40000	.30890	.30989	-.099	206.700	207.300	-.600
.50000	.40050	.40204	-.154	199.200	200.236	-1.036
.60000	.49780	.49996	-.216	191.200	192.068	-.868
.70000	.60050	.60333	-.283	182.000	182.246	-.246
.80000	.71230	.71573	-.343	170.500	170.142	.358
.90000	.83750	.84123	-.373	155.700	154.747	.953
.95000	.90830	.91198	-.368	146.800	145.620	1.180

SUM OF SQUARES	=	.32173094E-03
STANDARD ERROR OF ESTIMATE	=	.59789533E-02
AVERAGE PRESSURE DEVIATION MM HG	=	.48805308E+00
AVERAGE VAPOR DEVIATION*100	=	.1766E+00
NUMBER OF FUNCTION EVALUATIONS	=	357

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.05000	6.6019	2.9236	1.0079	2.94953	1.00820
.10000	8.0254	2.3063	1.0239	2.30731	1.02489
.20000	9.6851	1.7368	1.0654	1.72212	1.06806
.30000	10.6762	1.4694	1.1151	1.45327	1.11874
.40000	10.8386	1.3285	1.1714	1.31472	1.17476
.50000	10.9973	1.2373	1.2357	1.22710	1.23708
.60000	11.2237	1.1702	1.3099	1.16351	1.30723
.70000	11.5694	1.1170	1.3961	1.11321	1.38717
.80000	12.0262	1.0740	1.4972	1.07236	1.47936
.90000	12.6440	1.0374	1.6173	1.03702	1.58751
.95000	12.9944	1.0220	1.6859	1.02187	1.64886

SYSTEM ACETIC ACID - WATER AT 70 CENT.
 DATA OF HADDAD & EDMISTER, JNL CHEM ENG DATA, VOL 17, NO 3, 1972

TWO PARAMETER WILSON EQUATION

WILSON PARAMETER 12 = -487.74 WILSON PARAMETER 21 = 543.60

LIQUID MOLE FRAC	VAPOUR MOLE FRAC EXPTL	VAPOUR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.08719	.06411	.06420	-.008	228.600	227.397	1.203
.18572	.13760	.13784	-.024	223.600	222.455	1.145
.29549	.22291	.22346	-.054	215.900	216.167	-.267
.40638	.31646	.31746	-.100	208.500	209.262	-.762
.51064	.40061	.40205	-.144	200.300	200.324	-.024
.59547	.48924	.49124	-.200	193.100	194.002	-.902
.66497	.55658	.55904	-.246	187.400	187.306	.094
.75389	.65434	.65745	-.311	179.100	178.376	.724
.84701	.76101	.76464	-.363	168.300	166.322	1.978
.90393	.84675	.85063	-.388	158.900	158.425	.475
.96014	.94089	.94422	-.333	143.100	144.579	-1.479
.97607	.99535	.99893	-.358	139.600	144.946	-5.346

SUM OF SQUARES	-	.18276572E-02
STANDARD ERROR OF ESTIMATE	-	.13519087E-01
AVERAGE PRESSURE DEVIATION MM HG	-	.73324111E+00
AVERAGE VAPOUR DEVIATION*100	-	.2109E+00
NUMBER OF FUNCTION EVALUATIONS	-	376

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.08719	9.4923	2.2714	1.0210	2.26744	1.02111
.18572	10.0016	1.7527	1.0598	1.74711	1.06010
.29549	10.4629	1.4779	1.1125	1.47261	1.11299
.40638	10.6691	1.3260	1.1747	1.32179	1.17495
.51064	11.3799	1.2087	1.2445	1.20564	1.24397
.59547	11.2587	1.1668	1.3065	1.16463	1.30494
.66497	11.5057	1.1275	1.3647	1.12599	1.36192
.75389	11.6446	1.0952	1.4477	1.09436	1.44261
.84701	12.0384	1.0620	1.5494	1.06172	1.54112
.90393	12.0465	1.0552	1.6180	1.05508	1.60735
.96014	12.6499	1.0299	1.6975	1.02987	1.68392
.97607	11.9522	1.0548	1.7145	1.05482	1.70003

SYSTEM ACETIC ACID - WATER AT 79.9 DEG CENT
DATA OF ARICH & TAGLIAVANI, RIC, SCI., DEC 1958

TWO PARAMETER WILSON EQUATION

WILSON PARAMETER 12 = -412.88 WILSON PARAMETER 21 = 582.27

LIQUID MOLE FRAC	VAPOR MOLE FRAC EXPTL	VAPOR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.05000	.04150	.04158	-.008	349.900	346.411	3.489
.10000	.08050	.08068	-.018	345.800	343.229	2.571
.20000	.15050	.15095	-.045	336.900	335.250	1.650
.30000	.22150	.22228	-.078	326.600	325.686	.914
.40000	.30350	.30473	-.123	315.000	315.618	-.618
.50000	.39300	.39481	-.181	302.800	304.262	-1.462
.60000	.49000	.49247	-.247	289.400	291.138	-1.738
.70000	.59280	.59591	-.311	274.800	275.565	-.765
.80000	.70650	.71021	-.371	257.800	257.389	.411
.90000	.83150	.83538	-.388	236.500	234.353	2.147
.95000	.90600	.90974	-.374	223.100	221.102	1.998

SUM OF SQUARES = .42266574E+03
STANDARD ERROR OF ESTIMATE = .68529454E+02
AVERAGE PRESSURE DEVIATION MM HG = .54829790E+00
AVERAGE VAPOR DEVIATION*100 = .1949E+00
NUMBER OF FUNCTION EVALUATIONS = 682

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.05000	4.8267	2.7979	1.0066	2.88918	1.00704
.10000	6.0449	2.2430	1.0214	2.28816	1.02276
.20000	7.4643	1.7048	1.0609	1.71338	1.06508
.30000	8.1842	1.4497	1.1087	1.44691	1.11553
.40000	8.3745	1.3157	1.1628	1.30986	1.17155
.50000	8.5199	1.2266	1.2250	1.22100	1.23426
.60000	8.6891	1.1621	1.2966	1.15793	1.30482
.70000	8.9444	1.1112	1.3799	1.10861	1.38524
.80000	9.2103	1.0736	1.4770	1.07242	1.47733
.90000	9.6311	1.0402	1.5927	1.03994	1.58553
.95000	9.8104	1.0289	1.6581	1.02886	1.64620

SYSTEM ACETIC ACID - WATER AT 89.9 DEG CENT
DATA OF ARICH & TAGLIAVANI, RIC, SCI., DEC 1958

THREE PARAMETER NRTL EQUATION

NRTL PARAMETER 12 = -1.24 NRTL PARAMETER 21 = 3123.02
NRTL PARAMETER ALPHA = 1.21038

LIQUID MOLE FRAC	VAPOR MOLE FRAC EXPTL	VAPOR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.05000	.04100	.04106	-.006	518.300	517.653	.647
.10000	.08000	.08016	-.016	512.300	512.454	-.154
.20000	.14900	.14947	-.047	498.900	498.819	.081
.30000	.21650	.21736	-.086	483.400	482.394	1.006
.40000	.29650	.29796	-.146	466.900	466.269	.631
.50000	.38600	.38823	-.223	448.100	448.885	-.785
.60000	.48200	.48505	-.305	426.000	428.153	-2.153
.70000	.58600	.58995	-.395	402.700	404.458	-1.758
.80000	.69950	.70423	-.473	376.200	376.257	-.057
.90000	.82530	.83044	-.514	345.000	341.865	3.145
.95000	.90100	.90581	-.481	322.400	319.426	2.974

SUM OF SQUARES = .22372284E+03
STANDARD ERROR OF ESTIMATE = .52882280E+02
AVERAGE PRESSURE DEVIATION MM HG = .39490678E+00
AVERAGE VAPOR DEVIATION*100 = .2446E+00
NUMBER OF FUNCTION EVALUATIONS = 4501

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.05000	3.1343	2.7357	1.0051	2.83236	1.02427
.10000	4.0406	2.2581	1.0177	2.27527	1.03924
.20000	5.4941	1.7098	1.0553	1.71114	1.07877
.30000	6.3688	1.4374	1.1020	1.43708	1.12681
.40000	6.5743	1.3047	1.1543	1.30427	1.18032
.50000	6.6643	1.2208	1.2139	1.22038	1.24125
.60000	6.8372	1.1557	1.2832	1.15540	1.31197
.70000	7.0182	1.1076	1.3634	1.10741	1.39376
.80000	7.2506	1.0696	1.4574	1.06955	1.48948
.90000	7.5609	1.0383	1.5688	1.03832	1.60298
.95000	7.7866	1.0227	1.6332	1.02267	1.66849

SYSTEM ACETIC ACID - WATER AT 50 MM HG
 DATA OF KUSHNER, ZH, FI7, KHIM, VOL 40, (12), P, 3010 (1966)

TWO PARAMETER WILSON EQUATION

WILSON PARAMETER 12 = -66,26 WILSON PARAMETER 21 = 243,63

LIQUID MOLE FRAC	VAPOUR MOLE FRAC EXPTL	VAPOUR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.09600	.07200	.07204	-.004	50,000	52,635	-2,635
.27100	.21600	.21619	-.019	50,000	51,185	-1,185
.36400	.30600	.30641	-.041	50,000	50,589	-.589
.40000	.33200	.33247	-.047	50,000	50,742	-.742
.43100	.37100	.37167	-.067	50,000	47,515	2,485
.45200	.38500	.38571	-.071	50,000	48,159	1,841
.52100	.47800	.47909	-.109	50,000	49,177	.823
.64700	.61000	.61166	-.166	50,000	51,037	-1,037
.75000	.70700	.70920	-.220	50,000	50,867	-.867
.90000	.87500	.87820	-.320	50,000	50,645	-.645

SUM OF SQUARES = .86928001E+02
 STANDARD ERROR OF ESTIMATE = .32963616E+01
 AVERAGE PRESSURE DEVIATION MM HG = .25698336E+01
 AVERAGE VAPOUR DEVIATION*100 = .1064E+00
 NUMBER OF FUNCTION EVALUATIONS = 272

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.09600	24,1390	2,3541	1,0315	2,15656	1,03133
.27100	23,5582	1,6171	1,1161	1,51820	1,10926
.36400	22,8373	1,4764	1,1698	1,40731	1,15428
.40000	23,9670	1,3930	1,1938	1,33486	1,17367
.43100	21,6887	1,4606	1,2117	1,40753	1,18884
.45200	22,6543	1,3995	1,2273	1,35210	1,20091
.52100	20,9950	1,3789	1,2749	1,34364	1,23689
.64700	22,2061	1,2335	1,3813	1,21660	1,31395
.75000	23,6066	1,1427	1,4853	1,13511	1,38733
.90000	24,3264	1,0651	1,6676	1,06398	1,51137

SYSTEM ACETIC ACID - WATER AT 70 MM HG
DATA OF ITO, JNL CHEM ENG DATA, VOL 3, PG 315, 1963

TWO PARAMETER WILSON EQUATION

WILSON PARAMETER 12 = -1261.83 WILSON PARAMETER 21 = 1859.82

LIQUID MOLE FRAC	VAPOUR MOLE FRAC EXPTL	VAPOUR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.04100	.02700	.02702	-.002	70.000	69.570	.430
.10400	.07500	.07506	-.006	70.000	70.172	-.172
.16900	.12200	.12213	-.013	70.000	69.864	.136
.25600	.18900	.18927	-.027	70.000	69.791	.209
.33700	.25800	.25848	-.048	70.000	69.521	.479
.43400	.34700	.34783	-.083	70.000	69.804	.196
.46600	.37800	.37898	-.098	70.000	69.893	.107
.52900	.43900	.44028	-.128	70.000	70.409	-.409
.64000	.54700	.54895	-.195	70.000	70.039	-.039
.74600	.65300	.66571	-.271	70.000	69.923	.077
.84800	.76300	.76655	-.355	70.000	70.097	-.097
.92800	.86000	.86436	-.436	70.000	70.098	-.098
.95650	.90350	.90821	-.471	70.000	70.130	-.130
.99400	.96450	.96973	-.523	70.000	68.976	1.024

SUM OF SQUARES	-	.37072447E-03
STANDARD ERROR OF ESTIMATE	-	.55582107E-02
AVERAGE PRESSURE DEVIATION MM HG	-	.36781651E+00
AVERAGE VAPOUR DEVIATION*100	-	.1897E+00
NUMBER OF FUNCTION EVALUATIONS	-	500

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.04100	29.5349	2.7456	1.0111	2.72841	1.01091
.10400	24.6504	2.0960	1.0350	2.10815	1.03403
.16900	25.1855	1.7296	1.0646	1.75804	1.06206
.25600	25.4785	1.4677	1.1092	1.51135	1.10326
.33700	25.0979	1.3340	1.1553	1.38714	1.14505
.43400	24.7413	1.2237	1.2173	1.28420	1.20143
.46600	24.5628	1.1973	1.2394	1.25911	1.22194
.52900	24.4942	1.1451	1.2861	1.20777	1.26705
.64000	24.0236	1.0899	1.3783	1.14752	1.36534
.74600	23.4441	1.0554	1.4807	1.10057	1.50678
.84800	22.4782	1.0392	1.5949	1.06543	1.75242
.92800	21.5267	1.0314	1.6977	1.04035	2.15455
.95650	21.0777	1.0272	1.7374	1.03107	2.40529
.99400	20.3810	1.0282	1.7921	1.02829	2.90287

SYSTEM ACETIC ACID - WATER AT 200 MM HG
DATA OF IT0,JNL CHEM ENG DATA,VOL 9(3),PG 315,(1963)

TWO PARAMETER WILSON EQUATION

WILSON PARAMETER 12 --1214.50 WILSON PARAMETER 21 - 1543.52

LIQUID MOLE FRAC	VAPOUR MOLE FRAC EXPTL	VAPOUR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.04500	.03100	.03103	-.003	200.000	197.095	2.905
.09900	.07100	.07109	-.009	200.000	199.212	.788
.15800	.11200	.11220	-.020	200.000	198.270	1.730
.25800	.18400	.18450	-.050	200.000	197.648	2.352
.35800	.26600	.26702	-.102	200.000	196.639	3.361
.44000	.33800	.33957	-.157	200.000	199.324	.676
.45700	.35300	.35470	-.170	200.000	199.834	.166
.53300	.42700	.42944	-.244	200.000	200.757	-.757
.61100	.50100	.50428	-.328	200.000	201.582	-1.582
.72000	.60900	.61372	-.472	200.000	201.343	-1.343
.83200	.72800	.73450	-.650	200.000	200.110	-.110
.85200	.75400	.76091	-.691	200.000	200.405	-.405
.92200	.84700	.85541	-.841	200.000	199.783	.217
.95000	.88900	.89815	-.915	200.000	198.950	1.050
.98900	.96150	.97180	-1.030	200.000	199.109	.891

SUM OF SQUARES	-	.90926497E-03
STANDARD ERROR OF ESTIMATE	-	.83632206E-02
AVERAGE PRESSURE DEVIATION MM HG	-	.61116953E+00
AVERAGE VAPOUR DEVIATION*100	-	.3787E+00
NUMBER OF FUNCTION EVALUATIONS	-	500

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.04500	14.0521	2.5516	1.0096	2.67168	1.00959
.09900	12.9995	2.0357	1.0278	2.13832	1.02762
.15800	13.3999	1.7147	1.0520	1.80413	1.05166
.25800	13.6264	1.4299	1.0991	1.50673	1.09886
.35800	13.0484	1.2989	1.1522	1.36715	1.15314
.44000	12.8167	1.2144	1.2016	1.27574	1.20598
.45700	12.7933	1.1990	1.2126	1.25866	1.21811
.53300	12.2856	1.1597	1.2635	1.21206	1.27641
.61100	12.0665	1.1186	1.3222	1.16181	1.34955
.72000	11.6865	1.0813	1.4152	1.11037	1.48278
.83200	11.2954	1.0546	1.5273	1.06857	1.68633
.85200	11.1473	1.0529	1.5489	1.06436	1.73375
.92200	10.7621	1.0416	1.6307	1.04548	1.94353
.95000	10.5057	1.0438	1.6651	1.04551	2.04944
.98900	10.1451	1.0377	1.7156	1.03777	2.23462

SYSTEM ACETIC ACID - WATER AT 760 MM HG
DATA OF ITO, JNL, CHEM ENG DATA, VOL 8(3), PG 315 (1963)

THREE PARAMETER NRTL EQUATION

NRTL PARAMETER 12 = -117.21 NRTL PARAMETER 21 = 1053.46
NRTL PARAMETER ALPHA = 1.81729

LIQUID MOLE FRAC	VAPOR MOLE FRAC EXPTL	VAPOR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.01500	.01100	.01102	-.002	760.000	747.331	12.669
.02400	.08600	.04902	3.698	760.000	772.475	-12.475
.05500	.04000	.04005	-.005	760.000	758.748	1.262
.07700	.05600	.05609	-.009	760.000	762.144	-2.144
.22200	.04900	.04905	-.005	760.000	737.793	22.207
.30400	.20800	.20933	-.133	760.000	767.011	-7.011
.37600	.26500	.26714	-.214	760.000	766.150	-6.150
.47800	.35100	.35471	-.371	760.000	763.493	-3.493
.58700	.45500	.46108	-.608	760.000	762.448	-2.448
.69700	.56700	.57629	-.929	760.000	754.917	5.083
.80100	.70200	.71563	-1.363	760.000	766.472	-6.472
.89900	.81200	.82954	-1.754	760.000	751.738	8.262
.90100	.81700	.83456	-1.756	760.000	754.652	5.348
.90400	.83100	.84930	-1.830	760.000	760.595	-.595
.94600	.87700	.89698	-1.998	760.000	748.859	11.141
.97800	.94100	.96328	-2.228	760.000	760.544	-.544

SUM OF SQUARES = .20947893E+02
STANDARD ERROR OF ESTIMATE = .12694000E+01
AVERAGE PRESSURE DEVIATION MM HG = .96482131E+00
AVERAGE VAPOR DEVIATION*100 = .1056E+01
NUMBER OF FUNCTION EVALUATIONS = 1452

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.01500	78.4523	1.4677	1.0040	3.20836	1.00694
.02400	.0021	3.0742	1.0000	5.67251	1.00630
.05500	9.3554	1.9066	1.0108	2.50557	1.03068
.07700	5.9193	1.9746	1.0144	2.29785	1.04314
.22200	33.2846	.7339	1.0948	.70037	1.15716
.30400	4.2002	1.4767	1.0920	1.40186	1.15633
.37600	4.2534	1.3770	1.1257	1.31500	1.18875
.47800	4.3774	1.2653	1.1806	1.22350	1.23606
.58700	4.4234	1.1832	1.2479	1.15871	1.28915
.69700	4.4501	1.1243	1.3269	1.11208	1.34816
.80100	4.2832	1.0907	1.4100	1.08579	1.40847
.89900	4.4043	1.0450	1.5080	1.04386	1.48050
.90100	4.4164	1.0404	1.5105	1.03924	1.48274
.90400	4.2693	1.0546	1.5096	1.05350	1.48086
.94600	4.3594	1.0335	1.5581	1.03319	1.51680
.97800	4.2161	1.0300	1.5907	1.02997	1.54066

SYSTEM ACETIC ACID - WATER AT 760 MM HG
DATA OF GARNER, ELLIS & PEARCE

THREE PARAMETER NRTL EQUATION

NRTL PARAMETER 12 = -52.61 NRTL PARAMETER 21 = 878.03
NRTL PARAMETER ALPHA = 2.47342

LIQUID MOLE FRAC	VAPOR MOLE FRAC EXPTL	VAPOR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.08270	.06630	.06645	-.016	760.000	759.812	.188
.19700	.13600	.13645	-.045	760.000	759.989	.011
.29200	.20100	.20207	-.107	760.000	760.286	-.286
.38700	.27800	.28012	-.212	760.000	761.163	-1.163
.52000	.39500	.39940	-.440	760.000	758.494	1.506
.61000	.48500	.49159	-.659	760.000	760.928	-.928
.66000	.53300	.54089	-.789	760.000	759.802	.198
.73900	.61600	.62636	-1.036	760.000	758.252	1.748
.77900	.66100	.67270	-1.170	760.000	758.886	1.114
.85600	.76000	.77507	-1.507	760.000	760.033	-.033
.91500	.84300	.86099	-1.799	760.000	760.740	-.740
.96500	.93000	.95120	-2.120	760.000	768.879	-8.879

SUM OF SQUARES = .15290468E+03
STANDARD ERROR OF ESTIMATE = .41218211E+02
AVERAGE PRESSURE DEVIATION MM HG = .25312660E+00
AVERAGE VAPOR DEVIATION*100 = .8248E+00
NUMBER OF FUNCTION EVALUATIONS = 1886

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.08270	3.6507	2.1858	1.0126	2.40564	1.03743
.19700	4.3509	1.6635	1.0499	1.64362	1.09184
.29200	4.5808	1.4513	1.0892	1.41999	1.13634
.38700	4.5226	1.3356	1.1334	1.30946	1.18151
.52000	4.5007	1.2236	1.2066	1.20763	1.25141
.61000	4.4436	1.1715	1.2636	1.16127	1.30385
.66000	4.4986	1.1388	1.2999	1.13128	1.33685
.73900	4.5248	1.0988	1.3618	1.09459	1.39254
.77900	4.5478	1.0781	1.3962	1.07514	1.42346
.85600	4.4535	1.0561	1.4656	1.05487	1.48493
.91500	4.3754	1.0405	1.5243	1.04009	1.53684
.96500	4.2003	1.0359	1.5749	1.03585	1.58144

SYSTEM ACETIC ACID - WATER AT 760 MM HG,
 DATA OF SEBASTIANI & LACQUANTI, CHEM ENG SCI, 1967, VOL 22, PP 1
 155-1162

TWO PARAMETER WILSON EQUATION

WILSON PARAMETER 12 = 541.37 WILSON PARAMETER 21 = 234.87

LIQUID MOLE FRAC	VAPOUR MOLE FRAC EXPTL	VAPOUR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.13500	.09300	.09325	-.026	760.000	762.792	7.208
.16800	.11300	.11333	-.033	760.000	763.131	6.869
.24500	.18300	.18395	-.096	760.000	764.634	-4.534
.32500	.23000	.23152	-.152	760.000	760.637	-.637
.35900	.25000	.25180	-.180	760.000	769.171	.829
.42750	.32200	.32504	-.304	760.000	763.880	-3.880
.42800	.32000	.32300	-.300	760.000	762.733	-2.733
.48000	.36500	.36888	-.388	760.000	762.900	-2.900
.56000	.44400	.44966	-.566	760.000	768.090	-8.090
.60500	.48500	.49174	-.674	760.000	763.948	-3.948
.69500	.58000	.58949	-.949	760.000	761.299	-1.299
.71750	.61600	.62669	-1.069	760.000	767.797	-7.797
.72500	.58300	.59245	-.945	760.000	742.661	17.339
.74300	.62500	.63589	-1.089	760.000	754.818	5.182
.75000	.63500	.64618	-1.118	760.000	757.232	2.768
.77000	.64500	.65642	-1.142	760.000	748.540	11.460
.81000	.69800	.71125	-1.325	760.000	750.237	9.763
.82500	.71800	.73194	-1.394	760.000	751.007	8.993
.85500	.77300	.78891	-1.591	760.000	763.861	-3.861
.87300	.79200	.80854	-1.654	760.000	760.471	-.471
.87500	.81750	.83503	-1.753	760.000	777.952	-17.952
.89750	.82750	.84531	-1.781	760.000	762.533	-2.533
.90500	.85000	.86868	-1.868	760.000	771.922	-11.922

SUM OF SQUARES	=	.24651816E+02
STANDARD ERROR OF ESTIMATE	=	.10834648E+01
AVERAGE PRESSURE DEVIATION MM HG	=	.81790278E+00
AVERAGE VAPOUR DEVIATION*100	=	.8867E+00
NUMBER OF FUNCTION EVALUATIONS	=	225

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.13500	5.2736	1.7508	1.0312	1.87464	1.05562
.16800	5.0708	1.6628	1.0420	1.71812	1.07337
.24500	3.7574	1.6345	1.0648	1.61495	1.10865
.32500	4.2626	1.4410	1.1018	1.40138	1.15340
.35900	4.4870	1.3721	1.1194	1.33175	1.17251
.42750	4.0381	1.3508	1.1495	1.31209	1.20244
.42800	4.0977	1.3434	1.1504	1.30491	1.20336
.48000	4.1513	1.2909	1.1791	1.25742	1.22941
.56000	4.1469	1.2299	1.2266	1.20510	1.26829
.60500	4.2166	1.1967	1.2568	1.17576	1.29197
.69500	4.2192	1.1488	1.3212	1.13702	1.33868
.71750	4.0699	1.1532	1.3356	1.14302	1.34759
.72500	4.6681	1.0929	1.3530	1.08377	1.36349
.74300	4.3348	1.1160	1.3614	1.10784	1.36716

SYSTEM ACETIC ACID - WATER AT 760 MM HG.
 DATA OF SEBASTIANI & LACQUANTI, CHEM ENG SCI, 1967, VOL 22, PP 1
 155-1162

TWO PARAMETER WILSON EQUATION

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.75000	4.3237	1.1126	1.3669	1.10494	1.37064
.77000	4.5024	1.0877	1.3875	1.08130	1.38558
.81000	4.4057	1.0812	1.4209	1.07687	1.40695
.82500	4.3803	1.0776	1.4342	1.07398	1.41528
.85500	4.1965	1.0805	1.4582	1.07794	1.42809
.87300	4.2403	1.0697	1.4770	1.06783	1.44034
.87500	4.0205	1.0869	1.4729	1.08500	1.43464
.89750	4.2108	1.0624	1.5011	1.06115	1.45463
.90500	4.0939	1.0688	1.5056	1.06778	1.45551

SYSTEM ACETIC ACID WATER AT 760 MM HG
DATA OF BROWN & EWALD, AUST, J. SCI. RES., A3, PG 3061, 1960

TWO PARAMETER WILSON EQUATION

WILSON PARAMETER 12 = 711.02 WILSON PARAMETER 21 = 193.73

LIQUID MOLE FRAC	VAPOR MOLE FRAC EXPTL	VAPOR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.01090	.00790	.00791	-.001	760.000	744.267	15.733
.03240	.02390	.02394	-.004	760.000	747.903	12.097
.07900	.05750	.05766	-.016	760.000	754.312	5.688
.17490	.12170	.12228	-.058	760.000	762.913	-2.913
.26120	.17830	.17947	-.117	760.000	763.321	-3.321
.35370	.24760	.24975	-.215	760.000	763.175	-3.175
.46410	.34090	.34479	-.389	760.000	760.794	-.794
.58020	.45040	.45692	-.652	760.000	757.767	2.233
.66220	.54270	.55185	-.915	760.000	761.136	-1.136
.70830	.59290	.60367	-1.077	760.000	759.215	.785
.78020	.67270	.68613	-1.343	760.000	757.473	2.527
.85030	.76180	.77856	-1.676	760.000	757.640	2.360
.91880	.85540	.87565	-2.025	760.000	759.963	.037
.95260	.90210	.92416	-2.206	760.000	758.956	1.044
.99450	.98880	1.00000	-1.120	760.000	777.611	-17.611
.99660	.99310	1.00000	-.690	760.000	778.405	-18.405
.99980	.99980	1.00000	-.020	760.000	779.660	-19.660
.99980	.99960	1.00000	-.040	760.000	779.521	-19.521
.99980	.99970	1.00000	-.030	760.000	779.597	-19.597

SUM OF SQUARES = .39420417E+02
STANDARD ERROR OF ESTIMATE = .15227764E+01
AVERAGE PRESSURE DEVIATION MM HG = .10293366E+01
AVERAGE VAPOR DEVIATION*100 = .6629E+00
NUMBER OF FUNCTION EVALUATIONS = 253

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.01090	39.8533	1.9896	1.0020	3.29182	1.00248
.03240	13.2942	1.9967	1.0058	2.84812	1.00955
.07900	6.1095	1.9443	1.0152	2.28138	1.03011
.17490	4.2940	1.7271	1.0418	1.72772	1.07947
.26120	4.2442	1.5406	1.0742	1.48093	1.12426
.35370	4.2446	1.4041	1.1149	1.34106	1.16874
.46410	4.2842	1.2874	1.1718	1.24043	1.21878
.58020	4.3345	1.1978	1.2422	1.16949	1.27055
.66220	4.2440	1.1598	1.2972	1.14186	1.30591
.70830	4.2462	1.1378	1.3319	1.12472	1.32763
.78020	4.3036	1.0995	1.3921	1.09243	1.36390
.85030	4.2383	1.0796	1.4547	1.07639	1.39958
.91880	4.2013	1.0564	1.5234	1.05554	1.43706
.95260	4.1947	1.0449	1.5605	1.04466	1.45719
.99450	3.9930	1.0430	1.6027	1.04297	1.47511
.99660	3.9848	1.0427	1.6049	1.04271	1.47607
.99980	3.9847	1.0401	1.6088	1.04009	1.47768
.99980	3.9811	1.0409	1.6087	1.04086	1.47767

SYSTEM ACETIC ACID WATER AT 760 MM HG
DATA OF BROWN & EWALD, AUST, J, SCI, RES., A3, PG 3061, 1950

TWO PARAMETER WILSON EQUATION

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.99980	3.9812	1.0408	1.6087	1.04076	1.47765

SYSTEM ACETIC ACID - WATER AT 760 MM HG
DATA OF RIVENG, GER, CHYM, ETAT, 38 (1953)

THREE PARAMETER NRTL EQUATION

NRTL PARAMETER 12 = -265.60 NRTL PARAMETER 21 = 144.34
NRTL PARAMETER ALPHA = -.86780

LIQUID MOLE FRAC	VAPOUR MOLE FRAC EXPTL	VAPOUR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.04060	.02750	.02760	-.010	760.000	739.085	20.915
.19700	.13400	.13494	-.094	760.000	747.837	12.163
.35100	.24900	.25253	-.353	760.000	758.254	1.746
.49000	.37000	.37814	-.814	760.000	765.694	-5.694
.60600	.46700	.48017	-1.317	760.000	763.063	-3.063
.70300	.56300	.58249	-1.949	760.000	762.080	-2.080
.79400	.66200	.68974	-2.774	760.000	757.873	2.127
.87500	.76000	.79776	-3.776	760.000	754.460	5.540
.94700	.86700	.91862	-5.162	760.000	762.580	-2.580
.99450	.96800	1.03580	-6.780	760.000	793.953	-33.953

SUM OF SQUARES - .31669776E-02
STANDARD ERROR OF ESTIMATE - .21270293E-01
AVERAGE PRESSURE DEVIATION MM HG - .12963048E+01
AVERAGE VAPOUR DEVIATION*100 - .2303E+01
NUMBER OF FUNCTION EVALUATIONS - 752

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.04060	1.9370	2.7207	1.0025	2.54819	1.00243
.19700	3.9124	1.7083	1.0479	1.61687	1.04628
.35100	4.2487	1.3924	1.1137	1.33418	1.10672
.49000	4.2704	1.2514	1.1862	1.21344	1.16855
.60600	4.5635	1.1426	1.2626	1.11905	1.22892
.70300	4.6269	1.0857	1.3347	1.07154	1.28027
.79400	4.6140	1.0491	1.4109	1.04181	1.32886
.87500	4.5270	1.0287	1.4864	1.02579	1.37096
.94700	4.2411	1.0327	1.5556	1.03217	1.40226
.99450	3.8007	1.0585	1.5954	1.05848	1.41315

SYSTEM ACETIC ACID - METHANOL

DATA OF RIUS ET AL, CHEM ENG SCI, VOL 10, PP 105-111, 1959, & ERR
ATA PG 288 FF

TWO PARAMETER WILSON EQUATION

WILSON PARAMETER 12 = -301.63 WILSON PARAMETER 21 = -236.68

LIQUID MOLE FRAC	VAPOUR MOLE FRAC EXPTL	VAPOUR MOLE FRAC CALC	DELTA Y=100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.00500	.00100	.00040	.060	708.800	832.665	*****
.04100	.00400	.00386	.014	708.800	668.471	40.329
.11800	.01100	.01116	-.016	704.700	689.815	14.885
.16100	.01700	.01723	-.023	704.700	709.632	-4.932
.21500	.02900	.02940	-.040	708.800	700.189	8.611
.28700	.04900	.04964	-.064	708.800	702.316	6.484
.34300	.06600	.06684	-.084	708.800	702.629	6.171
.39900	.08900	.09008	-.108	705.900	702.705	3.195
.48300	.14700	.14881	-.181	705.900	707.368	-1.468
.50800	.16900	.17112	-.212	711.100	722.325	-11.225
.57300	.22400	.22687	-.287	709.300	715.169	-5.869
.61300	.26500	.26852	-.352	711.100	714.335	-3.235
.69400	.37000	.37511	-.511	705.900	717.674	-11.774
.72000	.39700	.40263	-.563	705.900	703.825	2.075
.75000	.44400	.45059	-.659	709.800	708.301	1.499
.79200	.50900	.51688	-.788	709.800	702.878	6.922
.86300	.64700	.65779	-1.079	711.100	706.804	4.296
.89300	.69700	.70871	-1.171	709.800	696.423	13.377
.94200	.83500	.84989	-1.489	709.800	713.944	-4.144
.96300	.89100	.90715	-1.615	709.800	716.228	-6.428

SUM OF SQUARES	=	.35835609E+01
STANDARD ERROR OF ESTIMATE	=	.44619135E+01
AVERAGE PRESSURE DEVIATION MM HG	=	.19812695E+01
AVERAGE VAPOUR DEVIATION*100	=	.4658E+00
NUMBER OF FUNCTION EVALUATIONS	=	323

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.00500	.0005	4.3098	1.0000	1.47619	.99996
.04100	.0120	4.5535	1.0000	1.70997	.99748
.11800	5.2552	2.6135	1.0256	1.20561	1.00582
.16100	6.3009	2.2103	1.0428	1.12605	1.00715
.21500	5.8323	2.0482	1.0625	1.16279	1.00157
.28700	6.3131	1.7736	1.0957	1.13997	.99268
.34300	7.1937	1.5634	1.1269	1.09062	.98505
.39900	7.6461	1.4232	1.1591	1.06555	.97416
.48300	6.9174	1.3449	1.2049	1.09903	.94947
.50800	6.7321	1.3161	1.2195	1.09995	.94205
.57300	6.6996	1.2406	1.2628	1.09000	.92352
.61300	6.5607	1.2058	1.2903	1.08716	.91143
.69400	6.1978	1.1456	1.3496	1.07743	.88698
.72000	6.2514	1.1232	1.3719	1.06783	.87998
.75000	6.0399	1.1085	1.3953	1.06560	.87091
.79200	5.8734	1.0852	1.4313	1.05666	.85917
.86300	5.3845	1.0588	1.4929	1.04718	.83949

SYSTEM ACETIC ACID - METHANOL

DATA OF RIUS ET AL, CHFM ENG SCI, VOL 10, PP 105-111, 1959, & ERR
ATA PG 288 FF

TWO PARAMETER WILSON EQUATION

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.89300	5.3887	1.0351	1.5248	1.02832	.83381
.94200	4.7863	1.0364	1.5655	1.03450	.81967
.96300	4.6178	1.0319	1.6853	1.03115	.81479

SYSTEM ACETIC ACID - ETHANOL
 DATA OF RIUS, ET AL, CHEM ENG SCI, VOL 10, PP 105-111, 1959 & ERR
 ATA PG 288 FF

THREE PARAMETER NRTL EQUATION

NRTL PARAMETER 12 = -252.04 NRTL PARAMETER 21 = -197.59
 NRTL PARAMETER ALPHA = 2.58652

LIQUID MOLE FRAC	VAPOUR MOLE FRAC EXPTL	VAPOUR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.07600	.01000	.01016	-.016	706,000	693,722	12,278
.18400	.03400	.03451	-.051	700,800	698,522	2,278
.27200	.06600	.06695	-.095	697,900	696,070	1,830
.34100	.10000	.10144	-.144	706,400	709,414	-4,014
.41300	.14600	.14814	-.214	707,200	708,810	-1,610
.48400	.20700	.20987	-.287	690,600	699,445	-8,845
.54000	.25000	.25380	-.380	706,000	694,285	11,715
.65300	.40300	.40944	-.644	705,500	720,748	-15,248
.71800	.47400	.48153	-.753	689,700	676,737	12,963
.76700	.56300	.57297	-.997	710,000	707,923	2,077
.79300	.60700	.61788	-1.088	708,100	706,073	2,027
.83400	.68800	.70062	-1.262	707,500	714,380	-6,880
.86700	.72600	.73933	-1.333	700,800	688,557	12,243
.89700	.80300	.81843	-1.543	706,000	710,481	-4,481
.92700	.86600	.87259	-1.659	707,500	711,907	-4,407
.94500	.89300	.91060	-1.760	708,100	715,113	-7,013

SUM OF SQUARES = .22109024E+02
 STANDARD ERROR OF ESTIMATE = .13041067E+01
 AVERAGE PRESSURE DEVIATION MM HG = .10570069E+01
 AVERAGE VAPOUR DEVIATION*100 = .7640E+00
 NUMBER OF FUNCTION EVALUATIONS = 1324

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.07600	3.3740	2.8185	1.0105	1.15805	.99880
.18400	5.3020	1.9349	1.0486	1.06746	.99481
.27200	5.7378	1.6344	1.0864	1.05587	.98631
.34100	5.9178	1.4705	1.1198	1.04276	.97854
.41300	5.8751	1.3627	1.1572	1.04337	.96827
.48400	5.7410	1.2889	1.1971	1.04915	.95596
.54000	5.8547	1.2218	1.2332	1.03588	.94628
.65300	5.2371	1.1580	1.3055	1.05029	.91560
.71800	5.4755	1.1070	1.3600	1.03479	.89497
.76700	5.0650	1.0934	1.3954	1.04269	.87319
.79300	4.9959	1.0826	1.4175	1.04199	.86069
.83400	4.8062	1.0689	1.4522	1.04204	.83845
.86700	4.9359	1.0492	1.4878	1.03163	.81933
.89700	4.5936	1.0551	1.5109	1.04421	.79710
.92700	4.5742	1.0382	1.5429	1.03258	.77640
.94500	4.4703	1.0387	1.5602	1.03550	.76130

SYSTEM ACETIC ACID - N-PROPANOL
 DATA OF RIUS ET AL, CHFM ENG SCI, VOL 10, PP 105-111, 1959, & ERR
 ATA PG 288-FF

TWO PARAMETER WILSON EQUATION

WILSON PARAMETER 12 = -80.39 WILSON PARAMETER 21 = -454.83

LIQUID MOLE FRAC	VAPOUR MOLE FRAC EXPTL	VAPOUR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.09200	.02400	.02436	-.036	703.700	693.271	10.429
.13200	.04000	.04058	-.058	704.200	700.554	3.646
.17700	.06000	.06086	-.086	702.900	696.367	6.533
.24300	.10000	.10137	-.137	702.900	704.074	-1.174
.33100	.16900	.17128	-.228	701.800	704.091	-2.291
.41400	.25500	.25845	-.345	704.200	713.246	-9.046
.50000	.34900	.35377	-.477	701.800	702.740	-.940
.51200	.36200	.36704	-.504	706.800	708.740	-1.940
.56300	.42200	.42788	-.588	701.800	696.559	5.241
.62300	.50700	.51443	-.743	706.800	702.021	4.779
.68800	.60300	.61210	-.910	706.800	706.887	-.087
.79500	.74400	.75580	-1.180	708.200	708.094	.106
.86800	.84600	.85998	-1.398	706.800	712.650	-5.850
.87400	.84100	.85466	-1.366	704.200	702.306	1.894

SUM OF SQUARES	-	.69787716E-03
STANDARD ERROR OF ESTIMATE	-	.76260363E-02
AVERAGE PRESSURE DEVIATION MM HG	-	.54732672E+00
AVERAGE VAPOUR DEVIATION*100	-	.5754E+00
NUMBER OF FUNCTION EVALUATIONS	-	322

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.09200	4.5915	2.0781	1.0167	1.02959	1.00771
.13200	4.0147	1.9476	1.0269	1.03640	1.00863
.17700	4.0630	1.7832	1.0416	1.02251	1.00918
.24300	3.9542	1.6219	1.0682	1.02729	1.00510
.33100	3.9918	1.4572	1.1024	1.03477	.99355
.41400	3.9745	1.3460	1.1419	1.04624	.97588
.50000	4.1997	1.2399	1.1911	1.03998	.95549
.51200	4.2488	1.2213	1.1987	1.03430	.95245
.56300	4.3779	1.1744	1.2317	1.03115	.93881
.62300	4.2820	1.1400	1.2701	1.04247	.91915
.68800	4.2200	1.1164	1.3159	1.04923	.89771
.79500	4.3187	1.0644	1.4055	1.03778	.86544
.86800	4.2229	1.0563	1.4716	1.04565	.84200
.87400	4.3900	1.0401	1.4819	1.03059	.84268

SYSTEM ACETIC ACID - N-PROPANOL AT CONST. PRESS. 760 MM HG
 DATA OF AMER AMEZAGA, ANAL. REAL. SOC. ESP. FIS. QUIM. VOL 69, PG 58
 7, NO 5, MAY 1973

THREE PARAMETER NRTL EQUATION

NRTL PARAMETER 12 = -716.12 NRTL PARAMETER 21 = 324.09
 NRTL PARAMETER ALPHA = .83540

LIQUID MOLE FRAC	VAPOR MOLE FRAC EXPTL	VAPOR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.02700	.00700	.00382	.318	760.000	742.651	17.349
.10800	.03500	.03458	.042	760.000	739.529	20.471
.16700	.06600	.06593	-.093	760.000	752.651	7.349
.21700	.09900	.10040	-.140	760.000	746.432	13.568
.24800	.12200	.12368	-.168	760.000	756.733	3.267
.26000	.13300	.13482	-.182	760.000	760.988	-.988
.28700	.15800	.16013	-.213	760.000	767.338	-7.338
.28900	.16100	.16319	-.219	760.000	761.567	-1.567
.31600	.18300	.18544	-.244	760.000	769.031	-9.031
.35500	.22200	.22497	-.297	760.000	765.772	-5.772
.42000	.29600	.30002	-.402	760.000	764.644	-4.644
.47500	.35400	.35877	-.477	760.000	768.380	-8.380
.55700	.45200	.45834	-.634	760.000	762.219	-2.219
.63200	.54700	.55502	-.802	760.000	759.959	.041
.68800	.60700	.61629	-.929	760.000	748.642	11.358
.75200	.69200	.70295	-1.095	760.000	754.698	5.302
.84000	.80300	.81646	-1.346	760.000	758.596	1.404
.84100	.79700	.81027	-1.327	760.000	754.287	5.713
.88600	.86600	.88087	-1.487	760.000	767.109	-7.109

SUM OF SQUARES = .25622698E+02
 STANDARD ERROR OF ESTIMATE = .12654717E+01
 AVERAGE PRESSURE DEVIATION MM HG = .98384403E+00
 AVERAGE VAPOR DEVIATION*100 = .5480E+00
 NUMBER OF FUNCTION EVALUATIONS = 1223

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.02700	.0002	3.1511	1.0000	.68325	.99710
.10800	.0086	3.0774	1.0001	1.10999	.96362
.16700	1.1509	2.3687	1.0197	1.10874	.94482
.21700	1.8021	2.0300	1.0391	1.12303	.92676
.24800	2.2797	1.8323	1.0538	1.10489	.91725
.26000	2.3834	1.7816	1.0590	1.10709	.91298
.28700	2.6345	1.6745	1.0714	1.10644	.90385
.28900	2.5743	1.6861	1.0715	1.11844	.90224
.31600	2.9902	1.5597	1.0866	1.09167	.89535
.35500	3.2687	1.4595	1.1062	1.09091	.88303
.42000	3.5494	1.3424	1.1401	1.09365	.86408
.47500	3.9678	1.2350	1.1741	1.06303	.85350
.55700	4.1775	1.1538	1.2261	1.05336	.83872
.63200	4.2263	1.1082	1.2754	1.04921	.82964
.68800	4.3409	1.0769	1.3181	1.03922	.82673
.75200	4.2857	1.0577	1.3678	1.03665	.82613
.84000	4.1944	1.0446	1.4437	1.03707	.83086

SYSTEM ACETIC ACID - N-PROPANOL AT CONST. PRESS. 760 MM HG
 DATA OF AMER AMEZAGA, ANAL, REAL, SOC, ESP, FIS, QUIM, VOL 69, PG 58
 7, NO 5, MAY 1973

THREE PARAMETER NRTL EQUATION

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.84100	4.2925	1.0345	1.4471	1.02715	.83252
.88600	4.1112	1.0416	1.4865	1.03809	.83628

SYSTEM ACETIC ACID - ISOPROPANOL AT CONST PRESS 760 MM HG.
 DATA OF AMER AMEZAGA, ANAL, REAL, SOC, ESP, FIS, QUIM, VOL 69, PG 68
 7, NO 5, MAY 1973

THREE PARAMETER NRTL EQUATION

NRTL PARAMETER 12 = -781.08 NRTL PARAMETER 21 = 307.04
 NRTL PARAMETER ALPHA = .83255

LIQUID MOLE FRAC	VAPOR MOLE FRAC EXPTL	VAPOR MOLE FRAC CALC	DELTA Y=100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.04600	.00700	.00333	.367	760.000	764.502	-4.502
.09500	.02100	.01358	.742	760.000	748.613	11.387
.12400	.02700	.02374	.326	760.000	750.125	9.876
.21100	.06100	.06088	.012	760.000	750.232	9.768
.27700	.09800	.09763	.037	760.000	752.895	7.105
.30700	.11800	.11742	.058	760.000	765.841	-6.841
.35800	.15700	.15605	.095	760.000	762.573	-2.573
.41400	.20400	.20254	.146	760.000	759.786	.214
.47400	.27600	.27366	.235	760.000	772.492	-12.492
.55600	.35100	.34745	.355	760.000	767.856	-7.856
.60800	.41100	.40654	.446	760.000	763.534	-3.534
.67400	.50200	.49625	.575	760.000	759.152	.848
.76400	.63800	.63008	.792	760.000	762.132	-2.132
.81200	.70100	.69209	.891	760.000	752.916	7.084
.86100	.77900	.76892	1.008	760.000	761.941	8.059
.90700	.84000	.82887	1.113	760.000	743.053	16.947
.97700	.94900	.93609	1.291	760.000	739.493	20.507

SUM OF SQUARES = .25840251E+02
 STANDARD ERROR OF ESTIMATE = .13585773E+01
 AVERAGE PRESSURE DEVIATION MM HG = .10905767E+01
 AVERAGE VAPOR DEVIATION*100 = .4993E+00
 NUMBER OF FUNCTION EVALUATIONS = 1484

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.04600	.0002	3.6154	1.0000	.59016	.98859
.09500	.0004	3.5637	1.0000	.88744	.95891
.12400	.0022	3.5156	1.0000	1.07189	.93677
.21100	1.4256	2.4502	1.0330	1.16253	.89104
.27700	2.5858	1.9277	1.0672	1.14251	.86128
.30700	3.0980	1.7485	1.0840	1.12160	.84951
.35800	3.6781	1.5592	1.1118	1.11466	.82870
.41400	4.2375	1.4007	1.1446	1.09658	.80933
.47400	4.2592	1.3176	1.1770	1.10939	.78986
.55600	5.0265	1.1585	1.2352	1.04544	.77577
.60800	5.1440	1.1080	1.2717	1.03106	.76824
.67400	4.9698	1.0808	1.3176	1.03460	.76025
.76400	4.6971	1.0536	1.3861	1.03343	.75685
.81200	4.6682	1.0372	1.4285	1.02555	.75889
.86100	4.4672	1.0371	1.4709	1.03128	.76149
.90700	4.4439	1.0249	1.5176	1.02250	.76815
.97700	4.2269	1.0268	1.5899	1.02565	.78006

SYSTEM ACETIC ACID - N-BUTANOL
 DATA OF RIUS ET AL, CHEM ENG SCI, VOL 10, PP 105-111, 1959 & EHR
 ATA PG 288 FF

THREE PARAMETER NRTL EQUATION

NRTL PARAMETER 12 = 191.20 NRTL PARAMETER 21 = -665.30
 NRTL PARAMETER ALPHA = .04798

LIQUID MOLE FRAC	VAPOUR MOLE FRAC EXPTL	VAPOUR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.04600	.02000	.02024	-.024	706,400	693,632	12,768
.08000	.04000	.04047	-.047	706,400	698,563	7,837
.17600	.11100	.11228	-.128	705,600	697,954	7,646
.26900	.21000	.21233	-.233	707,900	708,757	-.857
.34300	.29800	.30126	-.326	707,900	707,542	.358
.41000	.38600	.39023	-.423	707,900	708,836	-.936
.45500	.44500	.44988	-.488	707,300	709,776	-2,476
.51500	.52600	.53085	-.585	707,300	709,564	-2,264
.54100	.56100	.56727	-.627	706,800	710,634	-3,834
.64500	.68900	.69709	-.809	707,000	708,942	-1,942
.69600	.74100	.74993	-.893	707,000	706,959	1,041
.74600	.79100	.80092	-.992	706,700	702,932	3,768
.76600	.81200	.82233	-1,033	707,000	704,175	2,825
.83900	.87600	.88770	-1,170	706,800	703,790	3,010
.88300	.91500	.92768	-1,268	706,900	707,396	-.496
.89500	.92200	.93438	-1,238	700,700	700,496	.204
.94000	.96100	.97445	-1,345	702,200	708,564	-6,364
.98200	.99100	1,00000	-.900	702,200	712,738	-10,538

SUM OF SQUARES = .10027372E+02
 STANDARD ERROR OF ESTIMATE = .81761327E+02
 AVERAGE PRESSURE DEVIATION MM HG = .57674933E+00
 AVERAGE VAPOUR DEVIATION*100 = .6959E+00
 NUMBER OF FUNCTION EVALUATIONS = 1350

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.04600	10,6528	1,6819	1,0088	.95840	1,00757
.08000	6,1861	1,6774	1,0156	.99322	1,01174
.17600	3,9531	1,5327	1,0408	1,00353	1,02189
.26900	3,1785	1,4491	1,0698	1,03613	1,02466
.34300	3,0685	1,3715	1,0987	1,04408	1,02389
.41000	3,0325	1,3132	1,1284	1,05250	1,01957
.45500	3,0889	1,2705	1,1513	1,05105	1,01552
.51500	3,1466	1,2265	1,1840	1,05449	1,00716
.54100	3,1662	1,2105	1,1990	1,05687	1,00250
.64500	3,3603	1,1476	1,2677	1,05708	.97990
.69600	3,5432	1,1130	1,3077	1,04752	.96715
.74600	3,6624	1,0933	1,3488	1,04770	.95135
.76600	3,6960	1,0872	1,3658	1,04843	.94432
.83900	3,9040	1,0608	1,4351	1,04251	.91761
.88300	3,9681	1,0551	1,4793	1,04546	.89851
.89500	4,0902	1,0429	1,4951	1,03514	.89506
.94000	4,1278	1,0413	1,5442	1,03871	.87366
.98200	4,2137	1,0368	1,5954	1,03656	.85357

SYSTEM ACETIC ACID - 2-BUTANOL AT CONST. PRESS 760. MM HG
 DATA OF AMER AMEZAGA, ANAL. REAL, SOC, ESP, FIS, QUIM, VOL 69, PG 58
 7, NO 5, MAY 1973

THREE PARAMETER NRTL EQUATION

NRTL PARAMETER 12 = -737.85 NRTL PARAMETER 21 = 48.11
 NRTL PARAMETER ALPHA = 3.30921

LIQUID MOLE FRAC	VAPOR MOLE FRAC EXPTL	VAPOR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.09300	.02800	.01289	1.511	760.000	797.534	-37.534
.13600	.05000	.05083	-.083	760.000	741.192	18.808
.17200	.07200	.07321	-.121	760.000	734.545	25.455
.19300	.08800	.08946	-.146	760.000	736.916	23.084
.26800	.14800	.15042	-.242	760.000	740.960	19.040
.31500	.19500	.19816	-.316	760.000	753.562	6.438
.35300	.23600	.23982	-.382	760.000	764.261	-4.261
.45200	.34600	.35171	-.571	760.000	780.917	-20.917
.53100	.44500	.45258	-.758	760.000	794.870	-34.870
.60600	.54200	.55158	-.958	760.000	805.052	-45.052
.68800	.63600	.64752	-1.152	760.000	805.167	-45.167
.77300	.75100	.76550	-1.450	760.000	807.589	-47.589
.82500	.80100	.81679	-1.579	760.000	797.767	-37.767
.85600	.84000	.88962	-.562	760.000	495.099	264.901
.87600	.85700	.87438	-1.738	760.000	790.513	-30.513
.89500	.88000	.89803	-1.803	760.000	789.288	-29.288
.92500	.91300	.93202	-1.902	760.000	784.775	-24.775
.94900	.93300	.95253	-1.953	760.000	776.543	-16.543

SUM OF SQUARES = .14824870E+00
 STANDARD ERROR OF ESTIMATE = .99414520E+01
 AVERAGE PRESSURE DEVIATION MM HG = .62302369E+01
 AVERAGE VAPOR DEVIATION*100 = .9570E+00
 NUMBER OF FUNCTION EVALUATIONS = 1292

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.09300	.0001	3.0361	1.0000	.47758	.59047
.13600	.2977	2.8037	1.0048	1.09430	.53181
.17200	2.4139	1.9705	1.0316	1.09655	.51467
.19300	3.3010	1.7470	1.0434	1.10676	.50724
.26800	5.2979	1.3428	1.0826	1.09341	.49294
.31500	5.5216	1.2460	1.1051	1.09328	.49021
.35300	5.5121	1.1952	1.1235	1.09006	.49038
.45200	5.3199	1.1113	1.1749	1.07022	.49768
.53100	4.9450	1.0841	1.2184	1.06455	.50850
.60600	4.6315	1.0688	1.2636	1.05952	.52234
.68800	4.5443	1.0415	1.3216	1.03782	.54257
.77300	4.1685	1.0528	1.3830	1.05159	.56468
.82500	4.2372	1.0344	1.4308	1.03390	.58325
.85600	18.5932	.5576	1.5922	.55744	.64848
.87600	4.1965	1.0304	1.4788	1.03025	.60208
.89500	4.1608	1.0312	1.4971	1.03111	.60939
.92500	4.1370	1.0305	1.5281	1.03048	.62179
.94900	4.2045	1.0214	1.5567	1.02137	.63354

SYSTEM ACETIC ACID - 150-BUTANOL AT CONST.PRESS,760 MM.HG
 DATA OF AMER AMEZAGA, ANAL, REAL, SOC, ESP, FIS, QUIM, VOL 69, PG 58
 7, NO 5, MAY 1973

TWO PARAMETER WILSON EQUATION

WILSON PARAMETER 12 = -258.92 WILSON PARAMETER 21 = -846.58

LIQUID MOLE FRAC	VAPOR MOLE FRAC EXPTL	VAPOR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.01300	.00400	.00403	-.003	760.000	737.858	22.142
.04500	.01600	.01627	-.027	760.000	737.157	22.843
.09300	.04100	.04169	-.069	760.000	744.808	15.192
.11400	.05700	.05794	-.094	760.000	750.737	9.263
.18400	.10300	.10471	-.171	760.000	751.170	8.830
.25000	.17300	.17585	-.285	760.000	767.922	-7.922
.31100	.23100	.23482	-.382	760.000	770.035	-10.035
.38900	.32500	.33054	-.554	760.000	768.903	-8.903
.42200	.36300	.36926	-.626	760.000	766.276	-6.276
.45400	.40800	.41515	-.715	760.000	766.243	-6.243
.54900	.51500	.52445	-.945	760.000	753.272	6.728
.66500	.66300	.66583	-1.283	760.000	744.845	15.155
.73600	.72900	.74382	-1.482	760.000	742.450	17.550
.76800	.75700	.77257	-1.557	760.000	746.054	13.946
.79000	.79000	.80641	-1.641	760.000	747.449	12.551
.80300	.80000	.81680	-1.680	760.000	744.676	15.324
.82000	.82100	.83834	-1.734	760.000	748.937	11.063
.83700	.84200	.85992	-1.792	760.000	753.084	6.916
.88500	.88900	.90842	-1.942	760.000	756.901	3.099
.90900	.91900	.93946	-2.046	760.000	764.550	-4.550
.91100	.91300	.93309	-2.009	760.000	759.453	.547
.93000	.92700	.94766	-2.066	760.000	758.802	1.198
.93600	.93900	.96017	-2.117	760.000	764.294	-4.294
.98900	.98900	1.00000	-1.100	760.000	774.593	-14.593

SUM OF SQUARES = .57671707E+02
 STANDARD ERROR OF ESTIMATE = .16190865E+01
 AVERAGE PRESSURE DEVIATION MM HG = .13440917E+01
 AVERAGE VAPOR DEVIATION*100 = .1097E+01
 NUMBER OF FUNCTION EVALUATIONS = 242

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.01300	.0566	2.8749	1.0000	1.06448	.99976
.04500	.6290	2.7214	1.0011	1.09947	.99840
.09300	.8580	2.5002	1.0058	1.13833	.99454
.11400	.7149	2.4851	1.0072	1.18725	.99069
.18400	1.5450	2.0294	1.0277	1.11759	.98680
.25000	1.5813	1.8719	1.0457	1.15580	.97414
.31100	2.0503	1.6502	1.0727	1.11483	.96594
.38900	2.3136	1.4980	1.1076	1.11471	.94804
.42200	2.4831	1.4329	1.1262	1.10482	.94048
.45400	2.5251	1.3980	1.1409	1.11248	.93078
.54900	3.0169	1.2552	1.2006	1.08118	.90553
.66500	3.3828	1.1572	1.2819	1.06981	.86749
.73600	3.6385	1.1060	1.3403	1.05471	.84384

SYSTEM ACETIC ACID - 150-BUTANOL AT CONST. PRESS. 760 MM. HG
 DATA OF AMER AMEZAGA, ANAL. REAL. SOC. ESP. FIS. QUIM. VOL 69, PG 58
 7, NO 5, MAY 1973

TWO PARAMETER WILSON EQUATION

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.75800	3.6588	1.0980	1.3583	1.05541	.83560
.79000	3.7707	1.0780	1.3878	1.04669	.82496
.80300	3.8183	1.0724	1.4003	1.04509	.82032
.82000	3.8408	1.0657	1.4160	1.04314	.81424
.83700	3.8487	1.0617	1.4317	1.04330	.80781
.88500	3.9407	1.0477	1.4805	1.03881	.79041
.90900	3.8878	1.0528	1.5034	1.04718	.77999
.91100	4.0110	1.0379	1.5093	1.03259	.78163
.93000	4.0628	1.0333	1.5312	1.03003	.77492
.93600	3.9797	1.0427	1.5351	1.03998	.77102
.98900	4.0385	1.0354	1.5977	1.03528	.75207

SYSTEM ACETIC ACID - TERT. BUTANOL AT CONST PRESS 760 MM HG
 DATA OF AMER AMEZAGA, ANAL, REAL, SOC, LSP, FIS, QUIM, VOL 69, PG 58
 7, NO 5 MAY 1973

THREE PARAMETER NRTL EQUATION

NRTL PARAMETER 12 = -1155.03 NRTL PARAMETER 21 = 460.10
 NRTL PARAMETER ALPHA = .32992

LIQUID MOLE FRAC	VAPOUR MOLE FRAC EXPTL	VAPOUR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.10300	.01800	.01378	.422	760.000	710.310	49.690
.15400	.03100	.03152	-.052	760.000	717.319	42.681
.20200	.05400	.05498	-.098	760.000	721.431	38.569
.24400	.07800	.07937	-.137	760.000	744.642	15.358
.27100	.09200	.09359	-.159	760.000	747.874	12.126
.31600	.12900	.13116	-.216	760.000	762.980	-2.980
.35900	.16400	.16668	-.268	760.000	765.794	-5.794
.39200	.19300	.19611	-.311	760.000	770.560	-10.560
.43300	.23400	.23771	-.371	760.000	774.307	-14.307
.46100	.26900	.27320	-.420	760.000	784.920	-24.920
.49900	.31100	.31585	-.485	760.000	782.018	-22.018
.53600	.35400	.35945	-.545	760.000	785.802	-25.802
.60000	.42300	.42956	-.656	760.000	768.228	-8.228
.63300	.46800	.47537	-.737	760.000	763.641	-3.641
.68900	.53000	.53849	-.849	760.000	745.936	14.064
.72700	.59000	.59968	-.968	760.000	746.891	13.109
.79900	.69800	.70993	-1.193	760.000	747.417	12.583
.84400	.75600	.76924	-1.324	760.000	742.415	17.585
.88400	.82500	.83993	-1.493	760.000	752.261	7.749
.91600	.86200	.87775	-1.575	760.000	748.800	11.200
.94000	.90400	.92080	-1.680	760.000	757.226	2.774
.94500	.89900	.91566	-1.666	760.000	748.537	11.463

SUM OF SQUARES = .16506598E+01
 STANDARD ERROR OF ESTIMATE = .29474876E+01
 AVERAGE PRESSURE DEVIATION MM HG = .23092704E+01
 AVERAGE VAPOUR DEVIATION*100 = .7102E+00
 NUMBER OF FUNCTION EVALUATIONS = 1422

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.10300	.0007	3.5599	1.0000	.84439	.96518
.15400	.1058	3.3799	1.0024	1.04954	.93226
.20200	.5186	2.9347	1.0157	1.12468	.90516
.24400	1.0163	2.5064	1.0343	1.12498	.88449
.27100	1.4572	2.2446	1.0498	1.10026	.87256
.31600	1.8133	2.0073	1.0705	1.11975	.84715
.35900	2.2854	1.7918	1.0947	1.10908	.82480
.39200	2.6605	1.6491	1.1147	1.09396	.80835
.43300	3.0369	1.5152	1.1395	1.08292	.78758
.46100	3.1899	1.4469	1.1559	1.08145	.77337
.49900	3.4869	1.3586	1.1808	1.07047	.75513
.53600	3.7903	1.2769	1.2066	1.05166	.73910
.60000	4.2892	1.1700	1.2546	1.02488	.71229
.63300	4.3535	1.1409	1.2782	1.02540	.69817

SYSTEM ACETIC ACID - TERT. BUTANOL AT CONST PRESS 760 MM HG
 DATA OF AMER AMEZAGA, ANAL. REAL, SOC. ESP. FIS. QUIM, VOL 69, PG 58
 7, NO 5 MAY 1973

THREE PARAMETER NRTL EQUATION

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.68900	4.6710	1.0803	1.3245	1.00583	.67783
.72700	4.5882	1.0678	1.3532	1.01327	.66336
.79900	4.5086	1.0438	1.4132	1.01699	.63981
.84400	4.5388	1.0270	1.4559	1.01184	.62773
.88400	4.3414	1.0327	1.4908	1.02464	.61632
.91600	4.4005	1.0191	1.5261	1.01507	.61046
.94000	4.2784	1.0239	1.5489	1.02186	.60490
.94500	4.3861	1.0147	1.5577	1.01308	.60498

SYSTEM ACETIC ACID - ETHYL ACETATE AT 30 CENT
DATA OF MEEHAN

TWO PARAMETER WILSON EQUATION

WILSON PARAMETER 12 = -409.53 WILSON PARAMETER 21 = 1014.78

LIQUID MOLE FRAC	VAPOUR MOLE FRAC EXPTL	VAPOUR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.12590	.01840	.01850	-.010	108.300	107.500	.800
.25310	.04640	.04662	-.022	98.000	97.989	.011
.38480	.09140	.09161	-.021	85.800	86.423	-.623
.53170	.17120	.17111	.009	70.900	71.507	-.607
.60670	.23100	.23058	.042	63.600	63.370	.230
.80120	.50190	.49898	.292	42.000	41.806	.194
.89250	.70210	.69681	.529	32.600	32.665	-.065

SUM OF SQUARES	-	.21903491E+03
STANDARD ERROR OF ESTIMATE	-	.66186843E+02
AVERAGE PRESSURE DEVIATION MM HG	-	.47936042E+00
AVERAGE VAPOUR DEVIATION*100	-	.1320E+00
NUMBER OF FUNCTION EVALUATIONS	-	347

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.12590	36.9532	2.0693	1.0480	1.54637	1.04395
.25310	35.8552	1.6025	1.1128	1.26830	1.09357
.38480	36.4256	1.3686	1.1932	1.15035	1.13964
.53170	38.4307	1.2053	1.3018	1.08218	1.17516
.60670	39.0736	1.1536	1.3660	1.06929	1.18224
.80120	40.1663	1.0744	1.5690	1.06335	1.16001
.89250	39.9913	1.0624	1.6875	1.06563	1.16088

SYSTEM ACETIC ACID - ETHYL ACETATE AT 50 CENT
DATA OF MEEHAN

TWO PARAMETER WILSON EQUATION

WILSON PARAMETER 12 = -242.91 WILSON PARAMETER 21 = 385.19

LIQUID MOLE FRAC	VAPOUR MOLE FRAC EXPTL	VAPOUR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.13850	.02640	.02664	-.024	252.200	250.980	1.220
.29130	.06850	.06903	-.053	224.900	224.931	-.031
.41150	.11620	.11670	-.050	201.200	200.969	.231
.50540	.17040	.17064	-.024	180.700	180.468	.232
.63370	.27410	.27327	.083	150.000	149.605	.395
.73010	.39800	.39536	.264	124.600	125.222	-.622
.86840	.64980	.64219	.761	89.600	89.462	.138

SUM OF SQUARES	=	.60647525E-04
STANDARD ERROR OF ESTIMATE	=	.34827439E-02
AVERAGE PRESSURE DEVIATION MM HG	=	.23682567E+00
AVERAGE VAPOUR DEVIATION*100	=	.1799E+00
NUMBER OF FUNCTION EVALUATIONS	=	246

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.13850	19.9909	1.9126	1.0481	1.54231	1.04446
.29130	20.0923	1.4594	1.1244	1.23693	1.10519
.41150	20.7265	1.2818	1.1976	1.12909	1.15260
.50540	20.8052	1.2017	1.2629	1.08977	1.18577
.63370	21.5107	1.1152	1.3681	1.04955	1.22242
.73010	21.4165	1.0839	1.4596	1.04544	1.23718
.86840	21.8429	1.0470	1.6187	1.03680	1.23323

SYSTEM ACETIC ACID - ETHYL ACETATE AT 70 CENT
DATA OF MEEHAN

THREE PARAMETER NRTL EQUATION

NRTL PARAMETER 12 = -448.57 NRTL PARAMETER 21 = 770.62
NRTL PARAMETER ALPHA = .77665

LIQUID MOLE FRAC	VAPOUR MOLE FRAC EXPTL	VAPOUR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.13570	.03210	.03312	-.102	539.300	530.899	8.401
.29270	.08240	.08452	-.212	481.600	482.244	-.644
.41900	.13670	.13860	-.190	432.200	431.926	.274
.52190	.19710	.19765	-.055	384.300	384.958	-.658
.62080	.27490	.27253	.237	336.600	336.123	.477
.76530	.45510	.44163	1.347	255.600	258.058	-2.458
.86790	.64360	.61396	2.964	203.400	201.241	2.159

SUM OF SQUARES	=	.45496322E-03
STANDARD ERROR OF ESTIMATE	=	.10664933E-01
AVERAGE PRESSURE DEVIATION MM HG	=	.69388613E+00
AVERAGE VAPOUR DEVIATION*100	=	.7295E+00
NUMBER OF FUNCTION EVALUATIONS	=	760

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.13570	12.5063	1.7937	1.0418	1.63385	1.04910
.29270	11.5453	1.4258	1.1134	1.28991	1.12154
.41900	12.2568	1.2411	1.1869	1.15144	1.17065
.52190	12.9999	1.1363	1.2578	1.07876	1.22363
.62080	13.6177	1.0658	1.3362	1.03173	1.26658
.76530	14.2833	1.0008	1.4725	.98885	1.33282
.86790	14.4443	.9793	1.5884	.97566	1.38533

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SYSTEM ACETIC ACID - N-BUTYL ACETATE
DATA OF JAPANESE

THREE PARAMETER NRTL EQUATION

NRTL PARAMETER 12 = -128.89 NRTL PARAMETER 21 = 9059.8/
NRTL PARAMETER ALPHA = .41033

LIQUID MOLE FRAC	VAPOUR MOLE FRAC EXPTL	VAPOUR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.03796	.04353	.04370	-.016	760.000	768.442	1.558
.14893	.18167	.18193	-.026	760.000	761.958	-1.958
.19287	.18968	.18999	-.031	760.000	744.156	15.844
.19762	.22414	.22428	-.014	760.000	762.951	-2.951
.28797	.36608	.36583	.025	760.000	759.523	.477
.34754	.44124	.44032	.092	760.000	769.970	-9.970
.49115	.58134	.57906	.228	760.000	764.231	-4.231
.55486	.63626	.63333	.293	760.000	759.204	.796
.56413	.65639	.65307	.332	760.000	766.833	-6.833
.57632	.67859	.67504	.355	760.000	770.923	-10.923
.61936	.70517	.70131	.386	760.000	762.474	-2.474
.65819	.73801	.73350	.451	760.000	762.853	-2.853
.73399	.78440	.77916	.525	760.000	750.883	9.117
.83461	.88168	.87480	.688	760.000	757.822	2.178
.89928	.89054	.88352	.702	760.000	729.750	30.250
.90910	.92943	.92173	.770	760.000	750.731	9.269

SUM OF SQUARES = .28622695E+02
STANDARD ERROR OF ESTIMATE = .14838281E+01
AVERAGE PRESSURE DEVIATION MM HG = .10290943E+01
AVERAGE VAPOUR DEVIATION*100 = .3083E+00
NUMBER OF FUNCTION EVALUATIONS = 1843

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.03796	15.7139	1.4879	1.0079	1.89901	1.07953
.14893	2.3495	1.7560	1.0249	1.59441	1.12065
.19287	4.2020	1.4068	1.0477	1.27829	1.14522
.19762	2.9668	1.5457	1.0429	1.40545	1.14009
.28797	2.1294	1.5710	1.0666	1.44975	1.15703
.34754	2.2436	1.4805	1.0895	1.38288	1.17623
.49115	2.7607	1.2883	1.1640	1.23575	1.23141
.55486	2.9866	1.2257	1.2034	1.18736	1.25865
.56413	2.9032	1.2325	1.2069	1.19554	1.26038
.57632	2.8023	1.2450	1.2117	1.20966	1.26211
.61936	3.0270	1.1985	1.2433	1.17102	1.28358
.65819	3.1633	1.1665	1.2720	1.14499	1.30270
.73399	3.5432	1.1026	1.3364	1.09029	1.34492
.83461	3.5598	1.0916	1.4211	1.08696	1.39271
.89928	4.1808	1.0217	1.5021	1.02011	1.44621
.90910	3.8092	1.0617	1.5009	1.06035	1.44010

SYSTEM ACETIC ACID - CYCLOHEXYL ACETATE AT 760 MM HG
DATA OF NITHEMER, INC., ENG. CHEM., 35, 614 (1943)

THREE PARAMETER NRTL EQUATION

NRTL PARAMETER 12 = -1800.34 NRTL PARAMETER 21 = 3544.28
NRTL PARAMETER ALPHA = .20091

LIQUID MOLE FRAC	VAPOR MOLE FRAC EXPTL	VAPOR MOLE FRAC CALC	DELTA Y=100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.02000	.36500	.28606	15.894	760.000	748.725	11.275
.05000	.47000	.38949	8.051	760.000	775.796	-15.796
.10000	.55900	.53012	2.888	760.000	757.132	2.868
.20000	.65500	.66042	-.542	760.000	749.959	10.041
.30000	.73100	.74129	-1.029	760.000	738.610	21.390
.40000	.79600	.81103	-1.503	760.000	742.514	17.486
.50000	.85300	.87288	-1.988	760.000	751.110	8.890
.60000	.90000	.92475	-2.475	760.000	760.290	-.290
.70000	.93700	.96598	-2.898	760.000	770.339	-10.339
.80000	.96400	.99651	-3.251	760.000	777.760	-17.760
.90000	.98300	1.00000	-1.700	760.000	782.715	-22.715

SUM OF SQUARES = .39225419E+02
STANDARD ERROR OF ESTIMATE = .22143119E+01
AVERAGE PRESSURE DEVIATION MM HG = .18653504E+01
AVERAGE VAPOR DEVIATION*100 = .3838E+01
NUMBER OF FUNCTION EVALUATIONS = 2606

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA H	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.02000	.0006	1.8861	1.0000	4.11898	1.00161
.05000	.0018	1.9454	1.0000	3.42168	1.00913
.10000	.0048	2.0370	1.0000	2.69836	1.03086
.20000	.1914	2.0123	1.0068	1.93590	1.09079
.30000	.3796	1.9201	1.0251	1.62992	1.14725
.40000	.6728	1.7476	1.0613	1.45491	1.18814
.50000	1.0391	1.5769	1.1132	1.35042	1.20347
.60000	1.4707	1.4327	1.1792	1.28326	1.19006
.70000	2.0222	1.2956	1.2617	1.21400	1.15665
.80000	2.6600	1.1831	1.3601	1.14881	1.10722
.90000	3.3702	1.0930	1.4764	1.08496	1.04919

SYSTEM ACETIC ACID - VINYL ACETATE AT 760 MM HG
DATA OF CZECHS, COLL, CZECH, CHEM, COMM, 28, 1963, PG 2236

TWO PARAMETER WILSON EQUATION

WILSON PARAMETER 12 = 1730.44 WILSON PARAMETER 21 = -852.85

LIQUID MOLE FRAC	VAPOR MOLE FRAC EXPTL	VAPOR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.19800	.07800	.07777	.023	760.000	740.501	19.499
.32400	.13500	.13497	.003	760.000	764.129	-4.129
.43100	.17800	.17847	-.047	760.000	755.336	4.664
.45100	.18900	.18960	-.060	760.000	768.763	-8.763
.55900	.25100	.25271	-.171	760.000	770.730	-10.730
.56800	.25800	.25983	-.183	760.000	776.631	-16.631
.68100	.34500	.34914	-.414	760.000	757.444	2.556
.75600	.42900	.43602	-.702	760.000	751.270	8.730
.83000	.53900	.55025	-1.125	760.000	763.551	-3.551
.83500	.54100	.55260	-1.160	760.000	745.956	14.044
.87800	.62900	.64469	-1.569	760.000	755.716	4.284
.89600	.66900	.68690	-1.790	760.000	753.475	6.525
.94100	.78400	.80863	-2.453	760.000	756.175	3.825
.97800	.90400	.93609	-3.209	760.000	767.967	-7.967

SUM OF SQUARES = .22838958E+02
STANDARD ERROR OF ESTIMATE = .13795820E+01
AVERAGE PRESSURE DEVIATION MM HG = .10892704E+01
AVERAGE VAPOR DEVIATION*100 = .9222E+00
NUMBER OF FUNCTION EVALUATIONS = 562

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.19800	6.3201	1.9037	1.0571	2.10069	1.11448
.32400	5.7127	1.6471	1.1104	1.68327	1.20261
.43100	6.2639	1.4355	1.1698	1.43693	1.28401
.45100	6.3914	1.3891	1.1822	1.38853	1.41020
.55900	6.6557	1.2461	1.2527	1.24091	1.38689
.56800	6.6837	1.2311	1.2591	1.22601	1.39475
.68100	6.6093	1.1422	1.3435	1.13833	1.49147
.75600	6.2688	1.1039	1.4037	1.10153	1.55928
.83000	6.0282	1.0434	1.4706	1.04236	1.63679
.83500	5.9102	1.0606	1.4737	1.05952	1.63843
.87800	5.5772	1.0379	1.5124	1.03739	1.68402
.89600	5.3513	1.0413	1.5273	1.04093	1.70082
.94100	4.8585	1.0374	1.5662	1.03730	1.74663
.97800	4.3872	1.0363	1.5962	1.03630	1.78376

SYSTEM ACETIC ACID - ACETONE AT CONSTAN TEMPERATURE 30 CENT
DATA OF MEEHAN AND MURPHY CHEM ENG SCIENCE, 1965, VOL 20, PP 75
7-769

TWO PARAMETER WILSON EQUATION

WILSON PARAMETER 12 = 300.42 WILSON PARAMETER 21 = -639.39

LIQUID MOLE FRAC	VAPOUR MOLE FRAC EXPTL	VAPOUR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.12640	.00450	.00449	.001	243.500	248.122	-4.622
.27580	.01700	.01696	.004	203.900	207.271	-3.371
.38640	.03440	.03418	.022	176.000	175.089	.911
.45940	.05270	.05220	.050	155.200	154.285	.915
.51870	.07180	.07095	.085	139.200	137.881	1.319
.70680	.16980	.16650	.330	88.000	88.003	-.003
.84900	.34400	.33546	.854	51.800	52.084	-.284

SUM OF SQUARES = .81481964E+03
STANDARD ERROR OF ESTIMATE = .12765733E+01
AVERAGE PRESSURE DEVIATION MM HG = .87950316E+00
AVERAGE VAPOUR DEVIATION*100 = .1921E+00
NUMBER OF FUNCTION EVALUATIONS = 421

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.12640	37.0161	2.0647	1.0482	1.04897	1.02147
.27580	42.3880	1.4414	1.1281	.98638	1.02179
.38640	45.2600	1.2393	1.1984	.97686	1.01276
.45940	46.1772	1.1592	1.2504	.97798	1.00553
.51870	47.3189	1.1040	1.2967	.97296	1.00021
.70680	55.2594	.9485	1.4749	.91232	.99312
.84900	60.2585	.8830	1.6476	.87505	1.00076

SYSTEM ACETIC ACID - ACETONE AT CONSTANT TEMPERATURE 40 CENT
 DATA OF MEEHAN AND MURPHY, CHEM ENG, SCIENCE, 1965, VOL 20 PP 75
 7-769

THREE PARAMETER NRTL EQUATION

NRTL PARAMETER 12 = -685.41 NRTL PARAMETER 21 = 864.46
 NRTL PARAMETER ALPHA = .69220

LIQUID MOLE FRAC	VAPOR MOLE FRAC EXPTL	VAPOR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.15550	.00720	.00717	.003	362,100	362,706	-.606
.32220	.02680	.02672	.008	292,900	293,797	-.897
.43840	.05450	.05397	.053	242,700	243,004	-.304
.48430	.07000	.06916	.084	224,700	223,732	.968
.57930	.11150	.10961	.189	187,000	185,154	1,846
.76250	.25750	.25061	.689	112,200	114,146	-1,946
.94340	.67230	.64873	2,357	49,400	48,638	.762

SUM OF SQUARES	=	.66834005E-03
STANDARD ERROR OF ESTIMATE	=	.12926137E-01
AVERAGE PRESSURE DEVIATION MM HG	=	.87348055E+00
AVERAGE VAPOR DEVIATION*100	=	.4834E+00
NUMBER OF FUNCTION EVALUATIONS	=	1341

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.15550	27,1243	1,8642	1,0590	1,04283	1,02558
.32220	30,6933	1,3518	1,1503	.99825	1,02287
.43840	31,8505	1,1960	1,2267	.99873	1,01221
.48430	32,0638	1,1558	1,2601	1,00096	1,00785
.57930	33,3794	1,0780	1,3370	.98954	1,00132
.76250	38,0151	.9546	1,5215	.93359	1,00414
.94340	38,8613	.9215	1,7605	.92055	1,03135

SYSTEM ACETIC ACID - ACETONE AT CONSTANT TEMPERATURE 50 CENT
 DATA OF MEEHAN AND MURPHY, CHEM ENG SCIENCE, 1965, VOL 20 PP 75
 7-769

THREE PARAMETER NRTL EQUATION

NRTL PARAMETER 12 = -1331.86 NRTL PARAMETER 21 = 1762.91
 NRTL PARAMETER ALPHA = .23442

LIQUID MOLE FRAC	VAPOUR MOLE FRAC EXPTL	VAPOUR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.15610	.00820	.00814	.006	533.400	533.435	-.035
.29970	.02610	.02597	.013	455.900	456.598	-.698
.43710	.06110	.06017	.093	370.700	369.534	1.166
.46910	.07200	.07071	.129	348.000	348.769	-.769
.58450	.13580	.13225	.355	277.100	276.462	.648
.73470	.27900	.26882	1.018	186.600	187.399	-.799
.82930	.42350	.40558	1.792	135.200	134.858	.342

SUM OF SQUARES = .47301633E+04
 STANDARD ERROR OF ESTIMATE = .34388091E-02
 AVERAGE PRESSURE DEVIATION MM HG = .29685639E+00
 AVERAGE VAPOUR DEVIATION*100 = .4865E+00
 NUMBER OF FUNCTION EVALUATIONS = 2989

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.15610	24.1942	1.6957	1.0581	1.03740	1.04431
.29970	20.5046	1.4327	1.1295	1.02096	1.06525
.43710	20.1203	1.2739	1.2137	1.03091	1.06282
.46910	20.7718	1.2294	1.2367	1.02049	1.06038
.58450	20.3034	1.1671	1.3237	1.04653	1.04174
.73470	21.6408	1.0777	1.4648	1.03382	1.01213
.82930	23.3961	1.0208	1.5745	1.00421	.99448

SYSTEM ACETIC ACID - ACETONE AT 760 MM HG
DATA OF LONGEST

THREE PARAMETER NRTL EQUATION

NRTL PARAMETER 12 = -137.55 NRTL PARAMETER 21 = 399.45
NRTL PARAMETER ALPHA = 2.53271

LIQUID MOLE FRAC	VAPOUR MOLE FRAC EXPTL	VAPOUR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.09650	.00190	.00185	.005	760.000	756.324	3.676
.11200	.00300	.00292	.008	760.000	757.228	2.772
.17500	.00730	.00711	.019	760.000	757.709	2.291
.27800	.01600	.01556	.044	760.000	746.110	13.890
.35140	.02680	.02598	.082	760.000	752.048	7.952
.37230	.03070	.02973	.097	760.000	752.424	7.576
.43140	.04680	.04517	.163	760.000	763.176	-3.176
.52520	.08780	.08423	.357	760.000	784.847	-24.847
.64030	.15210	.14493	.717	760.000	774.171	-14.171
.75190	.26300	.24869	1.431	760.000	751.635	8.365
.83770	.43220	.40498	2.722	760.000	750.076	9.924
.94940	.80140	.73474	6.666	760.000	731.814	28.186

SUM OF SQUARES - .36896388E-02
STANDARD ERROR OF ESTIMATE - .20247466E-01
AVERAGE PRESSURE DEVIATION MM HG - .15239761E+01
AVERAGE VAPOUR DEVIATION*100 - .1026E+01
NUMBER OF FUNCTION EVALUATIONS - 750

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.09650	403.1150	.5337	1.0451	.54262	1.05506
.11200	218.0778	.6634	1.0512	.66380	1.06318
.17500	90.2526	.8106	1.0796	.78145	1.09868
.27800	54.9580	.8251	1.1329	.78518	1.15727
.35140	40.6169	.8426	1.1735	.80587	1.19693
.37230	37.6126	.8476	1.1856	.81236	1.20808
.43140	28.9167	.8796	1.2195	.84903	1.23815
.52520	19.7628	.9251	1.2760	.90293	1.28546
.64030	15.6197	.9115	1.3594	.89948	1.35295
.75190	11.8224	.9195	1.4467	.91412	1.42204
.83770	8.5690	.9506	1.5107	.94843	1.47259
.94940	5.5648	.9780	1.5930	.97478	1.53986

SYSTEM ACETIC ACID - DIPHETHYLKETONE AT 70 CENT
 DATA OF HADDAD & EDMISTER, J. CHEM. ENG. DATA, 17(3), 1972, PG 276

THREE PARAMETER NRTL EQUATION

NRTL PARAMETER 12 = -224.63 NRTL PARAMETER 21 = *****
 NRTL PARAMETER ALPHA = .03701

LIQUID MOLE FRAC	VAPOR MOLE FRAC EXPTL	VAPOR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.02550	.00920	.00906	.014	259.500	232.577	26.923
.06380	.02560	.02525	.035	245.700	243.988	1.712
.09960	.04560	.04500	.060	245.200	244.173	1.027
.11770	.05610	.05537	.073	242.100	243.124	-1.024
.18040	.09590	.09471	.119	232.200	237.610	-5.410
.31240	.18750	.18545	.205	216.600	221.957	-5.357
.35310	.21750	.21521	.229	211.300	216.302	-5.002
.43710	.29050	.28778	.272	203.500	205.446	-1.946
.50080	.34510	.34207	.303	194.200	195.455	-1.255
.61760	.48900	.48551	.349	178.100	180.405	-2.305
.67660	.54980	.54630	.350	173.800	172.716	1.084
.74780	.64650	.64310	.340	166.900	165.331	1.569
.81050	.72930	.72601	.329	160.100	158.094	2.006
.87560	.80080	.79753	.327	152.900	148.542	4.358
.95560	.93170	.92887	.283	144.600	143.059	1.541

SUM OF SQUARES = .14073660E+01
 STANDARD ERROR OF ESTIMATE = .34246249E+01
 AVERAGE PRESSURE DEVIATION MM HG = .28187943E+01
 AVERAGE VAPOR DEVIATION*100 = .2192E+00
 NUMBER OF FUNCTION EVALUATIONS = 3843

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.02550	5618.0538	.3007	1.0120	1.94881	1.54025
.06380	38.1151	1.5444	1.0209	1.67938	1.66387
.09960	15.4998	1.8435	1.0295	1.63253	1.70710
.11770	13.1387	1.8487	1.0351	1.58187	1.72354
.18040	10.5686	1.7340	1.0583	1.44201	1.77006
.31240	10.7906	1.4338	1.1221	1.23751	1.85242
.35310	11.2449	1.3560	1.1454	1.18835	1.87647
.43710	11.6242	1.2570	1.1962	1.13586	1.92091
.50080	12.3918	1.1727	1.2410	1.08235	1.95596
.61760	12.2938	1.1146	1.3285	1.06311	2.00823
.67660	12.6800	1.0780	1.3804	1.04209	2.03589
.74780	12.5212	1.0633	1.4464	1.04159	2.06440
.81050	12.6589	1.0452	1.5123	1.03308	2.09116
.87560	13.3521	1.0123	1.5915	1.00722	2.12386
.95560	12.8054	1.0247	1.6923	1.02401	2.15373

SYSTEM ACETIC ACID - ETHYL ETHER AT CONSTANT PRESSURE 389.7
 DATA OF MEEHAN AND MURPHY, CHEM ENG SCIENCE, 1965, VOL 20 PP 75
 7-769

THREE PARAMETER NRTL EQUATION

NRTL PARAMETER 12 = -234.73 NRTL PARAMETER 21 = 252.83
 NRTL PARAMETER ALPHA = .47000

LIQUID MOLE FRAC	VAPOUR MOLE FRAC EXPTL	VAPOUR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.16390	.01130	.01169	-.039	389.700	380.519	9.181
.35430	.02660	.02743	-.083	389.700	411.991	-22.291
.51240	.06160	.05277	-.117	389.700	426.392	-36.692
.70690	.11330	.11470	-.140	389.700	411.552	-21.852
.76690	.14300	.14424	-.124	389.700	395.504	-5.804
.89970	.30250	.30128	.122	389.700	355.894	33.806
.93300	.39430	.39042	.388	389.700	345.030	44.670

SUM OF SQUARES - .36722940E-01
 STANDARD ERROR OF ESTIMATE - .95816152E-01
 AVERAGE PRESSURE DEVIATION MM HG - .77501054E+01
 AVERAGE VAPOUR DEVIATION*100 - .1449E+00
 NUMBER OF FUNCTION EVALUATIONS - 85

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA H	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.16390	21.1766	2.7680	1.0602	2.66973	1.05865
.35430	28.4852	1.6686	1.1685	1.63577	1.16108
.51240	27.2383	1.3723	1.2767	1.35793	1.26093
.70690	23.3462	1.1765	1.4405	1.17248	1.41017
.76690	22.4471	1.1160	1.5008	1.11369	1.46518
.89970	17.1153	1.0003	1.6417	.99993	1.59545
.93300	15.2902	.9553	1.6772	.95521	1.62957

SYSTEM ACETIC ACID - ETHYL ETHER AT CONSTANT PRESSURE 487.9
 DATA OF MEEHAN AND MURPHY, CHEM ENG SCIENCE, 1965, VOL 20, PP 76
 7-769

THREE PARAMETER NRTL EQUATION

NRTL PARAMETER 12 = 981.77 NRTL PARAMETER 21 = -532.57
 NRTL PARAMETER ALPHA = .47000

LIQUID MOLE FRAC	VAPOUR MOLE FRAC EXPTL	VAPOUR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.15190	.01050	.01092	-.042	487.900	467.181	20.719
.34530	.02520	.02612	-.092	487.900	481.032	6.868
.49650	.04720	.04849	-.129	487.900	487.777	.123
.68810	.10610	.10764	-.154	487.900	491.268	-3.368
.78420	.16190	.16301	-.111	487.900	487.526	.374
.89460	.31250	.31044	.206	487.900	491.556	-3.656
.93740	.43900	.43228	.672	487.900	483.171	4.729

SUM OF SQUARES - .21998975E-02
 STANDARD ERROR OF ESTIMATE - .23451532E-01
 AVERAGE PRESSURE DEVIATION MM HG - .17609364E+01
 AVERAGE VAPOUR DEVIATION*100 - .2007E+00
 NUMBER OF FUNCTION EVALUATIONS - 86

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.15190	17.0301	2.8387	1.0522	2.04733	1.04640
.34530	26.9174	1.6036	1.1618	1.60852	1.13213
.49650	27.3969	1.2979	1.2648	1.34458	1.21147
.68810	22.7704	1.1243	1.4209	1.16955	1.37457
.78420	19.6962	1.0648	1.5124	1.09473	1.52678
.89460	14.5586	.9960	1.6223	1.00549	1.83548
.93740	12.3191	.9617	1.6637	.95526	2.01790

SYSTEM ACETIC ACID - ETHYL ETHER AT CONSTANT PRESSURE 596.4
DATA OF MEEHAN AND MURPHY, CHEM ENG SCIENCE, 1966, VOL 20 PP 76
7-769

THREE PARAMETER NRTL EQUATION

NRTL PARAMETER 12 = 391.33 NRTL PARAMETER 21 = 20.26
NRTL PARAMETER ALPHA = 4.28788

LIQUID MOLE FRAC	VAPOUR MOLE FRAC EXPTL	VAPOUR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.16980	.01070	.01095	-.025	596.400	577.037	19.363
.31900	.02260	.02310	-.050	596.400	683.216	13.184
.47270	.04390	.04463	-.073	596.400	600.926	-4.526
.58410	.06840	.06926	-.086	596.400	603.560	-7.160
.79910	.18550	.18587	-.037	596.400	594.088	2.312
.86830	.28410	.28322	.088	596.400	597.123	-.723
.94140	.47790	.47286	.504	596.400	596.440	-.040

SUM OF SQUARES = .17610496E+02
STANDARD ERROR OF ESTIMATE = .20982430E+01
AVERAGE PRESSURE DEVIATION MM HG = .17217507E+01
AVERAGE VAPOUR DEVIATION*100 = .1233E+00
NUMBER OF FUNCTION EVALUATIONS = 1798

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.16980	27.1202	2.0564	1.0659	2.18634	1.06709
.31900	28.2153	1.5185	1.1469	1.60078	1.15154
.47270	25.5840	1.2819	1.2454	1.34183	1.25706
.58410	23.2491	1.1760	1.3286	1.22498	1.34951
.79910	16.0794	1.0590	1.5162	1.08915	1.59730
.86830	12.9990	1.0249	1.5805	1.04609	1.73768
.94140	10.1896	.9422	1.6606	.94996	2.06403

SYSTEM ACETIC ACID - PYRIDINE AT 80.05 CENT
DATA OF ZAWIDSKI, Z. PHYS. CHEM, 1900, PG 153

TWO PARAMETER WILSON EQUATION

WILSON PARAMETER 12 = -2138.06 WILSON PARAMETER 21 = -36.54

LIQUID MOLE FRAC	VAPOR MOLE FRAC EXPTL	VAPOR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.29053	.03179	.03168	.011	153,600	156,952	-3,352
.38341	.08421	.08398	.023	123,500	127,480	-3,980
.45434	.19473	.18613	.861	104,100	106,127	-2,027
.49679	.30416	.27184	3,232	94,600	95,820	-1,220
.55605	.47129	.42162	4,967	86,400	86,123	1,277
.62534	.65202	.63950	1,253	81,600	80,555	1,045
.66396	.74751	.74286	.465	87,000	84,056	2,944
.67212	.76171	.75856	.315	88,900	85,290	3,610
.75678	.91688	.91942	-.353	104,000	101,546	2,454
.82917	.97508	.98268	-.760	128,200	127,257	.943
.88047	.99049	1.00000	-.951	153,200	153,621	-.421
.91044	.99369	1.00000	-.631	169,600	170,782	-1,182
.94465	.99666	1.00000	-.334	186,400	188,620	-2,220
.96727	.99749	1.00000	-.251	196,700	199,466	-2,766

SUM OF SQUARES	=	.62427979E-02
STANDARD ERROR OF ESTIMATE	=	.22808620E-01
AVERAGE PRESSURE DEVIATION MM HG	=	.18220011E+01
AVERAGE VAPOR DEVIATION*100	=	.1029E+01
NUMBER OF FUNCTION EVALUATIONS	=	196

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.29053	.7944	2.8922	1.0395	.21240	.94364
.38341	.2573	3.3056	1.0291	.29459	.84601
.45434	.0025	3.7614	1.0005	.39396	.73170
.49679	.0011	3.7649	1.0003	.43731	.66589
.55605	.0012	3.7644	1.0004	.51032	.56045
.62534	.0088	3.7401	1.0034	.61852	.42114
.66396	.0243	3.6903	1.0103	.68892	.34014
.67212	.0327	3.6641	1.0140	.70256	.32351
.75678	.2543	3.1415	1.1012	.81744	.16158
.82917	.7504	2.5303	1.2326	.90283	.05265
.88047	1.5378	2.0604	1.3564	.96286	.01149
.91044	2.4159	1.7717	1.4427	.99331	.00253
.94465	4.2940	1.4335	1.5546	1.01608	.00013
.96727	6.4007	1.2244	1.6323	1.02550	.00000

SYSTEM ACETIC ACID - ACETIC ANHYDRIDE AT 100 MM HG
DATA OF JONES, J. CHEM. ENG. DATA., 7(1), P13, 1962

THREE PARAMETER NRTL EQUATION

NRTL PARAMETER 12 = -828.92 NRTL PARAMETER 21 = 1312.34
NRTL PARAMETER ALPHA = .25394

LIQUID MOLE FRAC	VAPOR MOLE FRAC EXPTL	VAPOR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.10000	.19900	.19769	.131	100.000	100.728	-.728
.20000	.36000	.35838	.162	100.000	99.673	.327
.30000	.49500	.49339	.161	100.000	99.638	.362
.40000	.61000	.60879	.121	100.000	100.109	-.109
.50000	.70300	.70234	.066	100.000	100.250	-.250
.60000	.78000	.78005	-.005	100.000	100.095	-.095
.70000	.84500	.84582	-.082	100.000	99.916	.084
.80000	.90200	.90363	-.163	100.000	99.819	.181
.90000	.95300	.95548	-.248	100.000	99.921	.079
.95000	.97800	.98097	-.297	100.000	100.202	-.202
.97500	.98900	.99216	-.316	100.000	100.251	-.251

SUM OF SQUARES = .10003793E+03
STANDARD ERROR OF ESTIMATE = .35362044E+02
AVERAGE PRESSURE DEVIATION MM HG = .2684035/E+00
AVERAGE VAPOR DEVIATION*100 = .1592E+00
NUMBER OF FUNCTION EVALUATIONS = 4500

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.10000	16.0245	1.6407	1.0299	1.88701	1.03676
.20000	12.2532	1.4660	1.0693	1.55225	1.09144
.30000	10.9732	1.3671	1.1160	1.38248	1.15550
.40000	10.6338	1.2909	1.1708	1.27705	1.22517
.50000	10.9649	1.2191	1.2350	1.19734	1.29865
.60000	11.6430	1.1577	1.3117	1.13826	1.37412
.70000	12.5880	1.1043	1.4011	1.09120	1.45104
.80000	13.6623	1.0630	1.5063	1.05653	1.52918
.90000	14.8234	1.0333	1.6307	1.03154	1.60961
.95000	15.4046	1.0226	1.7015	1.02215	1.65136
.97500	15.7419	1.0171	1.7397	1.01695	1.67302

SYSTEM ACETIC ACID - ACETALDEHYDE AT 760 MM HG
 DATA OF FRIED ET AL, COLL, CZECH, CHEM, COMM., VOL 28, PG 3171, 196
 3

THREE PARAMETER NRTL EQUATION

NRTL PARAMETER 12 = -2465.14 NRTL PARAMETER 21 = 2179.47
 NRTL PARAMETER ALPHA = .00945

LIQUID MOLE FRAC	VAPOR MOLE FRAC EXPTL	VAPOR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.42500	.01700	.01634	.066	760.000	762.818	-2.818
.53600	.03600	.03478	.122	760.000	748.758	11.242
.64200	.07400	.07165	.235	760.000	749.116	10.884
.71600	.12700	.12331	.369	760.000	787.182	-27.182
.78200	.15700	.15258	.442	760.000	735.105	24.895
.87500	.33300	.32618	.682	760.000	767.959	-7.959
.87500	.35700	.35038	.662	760.000	775.867	-15.867
.90000	.43200	.42509	.691	760.000	782.876	-22.876
.92300	.50400	.49736	.664	760.000	757.109	2.891
.94000	.56700	.56068	.632	760.000	740.802	19.198
.95400	.66900	.66367	.533	760.000	766.506	-6.506
.96900	.72200	.71749	.451	760.000	727.113	32.887
.97800	.79800	.79491	.309	760.000	737.448	22.552

SUM OF SQUARES = .77202507E+02
 STANDARD ERROR OF ESTIMATE = .27785339E+01
 AVERAGE PRESSURE DEVIATION MM HG = .27158212E+01
 AVERAGE VAPOR DEVIATION*100 = .4506E+00
 NUMBER OF FUNCTION EVALUATIONS = 2696

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.42500	24.3012	1.5215	1.2107	1.24982	1.07966
.53600	19.0666	1.4601	1.2829	1.28158	1.07627
.64200	14.5804	1.3897	1.3575	1.29518	1.06665
.71600	11.8061	1.3197	1.4121	1.26470	1.05943
.78200	12.7369	1.1694	1.4823	1.14124	1.06249
.87500	8.8893	1.0864	1.5556	1.07831	1.05661
.87500	7.9652	1.1369	1.5452	1.12848	1.04958
.90000	7.3734	1.0929	1.5663	1.08786	1.05077
.92300	6.7714	1.0779	1.5843	1.07499	1.04890
.94000	6.3835	1.0582	1.5980	1.05645	1.04888
.95400	5.6772	1.0448	1.6010	1.04381	1.04736
.96900	5.4363	1.0363	1.6139	1.03584	1.04640
.97800	4.9640	1.0390	1.6131	1.03876	1.04322

SYSTEM ACETIC ACID-DIMETHYLACETAMIDE AT CONSTANT PRESSURE 7
 DATA OF CARLI ET AL. - CHEM. ENG. SCI., VOL 27, PAGES 993-1001, 1972

TWO PARAMETER WILSON EQUATION

WILSON PARAMETER 12 = -2263.81 WILSON PARAMETER 21 = 1064.39

LIQUID MOLE FRAC	VAPOR MOLE FRAC EXPTL	VAPOR MOLE FRAC CALC	DELTA Y*100	EXPTL PRESS	CALC PRESS	DELTA P MM HG
.05000	.03000	.02959	.041	760.000	727.806	32.194
.14500	.09200	.09080	.120	760.000	737.916	22.084
.22500	.19000	.18710	.290	760.000	749.634	10.366
.28700	.28700	.28210	.490	760.000	758.263	1.737
.32500	.35500	.34857	.643	760.000	761.163	-1.163
.39200	.49200	.48219	.981	760.000	770.329	-10.329
.48000	.67500	.66065	1.435	760.000	771.945	-11.945
.51500	.73700	.72155	1.545	760.000	763.323	-3.323
.57500	.82000	.80274	1.726	760.000	762.782	-2.782
.60000	.85700	.83967	1.733	760.000	758.792	1.208
.64000	.91500	.89715	1.785	760.000	764.718	-4.718
.67500	.93800	.92049	1.751	760.000	760.843	-.843
.73200	.97300	.96742	1.558	760.000	757.910	2.090
.77500	.97500	.95984	1.516	760.000	749.625	10.375
.80200	.99100	.97728	1.372	760.000	754.516	5.484
.81700	.98800	.97563	1.237	760.000	749.896	10.104
.84000	.99300	.98137	1.163	760.000	751.072	8.928
.87500	.99600	.98562	1.038	760.000	751.179	8.821
.90200	.99700	.98743	.957	760.000	751.296	8.704
.93700	.99800	.99071	.729	760.000	753.040	6.960

SUM OF SQUARES = .42492975E+02
 STANDARD ERROR OF ESTIMATE = .15364637E+01
 AVERAGE PRESSURE DEVIATION MM HG = .10799698E+01
 AVERAGE VAPOR DEVIATION*100 = .1105E+01
 NUMBER OF FUNCTION EVALUATIONS = 297

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.05000	9.2137	1.2315	1.0093	.32223	1.00623
.14500	7.4586	.9567	1.0391	.31071	1.01122
.22500	4.5193	.9840	1.0612	.38108	.99184
.28700	3.7424	.9754	1.0814	.42925	.96725
.32500	3.4133	.9732	1.0946	.46031	.94833
.39200	2.9090	.9830	1.1183	.52141	.90749
.48000	2.3037	1.0352	1.1487	.61597	.84137
.51500	2.0084	1.0856	1.1580	.66438	.80966
.57500	2.0493	1.0763	1.1899	.70125	.75067
.60000	1.7530	1.1459	1.1921	.75085	.71601
.64000	1.4673	1.2313	1.1995	.81966	.66308
.67500	1.5056	1.2345	1.2206	.84214	.59627
.73200	1.2821	1.3440	1.2377	.92654	.46811
.77500	1.7837	1.2144	1.2986	.89354	.38443
.80200	1.5856	1.2930	1.3040	.96114	.29961
.81700	1.5396	1.3245	1.3108	.97373	.25153
.84000	1.6690	1.3047	1.3368	.98447	.19127

SYSTEM ACETIC ACID-DIMETHYLACETAMIDE AT CONSTANT PRESSURE 7
 DATA OF CARLI ET. AL. - CHEM. ENG. SCI, VOL 27, PAGES 993-1001, 19
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TWO PARAMETER WILSON EQUATION

LIQUID MOLE FRAC	EQUILIBRIUM CONSTANT	DELTA A	DELTA B	ACTIVITY COEFF 1	ACTIVITY COEFF 2
.87500	1.9781	1.2531	1.3854	.99341	.10822
.90200	2.3629	1.1907	1.4321	.99217	.05864
.93700	2.6773	1.1723	1.4822	1.03053	.01219

APPENDIX A4

Parameters for Wilson, NRTL and UNIQUAC equations
obtained from data reduction.

A4.1 WILSON PARAMETERS

SYSTEM	Temp. or Press.	$\lambda_{12} - \lambda_{11}$	$\lambda_{21} - \lambda_{22}$	$\frac{\sum 100\Delta\gamma}{N}$	$\frac{\sum \Delta P/P}{N}$
1. ACETONE-TOLUENE (K9)	35°C	744.43	-343.16	0.72731	0.44854
2. " " "	45°C	838.85	-422.63	1.1626	0.97692
3. " " "	55°C	858.84	-434.99	1.1717	1.0738
4. ACETONE-BENZENE (K9)	30°C	639.32	-251.51	1.1907	0.33619
5. " " "	40°C	486.33	-150.83	0.65034	1.0359
6. " " "	50°C	776.21	-331.46	1.0402	0.50259
7. ETHYL ACETATE-BENZENE (L5)	50°C	1106.22	-286.70	2.1262	0.95061
8. " " "	60°C	1400.52	-313.15	2.2815	0.74046
9. " " "	70°C	1183.24	-238.11	2.6064	0.77064
10. ETHYL ACETATE-TOLUENE (L5)	50°C	29.55	611.19	7.4221	2.0364
11. " " "	60°C	94.03	470.87	7.2798	1.6744
12. " " "	70°C	104.67	429.39	7.6574	1.9346
13. CYCLOHEXANE-N-PROPANOL (S15)	55°C	494.07	1625.89	1.5941	1.3928
14. " " "	65°C	553.70	1417.39	0.86161	0.59175

	Temp. or Press.	$\lambda_{12}-\lambda_{11}$	$\lambda_{21}-\lambda_{22}$	$\frac{\sum 100\Delta Y}{N}$	$\frac{\sum \Delta P/P}{N}$
15. CYCLOHEXANE-N-BUTANOL (S15)	50°C	305.30	1930.68	1.2195	0.87301
16. " " "	70°C	463.53	1458.08	1.0117	0.83966
17. METHANOL-CYCLOHEXANE (S16)	50°C	2827.18	1157.77	2.8474	3.0219
18. " " "	55°C	2475.76	1258.25	2.8460	1.5992
19. BENZENE-N-HEPTANE (H13)	720 MM	-74.39	1242.95	2.3580	1.1867
20. ETHANOL-CYCLOHEXANE (S16)	760 MM	1949.58	725.53	2.5036	1.1377
21. METHANOL-BENZENE (S14)	45°C	1579.49	427.47	1.0969	0.60301
22. " " (S13)	230 MM	1649.44	452.84	0.89804	0.36985
23. " " "	340 MM	1574.54	487.15	1.2821	0.38232
24. " " "	521 MM	1524.71	489.99	1.4624	0.65812
25. " " "	740 MM	1517.37	454.64	1.4079	0.64989
26. BENZENE-N-HEPTANE (H13)	740 MM	-74.81	1251.10	2.3601	1.2348
27. " " "	760 MM	875.85	-426.50	0.1000	0.60826
28. METHYLETHYL KETONE-TOLUENE (K9)	75°C	1975.59	+641.82	3.1005	3.4484

SYSTEM		Temp. or Press.	$\lambda_{12} - \lambda_{11}$	$\lambda_{21} - \lambda_{22}$	$\frac{\Sigma 100\Delta y}{N}$	$\frac{\Sigma \Delta p/p}{N}$
29.	METHANOL-N-HEXANE	760 MM	3000.09	1034.57	2.6259	1.7617
30.	CARBON TETRACHLORIDE-METHANOL (S6)	35°C	2372.77	395.87	1.5873	1.6254
31.	" " "	55°C	2105.44	387.70	2.5274	1.9906
32.	BENZENE-2-BUTANOL (E1)	60°C	156.32	1256.66	2.3605	1.0184
33.	" " "	70°C	-1.62	1182.55	1.1348	0.26833
34.	" " "	80°C	67.48	911.64	1.5933	0.31336
35.	BENZENE-TERT-BUTANOL (E1)	60°C	620.30	517.09	2.3294	0.58535
36.	" " "	70°C	549.98	517.98	1.9014	0.31881
37.	" " "	75°C	492.09	610.52	2.8664	0.60151
38.	BENZENE-ISO-BUTANOL (E1)	60°C	119.42	1246.37	1.7660	0.71067
39.	" " "	70°C	216.18	1054.04	1.6941	1.6617
40.	" " "	80°C	148.20	967.03	1.0857	0.51257
41.	DIPROPYL ETHER-ETHYLBENZENE (L6)	50°C	-465.59	949.0	3.3301	1.4888
42	" " "	60°C	-411.65	770.98	2.5723	1.1119

SYSTEM	Temp. or Press.	$\lambda_{12}-\lambda_{11}$	$\lambda_{21}-\lambda_{22}$	$\frac{\sum 100\Delta Y}{N}$	$\frac{\sum \Delta P/P}{N}$
43. DIPROPYL ETHER-ETHYLBENZENE (L6)	70°C	-391.58	794.48	2.8617	1.4651
44. BENZENE-METHYL ETHYL KETONE (K9)	40°C	-281.90	584.64	0.51930	0.39335
45. " " "	50°C	-276.75	625.41	0.67192	0.40797
46. " " "	60°C	-214.79	590.21	1.1215	0.74623
47. METHYL ETHYL KETONE-ETHYLBENZENE (K9)	55°C	-638.88	1172.42	4.1149	5.8339
48. " " "	65°C	265.54	1911.19	1.3952	1.0081
49. " " "	75°C	555.90	-246.14	0.81467	0.7007
50. BENZENE-DIPROPYL ETHER (L6)	50°C	15.11	88.09	0.48014	0.28435
51. " " "	60°C	-94.22	389.87	0.58623	0.29152
52. " " "	70°C	277.03	-124.69	1.2490	0.60421
53. DIPROPYL ETHER-TOLUENE (L6)	50°C	381.72	-248.52	1.6405	0.66993
54. METHYL ETHYL KETONE-TOLUENE (K9)	65°C	625.16	-307.30	0.33138	0.13314
55. " " "	55°C	565.35	-301.20	0.29015	0.20043
56. PYRIDINE-TETRACHLORETHYLENE (F8)	60°C	557.49	56.44	0.66249	0.15899

SYSTEM	Temp. or Press.	$\lambda_{12} - \lambda_{11}$	$\lambda_{21} - \lambda_{22}$	$\frac{\sum 100\Delta\gamma}{N}$	$\frac{\sum \Delta\rho/p}{N}$
57. PYRIDINE-TETRACHLORETHYLENE (F8)	80°C	659.28	4.81	1.0561	0.41321
58. " " "	100°C	531.40	97.30	0.90988	0.36627
59. DI-ISO PROPYL ETHER-ETHYLBENZENE (L6)	70°C	-130.65	321.04	2.5971	0.94832
60. ETHYL ACETATE-ETHYLBENZENE (L5)	60°C	-14.60	268.38	1.2504	1.1231
61. " " "	70°C	20.25	211.05	1.5415	0.93654
62. BENZENE-DI-ISOPROPYL ETHER (L6)	50°C	131.53	236.38	1.3395	0.54752
63. " " "	60°C	477.04	-267.48	1.0859	0.47925
64. " " "	70°C	805.27	-505.71	3.9729	2.9840
65. DI-ISOPROPYL ETHER-TOLUENE (L6)	50°C	-208.19	426.94	2.2575	0.80811
66. " " "	60°C	-240.98	473.32	2.2003	0.51649
67. " " "	70°C	-45.04	242.25	2.4209	0.50567
68. DI-ISOPROPYL ETHER-ETHYLBENZENE (L6)	50°C	-172.62	382.60	3.3795	1.7253
69. " " "	60°C	-321.72	618.50	2.2954	1.0833
70. " " "	70°C	-133.29	324.58	2.1462	1.1621

SYSTEM	Temp. or Press.	$\lambda_{12}-\lambda_{11}$	$\lambda_{21}-\lambda_{22}$	$\frac{\sum 100\Delta Y}{N}$	$\frac{\sum \Delta P/P}{N}$
71. ETHANOL-ETHYL ACETATE (D4)	760 MM	1009.37	-209.35	1.5728	0.58436
72. ETHANOL-N-BUTYL ACETATE (D4)	760 MM	674.28	227.85	4.1403	2.9354
73. ETHANOL-N-BUTANOL (D4)	760 MM	1148.07	-854.11	3.1459	2.1331
74. ETHYL ACETATE-N-BUTANOL	760 MM	128.83	318.43	1.8043	1.1271
75. ETHYL ACETATE-N-BUTYL ACETATE	760 MM	-189.98	500.24	0.52817	0.44381
76. N-BUTANOL-N-BUTYL ACETATE	760 MM	698.82	-91.44	1.5191	0.70328
77. METHANOL-WATER (D1)	760 MM	136.97	637.25	0.80309	1.9693
78. ETHANOL-WATER (D1)	760 MM	450.18	988.75	0.91264	2.4471
79. METHANOL-WATER (M14)	35°C	240.69	341.98	2.5029	2.1733
80. " " "	50°C	47.27	466.89	1.3900	0.96012
81. ACETIC ACID-N-HEPTANE (M10)	20°C	1792.66	771.28	1.1112	0.75881
82. " " "	30°C	1745.38	922.90	0.90451	0.33479
83. " " "	40°C	1760.53	801.71	1.1065	0.39091
84. ACETIC ACID-PYRIDINE (Z1)	80.05°C	-725.45	-565.52	1.7382	1.8239

SYSTEM	Temp. or Press	$\lambda_{12} - \lambda_{11}$	$\lambda_{21} - \lambda_{22}$	$\frac{\Sigma 100\Delta Y}{N}$	$\frac{\Sigma \Delta P/P}{N}$
85. ACETIC ACID-BENZENE (Z1)	49.99°C	1191.09	112.82	1.1239	2.1716
86. " (M21)	760 MM	1552.10	74.97	1.5364	1.3565
87. ACETIC ACID-ETHYL ACETATE (G1)	760 MM	-56.62	5433.0	7.3131	1.0256
88. ACETIC ACID-BENZENE (O5)	758 MM	1319.47	137.91	3.7874	2.8552
89. ACETIC ACID-CHLOROFORM (K5)	760 MM	-650.43	18522.73	5.4759	4.371
90. ACETIC ACID-TRICHLOROETHYLENE (F4)	500 MM	1560.81	100.95	1.6484	0.94504
91. " " "	750 MM	2591.37	-113.77	1.6019	1.0200
92. " " "	650 MM	1183.48	306.22	2.1507	6.3542
93. " " "	350 MM	1156.38	210.98	1.1302	1.5465
94. " " "	250 MM	1258.71	179.29	1.9902	1.7480
95. ACETIC ACID-ACETONE (M16)	50°C	-543.14	38047.15	0.84313	0.56732
96. " " "	40°C	-53.49	53.49	0.68265	0.9718
97. " " "	30°C	-540.10	25667.17	1.6751	0.38272
98. ACETIC ACID-ETHYL ETHER (M16)	389.7 MM	335.44	229.92	0.63255	2.1006

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SYSTEM	Temp. or Press.	$\lambda_{12} - \lambda_{11}$	$\lambda_{21} - \lambda_{22}$	$\frac{\sum 100\Delta Y}{N}$	$\frac{\sum \Delta P/P}{N}$
99. ACETIC ACID-ETHYL ETHER (M16)	487.9 MM	688.65	-147.93	0.57632	2.9697
100. " " "	596.4 MM	1208.91	-437.00	0.8414	2.3854
101. ACETIC ACID-ETHYLBENZENE (B2)	725 MM	1685.19	430.75	7.0769	2.3209
102. ACETIC ACID-BENZENE (M16)	30°C	1238.35	-3.84	0.58303	1.8818
103. " " "	50°C	1355.47	4.20	0.61662	1.3559
104. " " "	70°C	1586.43	9.29	1.2327	1.6100
105. ACETIC ACID-ETHYL ACETATE (M16)	30°C	1520.20	-716.68	1.5677	0.72557
106. " " "	50°C	1566.99	-733.81	1.0073	0.33852
107. " " "	70°C	1881.79	-796.09	0.63172	3.9837
108. ACETIC ACID-ACETONE (M16)	760 MM	1926.26	-580.36	1.0869	1.3897
109. ACETIC ACID-METHANOL (R17)	709 MM	-335.55	244.33	1.2940	2.3331
110. ACETIC ACID-ETHANOL "	706 MM	-518.37	643.87	1.1682	0.77263
111. ACETIC ACID-N-PROPANOL "	705 MM	724.74	-514.17	1.2321	0.95035
112. ACETIC ACID-N-BUTANOL "	707 MM	-149.76	530.26	0.96995	0.89280

SYSTEM	Temp. or Press.	$\lambda_{12} - \lambda_{11}$	$\lambda_{21} - \lambda_{22}$	$\frac{\Sigma 100 \Delta Y}{N}$	$\frac{\Sigma \Delta P/P}{N}$
113. ACETIC ACID-N-PROPANOL (A3)	760 MM	504.71	-555.77	2.7142	2.3523
114. ACETIC ACID-ISO-BUTANOL (A3)	760 MM	-288.81	959.89	0.90306	0.79245
115. ACETIC ACID-ISO-PROPANOL (A3)	760 MM	1138.51	-1052.30	3.2504	2.5404
116. ACETIC ACID-2-BUTANOL (A3)	760 MM	2313.59	-2212.43	6.9601	1.6003
117. ACETIC ACID-TERT-BUTANOL (A3)	760 MM	-836.09	919.67	4.5756	3.2470
118. ACETIC ACID-P-XYLENE (B2)	725 MM	3685.06	-97.29	6.3076	2.5074
119. " " (M5)	760 MM	1890.06	291.82	3.2821	0.4082
120. ACETIC ACID-OCTANE (S10)	760 MM	1581.21	1895.96	2.3046	1.8544
121. ACETIC ACID-DIMETHYLACETAMIDE (C1)	760 MM	-1449.13	549.02	5.1669	4.8523
122. ACETIC ACID-WATER (R14)	760 MM	6853.5	300.0	2.7667	3.5066
123. " " (B16)	760 MM	6853.5	300.0	4.9710	7.3645
124. " " (K1)	50 MM	7483.4	200.1	7.0271	6.2922
125. ACETIC ACID-TOLUENE (M16)	50°C	1298.1	-104.67	1.7122	0.44785
126. " " "	30°C	1342.25	-48.19	1.2018	0.69801

SYSTEM	Temp. or Press.	$\lambda_2 - \lambda_{11}$	$\lambda_{21} - \lambda_{22}$	$\frac{\sum 100\Delta Y}{N}$	$\frac{\sum \Delta P/P}{N}$
127. ACETIC ACID-TOLUENE (M16)	70°C	1392.17	24.16	1.47262	0.61633
128. " " (Z1)	80.05°C	1300.97	247.29	2.0745	1.7400
129. " " (H3)	745 MM	1487.34	292.48	1.8245	2.7914
130. " " (V8)	50 MM	-48.31	15890.45	7.2332	8.8546
131. " " (Z1)	69.94°C	1448.76	4.58	1.4363	1.0841
132. ACETIC ACID-N-DECANE (Z2)	760 MM	6853.50	300.0	9.0928	9.2937
133. ACETIC ACID-DIETHYL ETHER (B12)	760 MM	208.78	439.15	3.7996	3.8441
134. ACETIC ACID-N-OCTANE (Z2)	760 MM	1870.59	1139.37	2.6287	1.3949
135. ACETIC ACID-METHYLENE CHLORIDE (D8)	760 MM	1159.81	-111.34	0.54022	1.4920
136. ACETIC ACID-DIETHYL KETONE (H1)	70°C	6853.50	300.0	10.655	1.5738
137. ACETIC ACID-BENZENE (W1)	20°C	1252.18	42.76	0.65674	1.2012
138. ACETIC ACID-N-HEPTANE (W1)	20°C	1683.26	958.54	1.8147	0.95339
139. ACETIC ACID-CYCLOHEXYL ACETATE (O4)	760 MM	1458.23	-149.05	6.5771	3.0022
140. ACETIC ACID-N-BUTYL ACETATE (ALL)	760 MM	2821.67	-1884.04	3.9807	1.4492
141. ACETIC ACID-ACETIC ANHYDRIDE (J8)	100 MM	644.40	9.49	1.8197	0.67791

A4.2 NRTL PARAMETERS

SYSTEM	Temp. or Press.	$g_{12}-g_{11}$	$g_{21}-g_{22}$	α	$\frac{\sum 100\Delta Y}{N}$	$\frac{\sum \Delta P/P}{N}$
1. ACETONE-TOLUENE (K9)	35°C	-126.40	524.94	0.19943	0.72201	0.42386
2. " " "	45°C	-303.63	746.50	0.19932	1.1151	0.91158
3. " " "	55°C	-332.98	788.03	0.19926	1.1038	1.0070
4. ACETONE-BENZENE (K9)	30°C	-324.90	738.45	0.20059	1.2260	0.37989
5. " " "	40°C	-101.32	435.21	0.20132	0.65444	1.0349
6. " " "	50°C	-462.46	950.94	0.20023	1.0667	0.52576
7. ETHYL ACETATE-BENZENE (L5)	50°C	-762.27	1484.02	0.20118	2.3262	1.0659
8. " " "	60°C	-887.45	1808.61	0.20078	2.7247	0.97106
9. " " "	70°C	-818.04	1676.97	0.20066	2.8973	0.90452
10. ETHYL ACETATE-TOLUENE (L5)	50°C	862.15	-234.20	0.30254	7.5210	2.0947
11. " " "	60°C	850.51	-278.62	0.20116	7.3427	1.7076
12. " " "	70°C	717.72	-187.59	0.20297	7.7183	1.9716
13. CYCLOHEXANE-N-PROPANOL (S15)	55°C	1378.71	142.96	0.20731	2.3204	2.5448
14. " " "	65°C	1339.28	205.97	0.23793	1.6542	1.6129

SYSTEM	Temp. or Press.	$g_{12}-g_{11}$	$g_{21}-g_{22}$	α	$\frac{\sum 100\Delta y}{N}$	$\frac{\sum \Delta p/p}{N}$
15. CYCLOHEXANE-N-BUTANOL (S15)	50°C	1808.15	-183.40	0.20901	2.3566	2.1119
16. " " "	70°C	1672.37	-168.76	0.20563	1.7499	1.6448
17. METHANOL-CYCLOHEXANE (S16)	50°C	910.28	2209.14	0.36616	5.6773	6.6983
18. " " "	55°C	627.71	1775.02	0.28061	7.0899	9.6058
19. BENZENE-N-HEPTANE (H13)	720 MM	1936.38	-906.41	0.20013	2.9735	1.5390
20. ETHANOL-CYCLOHEXANE (S16)	760 MM	988.71	1617.42	0.46636	2.5431	1.0891
21. METHANOL-BENZENE (S14)	45°C	853.65	1204.46	0.49869	0.95794	0.82323
22. " " "	230 MM	779.65	1276.60	0.47506	1.0624	0.7921
23. " " "	340 MM	814.08	1213.74	0.47397	1.3222	0.57491
24. " " "	521 MM	829.08	1154.23	0.47136	1.4970	0.61739
25. " " "	740 MM	820.57	1122.0	0.4761	1.4917	0.7633
26. BENZENE-N-HEPTANE (S13)	740 MM	1907.62	-885.2	0.20428	2.8635	1.5464
27. " " "	760 MM	-335.28	817.48	0.2603	1.0066	0.6131
28. METHYL ETHYL KETONE-TOLUENE (K9)	75°C	-1321.04	3633.17	0.20168	0.86312	0.59502

SYSTEM	Temp. or Press.	$g_{12}-g_{11}$	$g_{21}-g_{22}$	α	$\frac{\sum 100\Delta y}{N}$	$\frac{\sum \Delta P/P}{N}$
29. METHANOL-N-HEXANE (R1)	76°C	1789.71	2171.67	0.44590	3.1906	3.1631
30. CARBON TETRACHLORIDE-METHANOL (S6)	35°C	982.80	1758.61	0.46111	1.5016	1.4612
31. " " " "	55°C	1044.80	1467.86	0.48700	3.1203	2.3763
32. BENZENE-2-BUTANOL (E1)	60°C	1110.20	168.68	0.42438	2.6663	0.98339
33. " " " "	70°C	1077.29	22.96	0.47536	1.2808	0.30417
34. " " " "	80°C	860.12	60.76	0.47320	1.6223	0.31982
35. BENZENE-TERT-BUTANOL (E1)	60°C	754.90	502.66	0.65445	2.3469	0.57050
36. " " " "	70°C	740.49	311.05	0.47868	1.9728	0.33849
37. " " " "	75°C	820.64	528.54	0.84784	2.5701	0.40907
38. BENZENE-ISO-BUTANOL (E1)	60°C	1134.64	255.23	0.60617	1.8672	0.77038
39. " " " "	70°C	985.94	172.26	0.39797	1.8411	1.7134
40. " " " "	80°C	888.53	155.91	0.43321	1.0564	0.47470
41. DIPROPYL ETHER-ETHYLBENZENE (L6)	50°C	1155.79	-712.06	0.20407	3.4465	1.6450
42. " " " "	60°C	1015.78	-648.82	0.20274	1.9419	1.1595

SYSTEM	Temp. or Press.	$g_{12}-g_{11}$	$g_{21}-g_{22}$	α	$\frac{\sum 100\Delta Y}{N}$	$\frac{\sum \Delta p/p}{N}$
43. DIPROPYL ETHER-ETHYLBENZENE (L6)	70°C	1064.79	-644.52	0.20235	2.9239	1.5597
44. BENZENE-METHYL ETHYL KETONE (K9)	40°C	916.36	-580.19	0.20165	0.57112	0.42610
45. " " "	50°C	983.22	-604.53	0.20210	0.75755	0.44884
46. " " "	60°C	933.05	-536.94	0.20342	1.2288	0.77569
47. METHYL ETHYL KETONE-ETHYLBENZENE (L6)	55°C	1644.59	-967.32	0.19783	4.3271	5.8162
48. " " "	65°C	2130.95	-423.62	0.20879	1.4711	1.1971
49. " " "	75°C	-268.82	597.43	0.20009	0.8221	0.70208
50. BENZENE-DIPROPYL ETHER (L6)	50°C	658.02	-524.33	0.19747	0.48944	0.28265
51. " " "	60°C	1037.95	-729.03	0.20172	0.60675	0.33767
52. " " "	70°C	332.12	-174.87	0.20325	1.2643	0.60087
53. DIPROPYL ETHER-TOLUENE (K9)	50°C	-643.97	821.28	0.19996	1.6069	0.65887
54. METHYL ETHYL KETONE-TOLUENE (K9)	65°C	-455.96	813.54	0.20022	0.34892	0.15353
55. " " "	55°C	-395.79	695.58	0.19975	0.28327	0.18306
56. PYRIDINE-TETRACHLORETHYLENE (F)	60°C	81.18	495.46	0.20227	0.70728	0.17654

SYSTEM	Temp. or Press.	$g_{12}-g_{11}$	$g_{21}-g_{22}$	α	$\frac{\sum 100\Delta Y}{N}$	$\frac{\sum \Delta P/P}{N}$
57. PYRIDINE-TETRACHLORETHYLENE (F8)	80°C	-25.46	657.71	0.2026	1.1125	0.45211
58. " " "	100°C	204.65	389.04	0.24131	0.94266	0.39988
59. DI-ISO PROPYL ETHER-ETHYLBENZENE (L6)	70°C	400.53	-201.25	0.20112	2.5932	0.94926
60. ETHYL ACETATE-ETHYLBENZENE (L5)	60°C	553.86	-279.09	0.29620	1.2269	1.1016
61. " " "	70°C	467.59	-222.23	0.29743	1.5237	0.93816
62. BENZENE-DI-ISO PROPYL ETHER (L6)	50°C	873.91	-465.73	0.20099	1.3749	0.56122
63. " " "	60°C	-31.22	238.99	0.21108	1.0843	0.4816
64. " " "	70°C	-441.84	763.39	0.20407	3.9382	2.9755
65. DI-ISO PROPYL ETHER-TOLUENE (L6)	50°C	546.21	-313.76	0.2018	2.2531	0.8309
66. " " "	60°C	596.45	-343.53	0.20174	2.1953	0.53647
67. " " "	70°C	170.28	119.14	3.31609	2.3821	0.45199
68. DI-ISO PROPYL ETHER-ETHYLBENZENE (L6)	50°C	476.56	-258.12	0.20308	3.3741	1.7306
69. " " "	60°C	843.24	-522.20	0.20203	2.3206	1.1533
70. " " "	70°C					

SYSTEM	Temp or Press.	$g_{12} - g_u$	$g_{21} - g_{32}$	α	$\frac{\Sigma 100\Delta y}{N}$	$\frac{\Sigma \Delta P/p}{N}$
71. ETHANOL-ETHYL ACETATE (D4)	760 MM	171.56	583.63	0.32102	1.6356	0.6439
72. ETHANOL-N-BUTYL ACETATE (D4)	760 MM	1253.08	-302.31	0.31724	4.2788	2.8123
73. ETHANOL-N-BUTANOL (D4)	760 MM	-633.98	1032.01	0.30441	3.0684	2.1013
74. ETHYL ACETATE-N-BUTANOL	760 MM	227.18	254.01	0.85668	1.8401	1.1491
75. ETHYL ACETATE-N-BUTYL ACETATE	760 MM	837.16	-526.15	0.3000	0.50879	0.45151
76. N-BUTANOL-N-BUTYL ACETATE	760 MM	129.70	457.63	0.31240	1.5499	0.70739
77. METHANOL-WATER (D1)	760 MM	-590.03	1364.31	0.19988	0.84444	1.9066
78. ETHANOL-WATER (D1)	760 MM	-497.96	1872.45	0.19990	1.0707	2.1976
79. METHANOL-WATER (M14)	35°C	-556.36	1202.65	0.2003	2.5240	2.1325
80. " " "	50°C	-416.94	976.91	0.19941	1.3460	0.83777
81. ACETIC ACID-N-HEPTANE (M10)	20°C	1357.6	1188.84	0.46049	1.0687	0.88945
82. " " "	30°C	1427.5	1231.31	0.46527	0.96437	0.64123
83. " " "	40°C	1382.74	1291.68	0.47632	1.2875	0.53679
84. ACETIC ACID-PYRIDINE (Z1)	80.05°C	-321.99	-991.50	0.43378	1.3446	1.4190

SYSTEM	Temp. or Press.	$g_{12}-g_{11}$	$g_{21}-g_{12}$	α	$\frac{\sum 100\Delta y}{N}$	$\frac{\sum \Delta p/p}{N}$
85. ACETIC ACID-BENZENE (Z1)	49.99°C	427.75	933.86	0.53439	1.1575	2.0664
86. " (M21)	760 MM	672.09	1174.07	0.64898	1.018	1.2652
87. ACETIC ACID-ETHYL ACETATE (G1)	760 MM	6483.5	347.14	0.46736	7.4364	5.7916
88. ACETIC ACID-BENZENE (O5)	758 MM	420.89	1181.50	0.55728	3.6691	2.9637
89. ACETIC ACID-CHLOROFORM (K5)	760 MM	-389.55	444.15	1.0432	4.0744	4.3588
90. ACETIC ACID-TRICHLOROETHYLENE (F4)	500 MM	565.23	1147.92	0.5696	1.4696	0.88337
91. " "	" 750 MM	505.12	1679.65	0.5756	1.2829	0.90255
92. " "	" 650 MM	594.55	969.91	0.5248	2.1365	1.8356
93. " "	" 350 MM	507.37	951.83	0.54109	1.2184	1.6088
94. " "	" 250 MM	649.37	921.74	0.62873	1.6824	1.4019
95. ACETIC ACID-ACETONE (M16)	50°C	-542.77	1122.58	0.47088	1.0137	0.55915
96. " "	40°C	-526.07	884.37	0.47026	0.7523	0.49775
97. " "	30°C	-505.72	810.90	0.46305	0.75281	0.5147
98. ACETIC ACID-ETHYL ETHER (M16)	389.7 MM	564.82	-23.15	0.5015	0.63889	2.3116

SYSTEM	Temp. or Press.	$g_{12}-g_{11}$	$g_{21}-g_{22}$	α	$\frac{\sum 100\Delta Y}{N}$	$\frac{\sum \Delta P/P}{N}$
99. ACETIC ACID-ETHYL ETHER (M16)	487.9 MM	280.74	604.82	1.27907	0.64154	2.5443
100. " " "	596.4 MM	58.88	643.86	0.50588	0.79666	2.7824
101. ACETIC ACID-ETHYLBENZENE (B2)	725 MM	1634.39	1435.11	0.62634	5.9272	0.56100
102. ACETIC ACID BENZENE (M16)	30°C	292.89	876.43	0.46193	0.63262	1.8224
103. " " "	50°C	317.07	976.65	0.47149	0.66607	1.4021
104. " " "	70°C	348.60	1169.50	0.4842	1.3027	1.858
105. ACETIC ACID-ETHYL ACETATE (M16)	30°C	-325.93	942.79	0.47295	1.5903	1.1225
106. " " "	50°C	-324.91	1007.03	0.47132	1.0705	0.5730
107. " " "	70°C	-340.26	1180.55	0.4717	0.71593	0.80244
108. ACETIC ACID-ACETONE (M16)	760 MM	-275.54	1243.45	0.52030	1.1064	2.1403
109. ACETIC ACID-METHANOL (R17)	709 MM	-10.73	-81.39	0.38281	1.2866	2.3383
110. ACETIC ACID-ETHANOL (R17)	706 MM	-117.50	44.42	0.47264	1.1147	0.77687
111. ACETIC ACID-N-PROPANOL (R17)	705 MM	-523.81	764.08	0.48638	1.4357	0.93759
112. ACETIC ACID-N-BUTANOL (R17)	707 MM	644.45	-341.52	0.48156	1.0692	0.93733

SYSTEM	Temp. or Press.	$g_{12}-g_{11}$	$g_{21}-g_{22}$	α	$\frac{\sum 100\Delta y}{N}$	$\frac{\sum \Delta p/p}{N}$
113. ACETIC ACID-N-PROPANOL (A3)	760 MM	-550.30	536.84	0.57805	2.8277	2.1743
114. ACETIC ACID-ISO-BUTANOL (A3)	760 MM	1080.19	-597.75	0.47617	0.95038	0.77262
115. ACETIC ACID-ISO-PROPANOL (A3)	760 MM	-211.35	640.52	5.59472	2.6676	1.6210
116. ACETIC ACID-2-BUTANOL (A3)	760 MM	-525.87	1298.10	6.26701	3.3213	1.71617
117. ACETIC ACID-TERT BUTANOL (A3)	760 MM	-789.02	636.18	0.51222	2.5372	2.053
118. ACETIC ACID-P-XYLENE (B2)	725 MM	1286.52	2683.33	0.5454	5.3925	2.6194
119. " " (M5)	760 MM	1077.78	1297.68	0.53718	3.6380	0.41614
120. ACETIC ACID-N-OCTANE (S10)	760 MM	1936.87	769.66	0.41801	2.8387	1.4285
121. ACETIC ACID-DIETHYLACETAMIDE (C1)	760 MM	-731.92	-885.45	-0.1498	2.9060	2.3685
122. ACETIC ACID-WATER (R14)	760 MM	-188.20	996.27	0.5045	1.5038	1.1536
123. " " (B16)	760 MM	-29.99	919.35	0.47628	2.3405	7.5612
124. " " (K1)	50 MM	171.37	490.66	0.39721	2.6569	2.8916
125. " " (I1)	70 MM	496.54	314.04	0.89775	1.4425	1.6912
126. " " "	200 MM	508.27	393.21	0.98809	1.3187	1.6108

SYSTEM	Temp. or Press.	$g_{12}-g_{11}$	$g_{21}-g_{22}$	α	$\frac{\Sigma 100\Delta Y}{N}$	$\frac{\Sigma \Delta P/P}{N}$
127. ACETIC ACID-WATER (A5)	69.7°C	-376.06	1158.27	0.20208	1.5474	1.1561
128. " " "	89.9°C	-461.74	1339.87	0.20217	1.4255	1.3365
129. " " "	79.9°C	-336.34	1102.2	0.20275	1.4805	1.3019
130. ACETIC ACID-CARBONTETRACHLORIDE (L7)	20°C	286.48	859.58	0.50716	1.2969	2.4997
131. ETHYL ACETATE-N-BUTANOL (M3)	725 MM	266.33	665.93	0.57623	6.3259	2.8750
132. ACETIC ACID-TOLUENE (M16)	50°C	391.95	771.96	0.46481	1.7924	0.42627
133. " " "	30°C	572.10	786.82	0.55362	1.0611	0.71935
134. " " "	70°C	498.03	91350	0.49002	1.5941	0.71534
135. " " "	80.05°C	686.16	1058.85	0.58454	1.8532	1.4967
136. " " "	745 MM	1089.45	1058.73	0.6353	2.0454	2.1023
137. " " "	50 MM	1980.94	-678.4	0.34603	7.0188	.82964
138. " " "	69.94°C	483.17	985.89	0.50637	1.5793	1.1266
139. ACETIC ACID-N-DECANE (22)	760 MM	3460.98	1208.48	0.47154	3.6552	0.76132
140. ACETIC ACID-DIETHYL ETHER (B12)	760 MM	708.88	-236.54	0.46791	3.7086	3.9462

SYSTEM	Temp. or Press.	$g_{12}-g_{11}$	$g_{21}-g_{22}$	α	$\frac{\sum 100\Delta Y}{N}$	$\frac{\sum \Delta P/P}{N}$
141. ACETIC ACID TRIETHYLAMINE (H15)	760 MM	1174.22	-1886.74	0.52891	1.4523	2.3975
142. " (D9)	760 MM	1021.82	-1861.98	0.96014	2.2344	2.3590
143. ACETIC ACID-N-OCTANE (B12)	760 MM	1812.53	1288.43	0.49067	2.1607	1.3131
144. ACETIC ACID-METHYLENE CHLORIDE (D8)	760 MM	-39.17	1007.10	0.47650	0.56685	1.6821
145. ACETIC ACID-DIETHYLKETONE (H1)	70°C	-710.51	481.497	0.20208	1.0402	4.0388
146. ACETIC ACID-BENZENE (W1)	20°C	347.36	916.40	0.48473	0.70929	1.4038
147. ACETIC ACID-N-HEPTANE (W1)	20°C	1338.25	1235.94	0.45946	1.6462	1.1718
148. ACETIC ACID-CYCLOHEXYL ACETATE (O4)	760 MM	505.39	872.66	0.58502	6.2068	2.8108
149. ACETIC ACID-N-BUTYL ACETATE (H11)	760 MM	117.83	832.31	0.50141	4.1061	1.4001
150. ACETIC ACID-ACETIC ANHYDRIDE (J8)	100 MM	388.08	335.87	0.80669	1.7297	0.62758

A4.3 UNIQUAC PARAMETERS

SYSTEM	Temp. or Press,	$U_{12} - U_{11}$	$U_{21} - U_{22}$	$\frac{\sum 100\Delta y}{N}$	$\frac{\sum \Delta p/p}{N}$
1. ETHANOL-CYCLOHEXANE (S16)	760 MM	-125.932	1096.955	2.8731	1.4325
2. METHANOL-BENZENE (S14)	45°C	-85.503	1216.463	1.6317	1.4049
3. " " "	230 MM	-58.929	1098.449	1.5105	2.2481
4. " " "	340 MM	-64.113	1190.259	1.1808	1.1346
5. " " "	521 MM	-58.623	1164.197	0.95727	1.8140
6. " " "	740 MM	-51.772	1054.531	1.1407	2.5281
7. ETHANOL-ETHYL ACETATE (D4)	760 MM	-183.772	618.64	1.6557	0.65112
8. ETHANOL-N-BUTYL ACETATE (D4)	760 MM	86.595	234.091	4.1703	2.8262
9. ETHYL ACETATE-N-BUTANOL	760 MM	60.798	74.550	1.8288	1.1376
10. ETHYL ACETATE-N-BUTYL ACETATE	760 MM	368.328	-262.19	0.52912	0.44461
11. N-BUTANOL-N-BUTYL ACETATE	760 MM	-181.151	399.264	1.5434	0.71142
12. METHANOL-WATER (M14)	760 MM	-319.15	500.0	1.3732	2.4718
13. ETHANOL-WATER (M14)	760 MM	-319.15	500.0	1.5722	1.9827
14. BENZENE-2-BUTANOL (E1)	60°C	466.366	-86.697	2.7146	0.95373

SYSTEM	Temp. or Press.	$u_{12}-u_{11}$	$u_{21}-u_{22}$	$\frac{\sum 100\Delta y}{N}$	$\frac{\sum \Delta p/p}{N}$
15. BENZENE-2-BUTANOL (El)	70°C	566.172	-206.985	1.2389	0.28089
16. " " "	80°C	394.903	-123.210	1.6163	0.31916
17. BENZENE-TERT-BUTANOL (El)	60°C	150.967	127.354	2.5929	0.74963
18. " " "	70°C	152.308	107.495	2.1652	0.3929
19. " " "	75°C	242.204	32.54	2.975	0.71294
20. BENZENE-ISO-BUTANOL (El)	60°C	543.229	-154.956	1.7914	0.82112
21. " " "	70°C	369.607	-33.476	1.8636	1.7256
22. " " "	80°C	328.561	-33.818	1.0855	0.48455
23. ACETIC ACID-N-HEPTANE (MIO)	20°C	31.502	647.346	1.7058	2.1057
24. " " "	30°C	0.046	711.01	2.0069	2.0784
25. " " "	40°C	24.538	667.059	1.7912	2.7804
26. METHANOL-N-HEXANE (Bl)	760 MM	15.213	1864.451	4.9858	5.6399
27. ACETIC ACID-BENZENE (M21)	760 MM	-333.35	1059.016	1.7715	1.0865
28. ACETIC ACID-TRICHLORETHYLENE (P4)	500 MM	-177.955	870.848	1.7979	1.2309

SYSTEM	Temp. or Press.	$u_{12}-u_{11}$	$u_{21}-u_{22}$	$\frac{\sum 100\Delta y}{N}$	$\frac{\sum \Delta p/p}{N}$
29. ACETIC ACID-TRICHLORDETHYLENE (F4)	650 MM	-44.541	616.456	2.3673	2.1808
30. " "	350 MM	-69.576	602.078	1.2648	1.8783
31. " "	250 MM	-105.244	688.324	2.1889	2.1538
32. ACETIC ACID-ACETONE (M16)	50°C	-110.231	128.005	0.66712	3.5194
33. " "	40°C	38.400	-42.486	0.64464	1.9470
34. " "	30°C	38.406	-42.490	0.81961	1.7855
35. ACETIC ACID-ETHYL ETHER (M16)	389.7 MM	122.044	74.875	0.6312	2.2592
36. " "	487.9 MM	-128.058	401.452	0.57804	3.0764
37. " "	596.4 MM	-275.314	701.136	0.82911	2.6067
38. ACETIC ACID-BENZENE (M16)	30°C	-158.396	661.570	0.65127	0.17810
39. " "	50°C	-268.731	829.496	0.62987	1.441
40. " "	70°C	-300.574	965.389	1.2646	1.7361
41. ACETIC ACID-P-XYLENE (B2)	760 MM	-239.746	1006.299	3.4844	1.2731
42. ACETIC ACID-N-OCTANE (S10)	760 MM	66.494	651.092	3.5615	1.8813

SYSTEM	Temp. or Press.	$U_{12}-U_{11}$	$U_{21}-U_{22}$	$\frac{\Sigma 100\Delta Y}{N}$	$\frac{\Sigma \Delta P/P}{N}$
43. ACETIC ACID-WATER (B14)	760 MM	44.679	200.057	2.3214	0.74953
44. " " (K1)	50 MM	343.377	-81.713	2.8010	2.9118
45. " " (IL)	70 MM	763.657	-309.736	1.3348	1.5876
46. " " "	200 MM	725.826	-291.959	1.3219	1.6166
47. " " (A5)	69.7°C	192.66	-11.847	1.4588	1.0797
48. " " "	89.9°C	54.635	133.723	1.3759	1.2580
49. " " "	79.9°C	323.37	-115.245	1.3503	1.2028
50. ACETIC ACID-TOLUENE (M16)	50°C	-261.754	762.649	1.7331	0.45057
51. " " "	30°C	-212.133	715.284	1.3578	0.76447
52. " " "	70°C	-255.752	823.01	1.5969	0.70956
53. " " (Z1)	80.05°C	-199.580	757.45	2.1473	1.9607
54. " " (H1)	745 MM	-279.922	991.996	1.5458	2.8474
55. " " (V8)	50 MM	103.809	-101.629	5.8391	10.412
56. " " (Z1)	69.94°C	-273.756	873.755	1.5601	1.1862

SYSTEM	Temp. or Press.	$u_{12}-u_{11}$	$u_{21}-u_{22}$	$\frac{\sum 100\Delta\gamma}{N}$	$\frac{\sum \Delta\rho/P}{N}$
57. ACETIC ACID-N-DECANE (Z2)	760 MM	1070.43	-230.699	4.4671	1.0915
58. ACETIC ACID-DIETHYL ETHER (B12)	760 MM	308.744	-127.383	3.7217	3.9332
59. ACETIC ACID-N-OCTANE (Z2)	760 MM	43.94	707.451	3.9133	3.0062
60. ACETIC ACID-METHYLENE CHLORIDE (P8)	760 MM	112.638	384.955	0.53236	1.7948
61. ACETIC ACID-DIETHYLKETONE (H1)	70°C	-139.766	712.624	5.3844	1.5795
62. ACETIC ACID-BENZENE (W1)	20°C	-129.253	637.200	0.74913	1.6280
63. ACETIC ACID-N-HEPTANE (W1)	20°C	-8.912	709.652	1.5662	1.5581
64. ACETIC ACID-CYCLOHEXYL ACETATE (O4)	760 MM	-291.59	978.883	7.4745	3.8073
65. ACETIC ACID-N-BUTYL ACETATE (A11)	760 MM	-330.796	902.58	4.0458	1.5740
66. ACETIC ACID-ACETIC ANHYDRIDE (J8)	100 MM	-120.073	440.797	1.8725	0.74463

APPENDIX A5

TABLE A5.1 PURE COMPONENT PROPERTIES

COMPONENT	UNIQVAC PARAMETERS r q		CRITICAL TEMP. °K	CRITICAL PRESS ATMS	CRITICAL VOLUME CC/GM MOLE	ACENTRIC FACTOR W	ACENTRIC FACTOR HOMOMORPH WH	DIPOLE MOMENT DEBYE	ASSOC. FACTOR
1. ACETIC ACID	2.02	1.40	594.76	57.2	171.0	0.439	0.439	1.75	0.0
2. ACETONE	2.57	2.34	508.7	46.6	213.5	0.309	0.187	2.880	0.0
3. BENZENE	3.19	2.40	562.0	48.6	260.1	0.211	0.211	0.0	0.0
4. N-BUTANOL	3.492	3.116	562.9	43.6	223.3	0.667	0.252	1.65	0.45
5. 2-BUTANOL	3.45	3.05	535.95	41.39	259.73	0.578	0.578	1.66	0.0
6. ISO-BUTANOL	3.45	3.05	549.85	42.390	261.23	0.586	0.586	1.64	0.0
7. TERT-BUTANOL	3.45	3.05	506.15	39.2	255.73	0.614	0.0	1.67	0.0
8. N-BUTYL ACETATE	4.84	4.196	573.1	30.1	397.8	0.455	0.400	1.680	0.400
9. CARBON TETRACHLORIDE	1.431	2.41	283.15	44.9	262.0	0.193	0.193	0.0	0.0
10. CHLOROFORM	2.87	2.41	536.6	54.0	276.0	0.214	0.187	1.020	0.28
11. CYCLOHEXANE	4.046	3.25	553.2	40.0	311.2	0.210	0.210	0.0	0.0
12. DI-ETHYL ETHER	3.395	3.20	466.95	36.2	284.0	0.283	0.252	1.160	0.0
13. DI-ISOPROPYL ETHER	4.74	4.096	500.05	28.4	0.0	0.340	0.0	1.13	0.0
14. DIMETHYLACETAMIDE			658.16	40.2	306.7	0.371	0.371	3.81	0.0
15. DIPROPYL ETHER	4.74	4.096	528.127	28.938	388.88	0.376	0.128	1.210	0.234

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TABLE A5.2 LIQUID MOLAR VOLUMES AT VARIOUS TEMPERATURES

	T_1 ($^{\circ}\text{K}$)	T_2 ($^{\circ}\text{K}$)	T_3 ($^{\circ}\text{K}$)	V_1 (CC/GM MOLE)	V_2 (CC/GM MOLE)	V_3 (CC/GM MOLE)
1. ACETONE	228.15	273.15	323.15	67.38	71.483	76.826
2. TOLUENE	303.15	353.15	400.0	107.415	113.717	120.879
3. BENZENE	273.15	323.15	373.15	86.783	92.263	98.537
4. ETHYL ACETATE	293.15	409.45	0.0	122.445	138.426	0.0
5. CYCLOHEXANE	288.15	306.30	352.35	107.47	109.841	116.63
6. N -PROPANOL	293.15	343.15	393.15	74.785	78.962	84.515
7. N-BUTANOL	307.75	389.25	0.0	92.81	101.70	0.0
8. METHANOL	273.15	373.15	473.15	39.556	44.874	57.939
9. N-HEPTANE	273.15	323.15	373.15	143.045	152.303	163.619
10. ETHANOL	273.15	323.15	373.15	57.141	60.356	64.371
11. METHYL ETHYL KETONE	288.15	303.15	0.0	89.001	90.747	0.0
12. N-HEXANE	273.15	323.15	373.15	127.301	136.388	148.211
13. CARBON-TETRACHLORIDE	273.15	373.15	473.15	39.556	44.874	57.939
14. 2-BUTANOL	273.15	298.15	307.75	89.873	91.995	92.812
15. TERT-BUTANOL	313.15	373.15	413.15	96.864	106.280	114.915 ³⁹¹
16. ISO-BUTANOL	293.15	333.15	393.15	92.407	96.359	103.664

TABLE A5.2 continued

	T ₁ (°K)	T ₂ (°K)	T ₃ (°K)	V ₁ (CC/GM MOLE)	V ₂ (CC/GM MOLE)	V ₃ (CC/GM MOLE)
17. DIPROPYL ETHER	288.15	303.15	0.0	135.904	138.56	0.0
18. ETHYLBENZENE	293.15	409.45	0.0	122.445	138.426	0.0
19. PYRIDINE	293.15	0.0	0.0	80.55	0.0	0.0
20. TETRACHLOROETHYLENE	333.16	353.16	0.0	84.04	85.85	0.0
21. DI-ISOPROPYL ETHER	293.15	342.15	0.0	140.294	146.827	0.0
22. N-BUTYL ACETATE	298.15	389.25	0.0	131.58	147.510	0.0
23. WATER	277.15	373.15	0.0	18.06	18.844	0.0
24. ACETIC ACID	343.16	303.16	0.0	60.201	57.001	0.0
25. CHLOROFORM	209.85	273.15	303.15	72.661	78.218	81.185
26. TRICHLOROETHYLENE	359.16	362.56	377.96	61.481	61.753	62.895
27. ETHYL ETHER	273.15	303.15	0.0	100.679	105.599	0.0
28. P-XYLENE	352.85	373.15	0.0	131.09	134.18	0.0
29. N-OCTANE	273.15	393.15	0.0	158.97	185.182	0.0
30. N-DECANE	253.15	333.15	423.15	192.18	208.99	233.56
31. METHYLENE CHLORIDE	293.15	0.0	0.0	63.578	0.0	0.0 ³⁹²
32. CYCLO-HEXYL ACETATE	293.15	0.0	0.0	144.355	0.0	0.0
33. DIETHYL KETONE	293.15	0.0	0.0	105.551	0.0	0.0

TABLE A5.3

CONSTANTS FOR EXTENDED ANTOINE EQUATION
(TEMPERATURE IN °K)

$$\text{LN } P \text{ (ATM)} = C1 + \frac{C2}{C3+T} + C4T + C5T^2 + C6 \text{ LNT}$$

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COMPONENT	N-VALERIC		CARBON			N-HEPTANE
	ACID	P-XYLENE	BENZENE	TETRACHLORIDE	METHANOL	
C ₁	-92.3300280	-125.0746511	-181.4980334	-114.4587210	-138.1141270	-259.0937357
C ₂	-388.6936	-136.4260	1356.9578	-1402.4668	465.6287	2394.8215
C ₃	-180.1673	682.9106	1278.0651	-40.3325	385.5231	34214.3802
C ₄	0.015767582	-0.002514263	-0.098544226	-0.083630133	-0.018978468	-0.177742418
C ₅	-0.000024071	-0.000029652	0.00040697	0.000042500	-0.00002227	0.000091829
C ₆	14.94564	21.80365	35.86096	24.41867	25.14546	51.91759
TEMPERATURE RANGE °C	42.2 - 184.4	58.4 - 139.30	11.0 - 142.5	-50.0 - 141.7	11.9 - 112.5	26.0 - 165.7
Δ P AVE MM HG	0.445145	0.768088	2.16296	0.448199	0.79818	3.3642

COMPONENT	ETHANOL	N-BUTYL ACETATE	N-BUTANOL	ACETIC ACID	TOLUENE	WATER
C ₁	-228.8515206	-7.8627688	-2.8269242	-156.4916416	-144.0840519	-292.9366624
C ₂	-3128.0278	-3886.3618	-2943.1148	1077.5339	-8547.4742	-11623.5836
C ₃	811.4467	0.1562	-82.5656	77.2293	375.9085	776.9732
C ₄	-0.129801335	0.023565518	0.023655670	-0.00617468	-0.099361942	-0.244124749
C ₅	0.000050713	-0.000031017	-0.000039487	-0.000036648	0.000040695	0.000136191
C ₆	46.21066	2.19155	1.27729	27.17252	31.50849	63.35345
TEMPERATURE RANGE °C	-31.3 - 78.6	52.6 - 125.8	15.1 - 139.8	10.0 - 140.1	35.5 - 178.0	10.0 - 120.1
AP AVE mm HG	6.388254	1.961449	2.061781	2.346	1.713	0.82006

COMPONENT	ETHYL		CHLOROFORM	N-OCTANE	DIETHYL-ETHER	ACETONE	TRICHLORO-	
	ACETATE						ETHYLENE	
C ₁	-2.2317474	-209.5836	-337.8023308	-133.8979297	-456.79997	-301.3131159		
C ₂	-1871.4222	-43061.9000	16067.9471	-19414.213	6858.6066	27097.326		
C ₃	-71.9206	688.1534	983.2278	281.8819	46.8097	31737.7544		
C ₄	0.026808750	-0.313319578	-0.241008115	-0.248396791	-0.308002292	-0.242870156		
C ₅	0.000027455	0.000199218	0.000138773	0.000159850	0.000171219	0.000155666		
C ₆	0.49952	57.54059	66.8322	39.81736	91.49684	60.42351		
TEMPERATURE RANGE °C	0.0 - 136.6	-58.0 - 61.3	0.0 - 130.0	-74.3 - 122.0	-59.4 - 113.0	-43.8 - 86.7		
Δ P AVE MM HG	0.89126	1.6853	4.1771	2.3588	5.3711	0.28154		

COMPONENT	ISO-BUTANOL	TERT-BUTANOL	SEC-BUTANOL	N-PROPANOL	ISO PROPANOL
C ₁	-294.5159756	-3915505441	-335.8517151	-166.3531124	-237.1009026
C ₂	-16936.9127	26459.8725	-3971.2682	-348.4762	14721.6404
C ₃	31204.1231	32465.2372	32713.3774	-36.1392	32065.4792
C ₄	-0.223389573	-0.276961546	-0.239966296	-0.02534639	-0.108911672
C ₅	0.000117818	0.000136299	-0.00124043	0.000029886	0.000034737
C ₆	62.80022	78.89508	69.13812	30.58179	45.17645
TEMPERATURE RANGE °C	-9.0 - 108.0	-20.4 - 82.9	7.2 - 147.5	-15.0 - 111.3	-26.1 - 122.7
Δ P AVE MM HG	2.1506	2.1791	0.65313	5.1021	0.92949

APPENDIX A.6EXPERIMENTAL RESULTSTable A6.1 System Ethyl Acetate (1)-n-Butanol at 760 mm Hg

<u>Analysis by Refractive Index</u>					
Run No.	x Mole frac.	y Mole frac.	Temperature °C	V ₁	V ₂
1	0.070	0.235	111.6	1.331	1.059
2	0.121	0.355	107.3	1.295	1.103
3	0.147	0.415	105.1	1.318	1.119
4	0.150	0.420	105.0	1.310	1.117
5	0.175	0.490	103.7	1.355	1.063
6	0.217	0.550	100.8	1.324	1.104
7	0.221	0.532	99.4	1.306	1.219
8	0.225	0.550	100.1	1.301	1.147
9	0.310	0.680	96.0	1.306	1.078
10	0.334	0.696	95.0	1.276	1.104
11	0.375	0.725	93.1	1.252	1.156
12	0.380	0.740	93.6	1.240	1.075
13	0.399	0.747	92.2	1.241	1.143
14.	0.414	0.762	91.6	1.241	1.131
15	0.460	0.798	91.2	1.183	1.059
16	0.490	0.815	90.4	1.161	1.062
17	0.501	0.812	90.1	1.141	1.117
18	0.520	0.835	90.6	1.114	0.998
19	0.565	0.840	87.5	1.130	1.219
20	0.585	0.845	87.7	1.091	1.228
21	0.600	0.855	87.2	1.092	1.218
22	0.615	0.867	86.0	1.120	1.223
23	0.635	0.865	85.4	1.102	1.344

Table A6.1 continued

Run No.	x Mole frac.	y Mole frac.	Temperature °C	V ₁	V ₂
24	0.640	0.870	85.7	1.090	1.295
25	0.645	0.880	85.8	1.091	1.207
26	0.675	0.881	84.7	1.079	1.372
27	0.695	0.895	84.0	1.087	1.331
28	0.700	0.905	83.5	1.108	1.252
29	0.764	0.917	82.6	1.058	1.448
30	0.793	0.926	81.7	1.058	1.537
31	0.800	0.920	81.0	1.065	1.771
32	0.820	0.954	81.2	1.071	1.121
33	0.855	0.955	80.8	1.041	1.387
34	0.860	0.950	80.5	1.039	1.618
35	0.890	0.974	79.8	1.052	1.106
36	0.900	0.968	79.7	1.037	1.504
37	0.930	0.990	78.5	1.066	0.710
38	0.950	0.985	78.0	1.055	1.526
39	0.920	0.994	78.1	1.040	1.013

Table A6.2 System n-Butanol (1)-n-Butyl Acetate (2) at 760 mm HgAnalysis by refractive index

Run No.	x Mole frac.	y Mole frac.	Temperature °C	V ₁	V ₂
1	0.021	0.058	125.7	2.186	1.012
2	0.031	0.061	125.3	1.619	1.024
3	0.035	0.066	125.4	1.652	1.026
4	0.037	0.084	125.5	1.807	1.006
5	0.039	0.076	125.2	1.598	1.018
6	0.046	0.108	125.1	1.895	1.001
7	0.050	0.114	124.6	1.852	1.004
8	0.051	0.099	124.0	1.741	1.076
9	0.055	0.115	124.8	1.693	1.006
10	0.061	0.131	125.4	1.746	0.997
11	0.062	0.130	124.7	1.706	1.000
12	0.070	0.126	123.8	1.414	1.022
13	0.074	0.141	124.2	1.676	1.002
14	0.092	0.166	122.7	1.513	1.062
15	0.109	0.191	122.4	1.495	1.070
16	0.129	0.221	121.2	1.567	1.071
17	0.138	0.227	121.1	1.515	1.080
18	0.180	0.275	120.5	1.466	1.084
19	0.191	0.289	120.1	1.499	1.070
20	0.191	0.291	120.2	1.438	1.079
21	0.197	0.298	120.0	1.433	1.080
22	0.202	0.303	120.0	1.404	1.092
23	0.220	0.326	119.8	1.430	1.073

Table A6.2 continued

Run No.	x Mole frac.	y Mole frac.	Temperature °C	V ₁	V ₂
24	0.242	0.355	119.3	1.425	1.074
25	0.247	0.358	119.3	1.411	1.078
26	0.263	0.379	119.2	1.409	1.070
27	0.269	0.381	119.0	1.388	1.077
28	0.280	0.396	118.9	1.394	1.073
29	0.285	0.401	118.7	1.390	1.073
30	0.286	0.397	118.7	1.381	1.089
31	0.304	0.412	118.6	1.352	1.092
32	0.318	0.426	118.4	1.206	1.049
33	0.320	0.429	118.45	1.337	1.085
34	0.347	0.445	118.3	1.291	1.108
35	0.362	0.465	118.2	1.300	1.098
36	0.408	0.501	117.7	1.255	1.113
37	0.418	0.506	117.7	1.249	1.126
38	0.432	0.518	117.6	1.238	1.130
39	0.455	0.525	117.5	1.193	1.163
40	0.489	0.559	117.4	1.197	1.164
41	0.491	0.560	117.4	1.189	1.161
42	0.512	0.568	117.3	1.161	1.194
43	0.521	0.577	117.3	1.159	1.191
44	0.547	0.598	117.3	1.177	1.163
45	0.559	0.605	117.3	1.139	1.209
46	0.564	0.604	117.3	1.126	1.229
47	0.568	0.608	117.3	1.126	1.229
48	0.569	0.612	117.3	1.128	1.225
49	0.583	0.624	117.3	1.126	1.221
50	0.607	0.636	117.25	1.089	1.287

Table A6.2 continued

Run No.	x Mole frac.	y Mole frac.	Temperature °C	V ₁	V ₂
51	0.615	0.647	117.25	1.109	1.245
52	0.628	0.657	117.25	1.090	1.275
53	0.630	2.655	117.25	1.063	1.295
54	0.640	0.667	117.25	1.084	1.242
55	0.640	0.660	117.25	1.029	1.383
56	0.641	0.655	117.25	1.035	1.361
57	0.650	0.677	117.2	1.088	1.234
58	0.681	0.698	117.2	1.064	1.281
59	0.714	0.722	117.2	1.076	1.225
60	0.716	0.718	117.2	1.037	1.360
61	0.726	0.726	117.2	1.069	1.316
62	0.739	0.735	117.2	1.036	1.410
63	0.745	0.736	117.2	1.047	1.319
64	0.760	0.748	117.2	1.024	1.418
65	0.774	0.755	117.25	1.042	1.346
66	0.777	0.763	117.25	1.036	1.408
67	0.782	0.768	117.2	1.052	1.320
68	0.786	0.776	117.3	1.047	1.362
69	0.792	0.779	117.3	1.096	1.185
70	0.801	0.793	117.3	1.031	1.409
71	0.805	0.792	117.3	1.035	1.445
72	0.820	0.811	117.3	1.037	1.418
73	0.821	0.810	117.3	1.037	1.436
74	0.824	0.812	117.3	1.033	1.442
75	0.837	0.811	117.4	1.014	1.563
76	0.842	0.829	117.4	1.032	1.461

Table A6.2 continued

Run No.	x Mole frac.	y Mole frac.	Temperature °C	V ₁	V ₂
77	0.845	0.823	117.4	1.019	1.539
78	0.875	0.867	117.5	1.014	1.614
79	0.885	0.868	117.3	1.022	1.541
80	0.937	0.911	117.6	1.005	1.885
81	0.950	0.935	117.6	1.017	1.733
82	0.972	0.975	117.7	1.031	1.185

Table A6.3 System n-Butanol-n-Butyl Acetate at 760 mm Hg

Analysis by Gas Liquid Chromatography

Run No.	x Mole frac.	y Mole frac.	Temperature °C	V ₁	V ₂
1	0.014	0.046	125.7	2.600	1.018
2	0.034	0.071	125.5	1.663	1.017
3	0.03	0.059	125.3	1.566	1.026
4	0.032	0.081	125.4	2.028	1.010
5	0.038	0.098	125.2	2.060	0.994
6	0.027	0.069	125.1	2.063	1.025
7	0.049	0.104	124.0	1.829	1.070
8	0.059	0.125	124.7	1.724	1.003
9	0.055	0.125	124.8	1.841	0.994
10	0.054	0.119	124.6	1.790	1.003
11	0.068	0.138	124.4	1.650	0.997
12	0.069	0.173	124.2	2.056	0.965
13	0.073	0.174	123.8	1.952	0.966
14.	0.096	0.169	122.7	1.540	1.058
15	0.114	0.199	122.4	1.558	1.059
16	0.134	0.218	121.2	1.546	1.075
17	0.177	0.274	120.5	1.461	1.086
18	0.136	0.225	121.1	1.523	1.080
19	0.182	0.269	120.1	1.395	1.100
20	0.187	0.271	120.2	1.373	1.107
21	0.196	0.297	120.0	1.436	1.080
22	0.206	0.304	120.0	1.409	1.090
23	0.218	0.379	119.8	1.663	0.989

Table A6.3 continued

Run No.	x Mole frac.	y Mole frac.	Temperature °C	V ₁	V ₂
24	0.238	0.349	119.3	1.425	1.079
25	0.251	0.364	119.3	1.411	1.074
26	0.247	0.351	119.2	1.390	1.095
27	0.268	0.384	119.0	1.404	1.070
28	0.276	0.404	118.9	1.443	1.053
29	0.279	0.383	118.7	1.358	1.098
30	0.287	0.397	118.7	1.366	1.083
31	0.292	0.398	118.6	1.359	1.099
32	0.296	0.408	118.45	1.375	1.087
33	0.331	0.424	118.4	1.200	1.053
34	0.349	0.451	118.3	1.301	1.099
35	0.362	0.459	118.2	1.283	1.110
36	0.404	0.504	117.7	1.285	1.106
37	0.416	0.490	117.7	1.237	1.142
38	0.427	0.515	117.6	1.245	1.127
39	0.450	0.526	117.5	1.209	1.150
40	0.473	0.552	117.4	1.223	1.146
41	0.487	0.561	117.4	1.201	1.150
42	0.514	0.570	117.3	1.161	1.193
43	0.533	0.584	117.3	1.150	1.204
44	0.541	0.584	117.3	1.130	1.222
45	0.558	0.604	117.3	1.137	1.212
46	0.568	0.611	117.3	1.131	1.219
47	0.571	0.604	117.3	1.113	1.250
48	0.580	0.615	117.3	1.114	1.241
49	0.587	0.627	117.3	1.124	1.223

Table A6.3 continued

Run No.	x Mole frac.	y Mole frac.	Temperature °C	V ₁	V ₂
50	0.611	0.644	117.25	1.112	1.242
51	0.616	0.647	117.25	1.108	1.248
52	0.635	0.650	117.25	1.079	1.301
53	0.640	0.661	117.25	1.074	1.264
54	0.642	0.662	117.25	1.074	1.269
55	0.659	0.668	117.25	1.056	1.310
56	0.669	0.677	117.25	1.056	1.314
57	0.683	0.690	117.2	1.052	1.315
58	0.696	0.708	117.2	1.055	1.287
59	0.648	0.668	117.2	1.074	1.268
60	0.712	0.719	117.2	1.054	1.314
61	0.721	0.722	117.2	1.043	1.341
62	0.731	0.721	117.2	1.026	1.394
63	0.741	0.742	117.2	1.046	1.373
64	0.764	0.758	117.2	1.038	1.377
65	0.755	0.749	117.25	1.034	1.379
66	0.761	0.744	117.2	1.019	1.441
67	0.774	0.761	117.25	1.033	1.420
68	0.749	0.744	117.3	1.047	1.373
69	0.779	0.775	117.3	1.046	1.368
70	0.797	0.784	117.3	1.034	1.440
71	0.799	0.782	117.3	1.030	1.460
72	0.820	0.802	117.3	1.025	1.485
73	0.825	0.794	117.3	1.008	1.589
74	0.831	0.809	117.3	1.023	1.530
75	0.838	0.811	117.4	1.012	1.572

Table A6.3 continued

Run No.	x Mole frac.	y Mole frac.	Temperature °C	V ₁	V ₂
76	0.842	0.822	117.4	1.021	1.518
77	0.863	0.839	117.4	1.012	1.577
78	0.867	0.846	117.5	1.018	1.557
79	0.883	0.869	117.3	1.018	1.557
80	0.931	0.902	117.6	1.002	1.895
81	0.952	0.931	117.6	1.010	1.916
82	0.993	1.000	117.7	1.035	1.000

Table A6.4 System Ethyl Acetate-n-Butyl Acetate at 760 mm HgAnalysis by Refractive Index

Run No.	x Mole frac.	y Mole frac.	Temperature °C	V ₁	V ₂
1	0.024	0.104	124.9	1.245	1.004
2	0.039	0.146	123.3	1.115	1.017
3	0.042	0.154	122.9	1.102	1.023
4	0.049	0.175	122.4	1.085	1.019
5	0.050	0.176	122.3	1.072	1.022
6	0.053	0.183	122.1	1.057	1.022
7	0.065	0.224	121.0	1.082	1.015
8	0.075	0.251	120.2	1.070	1.014
9	0.100	0.327	118.1	1.098	0.996
10	0.109	0.344	117.2	1.083	1.007
11	0.113	0.356	116.8	1.091	1.005
12	0.143	0.425	114.6	1.085	0.992
13	0.153	0.450	113.6	1.100	0.989
14	0.160	0.460	113.0	1.091	0.998
15	0.185	0.506	111.2	1.085	0.994
16	0.200	0.531	110.1	1.083	0.995
17	0.210	0.547	109.2	1.087	1.001
18	0.225	0.569	108.3	1.079	0.999
19	0.235	0.580	107.5	1.075	1.011
20	0.245	0.595	107.1	1.069	1.001
21	0.259	0.611	106.2	1.062	1.008
22	0.272	0.628	105.3	1.064	1.010
23	0.282	0.639	104.6	1.063	1.016
24	0.307	0.669	103.05	1.065	1.015

Table A6.4 continued

Run No.	x Mole frac.	y Mole frac.	Temperature °C	V ₁	V ₂
25	0.315	0.675	102.8	1.054	1.017
26	0.325	0.687	102.4	1.051	1.007
27	0.336	0.700	101.7	1.055	1.004
28	0.381	0.740	99.1	1.055	1.017
29	0.428	0.777	96.8	1.050	1.023
30	0.436	0.783	96.5	1.055	0.995
31	0.441	0.788	96.2	1.036	1.051
32	0.493	0.822	93.9	1.044	1.014
33	0.558	0.854	91.3	1.035	1.046
34	0.571	0.861	90.8	1.051	1.022
35	0.602	0.874	89.7	1.042	1.031
36	0.658	0.898	87.8	1.021	1.066
37	0.690	0.908	86.7	1.017	1.110
38	0.707	0.912	86.1	1.015	1.148
39	0.713	0.916	86.0	1.014	1.123
40	0.803	0.950	83.5	1.007	1.068
41	0.822	0.952	83.0	1.000	1.156
42	0.858	0.960	82.0	0.997	1.254
43	0.895	0.969	80.9	0.998	1.370
44	0.914	0.970	80.4	0.993	1.650
45	0.945	0.987	79.7	0.998	1.137
46	0.961	0.991	78.6	1.021	1.170

Table A6.5 System Ethyl Acetate-n-Butyl Acetate at 760 mm HgAnalysis by Gas liquid chromatography

Run No.	x Mole frac.	y Mole frac.	Temperature °C	V ₁	V ₂
1	0.016	0.046	124.9	0.826	1.061
2	0.032	0.101	123.3	0.940	1.063
3	0.05	0.152	122.9	0.913	1.034
4	0.051	0.198	122.4	1.183	0.996
5	0.056	0.204	122.3	1.107	0.991
6	0.061	0.219	122.1	1.127	1.017
7	0.064	0.232	121.0	1.109	0.972
8	0.076	0.239	120.2	1.005	1.031
9	0.099	0.304	118.1	1.031	1.029
10	0.111	0.319	117.2	0.986	1.048
11	0.117	0.383	116.8	1.134	0.967
12	0.139	0.421	114.6	1.106	0.994
13	0.156	0.450	113.6	1.079	0.993
14	0.166	0.464	113.0	1.061	0.997
15	0.184	0.509	111.2	1.098	0.987
16	0.198	0.519	110.1	1.069	1.018
17	0.210	0.567	109.2	1.126	0.957
18	0.231	0.579	108.3	1.070	0.983
19	0.237	0.579	107.5	1.064	1.016
20	0.240	0.598	107.1	1.096	0.987
21	0.261	0.620	106.2	1.070	0.987
22	0.275	0.625	105.3	1.047	1.022
23	0.288	0.640	104.6	1.043	1.022
24	0.311	0.680	103.05	1.069	0.987

Table A6.5 continued

Run No.	x Mole frac.	y Mole frac.	Temperature °C	V ₁	V ₂
25	0.320	0.691	102.8	1.062	0.974
26	0.323	0.685	102.4	1.055	1.010
27	0.335	0.684	101.7	1.034	1.056
28	0.382	0.731	99.1	1.040	1.054
29	0.421	0.761	96.8	1.046	1.081
30	0.436	0.791	96.5	1.067	0.990
31	0.441	0.784	96.2	1.044	1.045
32	0.504	0.826	93.9	1.027	1.013
33	0.563	0.868	91.3	1.050	0.967
34	0.577	0.869	90.8	1.044	1.013
35	0.613	0.871	89.7	1.014	1.130
36	0.661	0.897	87.8	1.015	1.086
37	0.694	0.902	86.7	1.010	1.136
38	0.711	0.913	86.1	1.010	1.151
39	0.719	0.909	86.0	0.997	1.242
40	0.804	0.964	83.5	1.020	0.773
41	0.825	0.960	83.0	1.005	0.980
42	0.861	0.956	82.0	0.989	1.409
43	0.900	0.963	80.9	0.986	1.717
44	0.918	0.964	80.4	0.983	2.077
45	0.951	0.971	79.7	0.975	2.860
46	0.967	0.997	78.6	1.021	0.461

Table A6.6 Calibration Data for Refractive Index Composition

1. System Ethyl Acetate-n-Butanol

Mole Fraction Ethyl Acetate	N_D^{25}
0.0	1.39825
0.1	1.39613
0.2	1.39381
0.3	1.39171
0.4	1.38918
0.5	1.38685
0.6	1.38426
0.7	1.38130
0.8	1.37789
0.9	1.37427
1.0	1.37057

2. System Ethyl Acetate-n-Butyl Acetate

Mole Fraction Ethyl Acetate	N_D^{25}
0.0	1.39191
0.1	1.39045
0.2	1.38860
0.3	1.38690
0.4	1.38514
0.5	1.38311
0.6	1.38056
0.7	1.37804
0.8	1.37548
0.9	1.37293
1.0	1.37057

3. System-n-Butanol-n-Butyl Acetate

Mole Fraction n-Butanol	n_D^{25}
0.0	1.39191
0.1	1.39265
0.2	1.39335
0.3	1.39419
0.4	1.39487
0.5	1.39552
0.6	1.39611
0.7	1.39670
0.8	1.39727
0.9	1.39776
1.0	1.39825

Table A6.7 Refractive Indices and Boiling PointsEthyl Acetate

N_D^{25}	B.Pt ($^{\circ}\text{C}$)
1.36900 (M3)	77.15 (T11)
1.36970 (T11)	77.11 (T11)
1.37012 (T11)	77.15 (T11)
1.37008 (T11)	77.3 This work
1.37057 This work	

n-Butanol

N_D^{25}	B.Pt ($^{\circ}\text{C}$)
1.39728 (T11)	117.5 (S9)
1.39800 (M3)	117.8 (T11)
1.39920 (T11)	117.8 (T11)
1.39825 This work	117.8 This work

n-Butyl Acetate

N_D^{25}	B.Pt ($^{\circ}\text{C}$)
1.39176 (T11)	126.1 (S9)
1.39265 (S9)	126.09 (T11)
1.39191 This work	126.52 (T11)
	126.1 This work

APPENDIX A.7

Miscellaneous experimental results.

A7.1. Tie lines in acetic acid-toluene-water system.

A7.2. Comparison of models for acetic acid-toluene data
using vapour phase correction only.

A7.3. Results of data reduction and consistency test on
experimental data.

Table 1 Tie lines in acetic acid-toluene-water
system computed using NRTL equation

System temperature 30°C

Compositions in wt% basis

WATER	TOLUENE	ACETIC ACID	WATER	TOLUENE	ACETIC ACID
18.49	4.31	77.21	0.89	55.31	43.80
21.60	3.42	74.99	0.74	62.35	36.92
35.71	2.45	61.84	1.66	93.47	6.36
36.50	2.37	61.13	1.60	93.81	6.03
40.94	1.85	57.21	1.46	94.91	4.94
42.20	1.70	56.09	1.44	95.13	4.73
44.61	1.47	53.95	1.43	95.42	4.44
47.13	0.82	52.04	0.42	88.95	10.63
48.41	0.76	50.83	0.42	88.57	11.01
50.44	0.68	48.87	0.42	89.02	10.56
52.23	1.06	46.71	1.12	97.07	2.82
54.98	0.55	44.47	0.41	90.06	9.52
56.05	0.53	43.42	0.41	90.39	9.20
58.5	0.47	41.02	0.41	90.67	8.91
62.27	0.64	37.09	0.09	98.13	1.76
68.32	0.50	31.18	0.05	99.25	0.70
76.23	0.29	23.47	0.11	98.70	1.18
93.20	1.74	6.63	0.03	99.9	0.07

Table 2 Tie lines in acetic acid-toluene-water
system computed using NRTL equation

System temperature 60°C

Compositions on wt% basis

PHASE 1 (WATER)			PHASE 2 (TOLUENE)		
WATER	TOLUENE	ACETIC ACID	WATER	TOLUENE	ACETIC ACID
18.09	5.25	76.66	1.04	54.83	44.13
26.28	3.03	70.68	0.704	73.67	25.63
25.51	2.89	69.59	0.71	70.55	28.74
31.22	2.44	66.33	0.63	76.20	23.17
37.63	1.68	60.69	0.52	87.99	11.49
41.81	1.50	56.68	0.531	84.07	15.40
48.20	1.14	50.66	0.531	86.31	13.16
57.90	0.75	41.35	0.70	74.02	25.27
60.12	0.93	38.95	0.50	90.79	8.70
61.43	0.60	37.93	0.50	88.25	11.23
63.19	0.63	36.18	0.50	89.76	9.74
69.22	0.49	30.3	0.50	90.02	9.47
71.19	0.45	28.36	0.50	90.19	9.31
81.46	0.31	18.22	0.48	92.2	7.31
83.28	0.29	16.42	0.48	92.56	6.97
87.07	0.25	12.68	0.47	93.44	6.09
90.96	0.20	8.83	0.46	94.33	5.20
99.68	0.04	0.27	0.33	95.90	7.45

Table 3 Tie lines in acetic acid-toluene-water system
computed using UNIQUAC equation

System temperature 60°C

Compositions on wt% basis

PHASE 1 (WATER)			PHASE 2 (TOLUENE)		
WATER	TOLUENE	ACETIC ACID	WATER	TOLUENE	ACETIC ACID
26.08	3.25	70.66	2.22	69.77	30.01
34.78	2.10	63.11	0.11	78.3	21.58
36.85	1.93	61.22	0.10	79.93	19.96
39.94	1.64	58.41	0.09	81.56	18.34
42.25	1.51	56.23	0.80	83.13	16.78
44.73	1.39	53.87	0.71	84.67	15.25
46.90	1.31	51.79	0.06	86.08	13.85
49.80	1.19	49.0	0.06	87.58	12.36
50.32	1.16	48.51	0.05	87.68	12.26
58.09	0.74	41.16	0.05	89.11	10.84
61.42	0.68	37.90	0.04	90.55	9.41
65.04	0.63	36.32	0.04	91.96	7.99
69.06	0.59	30.36	0.03	93.34	6.61
73.55	0.54	25.91	0.03	94.72	5.24
78.65	0.49	20.85	0.02	96.07	0.39
84.53	0.45	15.01	0.02	97.40	2.57
91.41	0.41	8.17	0.02	98.7	1.27

Table 4 Tie lines in acetic acid-toluene-water system
computed using UNIQUAC equation

System temperature 30°C

Compositions on wt% basis

PHASE 1 (WATER)			PHASE 2 (TOLUENE)		
WATER	TOLUENE	ACETIC ACID	WATER	TOLUENE	ACETIC ACID
16.60	15.81	67.58	7.57	31.22	61.2
34.42	8.18	57.39	0.69	74.78	25.12
36.94	5.42	57.64	0.43	75.67	23.90
37.98	7.48	54.56	0.60	76.82	22.58
41.70	6.87	51.41	0.51	79.48	20.00
45.72	6.33	47.94	0.44	82.06	17.50
48.39	6.06	45.55	0.39	83.80	15.80
49.73	5.93	44.34	0.37	84.59	15.04
52.07	5.53	42.40	0.38	85.06	14.56
55.52	5.23	39.24	0.34	86.77	12.89
57.82	4.91	37.27	0.33	87.41	12.26
59.71	3.13	37.16	0.21	87.64	12.14
69.92	4.67	32.41	0.28	89.90	9.82
64.05	3.09	32.86	0.18	90.04	9.78
66.40	4.63	30.97	0.27	90.61	9.12
68.40	2.79	28.8	0.16	91.47	8.37
68.61	4.39	27.0	0.24	92.1	7.61
72.2	3.98	23.82	0.23	92.88	6.89
78.56	3.76	17.68	0.20	95.04	4.76
79.72	2.39	17.88	0.12	95.13	4.75
92.67	2.04	5.30	0.09	98.58	1.32
98.49	1.17	0.34	7.77	91.36	0.86

Table 5 Tie lines in acetic acid-toluene-water system
 computed using NRTL equation and concentration
 dependent correction factors.

PHASE 1 (WATER)			PHASE 2 (TOLUENE)		
WATER	TOLUENE	ACETIC ACID	WATER	TOLUENE	ACETIC ACID
30.53	2.29	67.17	1.69	28.8	69.50
33.46	1.87	64.66	1.67	31.37	66.95
38.95	1.1	59.93	0.65	37.33	62.0
41.14	0.9	57.90	0.3	42.6	57.07
49.94	0.56	49.49	0.10	57.27	42.62
53.14	0.48	46.37	0.04	71.1	28.85
54.48	0.53	44.97	0.01	97.13	2.85
55.81	5.17	43.67	0.01	98.5	1.48
96.14	1.39	3.72	0.01	98.69	1.30

Acetic acid-toluene, comparison of modelsTable 1 Wilson, 2 & 3 NRTL and UNIQUAC using vapour phase correction only.

DATA & MODEL	PAR ₁₂ -PAR ₁₁	PAR ₂₁ -PAR ₂₂	$\sum \frac{100\Delta Y}{N}$	$\frac{\sum \Delta P/P}{N}$
Meehan's at 70 (M16)-Wilson	1392.17	24.16	1.4762	0.61633
-2NRTL (= 0.47)	498.03	884.58	1.5836	0.68572
-3NRTL (= 0.49002)	498.03	913.50	1.5941	0.71534
-UNIQUAC	-255.752	823.01	1.5969	0.70956
Zawidski at 69.94 (Z1)-Wilson	1448.75	4.58	1.4363	1.0841
" -2NRTL (= 0.47)	483.17	931.81	1.5375	1.2048
" -3NRTL (= 0.50637)	483.17	985.89	1.5793	1.1266
" -UNIQUAC	-273.756	873.755	1.5601	1.1862

Table 2 3 Parameter NRTL equation using vapour phase correction only

DATA	$g_{12}-g_{11}$	$g_{21}-g_{22}$	$\sum \frac{100\Delta Y}{N}$	$\frac{\sum \Delta P/P}{N}$
Zawidski at 80.05 (Z1)	686.16	1058.85	1.8532	1.4967
Meehan at 50.0 (M16)	392.21	87.92	1.4035	0.64473
Markuzin & Pavlova at 30 (M10)	461.83	303.82	0.54496	0.4418

Table 3 Wilson equation fitted to Meehan's data at 50°C

MODEL USED	$\lambda_{12} - \lambda_{11}$	$\lambda_{21} - \lambda_{22}$	$\frac{\sum 100 \Delta Y}{N}$	$\frac{\sum \Delta P/P}{N}$
Vapour correction only	1298.10	-104.67	1.7122	0.44785
$k = k_A$	583.14	-93.48	1.3660	0.65803
$k \neq k_A$	562.83	-137.18	0.059577	0.47965

Table 4 Wilson equation fitted to data of Markuzin and Pavlova at 30°C

MODEL USED	$\lambda_{12} - \lambda_{11}$	$\lambda_{21} - \lambda_{22}$	$\sum \frac{100\Delta Y}{N}$	$\sum \frac{\Delta P/P}{N}$
Vapour correction only	1342.25	-48.19	1.2018	0.69801
$k = k_A$	609.87	-34.86	0.8252	0.5954
$k \neq k_A$	671.92	-152.76	0.02938	1.0721

Table 5 NRTL parameters for acetic acid-toluene and acetic acid-water

SYSTEM	$\epsilon_{12}-\epsilon_{11}$	$\epsilon_{21}-\epsilon_{22}$	α	$\sum \frac{100\Delta\gamma}{N}$	$\sum \frac{\Delta p/p}{N}$
ACETIC ACID-TOLUENE ^a (L.E.M.F.)	423.92	351.72	-1.0	2.3971	4.3397
ACETIC ACID-TOLUENE ^b (L.E.M.F.)	423.92	769.02	0.31335	2.3782	4.1658
ACETIC ACID-TOLUENE ($k \neq k_A$)	630.88	-30.52	0.38528	0.9566	5.0385
ACETIC ACID-TOLUENE	563.08	826.51	0.57364	2.4980	4.2269
ACETIC ACID-TOLUENE ($k = k_A$)	631.86	5.84	0.5238	2.3295	4.5302
ACETIC ACID-WATER	875.7	1099.34	0.79110	4.1758	1.8125
ACETIC ACID-WATER ($k = k_A$)	1360.73	-578.87	0.16832	4.5483	2.5259
ACETIC ACID-WATER ^a (L.E.M.F.)	440.54	317.91	-1.0	5.7836	3.1622
ACETIC ACID-WATER ^b (L.E.M.F.)	440.54	304.12	-1.09893	5.7421	3.0841

Data sources as for six parameter NRTL equation

a. 2 parameter fit used

b. 3 parameter fit used

Table 6 6 parameter NRTL equation

SYSTEM	c_1	c_2	α°	D_1	D_2	α^T	$\sum \frac{100\Delta Y}{N}$	$\sum \frac{\Delta P/P}{N}$
ACETIC ACID-TOLUENE (L.E.M.F.)	319.88	883.33	0.4202	3.841	-3.305	-0.00084	2.9761	5.3126
ACETIC ACID-TOLUENE	563.08	826.51	0.57364	1.678	-1.917	-0.00103	2.4262	4.0946
ACETIC ACID-TOLUENE ($k = k_A$)	621.66	107.54	0.30112	14.17	-13.25	-0.002528	2.3888	4.1568
ACETIC ACID-WATER	875.7	1893.43	0.67057	2.776	-3.231	0.001523	3.4909	1.2237
ACETIC ACID-WATER ($k = k_A$)	1301.135	-673.91	0.16147	-6.779	6.842	0.001646	4.7545	2.1107
ACETIC ACID-WATER (L.E.M.F.)	185.41	200.04	-6.76601	1.279	0.8848	0.0316	2.9511	2.8741

Acetic Acid-Toluene data Zawidski (Z1), Haughton (H3), Meehan (M6), Markuzin and Pavlova (M10)

Acetic Acid-Water data IIO (II), Arich and Tagliavani (A5), Sebastiani and Lacquanti (S8)

L.E.M.F.

Modification of NRTL equation due to Marina. $\alpha = -1$ used as starting point.

Table 7 Wilson parameters for acetic acid-toluene data

SYSTEM	$\lambda_{12}-\lambda_{11}$	$\lambda_{21}-\lambda_{22}$	$\sum \frac{100\Delta Y}{N}$	$\sum \frac{\Delta P/P}{N}$
ACETIC ACID-TOLUENE ($k \neq k_A$)	509.3	92.69	0.9309	4.9747
ACETIC ACID-TOLUENE	1184.91	151.72	2.4113	4.4128
ACETIC ACID-TOLUENE ($k = k_A$)	481.88	242.78	2.1431	4.3377

Acetic-toluene data as for six parameter NRTL equation

Table 1. 4 Suffix Margules parameters

SYSTEM	A	B	D	$\frac{\sum \Delta Y \times 100}{N}$	$\frac{\sum \Delta P/P}{N}$
ETHYL ACETATE-N-BUTANOL (REF.IND.)	0.62686	0.60085	0.22250	1.8285	0.95732
ETHYL ACETATE-N-BUTYL ACETATE (REF.IND.)	0.14958	0.29531	0.26967	0.64402	0.40612
N-BUTANOL-N-BUTYL ACETATE "	0.75276	0.42326	-0.38184	2.6512	0.64894
ETHYL ACETATE-N-BUTYL ACETATE (G.L.C.)	0.12708	0.24164	0.15626	1.1746	0.61056
N-BUTANOL-N-BUTYL ACETATE "	0.75728	0.39350	-0.43947	2.7084	0.71359
METHANOL-WATER * (35°C)	0.77930	0.24927	-0.37091	2.9323	2.5203
METHANOL-WATER * (50°C)	0.67823	0.26615	-0.57964	1.2765	0.53343

* DATA OF McGLASHAN AND WILLIAMSON (ML4)

Table 2 Van Laar parameters

SYSTEM (ALL AT 760 MM HG)	A ₁₂	A ₂₁	$\sum \frac{\Delta y \cdot 100}{N}$	$\sum \frac{\Delta P/P}{N}$
ETHYL ACETATE-N-BUTANOL (REF.IND.)	0.54069	0.58447	1.8259	1.553
ETHYL ACETATE-N-BUTYL ACETATE (REF.IND.)	0.10806	0.28078	0.53405	0.44742
N-BUTANOL-N-BUTYL ACETATE "	0.73485	0.66239	1.5267	0.70708
ETHYL ACETATE-N-BUTYL ACETATE (G.L.C.)	0.10865	0.22720	1.1206	0.60255
N.-BUTANOL-N-BUTYL ACETATE "	0.75053	0.65260	1.5559	0.76347
ETHANOL-ETHYL ACETATE *	1.06973	0.89373	1.6500	0.63055
ETHANOL-N-BUTYL ACETATE *	0.57638	1.39450	4.1728	2.7134
ETHANOL-N-BUTANOL *	0.91608	0.07399	2.6200	1.6849

* DATA OF DAVIES (D4)

Table 3 3 parameter NRTL equation

SYSTEM (at 760 mm Hg)	$g_{12}-g_{11}$	$g_{21}-g_{22}$	$\frac{\sum 100\Delta Y}{N}$	$\frac{\sum \Delta P/P}{N}$
Ethyl Acetate-n-Butyl Acetate (R.I.)	837.16	-526.15	0.3	0.5088
Ethyl Acetate-n-Butyl Acetate (G.L.C.)	700.54	-451.94	0.30068	1.1122
n-Butanol-n-Butyl Acetate (R.I.)	129.7	457.63	0.31240	1.5499
n-Butanol-n-Butyl Acetate (G.L.C.)	87.89	507.37	0.30684	1.5799
				0.45151
				0.60552
				0.70739
				0.76309

Table 4 UNIQUAC parameters

SYSTEM (at 760 mm Hg)	$U_{12}-U_{11}$	$U_{21}-U_{22}$	$\frac{\sum 100\Delta Y}{N}$	$\frac{\sum \Delta P/P}{N}$
Ethyl Acetate-n-Butyl Acetate (R.I.)	368.328	-262.19	0.52912	0.44461
Ethyl Acetate-n-Butyl Acetate (G.L.C.)	239.358	-174.302	1.1187	0.60291
n-Butanol-n-Butyl Acetate (R.I.)	-181.151	399.264	1.5434	0.71142
n-Butanol-n-Butyl Acetate (G.L.C.)	-197.286	423.565	1.5791	0.76605

Table 5 5 Suffix Margules parameters

SYSTEM	A	B	λ_{12}	λ_{21}	$\frac{\sum \Delta \gamma_{100}}{N}$	$\frac{\sum \Delta p/p}{N}$
ETHYL ACETATE-N-BUTANOL (R.I.)	0.35987	0.82831	-0.82232	1.23671	1.7785	0.79948
ETHYL ACETATE-N-BUTYL ACETATE (R.I.)	0.17622	0.24608	0.39814	0.02174	0.63104	0.36537
N-BUTANOL-N-BUTYL ACETATE	0.60565	1.12323	-0.85295	2.41116	1.58500	0.44923
ETHYL ACETATE-N-BUTYL ACETATE (G.L.C.)	0.13819	0.20300	0.19506	-0.0208	1.1462	0.61242
N-BUTANOL-N-BUTYL ACETATE	0.62588	1.09764	-0.78607	2.30499	1.5859	0.49953
METHANOL-WATER * (35°C)	0.96919	0.26170	0.90428	-0.79545	2.2271	1.9177
METHANOL-WATER * (50°C)	0.74074	0.28145	-0.19972	-0.62451	1.0244	0.30822

* DATA OF McGLASHAN AND WILLIAMSON

Table 6 Results of Samuels Consistency Test

SYSTEM	$\sum F_j$	$\sigma_{F_j}^2$	σ_{F_j}
ETHYL ACETATE-N-BUTANOL (R.I.)	0.00762	0.0302	0.17893
ETHYL ACETATE-N-BUTYL ACETATE (R.I.)	0.01969	0.00121	0.03475
ETHYL ACETATE-N-BUTYL ACETATE (G.L.C.)	0.06546	0.00135	0.03669
N-BUTANOL-N-BUTYL ACETATE (R.I.)	0.00829	0.00161	0.04012
N-BUTANOL-N-BUTYL ACETATE (G.L.C.)	-0.00027	0.0760	0.27568

R.I. - Refractive Index

G.L.C. - Gas-liquid chromatography

Comparison between correlations on refractive index and G.L.C. data

Table 7 Wilson parameters

SYSTEM (at 760 mm Hg)	$\lambda_{12} - \lambda_{11}$	$\lambda_{21} - \lambda_{22}$	$\frac{\sum 100\Delta Y}{N}$	$\frac{\sum \Delta P/P}{N}$
Ethyl Acetate-n-Butyl Acetate (R.I.)	-189.98	500.24	0.52817	0.44381
Ethyl Acetate-n-Butyl Acetate (G.L.C.)	-122.59	355.94	1.1201	0.60251
n-Butanol-n-Butyl Acetate (R.I.)	698.82	-91.44	1.5191	0.70328
n-Butanol-n-Butyl Acetate (G.L.C.)	732.98	-118.62	1.5493	0.75931

R.I. - refractive index

G.L.C. - Gas liquid chromatography

Table 8 2 parameter NRTL equation (=0.3)

SYSTEM (at 760 mm Hg)	$\epsilon_{12} - \epsilon_{11}$	$\epsilon_{21} - \epsilon_{22}$	$\frac{\sum 100\Delta Y}{N}$	$\frac{\sum \Delta P/P}{N}$
Ethyl Acetate-n-Butyl Acetate (R.I.)	837.16	-526.15	0.5088	0.45151
Ethyl Acetate-n-Butyl Acetate (G.L.C.)	700.54	-452.2	1.1122	0.60555
n-Butanol-n-Butyl Acetate (R.I.)	129.70	455.52	1.5363	0.71013
n-Butanol-n-Butyl Acetate (G.L.C.)	87.89	505.99	1.5720	0.76494